

# Introduction to Software Testing Chapter 6

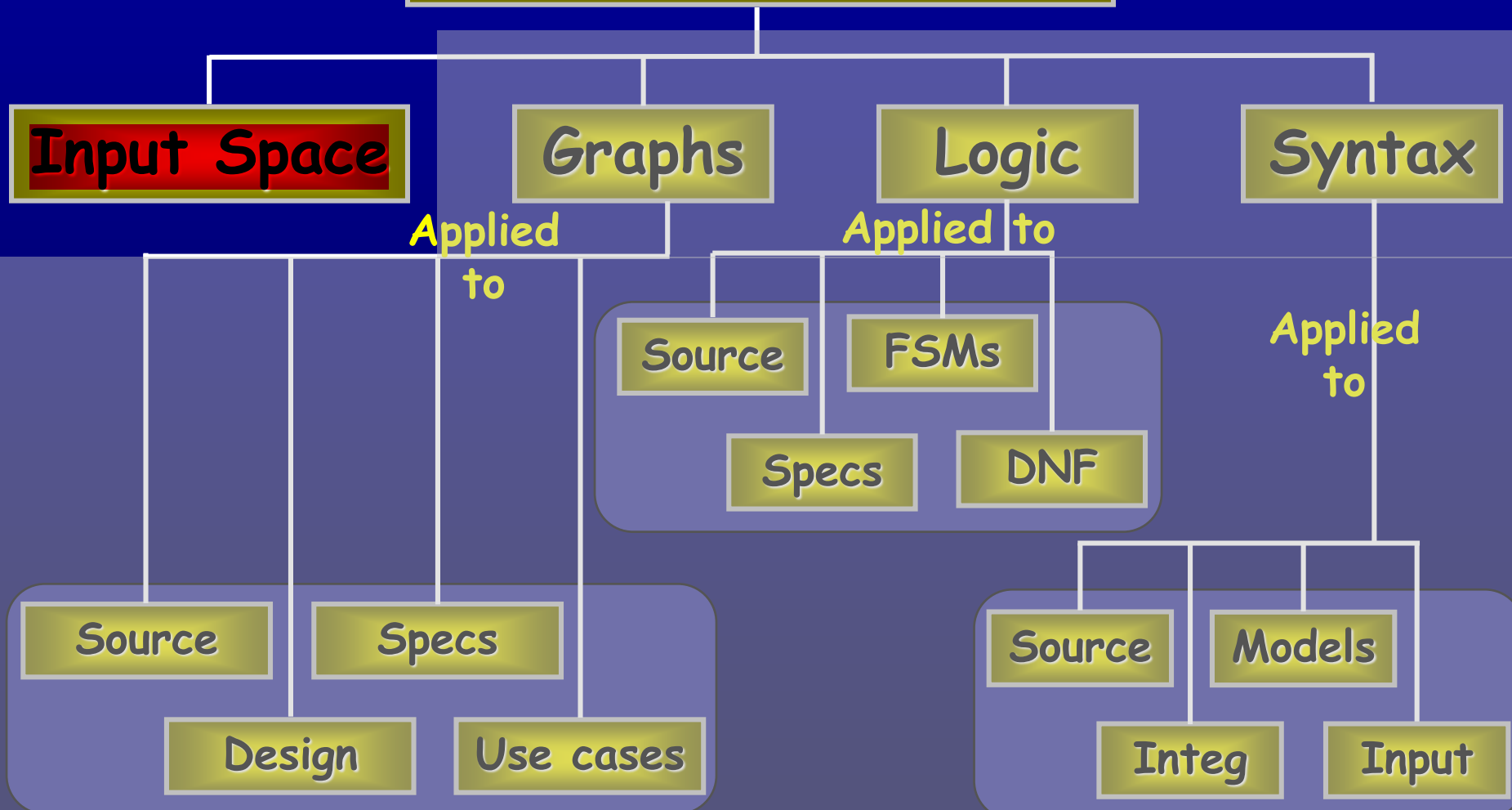
## Input Space Partition Testing

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# Ch. 6 : Input Space Coverage

