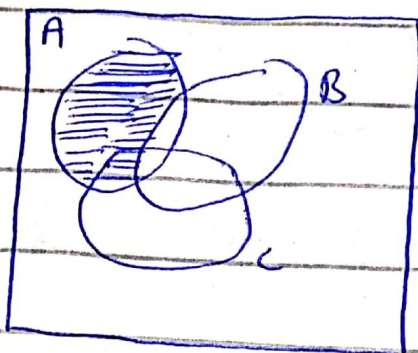


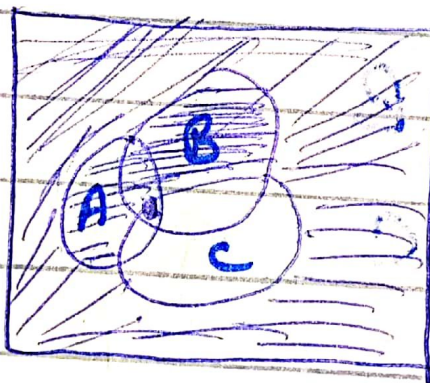
Solution 1)

Solution (1)

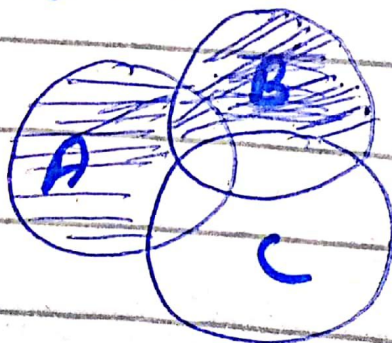
(i)  $A - (B - C)$



(ii)  $(A \cap B) \cup C'$



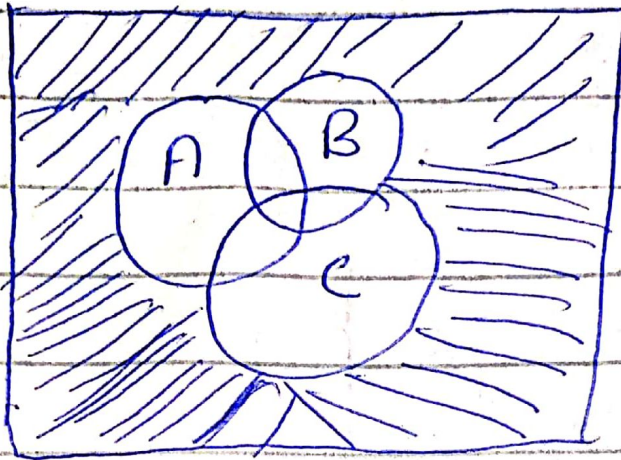
(iii)  $(A \cup B) \cap C'$



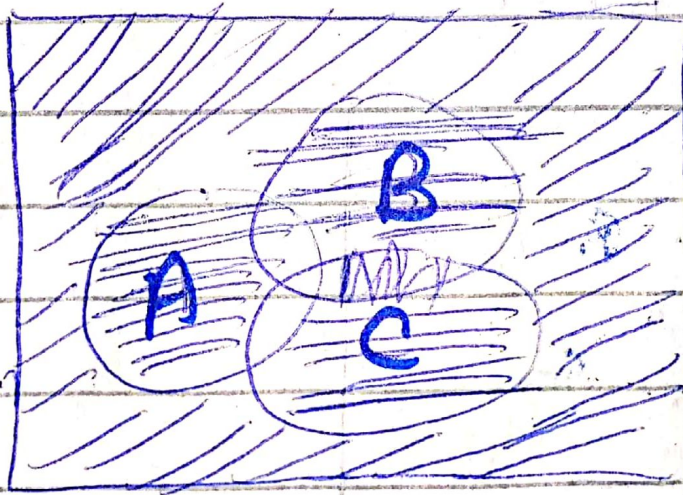


(iv)

