

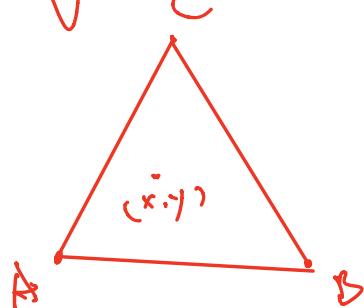
Compute Barycentric 2D 演算 2D 重心坐标.

w - reciprocal w 倒數.

z - interpolated z 内插值 (使用重心坐标)

$$(x, y) = \alpha A + \beta B + \gamma C$$

$$\downarrow \quad \alpha + \beta + \gamma = 1.$$



① 获取三角形 三个顶点 数据

auto $v = t.\text{toVertex}(\ell);$



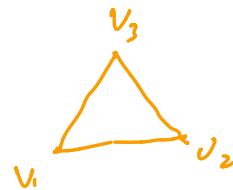
std::array<Eigen::Vector4f, 3UL>

数组.

$v = \{ \text{Vector4f}, \text{Vector4f}, \dots \}$

② 计算 bounding Box (包围盒)

- 获取 三角形 的 顶点 数据
 (v_1, v_2, v_3)



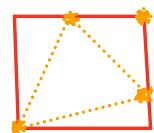
- 获取 最大的 y 值 x 值
 y_{\max}
最小的 y 值 x 值

x_{\min} x_{\max}
 y_{\min}



- 循环 从 $x_{\min} \rightarrow x_{\max}$

$y_{\min} \rightarrow y_{\max}$



这会是一个矩形的范围

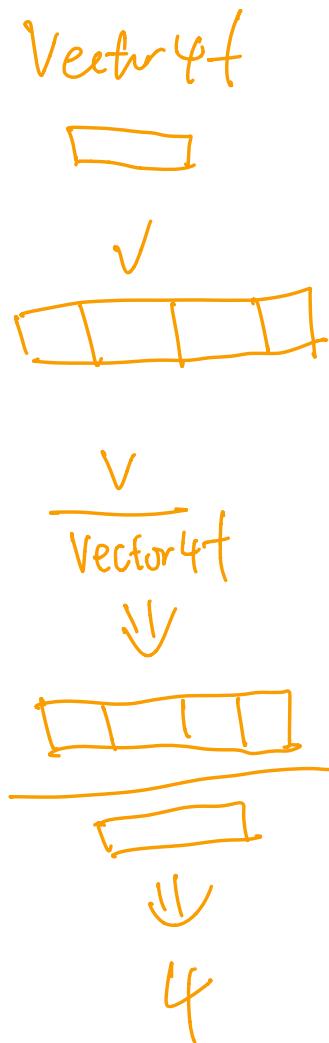
内的 (x, y) 点 遍历

③ 按 ① 获得 \cup 数组 Vector 数据后
不知数组有多少个点

所以用 数组长度
 $\frac{\text{Sizeof}(\cup)}{\text{Sizeof}(\text{Eigen::Vector4f})}$
除以
 $\frac{\text{Sizeof}(\cup)}{\text{Sizeof}(\text{Vector4f})}$
获得
顶点 数量 (多少个)

再根据 ②，遍历数量
for (数量)

$\text{Array}(\text{Vector3}) \leftarrow (\text{V}[\text{index}].\text{x}(), \text{V}[\text{index}].\text{y}(), 1.0)$



比较 取最大最小 x, y

Std::minmax_element (Array (Vector 3))

$x_{\text{before}} < x_{\text{later}}$



$x_{\min} \quad y_{\min}$
 $x_{\max} \quad y_{\max}$

循环 $x_{\min} \rightarrow x_{\max}$
 $y_{\min} \rightarrow y_{\max}$

① $\alpha, \beta, \gamma =$ 计算 2D 重心坐标 (x, y, \checkmark)

② 计算 w 的倒数，三个坐标、加权计算

$$\frac{1.0}{\frac{\alpha}{V[0].w} + \frac{\beta}{V[1].w} + \frac{\gamma}{V[2].w}} = \frac{V[0].w}{\alpha} + \frac{V[1].w}{\beta} + \frac{V[2].w}{\gamma}$$

↓
w-reciprocal

③ 计算 Z 的插值

$$\alpha \cdot \frac{V[0] \cdot z}{V[0] \cdot w} + \beta \cdot \frac{V[1] \cdot z}{V[1] \cdot w} + \gamma \cdot \frac{V[2] \cdot z}{V[2] \cdot w} =$$

$z_{\text{-interpolated}}$.

