

# COMP3221 Parallel Computation

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Lecture 10: Parallel data reorganisation

# Previous lectures

In the last lecture we saw how to perform **explicit point-to-point communication** in a distributed memory system:

- Send data (*i.e.* an **array** or **sub-array**) from one **process** to another.
- In MPI (where processes are identified by their **rank**):
  - Sending process calls `MPI_Send()`.
  - Receiving process calls `MPI_Recv()`.
- Both **blocking** calls that do not return until resources can be safely modified.
- Can result in **deadlock**, *e.g.* cyclic communication pattern.

# Today's lecture

In today's lecture we are going to look at one of the key considerations for the **performance** of distributed memory systems: **Data reorganisation**

- Often necessary for both **shared** and **distributed** memory systems.
- For distributed systems, data reorganisation can result in a significant **parallel overhead**.
- Improved performance using **collective communication routines**.
- Will go through a worked example of a simple **distributed counting algorithm**.

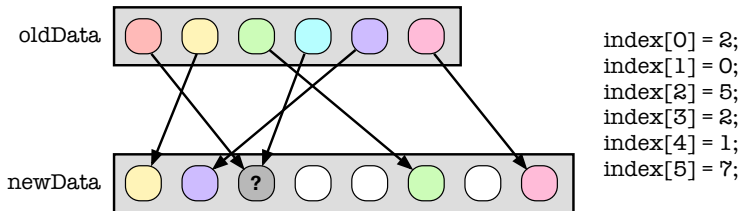
# Data reorganisation

Many algorithms require some form of **large-scale data reorganisation**:

- **Sorting.**
- Adding or removing items from a **container** (*i.e.* vector, stack, queue *etc.*) or a **database**.
- **Numerical algorithms**, *i.e.* reordering columns and rows in a matrix.
- **Compression** (*e.g.* bzip, gzip *etc.*)
- ...

# Generalised scatter and gather

## General scatter:<sup>1</sup>



## In serial code:

```
1 for( i=0; i<N, i++ )  
2   newData[ index[i] ] = oldData[i];
```

General **gather** is similar, but indices give **read** locations.

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<sup>1</sup>McCool *et al.*, *Structured parallel programming* (Morgan-Kaufman, 2012).

# Shared *versus* distributed

Data reorganisation in shared memory systems can lead to a **data race** or **race condition**:

- e.g. the **scatter collision** on the previous slide, which arises because `index[0]==index[3]`.
- May require some form of **synchronisation** to resolve, with associated performance penalty.

Although data races are not relevant to distributed memory systems, data reorganisation is very important for **performance**:

The primary overhead in distributed systems is **communication**, which is a form of data reorganisation

# Communication performance

Although most of the overheads in Lecture 4 apply to distributed systems, one typically dominates: The **communication time**.

If the summed times spent for **communicating** and **performing calculations** are  $t_{\text{comm}}$  and  $t_{\text{comp}}$  respectively, then<sup>1</sup>

$$t_p = t_{\text{comm}} + t_{\text{comp}}$$

For communication to *not* adversely affect performance, we want the ratio

$$\frac{t_{\text{comm}}}{t_{\text{comp}}}$$

to be **as small as possible**.

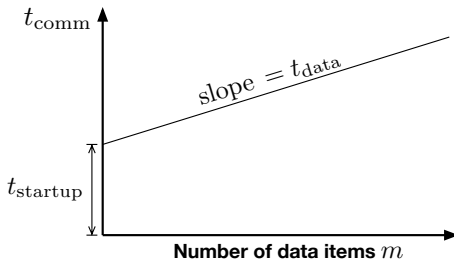
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<sup>1</sup>Recall from Lecture 4 that  $t_p$  is the parallel execution time.

