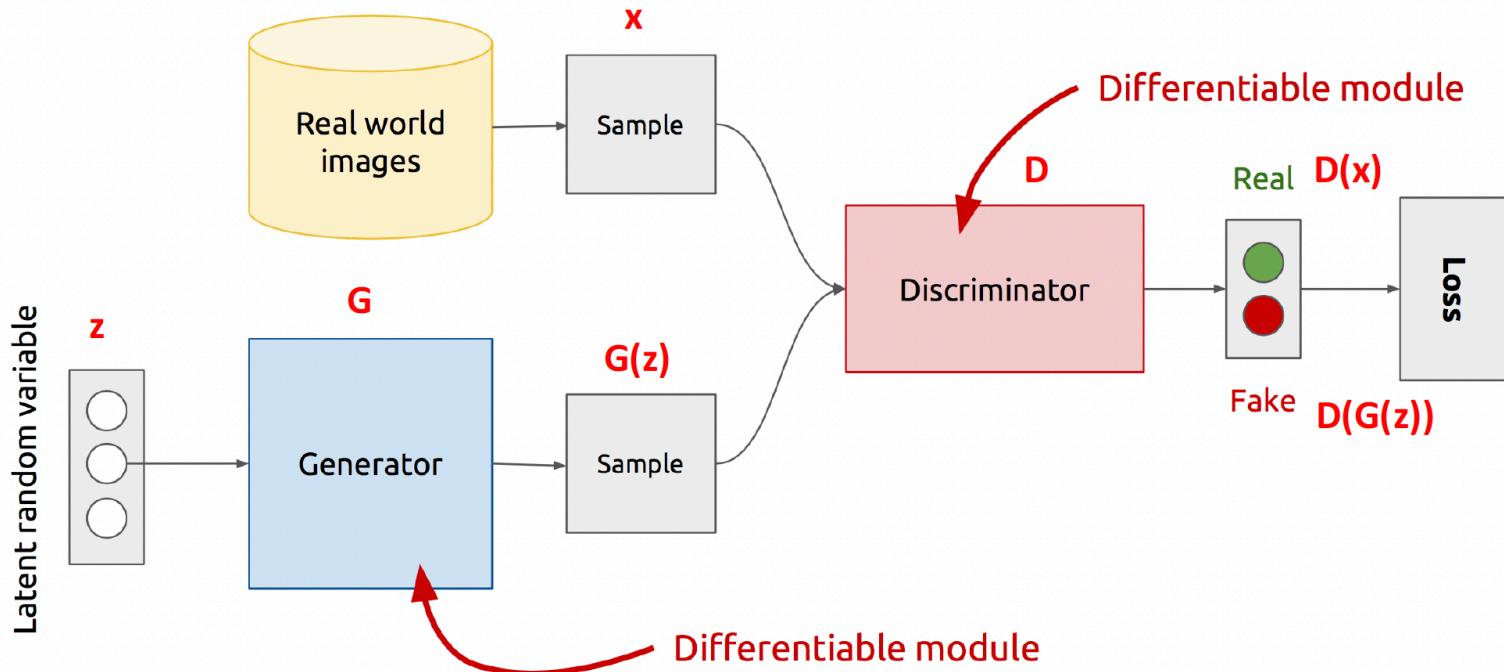


# Generative-Adversarial Networks (GANs)

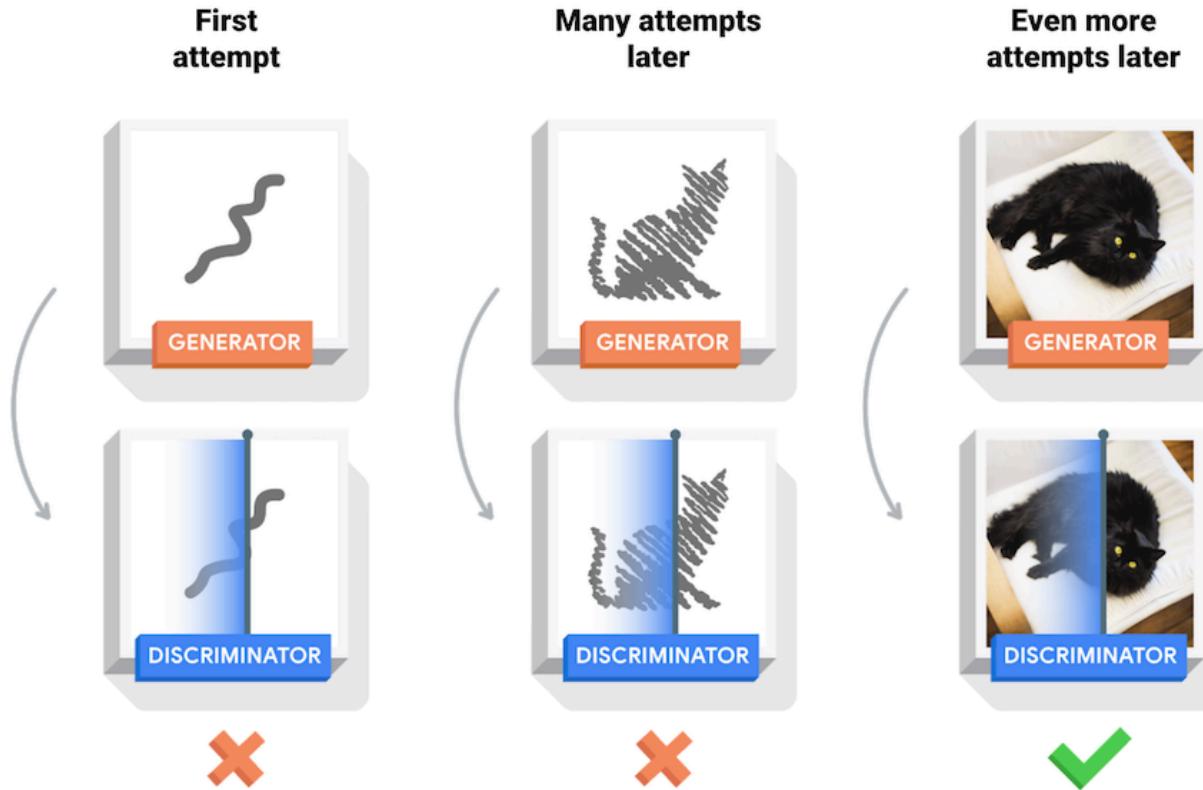
- **Generative**
  - Learn a generative model
- **Adversarial**
  - Trained in an adversarial setting
- **Networks**
  - Use Deep Neural Networks

