

ASSignment 1

30.08.2024



Task 1

A matching is stable if no two people prefer each other over their current partners.
→ There's no pair who would both rather be matched with each other than with the partners they have.

Task 2

Assume x and y are ranked first on each others preference lists. Suppose there's a stable matching S where x and y are not matched together:

$$* x \rightarrow z$$

$$* y \rightarrow w$$

Since x and y prefer each other they form a blocking pair

⇒ This contradicts stable matching so the statement is TRUE

Task 3

yes, a perfect matching with this notion
stability always exists.

GS can be adapted to handle ties
in preferences. This does not result in
unstable pairs \Rightarrow will always produce
stable matching.