# Analysis of $t_{\text{comm}}$

For a single message of size  $m$ , a good approximation to  $t_{\text{comm}}$  is<sup>1</sup>:

$$t_{\text{comm}} = t_{\text{startup}} + mt_{\text{data}}$$



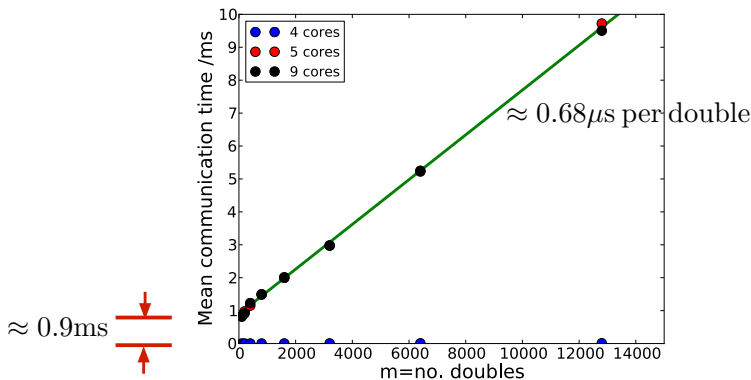
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<sup>1</sup>Wilkinson and Allen, *Parallel programming* 2<sup>nd</sup> ed. (Pearson, 2005).



# Measurement of $t_{\text{comm}}$ from DEC-10 (2015)

Code on Minerva: `measure_tComm.c`



For faster interconnects both  $t_{\text{startup}}$  and  $t_{\text{data}}$  about 10 times smaller, but **communication remains the primary overhead**.

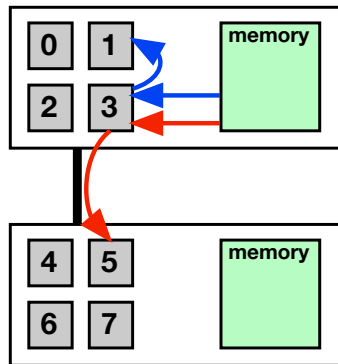
## Intra- *versus* inter-node communication

Process 3 sends data to process 1, it is **copied within the same machine's memory** (*blue arrows*).

- **Fast**<sup>1</sup>.

If process 3 now sends the *same* data to process 5, it is sent **over the network** (*red arrows*).

- **Slow**



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<sup>1</sup>Could be removed by using one *multi-threaded* process per node [Lecture 8].

# Strategies to reduce communication times

This  $t_{\text{comm}}$  suggests we should **merge** messages when possible:

- For **two** messages of size  $m$  and  $n$ :

$$\begin{aligned}t_{\text{comm}} &= (t_{\text{startup}} + mt_{\text{data}}) + (t_{\text{startup}} + nt_{\text{data}}) \\ &= 2t_{\text{startup}} + (m + n)t_{\text{data}}\end{aligned}$$

- For **one** message of size  $m + n$ :

$$t_{\text{comm}} = t_{\text{startup}} + (m + n)t_{\text{data}}$$

So we have **saved**  $t_{\text{startup}}$  in total communication time.

We will see another strategy in Lecture 12.

# Collective communication

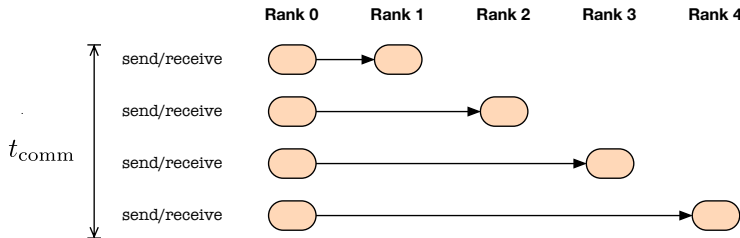
An alternative and often easier way to reduce communication times is to use **collective communication**:

- **All** processes involved in **one** communication.
- Sometimes referred to as **global communication**.