# Architecture

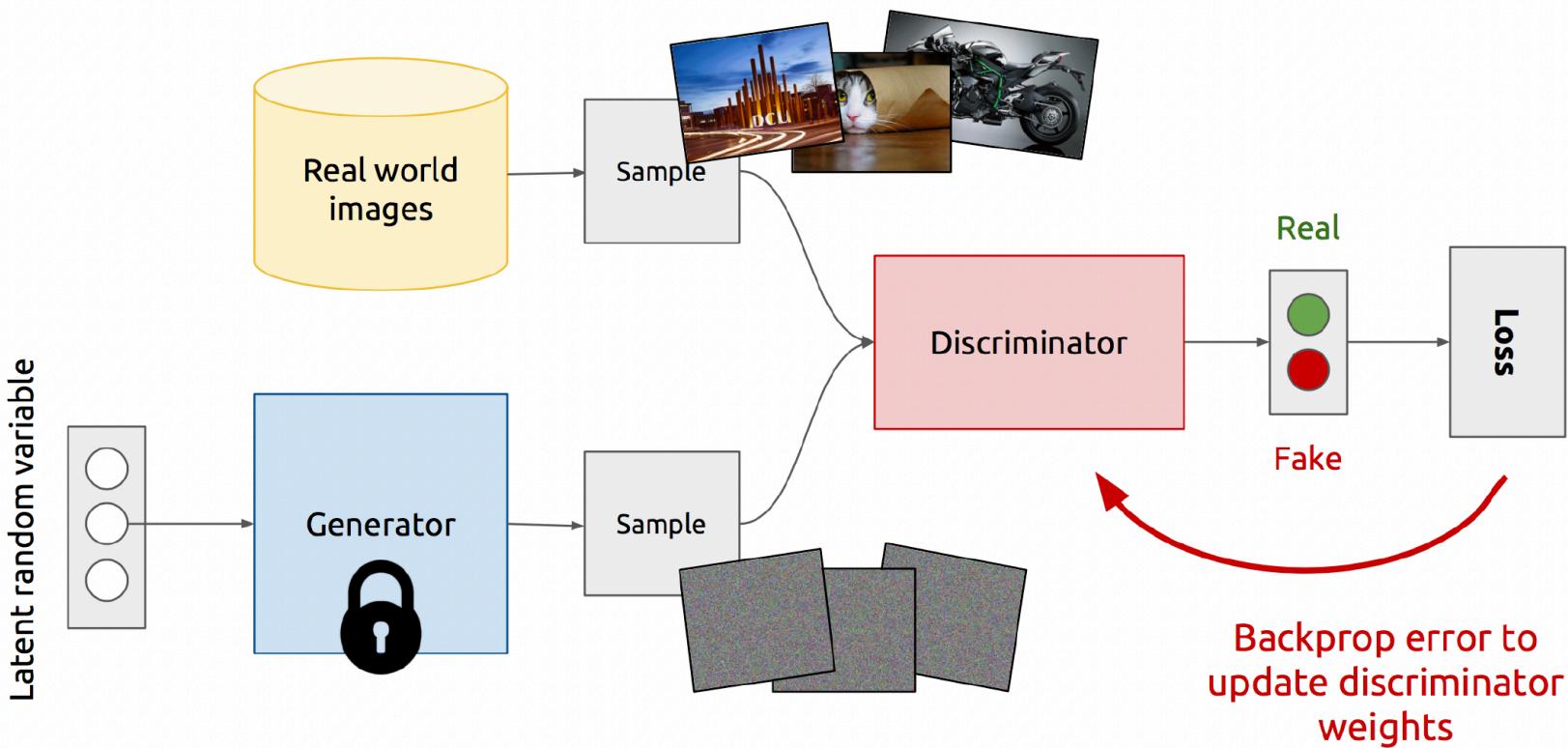


- $Z$  is some random noise (Gaussian/Uniform).
- $Z$  can be thought as the latent representation of the image.

