

CS50 Section 3

Somewhere in Between

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The Agenda...

- ▶ Quick recap of last week (and expectations)
- ▶ Asymptotic Notation (O , Ω)
- ▶ Searches
 - ▶ Binary Search
- ▶ Sorts
 - ▶ Bubble Sort
 - ▶ Selection Sort
 - ▶ Insertion Sort
 - ▶ Merge Sort
- ▶ Recursion

Recap & Rules

Last week...

- ▶ Debugging
 - ▶ `help50`
 - ▶ `eprintf`
 - ▶ `debug50`
 - ▶ Duck Debugging
- ▶ Arrays
- ▶ Functions
 - ▶ Scope
- ▶ Command Line Arguments
- ▶ ASCII

Style and Design

- ▶ Comments
- ▶ Descriptive Variable names
- ▶ No magic numbers!!!
 - ▶ `#define <NAME> <value>`

What's going on here?

```
if (p[i] >= 65 && p[i] <= 90)
{
    p[i] = ((p[i] - 65 + k) % 26) + 65;
}
else if (p[i] >= 97 && p[i] <= 122)
{
    p[i] = ((p[i] - 97 + k) % 26) + 97;
}
```

- ▶ No comments
- ▶ Undescriptive variable names
- ▶ Magic numbers
- ▶ Why do we care?
 - ▶ Harder to debug
 - ▶ Harder to understand
 - ▶ Harder to update

A better implementation:

```
// only encrypt letters, not other chars (e.g., digits)
if (plaintext[i] >= 'A' && plaintext[i] <= 'Z')
{
    plaintext[i] = ((plaintext[i] - 'A' + key) % NUM_LETTERS) + 'A';
}
else if (plaintext[i] >= 'a' && plaintext[i] <= 'z')
{
    plaintext[i] = ((plaintext[i] - 'a' + key) % NUM_LETTERS) + 'a';
}
```

- ▶ Comment at top describing the code
- ▶ Descriptive variable names
- ▶ No magic numbers
- ▶ It's very clear what is going on here

When do we worry (what do we do)

- ▶ Is there a magic number here?

```
for (int i = 0, n = strlen(text); i < n; i++)
```

- ▶ No - starting a counter at 0 makes intuitive sense
- ▶ What about here?

```
for (int i = 5, n = strlen(text); i < n; i++)
```

- ▶ Yes - what does this 5 signify? I have no idea.
- ▶ Two solutions:
 - ▶ Use variables if the value will change
 - ▶ Use `#define <NAME> <value>` for constants
 - ▶ This goes at the top of the file right after you `#includes`, eg
 - ▶ `#define LEN_ALPHA 26`

Asymptotic notation - “Big O”