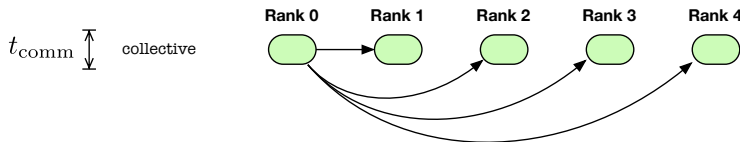
Distributed programming APIs include **optimised** routines for common communication patterns

- Can **drastically reduce** the communication overhead.
- Implementation varies, but typically **overlap** communications to reduce  $t_{\text{comm}}$ .

### Point-to-point communication:



### Collective communication (ideal case):



## Common forms of collective communication

Distribution	Type	Meaning
One-to-many	Broadcast	<b>Same</b> data from one process copied to many
	Scatter	Data from one process <b>distributed</b> across many
Many-to-one	Gather	Data from many processes <b>combined</b> on one process
	Reduction	Data from many processes <b>accumulated</b> on one process.

Other variants (*i.e. many-to-many* such as *multi-broadcast*) exist but are less commonly used and not considered here.

We will consider *reduction* next lecture.

# Collective communication in MPI

Code on Minerva: `distributedCount.c`

To demonstrate collective communication in MPI, we will use a simple worked example: A **distributed count** algorithm.

- ➊ Rank 0 communicates the data size to all other ranks.
- ➋ Rank 0 distributes the data to all ranks.
- ➌ Each rank (including rank 0) counts how many of their local data are below some threshold.
- ➍ All ranks  $> 0$  send their counts to rank 0, which determines the total.

Note we assume only rank 0 knows the total data size.

- e.g. if rank 0 had loaded the data from a file.

## Step 1: Broadcasting: MPI\_Bcast()

Sending the variable `localSize` to all processes **can** be performed using point-to-point communication:

```
1 if( rank==0 )
2     for( p=1; p<numProcs; p++ )
3         MPI_Send(&localSize,1,MPI_INT,p,...);
4 else
5     MPI_Recv(&localSize,1,MPI_INT,0,...);
```

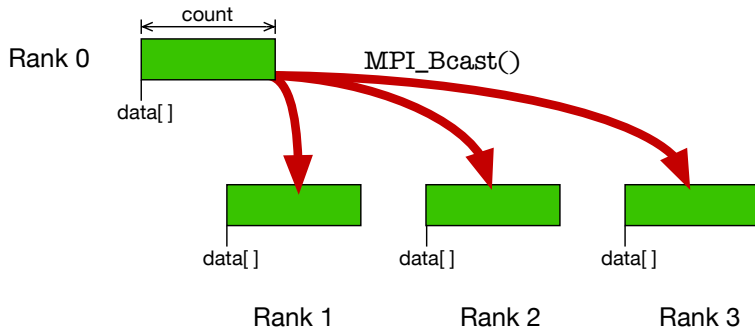
The same thing can be achieved using `MPI_Bcast()`:

```
1 MPI_Bcast(&localSize,1,MPI_INT,0,MPI_COMM_WORLD);
```

- First 3 arguments same as `MPI_Send()/MPI_Recv()`.
- Fourth argument is the rank on which `localSize` is defined.



## Broadcasting: Schematic



Note that using '&variable' as the data 'fools' MPI into thinking a variable is an array of size 1 (=count).

## Common pitfall - careful!

When using collective communication, it is important to realise that **all** processes are involved.

- **Must** be called by **all** ranks.

This will fail:

```
1 if( rank==0 ) MPI_Bcast(...);
```

- MPI\_Bcast() does not return until called by **all ranks**.
- Ranks  $>0$  do **not** call MPI\_Bcast() in the example.
- Rank 0 will wait forever - **deadlock**.

The name *broadcast* is misleading as it suggests only **sending** is involved, whereas in fact there is also **receiving**.

