

Implementation of genetic trend assessment using the BRRI data

Overview

Two datasets

- Aman & Boro
- → Get mean yield for each genotype at each environment

Genetic trend assessment

- 1. Incorporating regression terms in basic MET mixed model
 - Genetic trend: βr_i
 - Per group
 - Agronomic trend: γt_k

Two datasets

• Aman & Boro

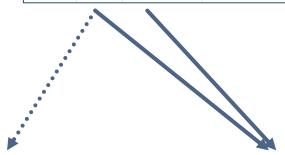
Data

Original

SL	Year	Location	Year of release	Rep	Variety	Group	Yield
1	2001	Barisal	1980	1	BR10	Long	3.5
2	2001	Comilla	1980	1	BR10	Long	5.01104651
3	2001	Gazipur	1980	1	BR10	Long	4.28023256
4	2001	Rajshahi	1980	1	BR10	Long	4.48

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	Y	t.k		L	Env		G	Rep	Group	
1:	2001	2001	1980	Barisal	2001-Barisal	BI	R10	1	Long	3.500000
2:	2001	2001	1980	Comilla	2001-Comilla	ВІ	R10	1	Long	5.011047
3:	2001	2001	1980	Gazipur	2001-Gazipur	ВІ	R10	1	Long	4.280233
4:	2001	2001	1980	Rajshahi	2001-Rajshahi	ВІ	R10	1	Long	4.480000
5:	2001	2001	1980	Rangpur	2001-Rangpur	ВІ	R10	1	Long	3.176419
7631:	2015	2015	2014	Comilla	2015-Comilla	BRRI dha	n66	3	Stress	5.219160
7632:	2015	2015	2014	Gazipur	2015-Gazipur	BRRI dha	n66	3	Stress	1.988598
7633:	2015	2015	2014	Rajshahi	2015-Rajshahi	BRRI dha	n66	3	Stress	4.926488
7634:	2015	2015	2014	Rangpur	<u> </u>			3	Stress	2.200000
7635:	2015	2015	2014	Satkhira	2015-Satkhira	BRRI dha	n66	3	Stress	3.820000

Numeric

New columns

Table: Number of unique entries per column

An	nan	Boro			
	number		number		
Υ	15	Υ	15		
t.k	15	t.k	15		
r.i	18	r.i	16		
L	9	L	10		
Env	116	Env	137		
G	29	G	31		
Rep	3	Rep	3		
Group	5	Group	3		

Table: Number of unique entries per column

An	nan	Boro			
Y t.k r.i L	number 15 15 18 9	Y t.k r.i L	number 15 15 16 10		
Env G Rep Group	116 29 3 5	Env G Rep Group	137 31 3 3		

Basic model for long-term MET data

$$y_{ijk} = \mu + G_i + L_j + Y_k + (LY)_{jk} + (GL)_{ij} + (GY)_{ik} + (GLY)_{ijk}$$
(1)

 y_{ijk} = mean yield of the *i*-th genotype in the *j*-th location and *k*-th year

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Two datasets

- Aman & Boro
- → Get mean yield for each genotype at each environment

GxE means

Goal: Obtain yield per genotype and environment averaged over replicates

Option 1: Arithmetic means

```
dat[, ari.mean := mean(Yield), by=c("Env","G")]
```

Goal: Obtain yield per genotype and environment averaged over replicates

Option 1: Arithmetic means

```
dat[, ari.mean := mean(Yield), by=c("Env","G")]
```

Option 2: Adjusted means

For each environment separately:

- 1. Fit simple linear model: $y_{ij} = \mu + g_i + rep_j + e_{ij}$
- 2. Calculate adj. means per genotype
- 3. Calculate Smith's weights (Smith et al., 2001)

