

Compiler (Optimization)

زینب زالی
دانشگاه صنعتی اصفهان

References: Dragon book, Alex Aiken
compiler course

Optimization phase

Lexical analyzer
Syntax analyzer
Semantic analyzer
Intermediate code generation
Optimization
Code generation

- Most complexity of modern compilers is in optimization (usually the largest phase)
- Optimization on intermediate language:
 - Machine independent
 - Exposes optimization opportunities

Optimization goals

- Improve a program's resource utilization
 - Execution time (most often)
 - Code size
 - Network messages sent
 - Memory, disk, power, etc
- Optimization should not alter what the program computes

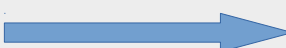
Block

- Basic block: Maximal sequence of instructions with
 - No labels: except at the first instruction
 - No jumps: except in the last instruction
- So:
 - Basic block is a single-entry, single-exit, straight-line code segment
 - Can not jump out of a basic block except at end
 - Can not jump into a basic block except at beginning

Block Example

1. L:

2. $t = 2 * x$

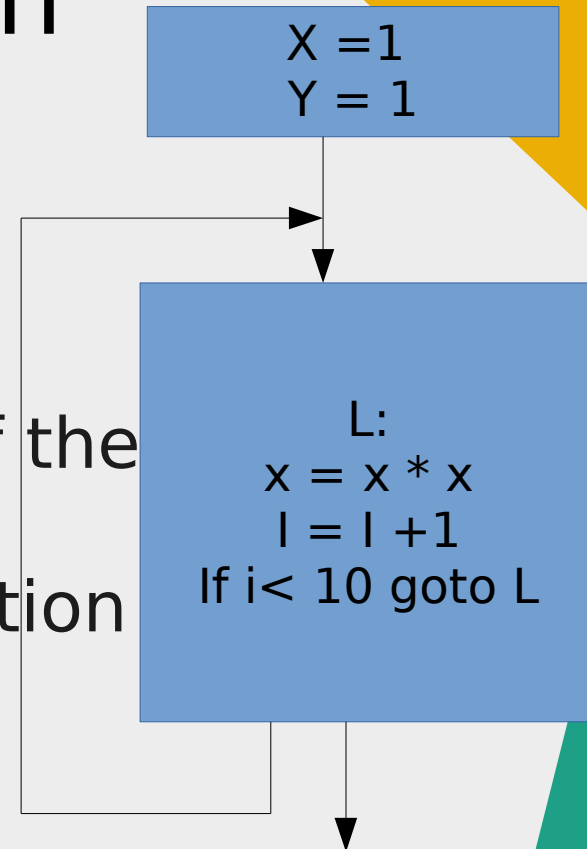
3. $w = t + x$  $W = 3 * x$

4. if $w > 0$ goto L'

Can we eliminate 2?

Control Flow Graph

- A directed graph with:
 - Basic blocks as nodes
 - An edge from block **A** to block **B** if the execution can pass from the last instruction in **A** to the first instruction in **B**
- The body of a method can be represented as a control-flow graph
- There is one initial node
- All return nodes are terminals



Optimization scope

- Local Optimization (most compilers do)
 - Apply to a basic block in isolation
- Global Optimization (many do)
 - Apply to a control flow graph in isolation (method body)
- Inter-procedural optimization (few do)
 - Apply across method boundaries

Optimization challenges

- In practice often a conscious decision is made not to implement the fanciest optimization known.
- Why?
 - Some are hard to implement
 - Some are costly in compilation time
 - Some have low payoff
 - Many fancy optimizations are all three
- Maximum benefit for minimum cost

Algebraic simplification

- Some statements can be deleted
 - $x = x + 0$
 - $x = x * 1$
- Some statements can be simplified
 - $x = x * 0 \rightarrow x = 0$
 - $y = y ^ 2 \rightarrow y = y * y$
 - $x = x * 8 \rightarrow x << 3$
 - $x = x * 15 \rightarrow t = x << 4; x = t - x$
(if $<<$ is faster than $*$ in the target machine)

Constant folding

- Operations on constants can be computed at compile time
 - $X = 2 + 3 \rightarrow x = 5$
 - If $2 < 0$ jump L \rightarrow can be deleted
- Dangerous constant folding
 - In Cross compilers:
 - Ex: $3.8 + 4.5 = 8.3$ or 8.29999

Unreachable basic blocks

- Code that is unreachable from the initial block
 - Eg: basic blocks that are not target of any jump or fall through from a conditional
- Eliminating these blocks makes program smaller
 - And sometimes faster
 - Due to memory cache effects
 - Increase spatial locality

Unreachable basic blocks

- `#define debug 0`

`If (debug)`

`.....`

- Results of other optimizations

- Each register occurs only once in the left hand side of an assignment

– $x = z + y$

$b = z + y$

– $a = x \quad \rightarrow$

$a = b$

– $x = 2 * x$

$x = 2 * b$

Common sub expression elimination

- If

- basic block is in single assignment form
- a definition $x =$ is the first use of x in a block