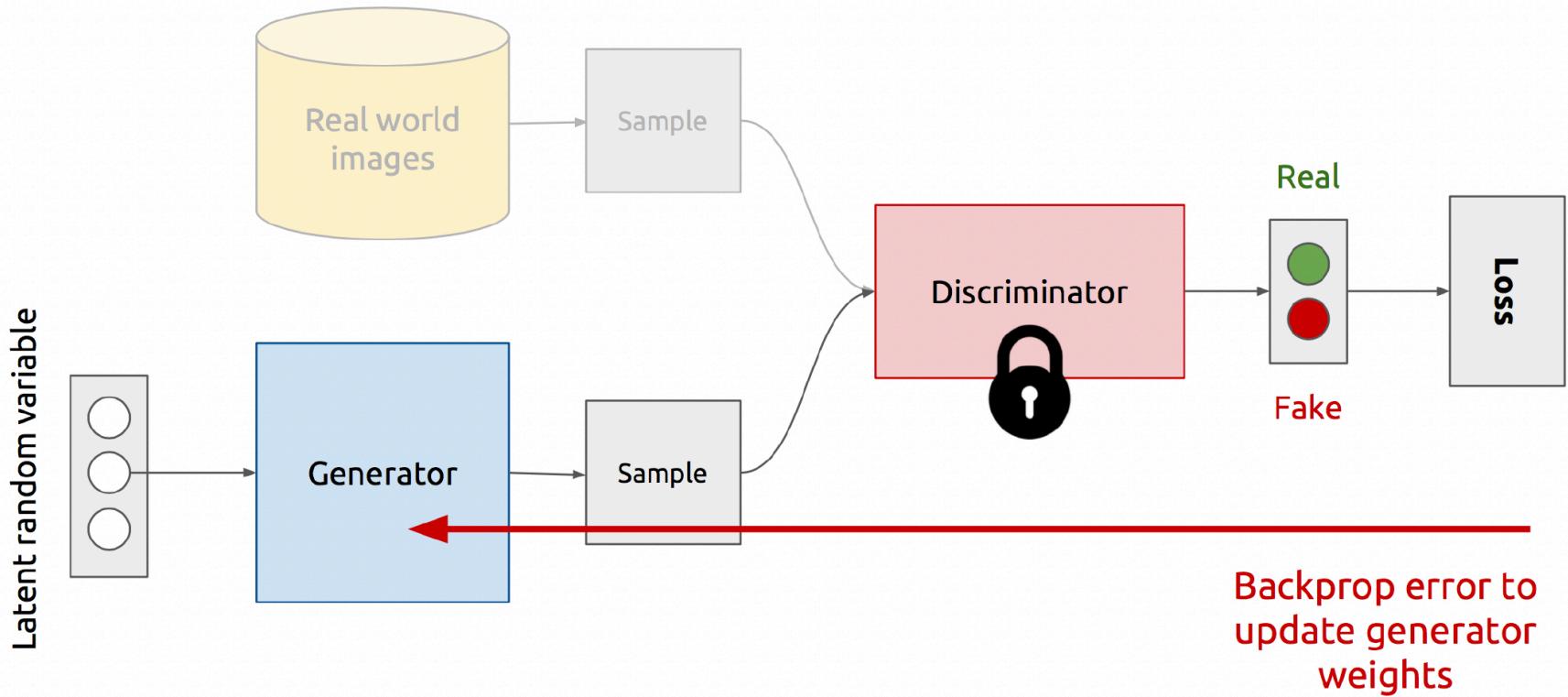
# Basic principle



# Training Discriminator



# Training Generator



Example (simple GAN)

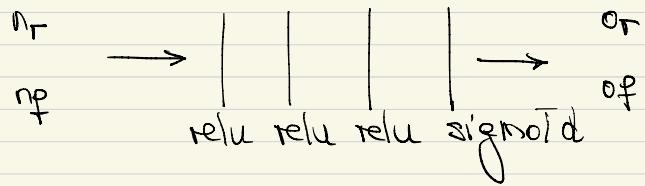
'Real' data from normal distribution  $\mu = 5, \sigma^2 = 1$

Generator: 1-layer NN

Input: random number  $U[-8, 8]$

weights:  $\underline{w}_G$

Discriminator, 4-layer NN

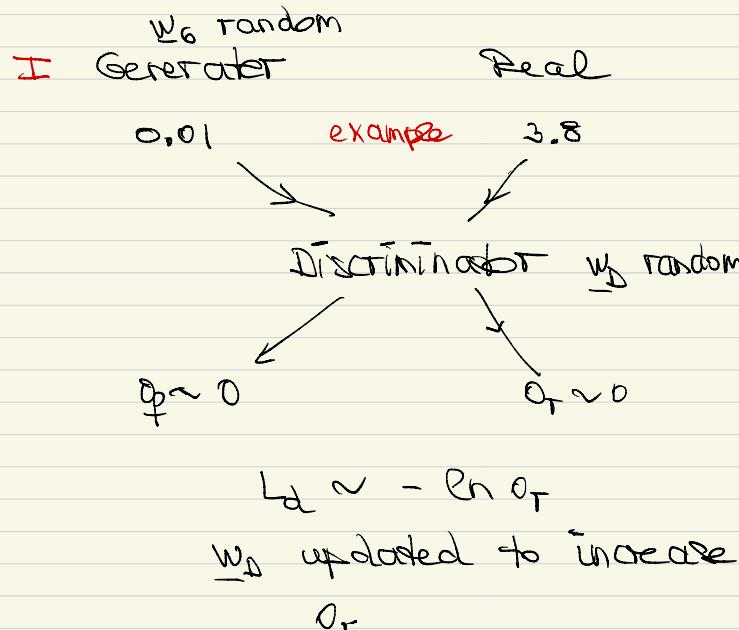


Loss function:

$$L_D = \frac{1}{2} (-\ln o_f - \ln(1-o_f))$$

weights:  $\underline{w}_D$

## Possible iteration



## **II** Generator loss function

$$L_G = -\ln 0_f$$

adjust  $\underline{w}_G$  to get larger  $0_f$

# Formulation

$$\min_G \max_D V(D, G)$$

- It is formulated as a **minimax game**, where:
  - The Discriminator is trying to maximize its reward  $V(D, G)$
  - The Generator is trying to minimize Discriminator's reward (or maximize its loss)

$$V(D, G) = \boxed{\mathbb{E}_{x \sim p(x)} [\log D(x)]} + \boxed{\mathbb{E}_{z \sim q(z)} [\log(1 - D(G(z)))]}$$

# Algorithm

Discriminator  
updates

```
for number of training iterations do
    for  $k$  steps do
        • Sample minibatch of  $m$  noise samples  $\{\mathbf{z}^{(1)}, \dots, \mathbf{z}^{(m)}\}$  from noise prior  $p_g(\mathbf{z})$ .
        • Sample minibatch of  $m$  examples  $\{\mathbf{x}^{(1)}, \dots, \mathbf{x}^{(m)}\}$  from data generating distribution  $p_{\text{data}}(\mathbf{x})$ .
        • Update the discriminator by ascending its stochastic gradient:
```

$$\nabla_{\theta_d} \frac{1}{m} \sum_{i=1}^m \left[ \log D(\mathbf{x}^{(i)}) + \log (1 - D(G(\mathbf{z}^{(i)}))) \right].$$

end for

```
• Sample minibatch of  $m$  noise samples  $\{\mathbf{z}^{(1)}, \dots, \mathbf{z}^{(m)}\}$  from noise prior  $p_g(\mathbf{z})$ .
  • Update the generator by descending its stochastic gradient:
```

$$\nabla_{\theta_g} \frac{1}{m} \sum_{i=1}^m \log (1 - D(G(\mathbf{z}^{(i)}))).$$

end for

Generator  
updates

# Example

Features

Show advanced options

Control which features?

Young      Smiling

Male      Brown\_Hair

Young: 45

Smiling: 65

Male: 60

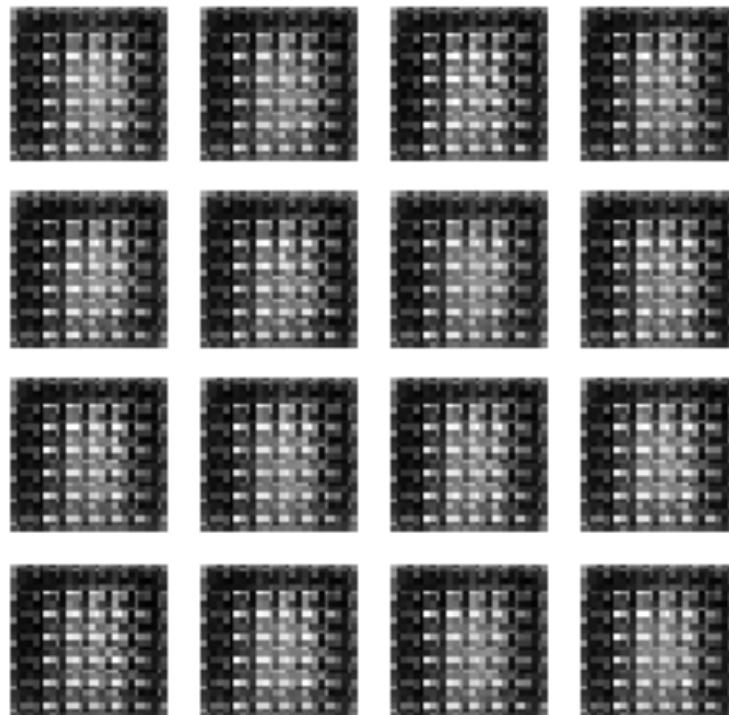
Brown\_Hair: 50



## Streamlit Face-GAN Demo



# Example: MNIST



## Exercise B7



[LINK](#)