		Υ	L	Env	t.k	r.i	Group		G	G.ari.mean	G.adj.mean	w.G
	1:	2001	Barisal	2001-Barisal	2001	1980	Long		BR10	3.873333	3.873333	58.926346
	2:	2001	Barisal	2001-Barisal	2001	1980	Medium		BR11	3.743333	3.743333	58.926346
	3:	2001	Barisal	2001-Barisal	2001	1988	Long		BR22	4.236667	4.236667	58.926346
	4:	2001	Barisal	2001-Barisal	2001	1988	Long		BR23	4.710000	4.710000	58.926346
	5:	2001	Barisal	2001-Barisal	2001	1992	Medium		BR25	4.086667	4.086667	58.926346
25	42:	2015	Sonagazi	2015-Sonagazi	2015	2011	Short	BRRI	dhan57	2.372395	2.372395	15.605064
25	43:	2015	Sonagazi	2015-Sonagazi	2015	2011	Stress	BRRI	dhan57	2.372395	2.372395	15.605064
25	44:	2015	Sonagazi	2015-Sonagazi	2015	2013	Short	BRRI	dhan62	2.784334	2.784334	7.802532
25	45:	2015	Sonagazi	2015-Sonagazi	2015	2014	Short	BRRI	dhan66	3.523763	3.523763	15.605064

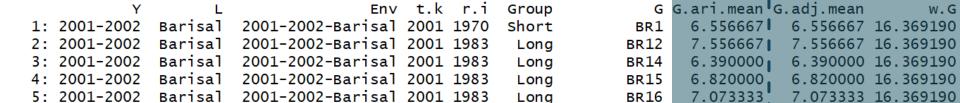
3.523763

3.523763 15.605064

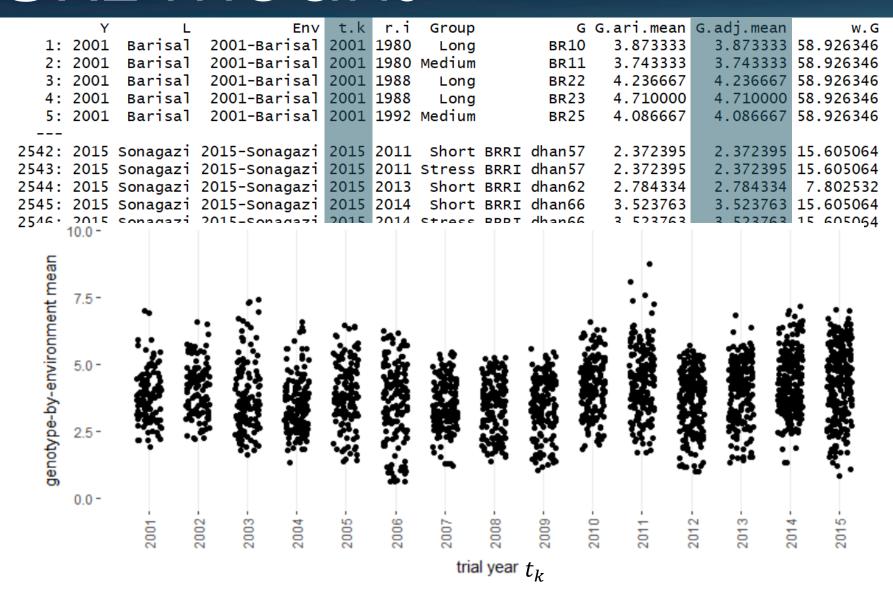
2546: 2015 Sonagazi 2015-Sonagazi 2015 2014 Stress BRRI dhan66