## Four Structures for Modeling Software



# Modeling the Input Domain

- **Step 1** : Identify **testable functions**
- **Step 2** : Find all the **parameters** that can **affect the behavior** of a given testable function.
- **Step 3** : **Model the input domain**
  - The **domain is scoped** by the **parameters**
  - The structure is defined **in terms of characteristics**
  - Each characteristic is **partitioned into sets of blocks**
  - **Each block** represents **a set of values**
  - This is the **most creative design step in using ISP**

# Modeling the Input Domain (*cont*)

- **Step 4** : Apply a **test criterion** to choose **combinations of values**
  - A **test input** has a **value** for **each parameter**
  - One **block** for **each characteristic**
  - Choosing **all combinations** is usually **infeasible**
  - Coverage criteria allow **subsets to be chosen**
- **Step 5** : **Refine combinations of blocks into test inputs**
  - Choose **appropriate values from each block**

# Step 4 – Choosing Combinations of Values (6.2)

- Once **characteristics** and **partitions** are defined, the next step is to **choose test values**
- We use **criteria** – to **choose effective subsets**
- The most obvious criterion is to **choose all combinations**

**All Combinations (ACoC)** : All combinations of blocks from all characteristics must be used.

- **Number of tests** is the product of the **number of blocks** in each **characteristic** :  $\prod_{i=1}^Q (B_i)$
- The second characterization of **triang()** results in  $4*4*4 = 64$  tests
  - **Too many ?**

# ISP Criteria – All Combinations

- Consider the “second characterization” of Triang as given before:

Characteristic	$b_1$	$b_2$	$b_3$	$b_4$
$q_1$ = “Refinement of $q_1$ ”	greater than 1	equal to 1	equal to 0	less than 0
$q_2$ = “Refinement of $q_2$ ”	greater than 1	equal to 1	equal to 0	less than 0
$q_3$ = “Refinement of $q_3$ ”	greater than 1	equal to 1	equal to 0	less than 0

- For convenience, we relabel the blocks using abstractions:

Characteristic	$b_1$	$b_2$	$b_3$	$b_4$
A	A1	A2	A3	A4
B	B1	B2	B3	B4
C	C1	C2	C3	C4

# ISP Criteria – ACoC Tests

A1 B1 C1

A1 B1 C2

A1 B1 C3

A1 B1 C4

A2 B1 C1

A2 B1 C2

A2 B1 C3

A2 B1 C4

A3 B1 C1

A3 B1 C2

A3 B1 C3

A3 B1 C4

A4 B1 C1

A4 B1 C2

A4 B1 C3

A4 B1 C4

A1 B2 C1

A1 B2 C2

A1 B2 C3

A1 B2 C4

A2 B2 C1

A2 B2 C2

A2 B2 C3

A2 B2 C4

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A2 B4 C3

A2 B4 C4

A3 B4 C1

A3 B4 C2

A3 B4 C3

A3 B4 C4

A4 B4 C1

A4 B4 C2

A4 B4 C3

A4 B4 C4

ACoC yields

$4*4*4 = 64$  tests

for Triang!

This is almost  
certainly more  
than we need

Only 8 are valid  
(all sides greater  
than zero)

# ISP Criteria – Each Choice

- 64 tests for triang() is almost certainly way too many
- One criterion comes from the idea that we should try at least one value from each block

**Each Choice Coverage (ECC) :** One value from each block for each characteristic must be used in at least one test case.

- Number of tests is the number of blocks in the largest characteristic :  $\text{Max}_{i=1}^Q (B_i)$

For triang() : A1, B1, C1

Write down EC tests

Use the abstract labels

(A1, A2, ...)

A2, B2, C2

A3, B3, C3

A4, B4, C4

Substituting values: 2, 2, 2

1, 1, 1

Suggest values ...

0, 0, 0

-1, -1, -1



# ISP Criteria – Pair-Wise

- Each choice yields few tests—cheap but maybe ineffective
- Another approach combines values with other values

**Pair-Wise Coverage (PWC) :** A value from each block for each characteristic must be combined with a value from every block for each other characteristic.