- Then

- when two assignments have the same rhs they compute the same value

- $X = y + z$

$$x = y + z$$

-

$$\rightarrow$$

- $W = y + z$

$$w = x$$

Copy propagation

- If $w = x$ appears in a block replace subsequent uses of w with uses of x
 - $x = z + y$ $b = z + y$
 - $a = x$ \rightarrow ~~$a = b$~~
 - $x = 2 * x$ $x = 2 * b$
- It is useful for enabling other optimizations
 - Constant folding
 - Dead code elimination

Example

- $a = 5$
- $x = 2 * a$
- $y = x + 6$
- $t = x * y$

→

```
a = 5  
x = 10  
y = 16  
t = x << 4
```


Dead code elimination

- **If**
 - $w = \text{rhs}$ appears in a basic block and w does not appear anywhere else in the program
- **Then**
 - statement $w = \text{rhs}$ is dead and can be eliminated
- **Dead** = does not contribute to the program's result
 - $x = z + y$ $b = z + y$
 - $a = x$ \rightarrow ~~$a = b$~~
 - $x = 2 * x$ $x = 2 * b$

Consecutive optimization

- Each local optimization does little by itself
 - But performing one optimization enables another
- Optimizing compilers repeat optimizations until no improvement is possible
 - Or stopped at any point to limit compilation time.

Example

- Initial code:
 - $a = x^2 \rightarrow x * x$
 - $b = 3$
 - $c = x$
 - $d = c * c$
 - $e = b * 2$
 - $f = a + d$
 - $g = e * f$

Example

- Initial code:

- $a = x^2 \rightarrow x * x$

- ~~$b = 3$~~

- ~~$c = x$~~

- ~~$d = c * c \rightarrow x * x \rightarrow a$~~

- ~~$e = b * 2 \rightarrow b \ll 1 \rightarrow 3 \ll 1 \rightarrow 6$~~

- $f = a + d \quad \rightarrow f = a + a \rightarrow 2 * a$

- $g = e * f \quad \rightarrow g = 6 * f \rightarrow 12 * a$

Peephole optimization

- Optimization applied directly to assembly code
- a sliding window of target instructions (called the peephole) and replacing instruction sequences within the peephole by a shorter or faster sequence, whenever possible.

Peephole optimization

- Ex1

- Move \$a, \$b
- Move \$\$b, \$a
- If the second line is not the target of a jump