$$(A \cup B \cup C)'$$



(v)  $(A \cap B \cap C)'$





## Solution # 2

Given

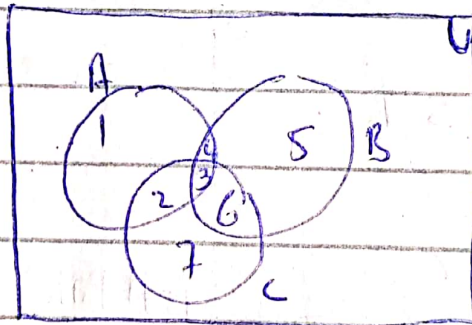
$$U = \{1, 2, 3, 4, 5, 6, 7, 8, 9, 10\}$$

$$A = \{1, 2, 3, 4\}$$

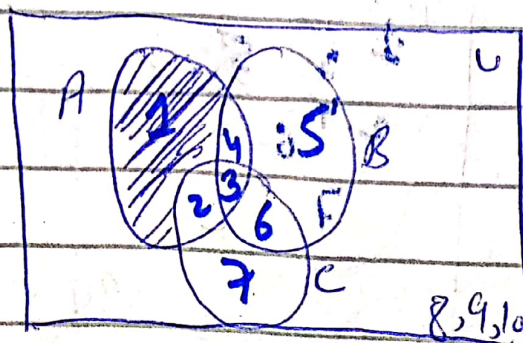
$$B = \{3, 4, 5, 6\}$$

$$C = \{2, 3, 6, 7\}$$

Solution

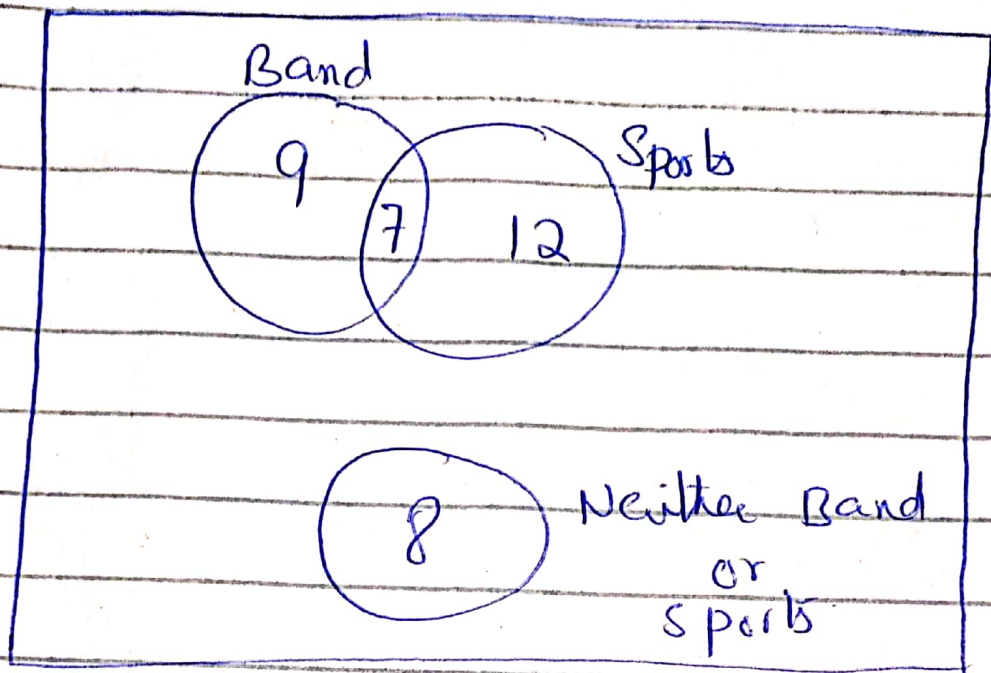


a)  $A - B$



$$A - B = \{1, 2\}$$

Q1 # 3



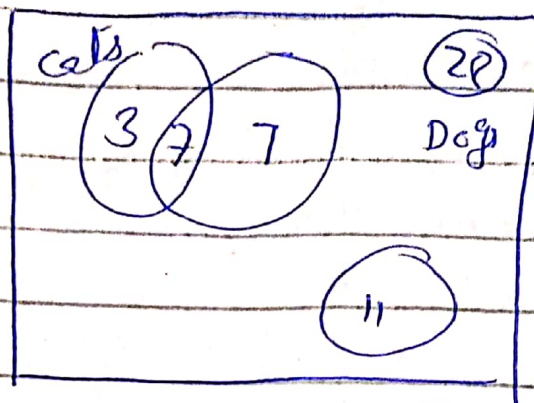
Student only in Band = 9  
Student in Sports only = 12  
Students in Bands and Sports = 7  
Student who are neither in  
Band nor Sport are = 8

$$\text{Total students} = 9 + 12 + 7 + 8$$
$$= \boxed{36}$$

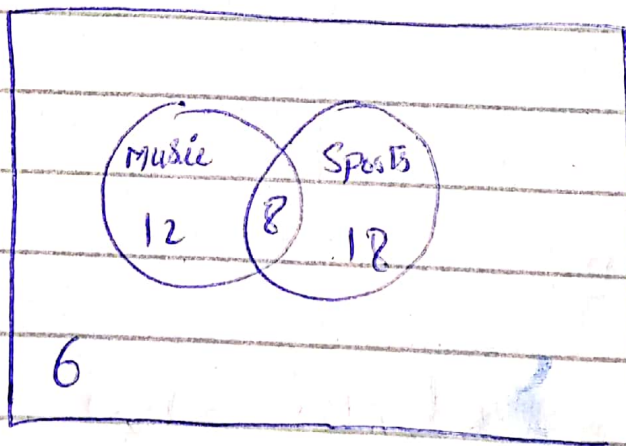


4)

Q 4

Q 6

Venn Diagram can be used in this case



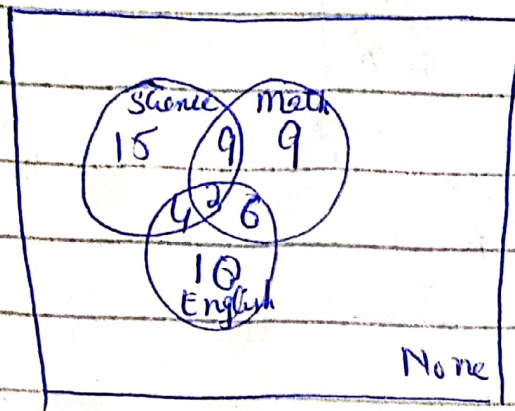
Total number of students

$$= 6 + 12 + 8 + 18$$

$$= 44 \text{ Students}$$

Ans

## Q# 7



$$\text{Total} = 15 + 9 + 10 + 9 + 2 + 4 + 6 + \text{None}$$

$$\text{So} = 55$$

$$\text{None} = -5$$

So this is an impossible combination.

(8)

Given:

Total students = 150

Number of student who takes  
classes of

Math  $\rightarrow$  53 (M)

Chem  $\rightarrow$  88 (C)

English = 58 (E)



Common Students

= 6 (who takes all  
Classes)

To find:

How many students  
takes exactly two classes.

• Suppose

$x$  (who takes exactly  
two classes)

$n = 0$  (who take neither  
class)

$n = 0$

Formula.

• [ Total students =

$$M + C + E - x$$

-  $2x$  (Common All students  
classes)

+ (None classes takes)



$$\text{Total} = M + C + E - n - 2(\text{All 3 subjects}) + n$$

$$i) 150 = 53 + 88 + 58 - n - 2 \times (6) + 0$$

$$150 = 199 - n - 12$$

$$n = 199 - 150 - 12$$

$$\boxed{n = 37} \quad \text{Ans.}$$

Exactly 2 classes taken  
By  $(n = 37)$  students