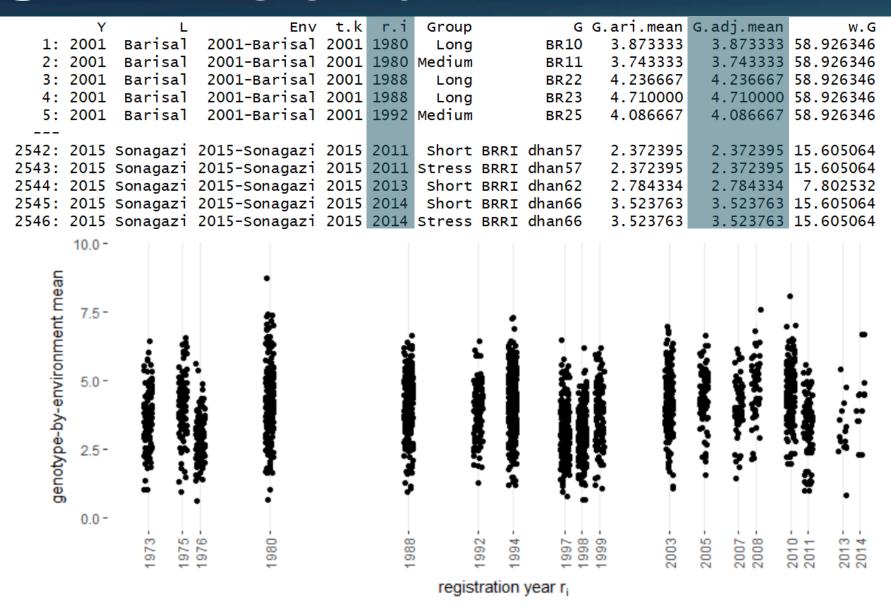
Aman

Boro

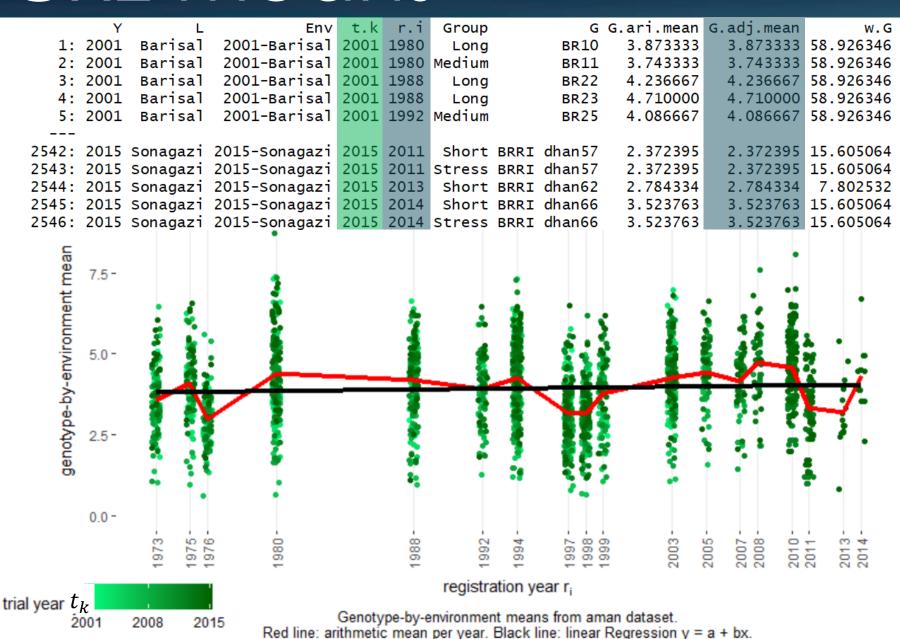


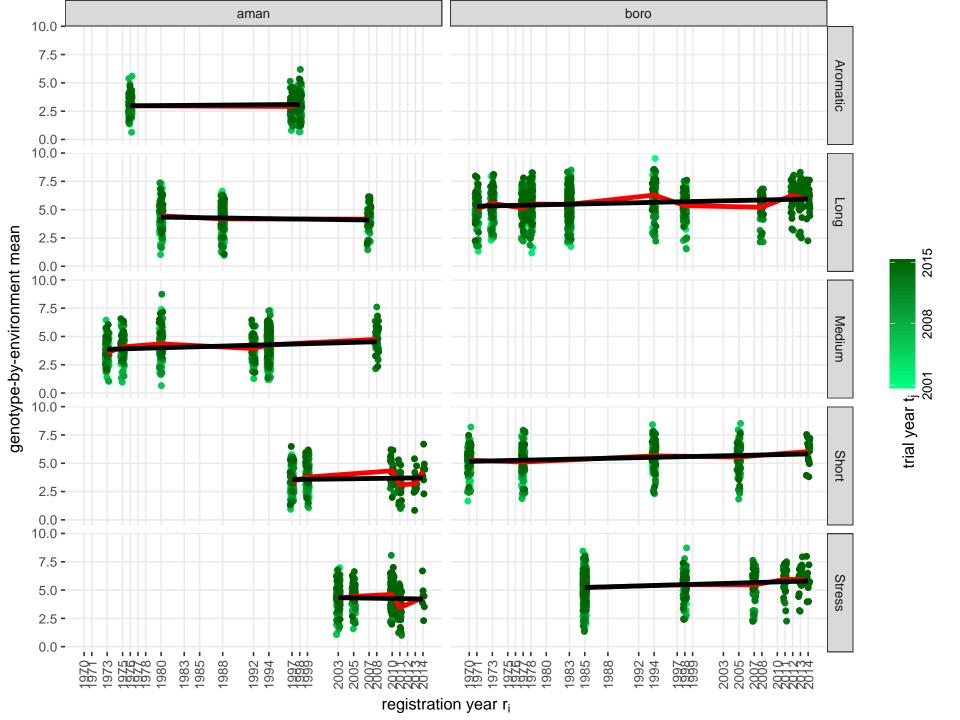
- 2909: 2015-2016 Sonagazi 2015-2016-Sonagazi 2015 2014 Short BRRI dhan63 3.930000 3.930000 4.818834 2910: 2015-2016 Sonagazi 2015-2016-Sonagazi 2015 2014 Long BRRI dhan64 6.000000 6.000000 4.818834