Move \$a, \$b

- Ex2

- Add \$a, \$a i
- Add \$a, \$a j



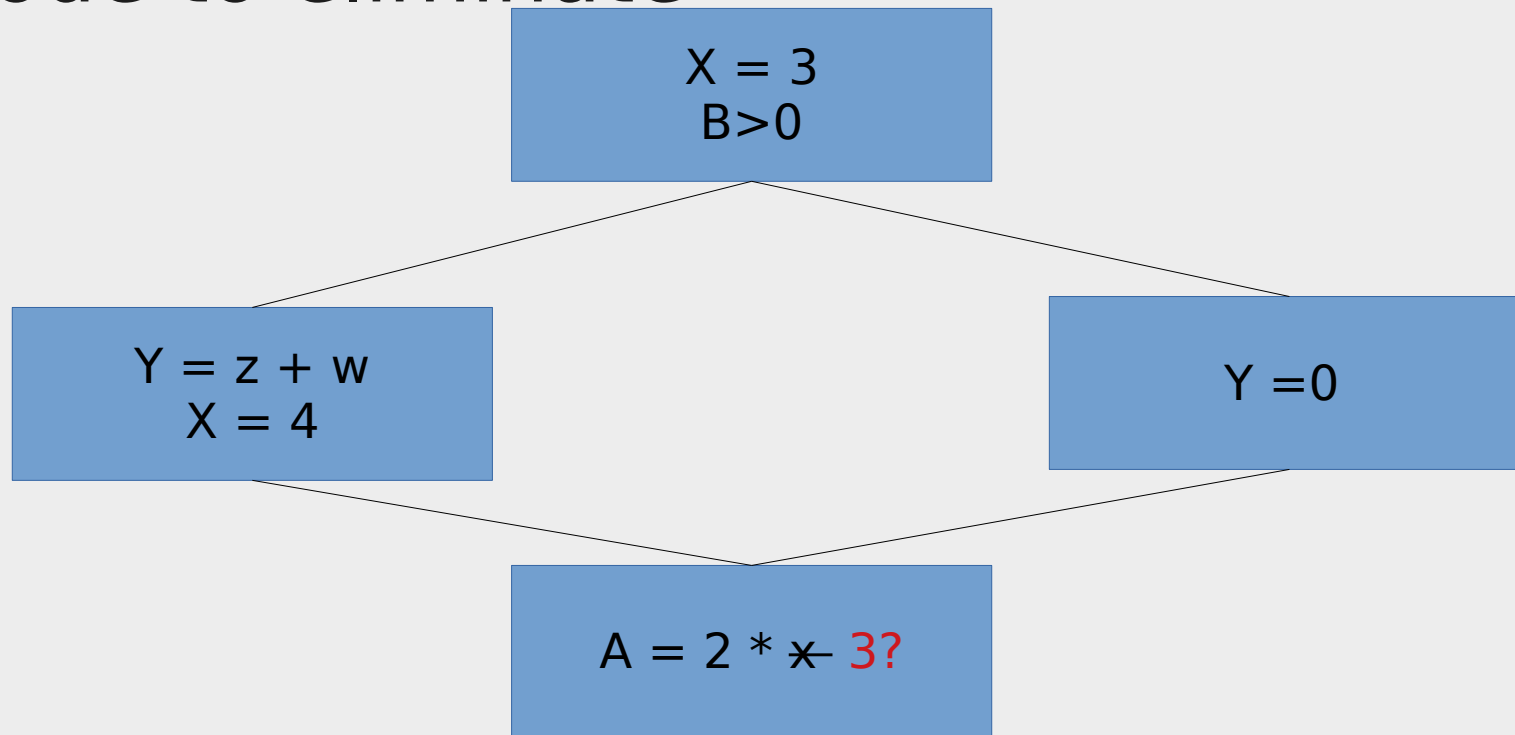
Add \$a, \$a i+j

- Ex3

- Addiu \$a, \$b 0 → move \$a, \$b
- Addiu \$a \$a 0 → eliminated
- Move \$a \$a → eliminated

Dataflow analysis

- How do we know is it OK to globally propagate constants? Or detect dead code to eliminate



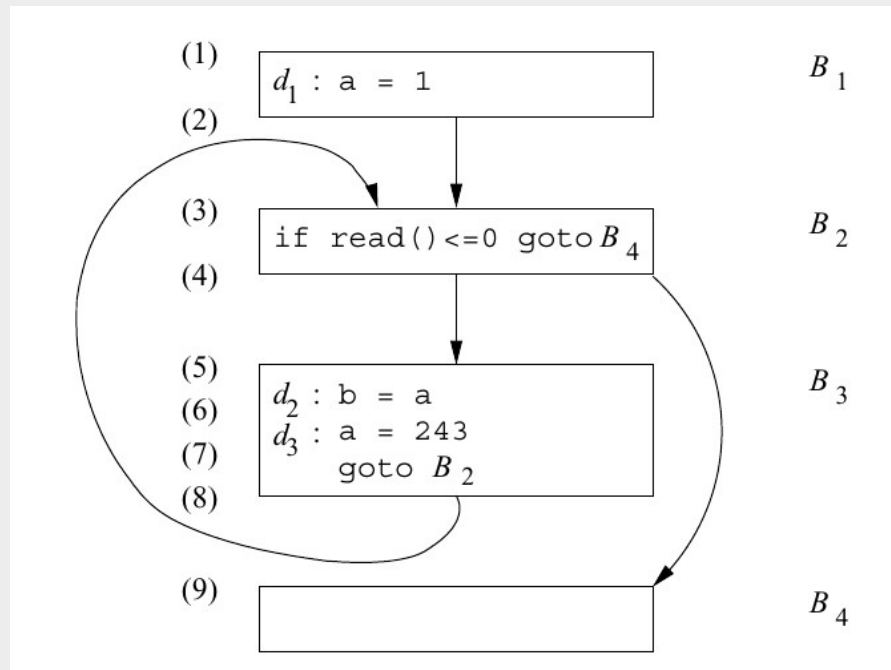
Dataflow analysis

- Checking the condition requires global dataflow analysis
 - An analysis of entire control-flow graph

Dataflow analysis

- In general, it is not possible to keep track of all the program states for all possible paths.
- In data-flow analysis, we do not distinguish among the paths taken to reach a program point.
- Moreover, we do not keep track of entire states;
- rather, we abstract out certain details, keeping only the data we need for the purpose of the analysis.

Data-flow analysis

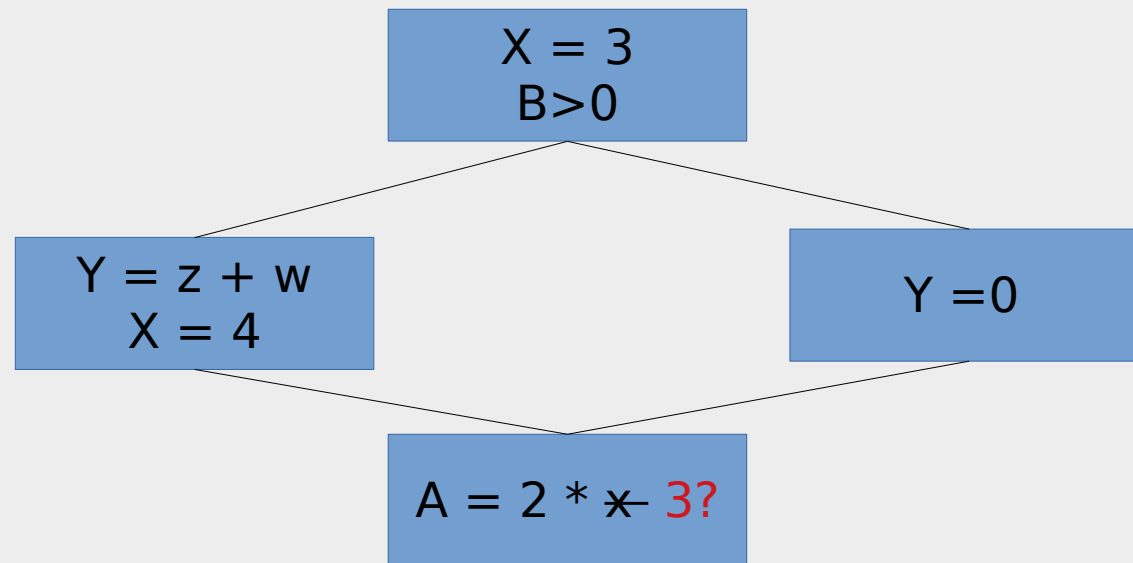


Constant propagation

- To replace a use of x by a constant k we must know:
 - On every path to the use of x , the last assignment to x is $x = k$