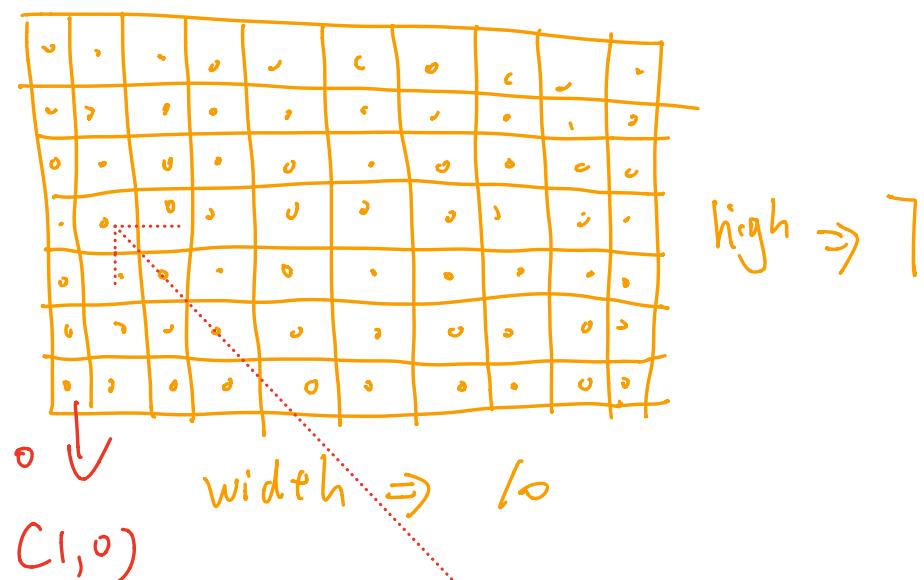
④ 最后获得深度 Z 值.

z 插值 = z 内插 乘 w 倒数.

$z_{\text{-interpolated}} * = w_{\text{-reciprocal}}$.

④ 计算偏移量 21.

$$\text{int index} = \text{x} + \text{width} * \text{y}$$



$$三行 = 3 \cdot$$

$$2 + 10 \cdot 3 = 32$$

⑥ 判断像素是否在三角形内.