- 2911: 2015-2016 Sonagazi 2015-2016-Sonagazi 2015 2014 Stress BRRI dhan67 3.956667 3.956667 4.818834 2912: 2015-2016 Sonagazi 2015-2016-Sonagazi 2015 2014 Short BRRI dhan68 6.056667 6.056667 4.818834 2913: 2015-2016 Sonagazi 2015-2016-Sonagazi 2015 2014 Long BRRI dhan69 5.140000 5.140000 4.818834

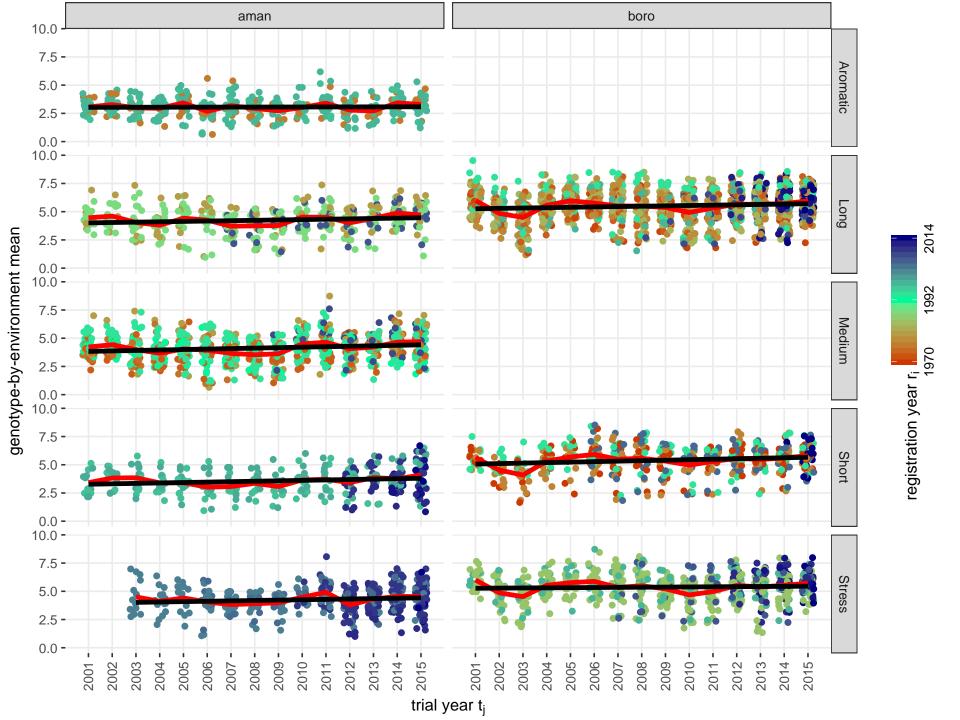




Genotype-by-environment means from aman dataset.







