Problem 2

April 20, 2020

```
[1]: # -*- coding: utf-8 -*-
    Training an image classifier
    We will do the following steps in order:
    1. Load and normalizing the MNIST training and test datasets using
        ``torchvision``
    2. Define a nearest neighbor classifier
    3. Test the model on the test data (There is no training step for nearest \sqcup
     \rightarrow neighbor classifier).
    1. Loading and normalizing MNIST
    Using ``torchvision``, it's extremely easy to load MNIST.
     11 11 11
    import os
    import torch
    import torchvision
    import torchvision.transforms as transforms
    import itertools
    # The output of torchvision datasets are PILImage images of range [0, 1].
    # We transform them to Tensors of normalized range [-1, 1].
    # .. note::
          If running on Windows and you get a BrokenPipeError, try setting
          the num_worker of torch.utils.data.DataLoader() to 0.
[2]: pytorch_device = torch.device("cuda:0" if torch.cuda.is_available() else "cpu")
[3]: transform = transforms.Compose(
         [transforms.ToTensor(),
         transforms.Normalize((0.1307,), (0.3081,))])
    trainset = torchvision.datasets.MNIST(root='./data', train=True,
                                           download=True, transform=transform)
    trainloader = torch.utils.data.DataLoader(trainset, batch_size=60000,
```

• In order to obtain the better result, I tried to change the batch size and num_workers, but it did not work well. The originally given numbers do work well.

```
# Let us show some of the training images, for fun.
    import matplotlib.pyplot as plt
    import numpy as np
    # functions to show an image
    def imshow(img):
       img = img / 2 + 0.5
                             # unnormalize
       npimg = img.cpu().numpy()
       plt.imshow(np.transpose(npimg, (1, 2, 0)), cmap='gray')
       plt.show()
    # get some random training images
    examples = enumerate(trainloader)
    batch_idx, (example_data, example_targets) = next(examples)
    # show images
    imshow(torchvision.utils.make_grid(example_data[:4]))
    # print labels
    print(' '.join('%5s' % classes[example_targets[j]] for j in range(4)))
```

Clipping input data to the valid range for imshow with RGB data ([0..1] for floats or [0..255] for integers).

<Figure size 640x480 with 1 Axes>

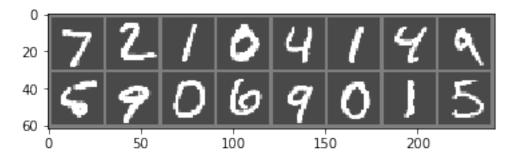
1 1 6 6

```
import torch.nn.functional as F
class Model(nn.Module):
    def __init__(self):
        super(Model, self).__init__()
        self.database_x = example_data.reshape(60000, 28*28).to(pytorch_device)
        self.database_y = example_targets.to(pytorch_device)
    def forward(self, x):
        # shape of input (=x): [16, 1, 28, 28]
        # shape of output: [16]
        # output can take on integers in [0, 9]
        x = x.view(-1, 1 * 28 * 28)
        x_u = x.unsqueeze(1)
        db = self.database_x.unsqueeze(0)
        distances = torch.norm(x_u - db, dim=-1, p='fro')
            \#distances = (x_u - db).pow(2).sum(-1).pow(0.5)
        maxval, argmin = distances.topk(1, largest=False)
            #maxval, argmin = distances.min(-1, keepdim=True)
        maxval = maxval.expand as(distances)
        mask = (maxval == distances)
            #print (mask.shape) #torch.Size([4, 60000])
        pred_action = mask * self.database_y.reshape(1, 60000)
        pred_action = pred_action.sum(-1)
        prediction = pred_action
        return prediction
model = Model().to(pytorch_device)
```

- Set the size of input x and nearest neighbors(db)
- Calculate the distance between them (using torch.norm() and type is Frobenius('fro'). I tried other types, but the accuracy was worse than the Frobenius.
- Then, torch.topk() is applied to get the distance and its argmin index

```
# outputs, and checking it against the ground-truth. If the prediction is
# correct, we add the sample to the list of correct predictions.
# Okay, first step. Let us display an image from the test set to get familiar.
dataiter = iter(testloader)
images, labels = dataiter.next()
images, labels = images.to(pytorch_device), labels.to(pytorch_device)
# print images
imshow(torchvision.utils.make grid(images))
print('GroundTruth: ', ' '.join('%5s' % classes[labels[j]] for j inu
→range(len(labels))))
# Okay, now let us see what the nearest neighbor model thinks these examples
→above are:
outputs = model(images)
predicted = outputs
print('Predicted: ', ' '.join('%5s' % classes[predicted[j]]
                           for j in range(len(labels))))
```

Clipping input data to the valid range for imshow with RGB data ([0..1] for floats or [0..255] for integers).



```
GroundTruth: 7 2 1 0 4 1 4 9 5 9 0 6 9 0 1 5 Predicted: 7 2 1 0 4 1 4 9 5 9 0 6 9 0 1 5
```

```
# Let us look at how the model performs on the whole dataset.
    correct = 0
    total = 0
    class_correct = list(0. for i in range(10))
    class_total = list(0. for i in range(10))
    cmt = torch.zeros(10,10, dtype=torch.int64)
    with torch.no_grad():
        for data in testloader:
             images, labels = data
            images, labels = images.to(pytorch_device), labels.to(pytorch_device)
            outputs = model(images)
            predicted = outputs
            total += labels.size(0)
            correct += (predicted == labels).sum().item()
            c = (predicted == labels).squeeze()
            for i in range(len(labels)):
                label = labels[i]
                cmt[labels[i], predicted[i]] += 1
                class_correct[label] += c[i].item()
                class_total[label] += 1
    print('Accuracy of the model on the 10000 test images: %d %%' % (
        100 * correct / total))
    for i in range(10):
        print('Accuracy of %5s : %2d %%' % (
             classes[i], 100 * class_correct[i] / class_total[i]))
    Accuracy of the model on the 10000 test images: 96 %
    Accuracy of
                   0:99 %
                   1:99 %
    Accuracy of
                   2:96%
    Accuracy of
    Accuracy of
                   3:96 %
                   4:96 %
    Accuracy of
    Accuracy of
                  5:96%
                   6:98 %
    Accuracy of
                   7:96%
    Accuracy of
    Accuracy of
                   8:94 %
    Accuracy of
                   9:95%
[8]: def plot_confusion_matrix(cm, classes, normalize=False, title='Confusion_

→matrix', cmap=plt.cm.Blues):
        if normalize:
            cm = cm.astype('float') / cm.sum(axis=1)[:, np.newaxis]
```

```
print("Normalized confusion matrix")
  else:
      print('Confusion matrix, without normalization')
  print(cm)
  plt.imshow(cm, interpolation='nearest', cmap=cmap)
  plt.title(title)
  plt.colorbar()
  tick_marks = np.arange(len(classes))
  plt.xticks(tick_marks, classes, rotation=45)
  plt.yticks(tick_marks, classes)
  fmt = '.2f' if normalize else 'd'
  thresh = cm.max() / 2.
  for i, j in itertools.product(range(cm.shape[0]), range(cm.shape[1])):
      plt.text(j, i, format(cm[i, j], fmt), horizontalalignment="center", __
plt.tight_layout()
  plt.ylabel('True label')
  plt.xlabel('Predicted label')
```

```
[9]: plt.figure(figsize=(10, 10))
plot_confusion_matrix(cmt.numpy(), classes)
```

```
Confusion matrix, without normalization
```

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```