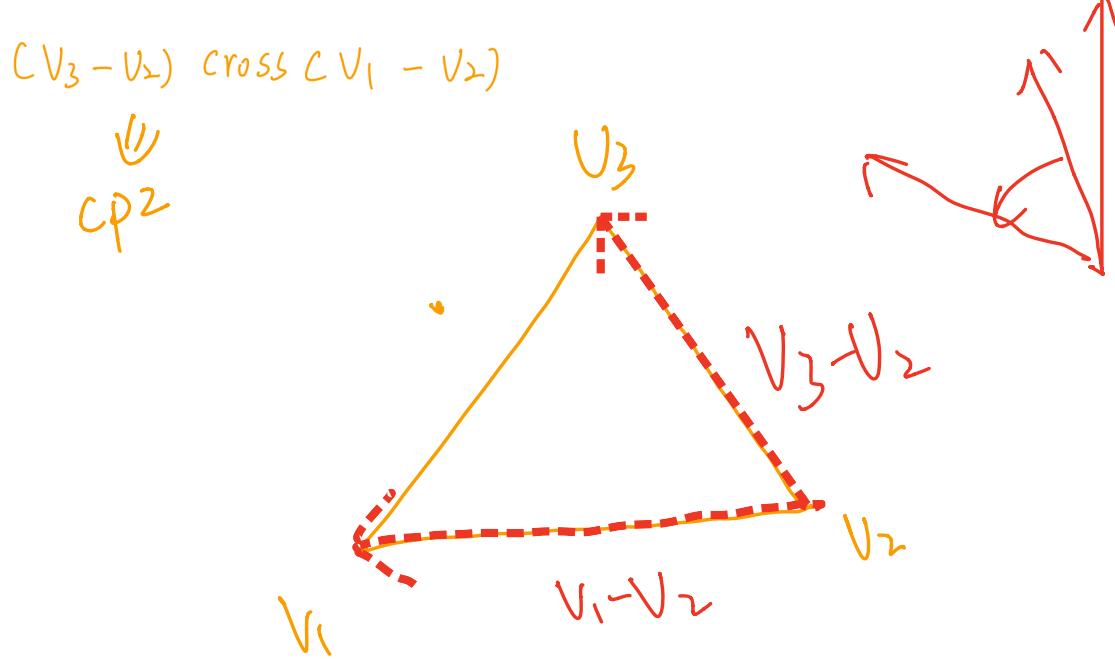
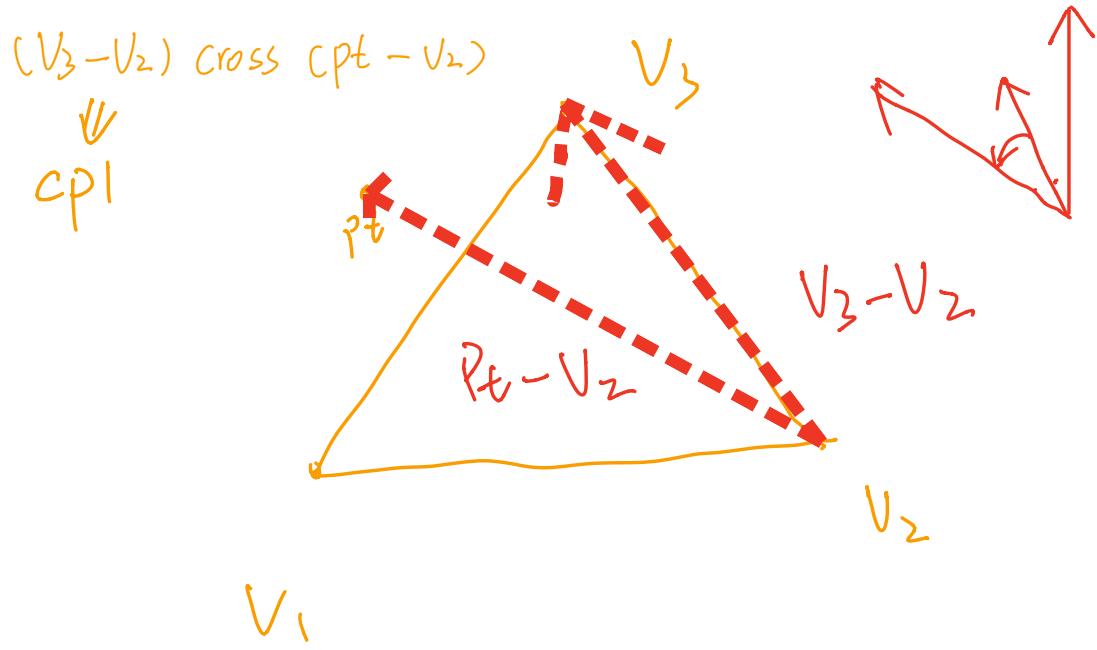
Vector3f pt = (float)x, (float)y, 0.0f
↓ ↓
像素坐标,

Array<Vector3f> V = { point1, point2
point3 }.
三角形顶点

pt	V[0]	V[1]	V[2]
=	= V ₁	= V ₂	= V ₃

$$(V_3 - V_2) \text{ cross } (pt - V_2)$$

$$(V_3 - V_2) \text{ cross } (V_1 - V_2)$$



$CP_1 \cdot CP_2 = ?$

点乘

同方向



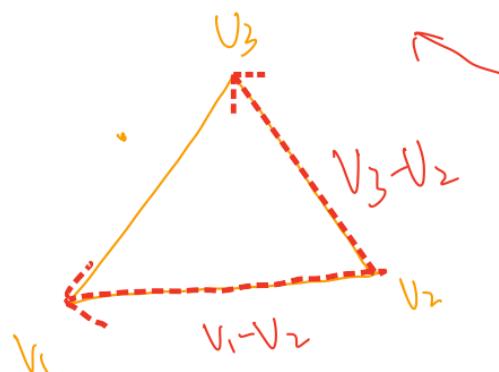
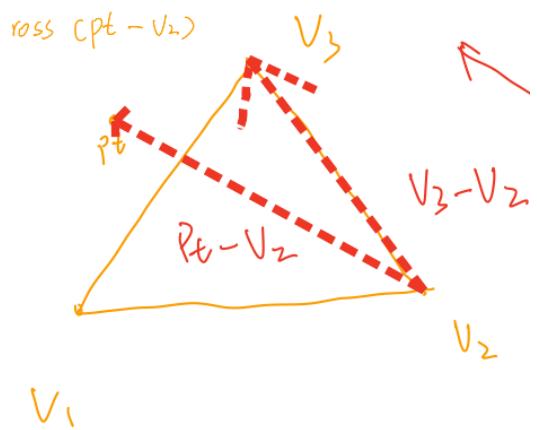
大于 0