Genetic trend assessment

1. Incorporating regression terms in basic MET mixed model

Genetic trend assessment

Genetic trend: βr_i Agronomic trend: γt_k

Basic model for long-term MET data $y_{ijk} = \mu + G_i + L_j + Y_k + (LY)_{jk} + (GL)_{ij} + (GY)_{ik} + (GLY)_{ijk} \qquad (1)$ $y_{ijk} = \text{mean yield of the } i\text{-th genotype in the } j\text{-th location and } k\text{-th year}$ $\mu = \text{overall mean}$ $G_i = \text{main effect of the } i\text{-th genotype}$ $L_j = \text{main effect of the } j\text{-th location}$ $Y_k = \text{main effect of the } k\text{-th year}$ $(LY)_{jk} = jk\text{-th location} \times \text{year interaction}$ $(GL)_{ij} = ij\text{-th genotype} \times \text{location interaction}$ $(GY)_{ik} = ik\text{-th genotype} \times \text{year interaction}$ $(GLY)_{ijk} = \text{residual comprising both genotype} \times \text{location} \times \text{year interaction}$ as well as the error of a mean

2. Incorporating regression terms Genetic trend $G_i = \beta r_i + H_i \tag{2}$ $\beta = \text{fixed regression coefficient for genetic trend}$ $r_i = \text{year of first trial for } i\text{-th variety}$ $H_i \sim N\big(0, \sigma_H^2\big)$ Non-genetic trend $Y_k = \mathcal{N}_k + Z_k \tag{3}$ $\gamma = \text{fixed regression coefficient for agronomic trend}$ $t_k = \text{calendar year}$ $Z_k \sim N\big(0, \sigma_Z^2\big)$

Genetic trend assessment

Genetic trend per group: βr_{il} Agronomic trend: γt_k

```
lmer(formula = \frac{G.ari.mean}{(1|G) + (1|L) + (1|Y) + (1|Y:L) + (1|L:G) + (1|Y:G)}, data = \frac{G.ari.mean}{(1|G) + (1|L) + (1|Y) + (1|Y:L) + (1|L:G) + (1|Y:G)},
```

Basic model for long-term MET data $y_{ijk} = \mu + G_i + L_j + Y_k + (LY)_{jk} + (GL)_{ij} + (GY)_{ik} + (GLY)_{ijk} \qquad (1)$ $y_{ijk} = \text{mean yield of the } i\text{-th genotype in the } j\text{-th location and } k\text{-th year}$ $\mu = \text{overall mean}$ $G_i = \text{main effect of the } i\text{-th genotype}$ $L_j = \text{main effect of the } j\text{-th location}$ $Y_k = \text{main effect of the } k\text{-th year}$ $(LY)_{jk} = jk\text{-th location} \times \text{year interaction}$ $(GL)_{ij} = ij\text{-th genotype} \times \text{location interaction}$ $(GY)_{ik} = ik\text{-th genotype} \times \text{year interaction}$ $(GLY)_{ijk} = \text{residual comprising both genotype} \times \text{location} \times \text{year interaction}$ as well as the error of a mean

Summary: Genetic trend assessment

Option 1: Arithmetic means

Dataset	Group	Genetic Trend	Agronomic Trend		
aman	Aromatic	0.0054 (p=0.797)			
	Long	-0.0092 (p=0.641)	0.0195 (p=0.348)		
	Medium	0.0185 (p=0.153)			
	Short	0.0030 (p=0.898)			
	Stress	-0.0661 (p=0.067)			
boro	Long	0.0119 (p=0.012)			
	Short	0.0104 (p=0.151)	0.0189 (p=0.451)		
	Stress	0.0167 (p=0.055)			

Summary: Genetic trend assessment

Option 2: Adjusted means with weights

Dataset	Group	Genetic Trend	Agronomic Trend		
aman	Aromatic	0.0048 (p=0.753)			
	Long	-0.0010 (p=0.496)			
	Medium	0.0167 (p=0.092)	0.0195 (p=0.348)		
	Short	0.0013 (p=0.480)			
	Stress	-0.0513 (p=0.075)			
boro	Long	0.0158 (p=0.004)			
	Short	0.0122 (p=0.165)	0.0149 (p=0.543)		
	Stress	0.0197 (p=0.048)			