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Global optimization

- The optimization depends on knowing a property X at a particular point in program execution
- Proving x at any point requires knowledge of the entire program
- Global dataflow analysis is a standard technique for solving problems with these characteristics
- Global constant propagation is one example of an optimization that requires global dataflow analysis

Constant propagation

- The analysis of a complicated program can be expressed as a combination of simple rules relating the change in information between adjacent statements

Constant propagation

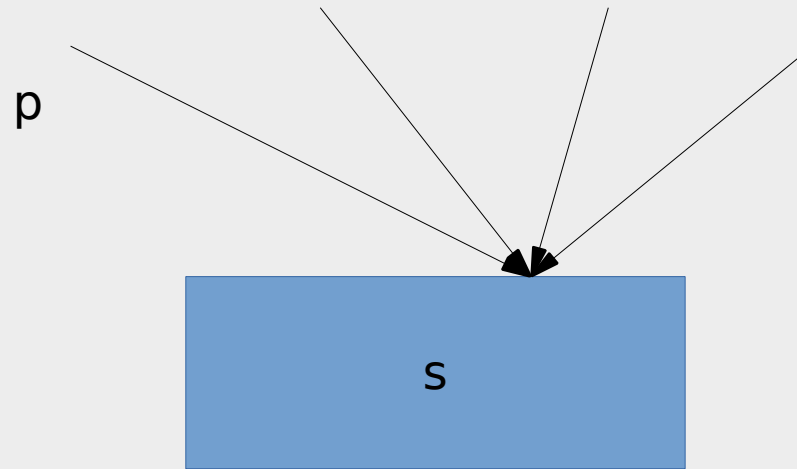
- To make the program precise, we associate one of the following values with x at every program point

Value	interpretation
\perp	This statement never executes
C	$x = \text{constant } c$
T	x is not a constant

Constant propagation

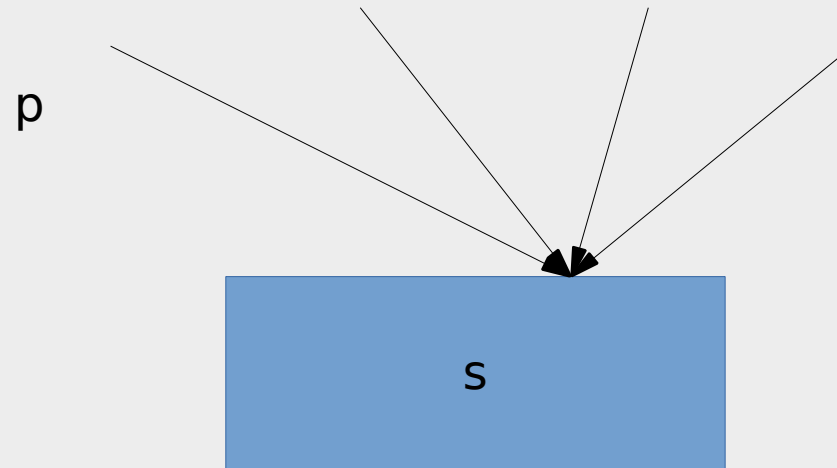
- For each statement s , we compute information about the value of x immediately before and after s
 - $C(x, s, \text{in})$ = value of x before s
 - $C(x, s, \text{out})$ = value of x after s
- In the following rules, let statement s have immediate predecessor statements p_1, \dots, p_n

Rule 1



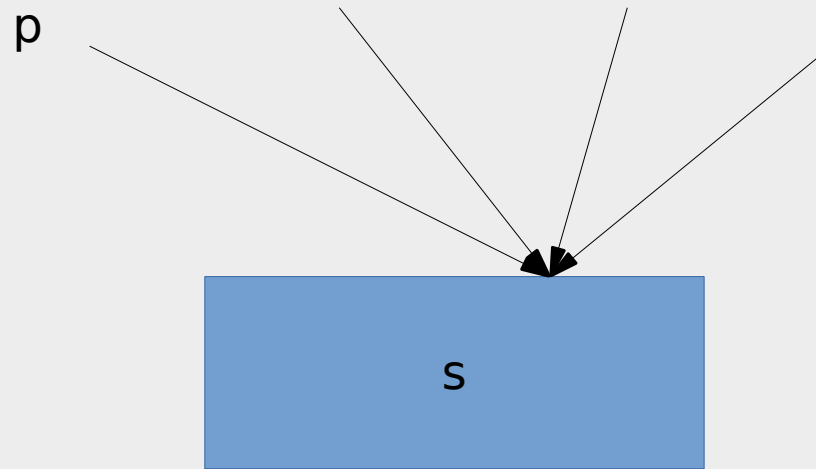
If $C(P_i, x, \text{out}) = T$, for any i , then $C(s, x, \text{in}) = T$