反方向



小于 0

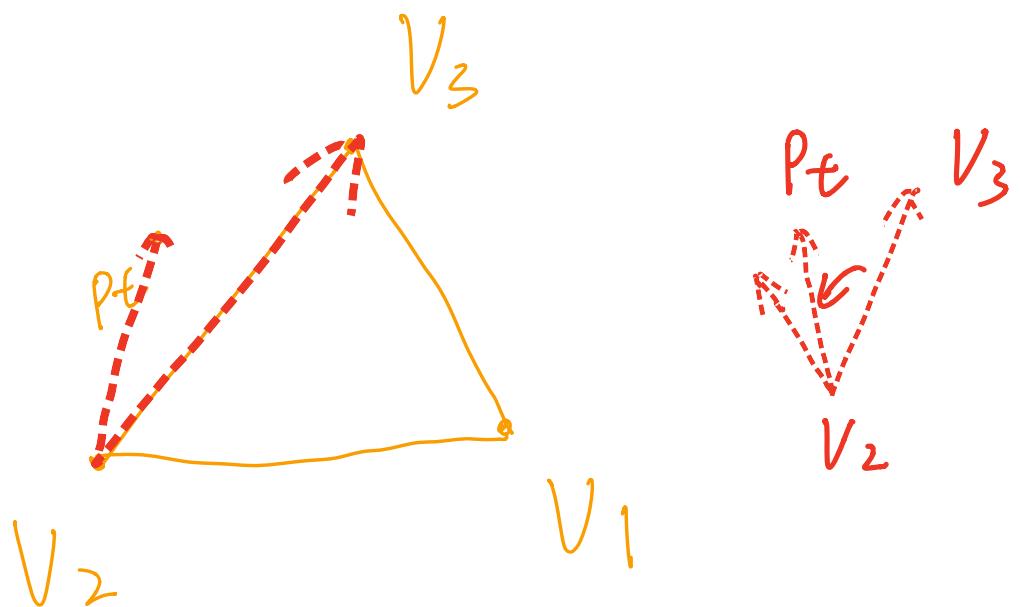
* 则 $P_t - V_2$ 在 $V_3 - V_2$ 、 $V_1 - V_2$ 之间



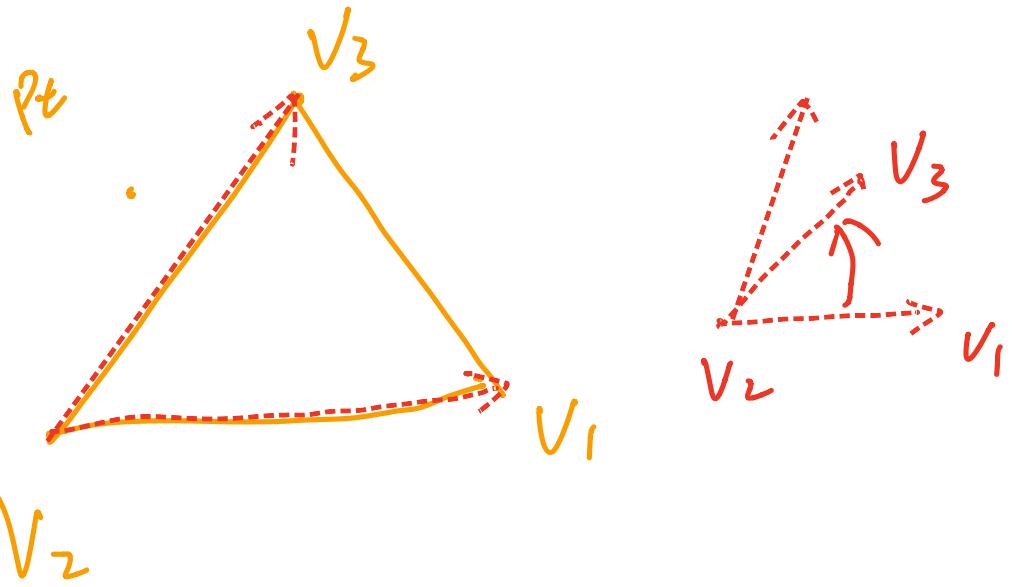
$$\begin{array}{c}
 V[1] \quad V[0] \quad V[2] \\
 \text{Pt} = V_1 = V_2 = V_3 = \\
 \hline
 \end{array}$$