## Step 2: Scattering: MPI\_Scatter()

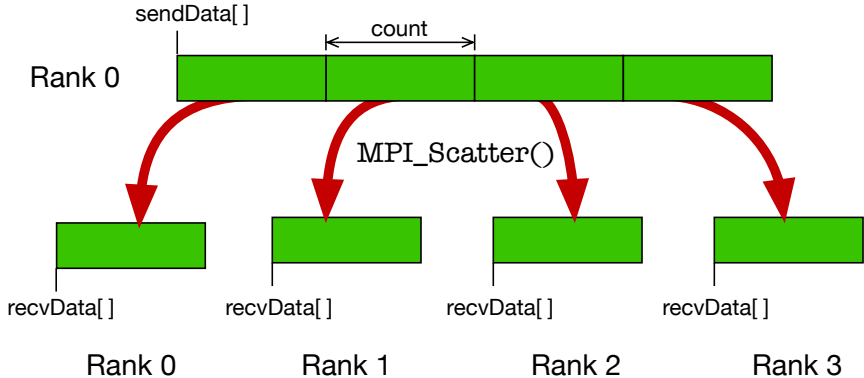
Need to break up an array into equal sized chunks and sending one chunk to each process [*cf. vector addition last lecture*]:

```
1 if( rank==0 )
2     for( p=1; p<numProcs; p++ )
3         MPI_Send(&data[p*localSize],localSize,...,p,...);
4 else
5     MPI_Recv(localData,localSize,...,0,...);
```

This can be replaced with a single call:

```
1 MPI_Scatter(
2     globalData,localSize,MPI_INT, // Sent from
3     localData ,localSize,MPI_INT, // Received to
4     0, MPI_COMM_WORLD             // Source rank 0
5 );
```

## Scattering: Schematic



Note also copies to `recvData[]` on rank 0.

## Step 4: Gathering: MPI\_Gather()

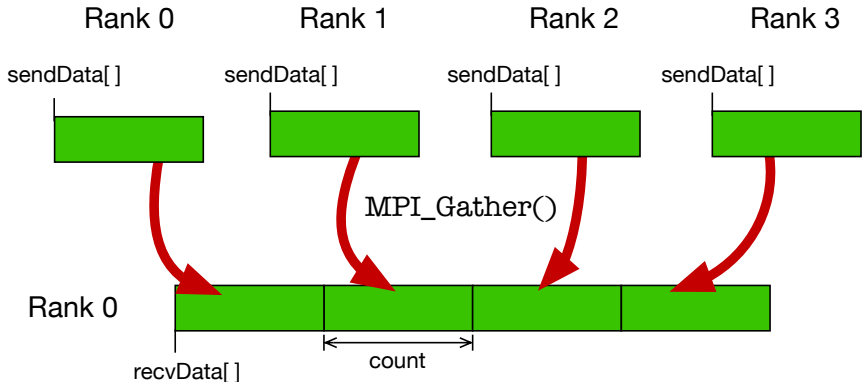
Gathering is the opposite of scattering:

```
1 MPI_Gather(  
2     &count    , 1, MPI_INT,      // Sent from  
3     partials, 1, MPI_INT,      // Received to  
4     0, MPI_COMM_WORLD          // Destination rank 0  
5 );
```

This gathers all local counts into the array `partials[numProcs]`, from which the total can be counted. As with scattering:

- Data is ordered **by rank**.
- There is no tag.
- The data size is the **local** size, both times.
- Can **in principle** use different data sizes or types for sending and receiving, but not recommended.

## Gathering: Schematic



# Summary and next lecture

Today we have looked at **data reorganisation** and **collective communication**

- Generalised scatter can cause **collisions** in shared memory systems.
- Common communication patterns in distributed memory systems can be handled **efficiently** by specialised routines.
  - **Broadcasting** (e.g. MPI\_Bcast).
  - **Scattering** (e.g. MPI\_Scatter).
  - **Gathering** (e.g. MPI\_Gather).

In fact, the last stage of our example involved data reorganisation **and calculation**.

- This **reduction** is the subject of the next lecture.