Rule 2



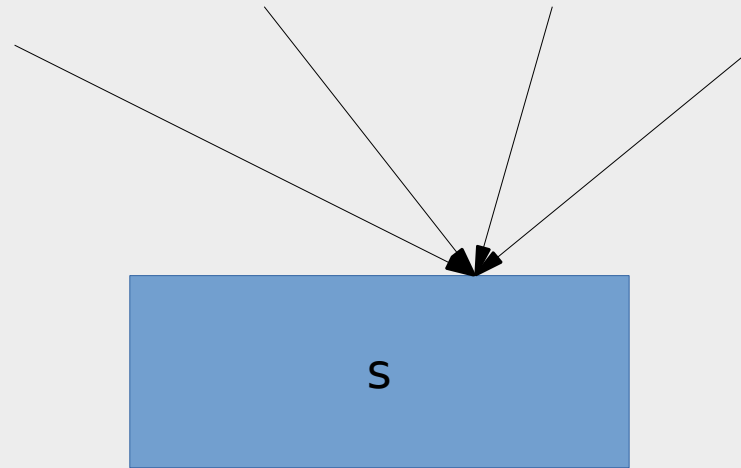
If $C(P_i, x, \text{out}) = c$ & $c(P_j, x, \text{out}) = d$ & $d \neq c$
then $C(s, x, \text{in}) = T$

Rule 3



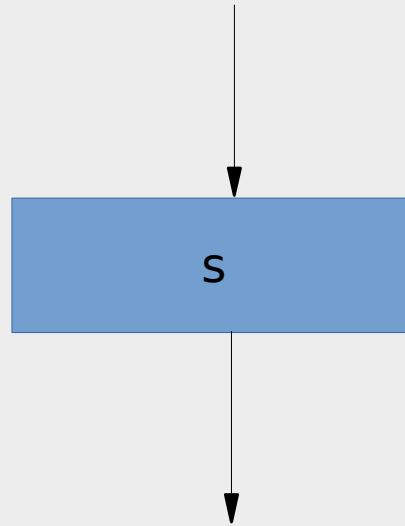
- If $C(P_i, x, \text{out}) = c$ or \perp for all i , then $C(s, x, \text{in}) = c$

Rule 4



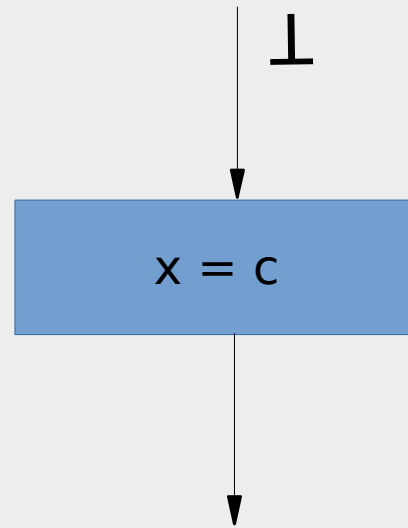
If $C(P_i, x, \text{out}) = \perp$ for all i , then $C(s, x, \text{in}) = \perp$

Rule 5



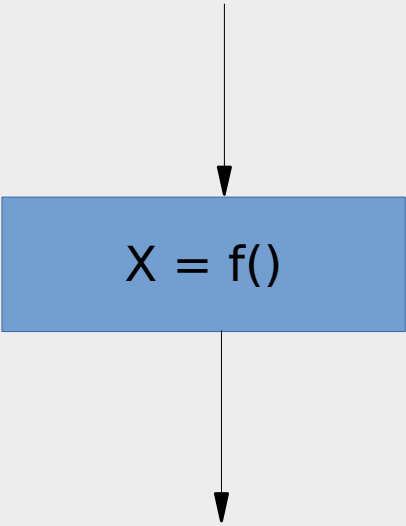
$$C(s, x, \text{out}) = \perp, \text{ if } C(s, x, \text{in}) = \perp$$