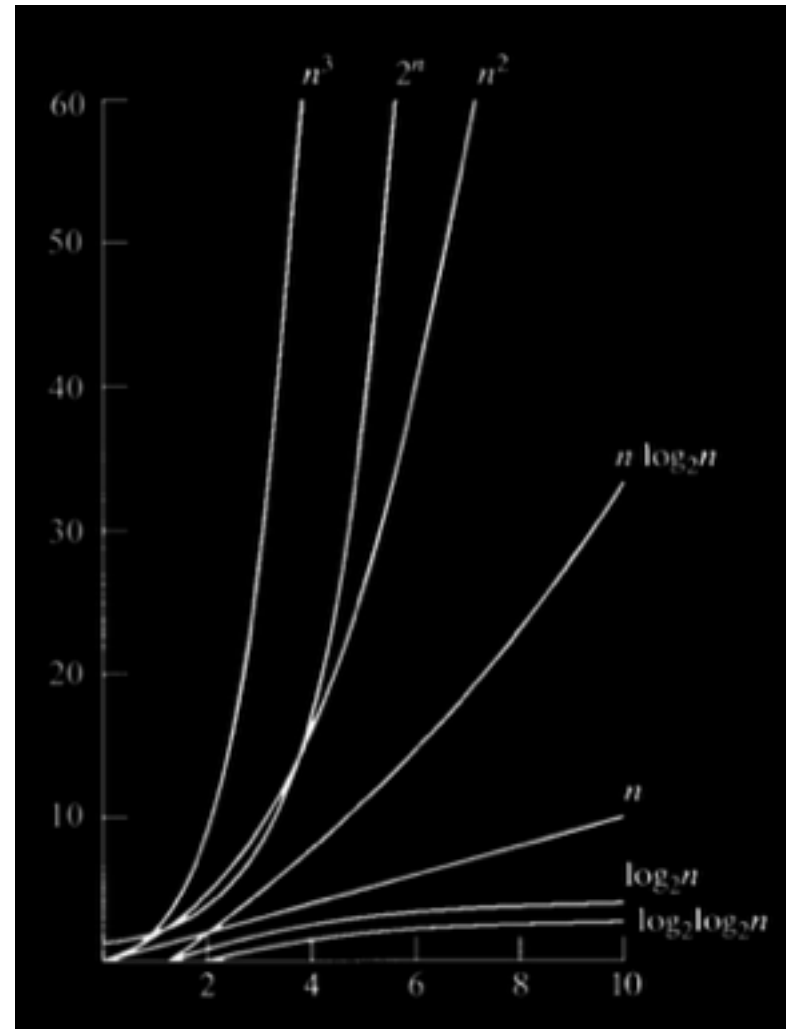
- ▶ Describes upper bound on program's runtime
 - ▶ We usually use it to describe running time with worst case inputs
- ▶ The method:
 - ▶ Suppress low order terms and constant factors
 - ▶ This is because the limit as n (ie, number of elements to work with) gets very large, the only term that means anything will be the largest order
- ▶ Some examples to think about:
 - ▶ What's the worst case run time for finding an element in a list of length n ?
 - ▶ What's the worst case for (naively) sorting a list?
 - ▶ What would their representative Big O be?
 - ▶ $O(n)$, $O(n^2)$

Asymptotic Notation - Ω

- ▶ Ω describes the lower bound
 - ▶ We usually use it to describe best cases
- ▶ Some examples to think about:
 - ▶ What's the best case run time for finding an element in a list of length n ?
 - ▶ What's the best case for sorting a list (and making sure it's sorted)?
 - ▶ What would their representative Ω be?
 - ▶ $\Omega(1)$, $\Omega(n)$

More on Asymptotics

- ▶ Asymptotic runtime gets more and more important as n goes to infinity
- ▶ Rate of growth gets really significant



Searching

- ▶ Linear search - just look at each element
 - ▶ Advantages: doesn't require array to be sorted
 - ▶ Disadvantage: it's suuuuper slow
- ▶ Binary Search
 - ▶ Works for sorted arrays
 - ▶ Check middle of the array
 - ▶ If it's equal, we're done
 - ▶ If middle is higher, repeat process on lower half of the list
 - ▶ If middle is lower, repeat on upper half of the list

Is 7 in the array?

0	1	2	3	4	5	6
1	3	5	6	7	9	10

Finding 7

- ▶ Is `array[3] == 7`?
- ▶ Is `array[3] < 7`?
- ▶ Is `array[3] > 7`?

