



$$\left\{ \begin{array}{l} d_{ab}^{(phys)} := \text{Euclidean (physiological) distance} \\ \text{normalized to } [0,1] \\ d_{ab}^{(func)} := \frac{1}{2} [1 - \cos(\gamma_a, \gamma_b)] \in [0,1] \\ \text{define } \xi := \left[ d_{ab}^{(phys)} \right]^\eta \cdot \left[ d_{ab}^{(func)} \right]^{-\gamma}, \text{ (positive } \eta, \gamma) \end{array} \right.$$

what is the distribution  
of this quantity?

find pairs (a,b) with large  $\xi \rightarrow \left\{ \begin{array}{l} \text{functionally close} \\ \text{physically distant} \end{array} \right.$

what patterns emerge? Relationship to membership  
diversity?

Expectation:  $\left\{ \begin{array}{l} \text{if high ent, then larger } \langle \xi \rangle \\ \text{if low ent and high deg, then smaller } \langle \xi \rangle \end{array} \right.$

???