Rule 6



$C(x = c, x, \text{out}) = c$ if c is a constant

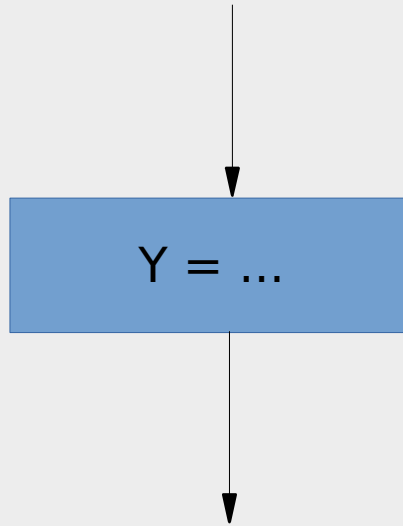
Rule 7



$X = f()$

$C(x = f(\dots), x, \text{out}) = T$

Rule 8

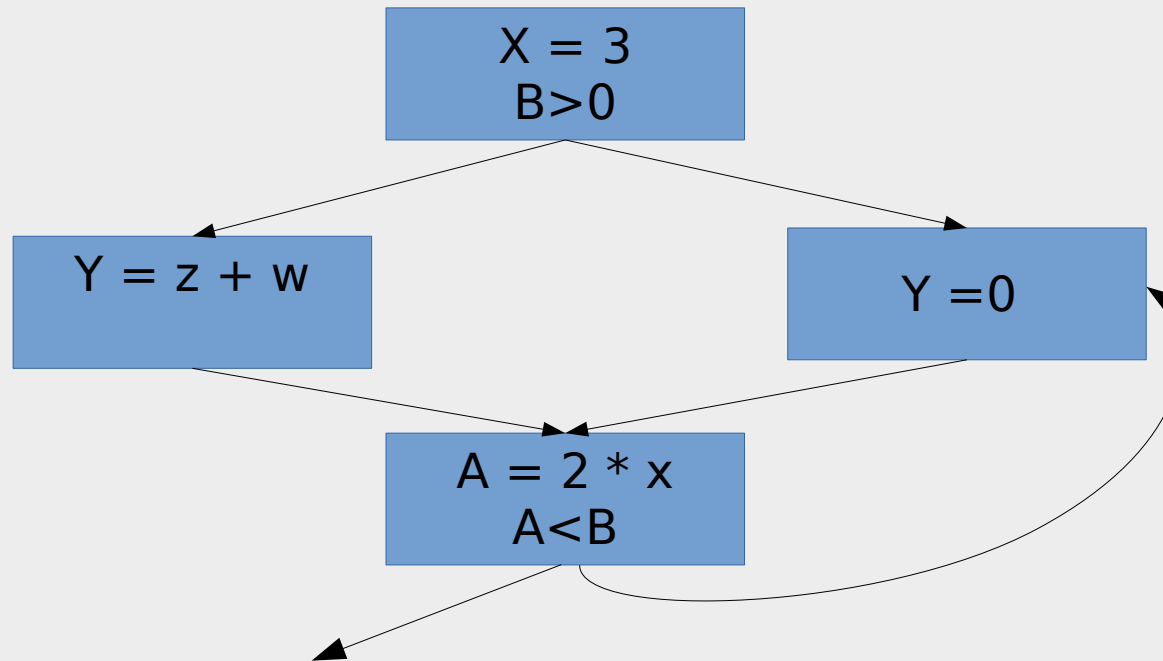


$$C(y = \dots, x, \text{out}) = C(y = \dots, x, \text{in}) \text{ if } x \neq y$$

Rule 8

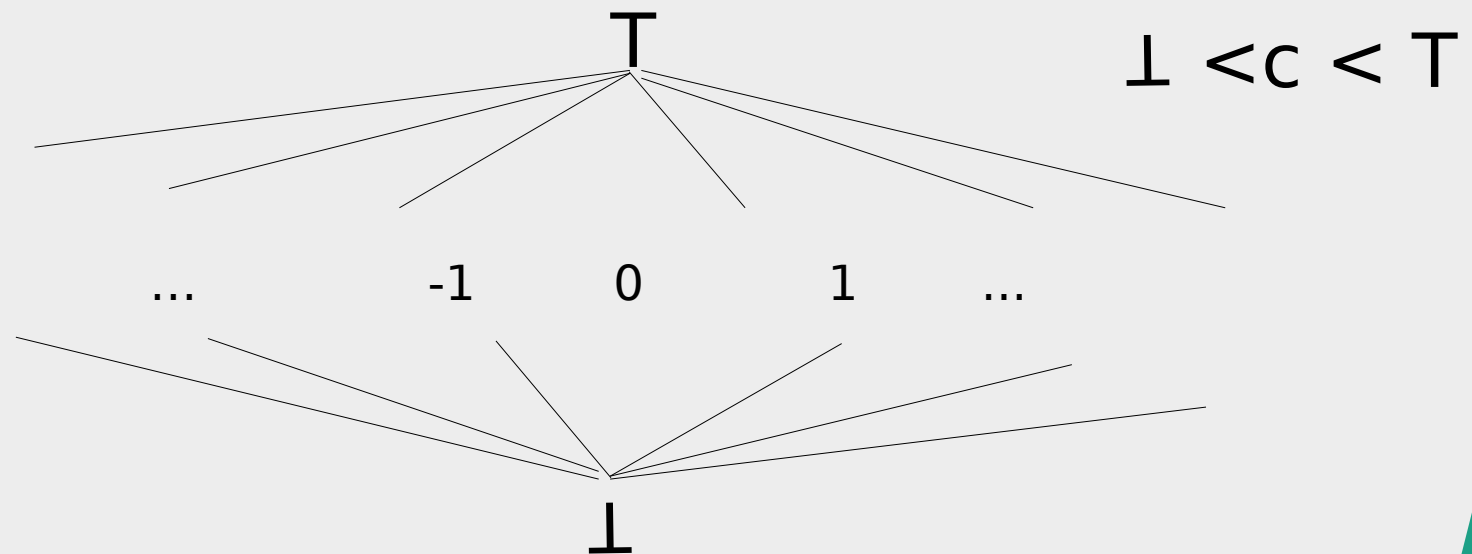
- For every entry s to the program, set $c(s, x, \text{in}) = T$
- Set $C(s, x, \text{in}) = C(s, x, \text{out}) = \perp$ everywhere else
- Repeat until all points satisfy 1-8:
 - Pick s not satisfying 1-8 and update using the appropriate rule