- Number of tests is at least the product of two largest characteristics  $(\text{Max}_{i=1}^Q (B_i)) * (\text{Max}_{j=1, j \neq i}^Q (B_j))$

For *triang()* :

A1, B1, C1	A1, B2, C2	A1, B3, C3	A1, B4, C4
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Write down PWC tests

A2, B1, C2	A2, B2, C3	A2, B3, C4	A2, B4, C1
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Use the abstract labels

A3, B1, C3	A3, B2, C4	A3, B3, C1	A3, B4, C2
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(Hint: Should be 16 tests)

A4, B1, C4	A4, B2, C1	A4, B3, C2	A4, B4, C3
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# ISP Criteria –T-Wise

- A natural extension is to require combinations of  $t$  values instead of 2

**t-Wise Coverage (TWC)**: A value from each block for each group of  $t$  characteristics must be combined.

- Number of tests is at least the product of  $t$  largest characteristics
- If all characteristics are the same size, the formula is
$$\left(\text{Max}_{i=1}^Q (B_i)\right)^t$$
- If  $t$  is the number of characteristics  $Q$ , then all combinations
- That is ...  $Q\text{-wise} = AC$
- $t\text{-wise}$  is expensive and benefits are not clear

# ISP Criteria – Base Choice

- Testers sometimes recognize that **certain values** are **important**
- This **uses domain knowledge of the program**

**Base Choice Coverage (BCC)** : A base choice **block** is chosen for **each characteristic**, and a base test is formed by using the **base choice** for each characteristic. Subsequent tests are chosen by **holding all but one base choice** constant and using each non-base choice in each other characteristic.

- Number of tests is one base test + one test for each other block  $1 + \sum_{i=1}^Q (B_i - 1)$   $Q=3, B_i=4$

For *triang()* : **Base** A1, B1, C1   A1, B1, C2   A1, B2, C1   A2, B1, C1  
A1, B1, C3   A1, B3, C1   A3, B1, C1  
A1, B1, C4   A1, B4, C1   A4, B1, C1

Write down BCC tests

# Base Choice Notes

- The **base test** must be **feasible**
  - That is, **all base choices must be compatible**
- **Base choices** can be
  - Most likely from an **end-use point of view**
  - **Simplest**
  - **Smallest**
  - **First in some ordering**
- **Happy path tests** often make **good base choices**
- The **base choice** is a **crucial design decision**
  - **Test designers** should **document why the choices were made**

# ISP Criteria – Multiple Base Choice

- We sometimes have more than one logical base choice

Multiple Base Choice Coverage (MBCC) : At least one, and possibly more, base choice blocks are chosen for each characteristic, and base tests are formed by using each base choice for each characteristic at least once. Subsequent tests are chosen by holding all but one base choice constant for each base test and using each non-base choice in each other characteristic.

- If  $M$  base tests and  $m_i$  base choices for each characteristic:

$$M=2 \quad Q=3 \quad \mathbf{M} + \sum_{i=1}^Q (\mathbf{M} * (\mathbf{B}_i - \mathbf{m}_i)) \quad \mathbf{B}_i=4, \mathbf{m}_i=2$$