0	1	2	3	4	5	6
1	3	5	6	7	9	10



Finding 7

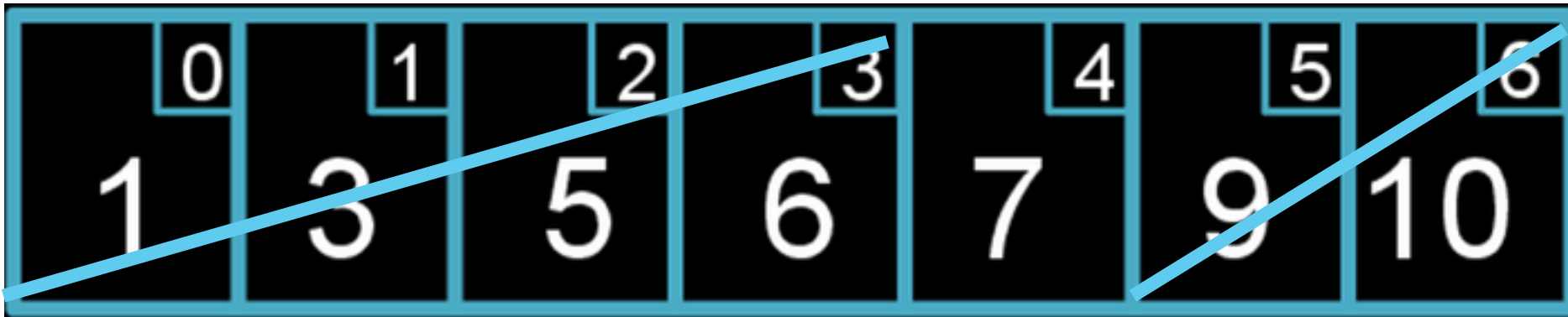
- ▶ Is `array[5] == 7`?
- ▶ Is `array[5] < 7`?
- ▶ Is `array[5] > 7`?

0	1	2	3	4	5	6
1	3	5	6	7	9	10



Finding 7

- ▶ Is `array[4] == 7`?
- ▶ Is `array[4] < 7`?
- ▶ Is `array[4] > 7`?



0	1	2	3	4	5	6
1	3	5	6	7	9	10



Your Turn - Binary Search

- ▶ Implement the iterative version of binary search using the following declaration:
- ▶

```
bool binary_search(int value, int values[], int n);
```

 - ▶ `value`: the number we're searching for
 - ▶ `values`: the (sorted) integer array we are searching through
 - ▶ `n`: the length of `values`
- ▶ No need to write main, just the loop of binary search

Your Turn - Binary Search

- Fill in the contents of the while loop for binary search

```
bool binary_search(int value, int values[], int n)
{
    // Set values for the top and the bottom of the search
    int lower = 0;
    int upper = n - 1;

    // Binary search
    while (lower <= upper)
    {
        // your code here
    }

    return false;
}
```


Binary Search

- ▶ What is the asymptotic runtime of binary search? (worst case/best case)
 - ▶ $O(\log(n))$
 - ▶ $\Omega(1)$

Sorts

- ▶ Bubble
- ▶ Selection
- ▶ Insertion
- ▶ Merge

Bubble sort

- ▶ Works on array of size n by...
 - ▶ Iterating over unsorted part of the array
 - ▶ Swapping adjacent items that are out of place
 - ▶ Large elements “bubble” to the top
- ▶ Move higher elements generally to the right and lower elements generally to the left
- ▶ Psuedocode
 - ▶ Set swap counter to a non-zero value
 - ▶ Repeat swap counter is 0:
 - ▶ Reset swap counter to 0
 - ▶ Look at each adjacent pair
 - ▶ If two adjacent elements are not in order, swap them

Bubble Sort

- ▶ See pdf for example

Bubble Sort

- ▶ Worst Case: array in reverse order
 - ▶ bubble each of the n elements all the way across the array
 - ▶ only one gets to destination per pass, so we must do this n times
 - ▶ What's the O runtime for Bubble sort?
 - ▶ $O(n^2)$
- ▶ Best case: already sorted
 - ▶ We make no swaps on the first pass
 - ▶ What's the Ω runtime for Bubble sort?
 - ▶ $\Omega(n)$

Your Turn!