Why we need \perp ?



ordering

- T is the greatest value, \perp is the least
 - All constants are in between and incomparable
- Let lub be the least-upper bound in this ordering
- Rules 1-4 can be written using lub:
 - $C(s,x,in) = \text{lub}\{C(p,x,out) \mid p \text{ is a predecessor of } s\}$

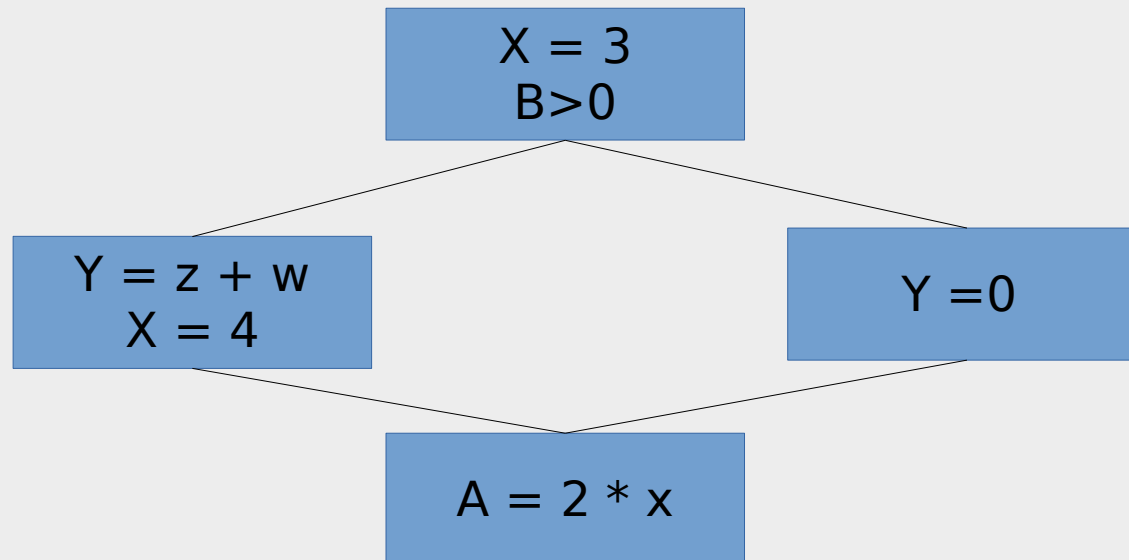


ordering

- Simply saying “repeat until nothing changes” doesn’t guarantee that eventually nothing changes
- The use of lub explains why the algorithm terminates
 - Values start as \perp and only increase
 - \perp Can change to a constant, and a constant to T
 - Thus, $C(s, x, _)$ can change at most twice
- Thus the constant propagation algorithm is linear in program size

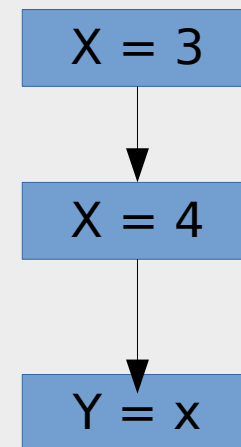
Dead code elimination

- Once constants have been globally propagated, we would like to eliminate dead code



Dead code elimination

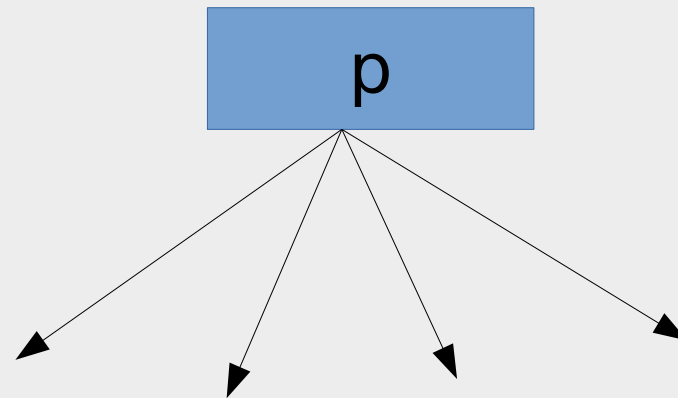
- The first value of x is **dead** (never used)
- The second value of x is **live** (may be used)
- Liveness is an important concept
- A variable x is live at statement s if
 - There exists a statement s' that uses x
 - There is a path from s to s'
 - That path has no intervening assignment to x