## For `triang()` : Bases

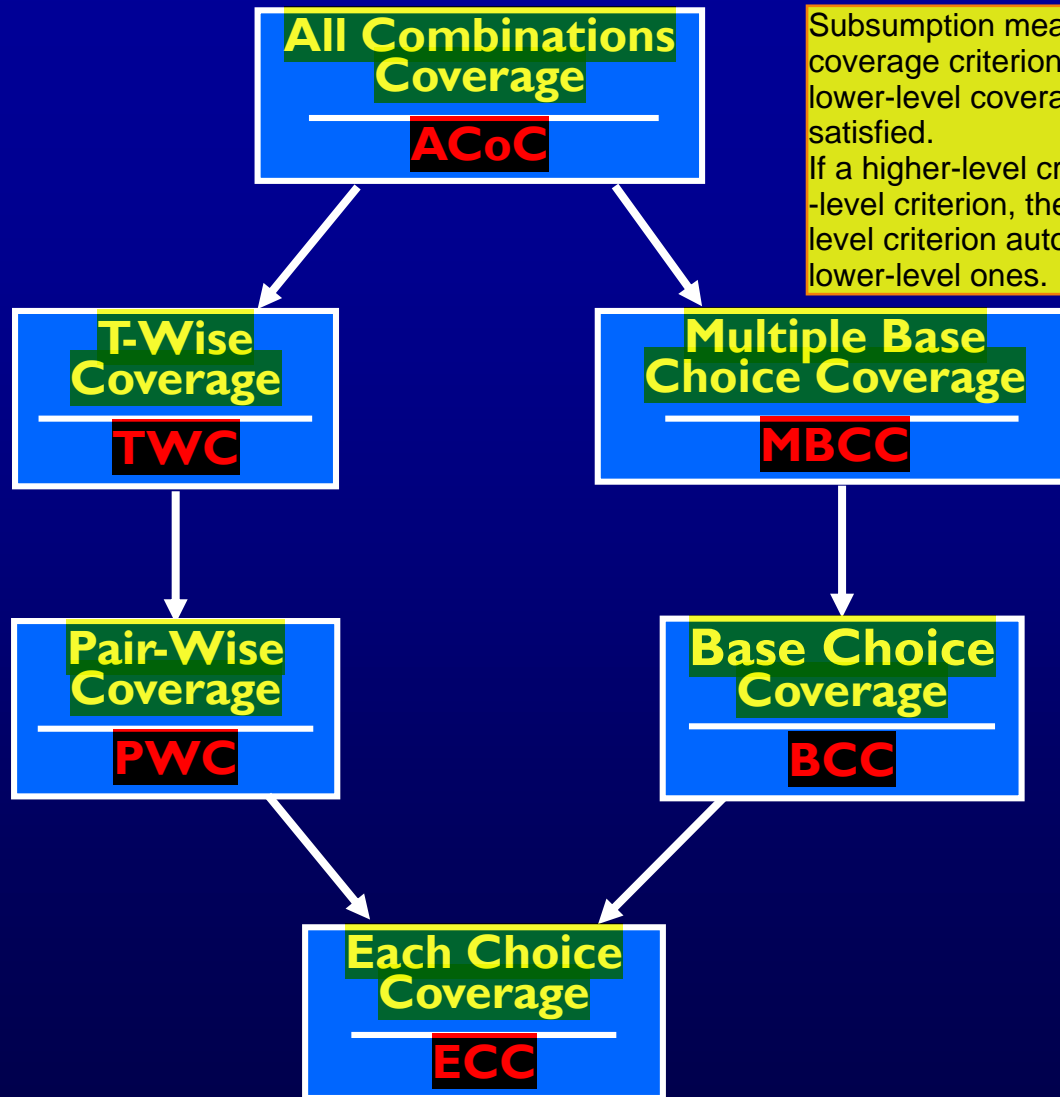
**AI, BI, CI   AI, BI, C3   AI, B3, CI   A3, BI, CI**

**AI, BI, C4   AI, B4, CI   A4, BI, CI**

**A2, B2, C2   A2, B2, C3   A2, B3, C2   A3, B2, C2**

**A2, B2, C4   A2, B4, C2   A4, B2, C2**

# ISP Coverage Criteria Subsumption



Subsumption means that if a higher-level coverage criterion is satisfied, then all lower-level coverage criteria are also satisfied. If a higher-level criterion subsumes a lower-level criterion, then satisfying the higher-level criterion automatically satisfies the lower-level ones.

# Constraints Among Characteristics

(6.3)

- Some combinations of blocks are infeasible
  - “less than zero” and “scalene” ... not possible at the same time
- These are represented as constraints among blocks
- Two general types of constraints
  - A block from one characteristic cannot be combined with a specific block from another
  - A block from one characteristic can ONLY BE combined with a specific block from another characteristic
- Handling constraints depends on the criterion used
  - ACC, PWC, TWC : Drop the infeasible pairs
  - BCC, MBCC : Change a value to another non-base choice to find a feasible combination

# Example Handling Constraints

```
public boolean findElement (List list, Object element)
// Effects: if list or element is null throw NullPointerException
//         else return true if element is in the list, false otherwise
```

Characteristic	Block 1	Block 2	Block 3	Block 4
A : length and contents	One element	More than one, unsorted	More than one, sorted	More than one, all identical
B : match	element not found	element found once	element found more than once	
Invalid combinations : (A1, B3), (A4, B2)				

element cannot be in a one-element list more than once

If the list only has one element, but it appears multiple times, we cannot find it just once



# Input Space Partitioning Summary

- Fairly easy to apply, even with no automation
- Convenient ways to add more or less testing
- Applicable to all levels of testing – unit, class, integration, system, etc.
- Based only on the input space of the program, not the implementation

**Simple, straightforward, effective,  
and widely used**