- ▶ Implement the inner loop of bubble sort
- ▶ (Swap adjacent elements if out of order)

```
void bubble_sort(int array[], int n)
{
    // cycle through array
    for(int k = 0, outer_max = n - 1; k < outer_max; k++)
    {
        // optimize; check if there are no swaps
        int swaps = 0;

        // swap adjacent elements if out of order
        for(int i = 0, inner_max = outer_max - 1; i < inner_max; i++)
        {
            // you code here
        }

        if (!swaps)
            break;
    }
    printIntArray(array, n);
}
```

Selection Sort

- ▶ Works on array of size n by...
 - ▶ Removing the smallest element in unsorted part of array
 - ▶ Placing at the head
- ▶ Psuedocode:
 - ▶ Repeat until no unsorted elements remain
 - ▶ Search unsorted part of the data to find the smallest value
 - ▶ Swap the smallest found value with the first element of the unsorted part

Selection Sort

- ▶ See pdf for example

Selection Sort

- ▶ Worst Case
 - ▶ iterate over each of the n elements in the array to find the smallest unsorted elt
 - ▶ only one gets to destination per pass, so we must do this n times
 - ▶ What's the O runtime for Selection sort?
 - ▶ $O(n^2)$
- ▶ Best case
 - ▶ Exactly the same!
 - ▶ What's the Ω runtime for Bubble sort?
 - ▶ $\Omega(n^2)$
- ▶ Since best case and worst case are the same...
 - ▶ $\Theta(n^2)$

Your turn!

- ▶ Follow the pseudocode to make selection sort

```
void selection_sort(int array[], int size)
{
    // iterate over array
    for(int i = 0; i < size - 1; i++)
    {
        // smallest element and its position in sorted array

        // unsorted part of array
        for(int k = i + 1; k < size; k++)
        {
            // find the next smallest element
        }

        // swap current smallest element with element in current index
    }
    printIntArray(array, size);
}
```

Insertion Sort

- ▶ Build your sorted array in place shifting elements as necessary
- ▶ Pseudocode
 - ▶ Call the first element of the array sorted
 - ▶ Repeat until all elements are sorted:
 - ▶ Look at the next unsorted element
 - ▶ Insert into sorted portion by shifting requisite elements

Insertion Sort

- ▶ See pdf for example

Insertion Sort

- ▶ Worst Case: array in reverse order
 - ▶ we have to shift n elements n positions each time we insert
 - ▶ What's the O runtime for Insertion sort?
 - ▶ $O(n^2)$
- ▶ Best case: already sorted
 - ▶ Simply keep moving the line between sorted and unsorted as we examine each elt
 - ▶ What's the Ω runtime for Bubble sort?
 - ▶ $\Omega(n)$

Your turn

- ▶ Explain to your neighbor the difference between the three sorts. What are possible tradeoffs?

Recursion

- ▶ Divide and conquer!
- ▶ A function that calls itself from within itself
- ▶ Often used to “elegantly” solve a problem - it’s very pretty
- ▶ Two cases for recursive functions:
 - ▶ Base case - when triggered, this ends the recursive calls to the function and start returning
 - ▶ Recursive case - we call the function again on a smaller subset of the problem
- ▶ EX: factorial

Merge Sort

- ▶ Easiest to implement with recursion!
- ▶ Runs in $O(n \log n)$
- ▶ Power comes from divide and conquer approach
- ▶ Only has to do n comparisons $\log(n)$ times!
 - ▶ The size of the arrays being compared is halved every recursive call

Merge Sort

- ▶ See pdf for example

Asymptotic Runtimes of Sorts

	Bubble Sort	Selection Sort	Insertion Sort	Merge Sort
O	n^2	n^2	n^2	$n \log n$
Ω	n	n^2	n	$n \log n$
Θ		n^2		$n \log n$

GDB (the GNU Debugger)

- ▶ Works on executable files, allows you to step through your code
- ▶ Common commands:
 - ▶ `gdb ./<program name>`
 - ▶ `break <function name>`,
`break <line number>`
 - ▶ **Set breakpoint at beginning of program:** `break main`
 - ▶ `run <command line args>`
- ▶ Common commands, cont
 - ▶ `next, n`
 - ▶ `step, s`
 - ▶ `list`
 - ▶ `print, p`
 - ▶ `info locals`
 - ▶ `continue, c`
 - ▶ `disable`
 - ▶ `quit, q`