

# Chapter\_5 dictionary & sets

Dictionary is a collection of key-value of pairs

Syntax

```
A = { "key"      : "value"
      "apple"    : "an apple a day keeps the doctor away"
      "Marks"    : "50"
      "List"     : [1, 2, 3]
    }
A ["key"]      ==> prints "value"
A ["list"]     ==> prints [1, 2, 3]
```

## Properties of python dictionaries

1. It is unordered
2. It is mutable
3. It is indexed
4. Can not contain duplicate keys

Dictionary methods

Consider the following dictionary

```
a = { "name"      : "hacksbyte"
      "from"      : "mars"
      "Number"    : [1, 2, 3, 4, 5, 6, 7, 8, 9, 0]
    }
```

1. a.items() : returns a list of ( key value ) tuple
2. a.keys() : returns a list containing dictionary keys
3. a.update ( { "friend " : "abc" } ) : update the dictionary with supplied key-value pairs
4. a.get ( "name" ) : returns the value is returns  
( "hacksbyte " is returns here )

More methods are available on [docs:python.org](https://docs.python.org)

Sets in python

Set is a collection of non repetitive elements

```
S = set()           ==> no repetition allowed!
S.add(1)            ==>
S.add(2)            ==> or set {1, 2}
```

If you are a programming beginner without much knowledge of mathematical operations on sets you can simply look at sets in python as data type containing unique values

## Properties of sets

1. Sets are unordered ==> element does not matter
2. Sets are unindexed ==> cannot access elements by index
3. There is no way to change items in sets
4. Sets cannot contain duplicate values

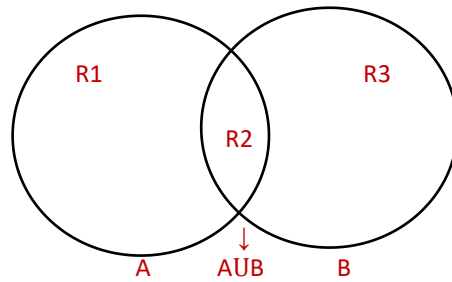
Operations on sets

Consider the following sets

```
S = {1, 2, 4, 8, }
```

1. Len(s) : returns 4 the length of the set
2. S.remove (8) : update the set S and remove 8 from S
3. S.pop() : remove on arbitrary element from the set and returns the element removed

4. S.clear() : empties the set S
5. S.union ({8, 11}) : returns with all items from both sets ==> {1, 2, 4, 8, 11}
6. S.intersection ({8, 11}) : returns a set which contains only items in both sets ==> {8}



R2	=>	$A \cap B$
R1+R2+R3	=>	$A \cup B$
R1+R3	=>	$A \Delta B$
R1	=>	$A - B$
R3	=>	$B - A$