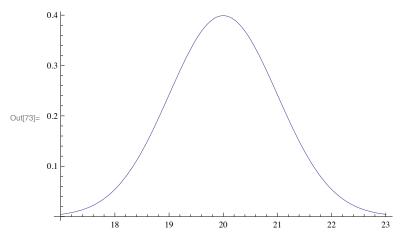
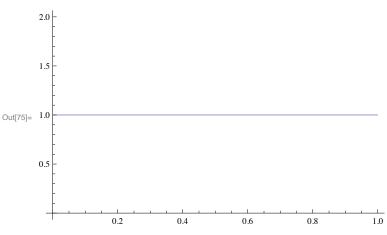
Node A: Normal(20, 1)

 $\label{eq:local_potential} $$ \ln[73] := $$ Plot[PDF[NormalDistribution[20, 1], x], \{x, 17, 23\}]$$$



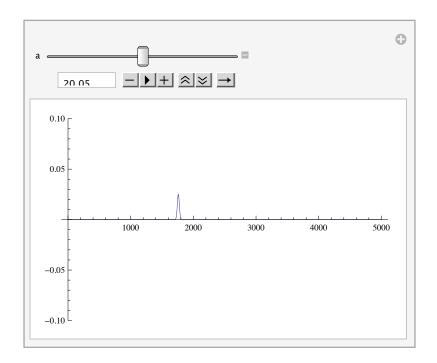
Node E: Beta(1, 1)

 $\label{eq:local_pdf} $$ \ln[75] = $$ Plot[PDF[BetaDistribution[1, 1], x], \{x, 0, 1\}, PlotRange \rightarrow All] $$ $$$



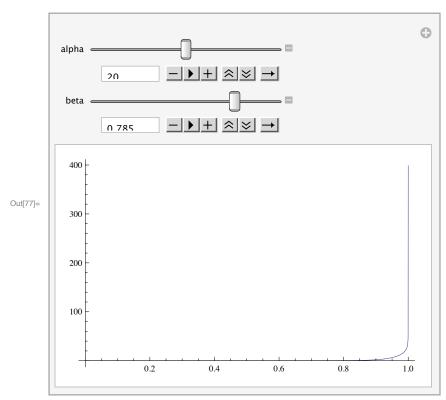
Node B: Gamma(A^Pi, 1/7)

 $\label{eq:local_local_local} $$ \ln[76]:=$ $$ Manipulate[Plot[PDF[GammaDistribution[a^Pi, 1/7], x], $$ $\{x, 0, 5000\}, PlotRange $\to 0.1], \{a, 16, 24\}]$$



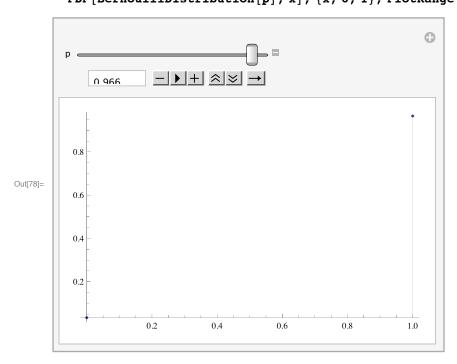
Node D: Beta(A, E)

 $\{x, 0.0001, 1\}, PlotRange \rightarrow All], \{alpha, 16, 24\}, \{beta, 0.0001, 1\}]$



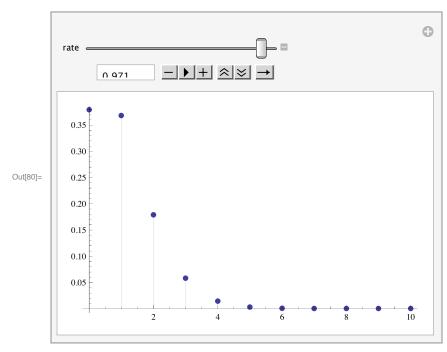
Node C: Bernoulli(D)

In[78]:= Manipulate[DiscretePlot[$\label{eq:pdf} \texttt{PDF} \left[\texttt{BernoulliDistribution} \left[p \right], \; x \right], \; \left\{ x, \; 0, \; 1 \right\}, \; \texttt{PlotRange} \rightarrow \texttt{All} \left[\; , \; \left\{ p, \; 0, \; 1 \right\} \; \right]$



Node F: Poisson(D)

 $\{x, 0, 10\}$, PlotRange \rightarrow All, PlotMarkers \rightarrow Automatic], $\{rate, 0.001, 1\}$]



Node G: Normal(E, F)