Dead code elimination

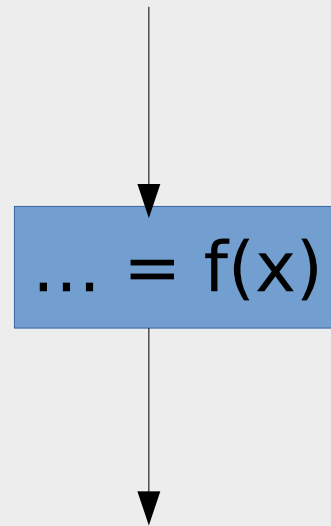
- We can express liveness in terms of information transferred between adjacent statements, just as in copy propagation
- Liveness is simpler than constant propagation it is a boolean property

Rule 1



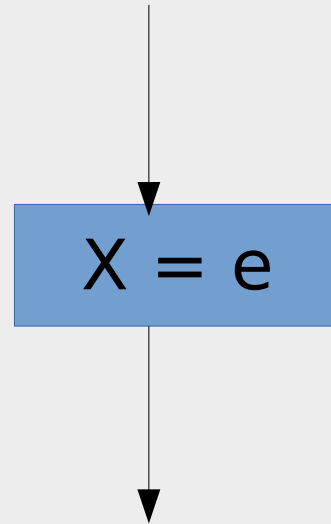
$$L(p, x, \text{out}) = \bigvee \{ L(s, x, \text{in}) \mid s \text{ a successor of } p \}$$

Rule 2



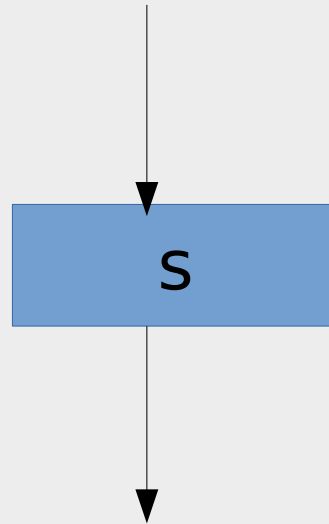
- $L(s, x, in) = \text{true}$ if s refers to x on the rhs

Rule 3



- $L(x = e, x, in) = \text{false}$ if e does not refer to x

Rule 4

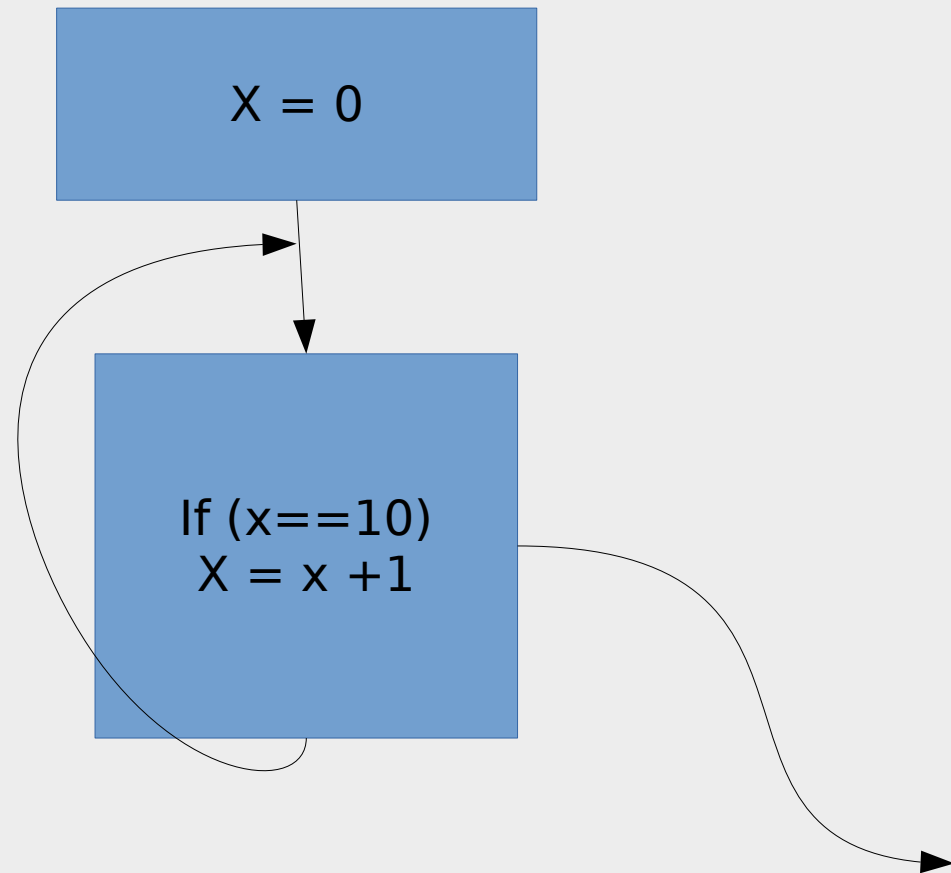


- $L(s, x, in) = L(s, x, out)$ if s does not refer to x

Dead code elimination

- Let all $L(\dots) = \text{false}$ initially
- Repeat until all statements s satisfy rules 1-4
 - Pick s where one of 1-4 does not hold and update using the appropriate rule

Dead code elimination



- A value can change from false to true, but not the other way around
- Each value can change only once, so termination is guaranteed
- Once the analysis is computed, it is simple to eliminate dead code