$$(V_3 - V_2) \text{ cross } (\text{Pt} - V_2)$$

$$(V_3 - V_2) \text{ cross } (V_1 - V_2)$$



$$(V_3 - V_2) \text{ cross } (\text{Pt} - V_2)$$



$$(V_1 - V_2) \text{ cross } (V_1 - V_2)$$



$$(V_3 - V_2) \text{ cross } (Pt - V_2) = Pt_1$$

$$(V_3 - V_2) \text{ cross } (V_1 - V_2) = Pt_2$$

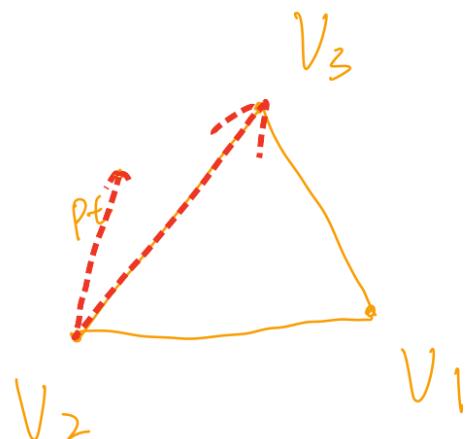
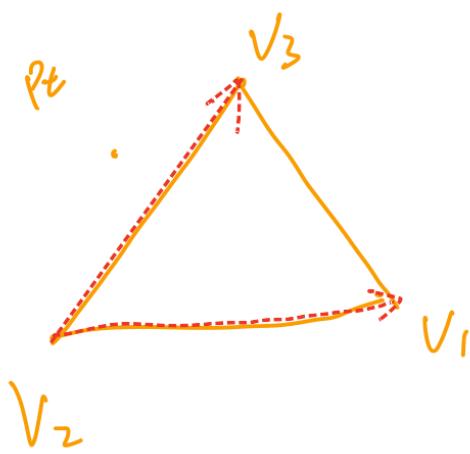
P_{t1} ↗

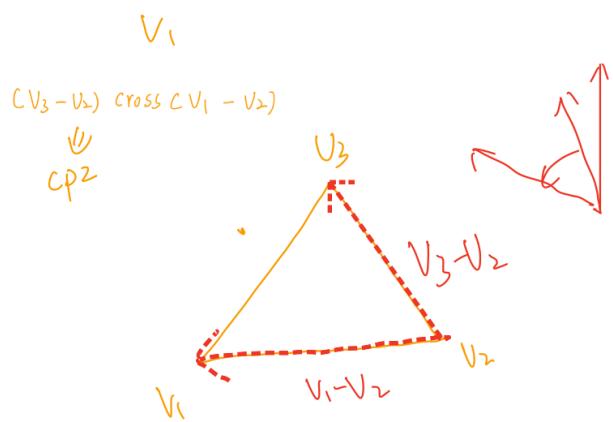
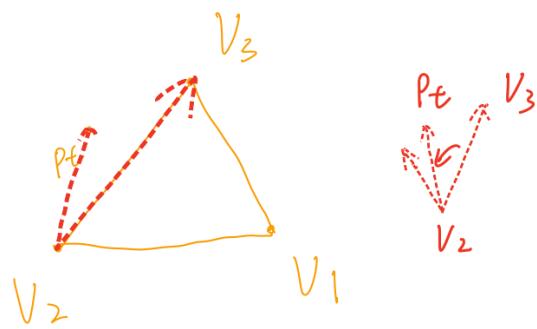
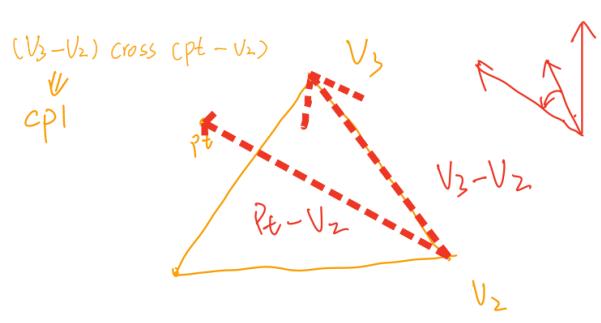
P_{t2} ↘

$$P_{t1} \cdot P_{t2} < 0$$

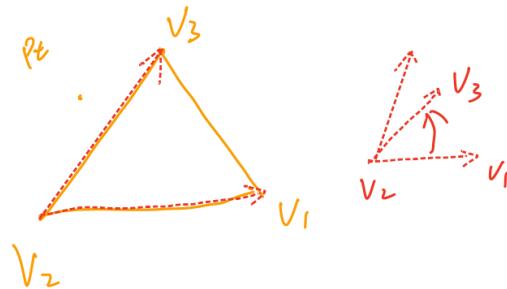
同方向大和
反方向小和

所以 $V_2 P_t$ 不
在 $V_2 V_3 - V_2 V_1$
之间

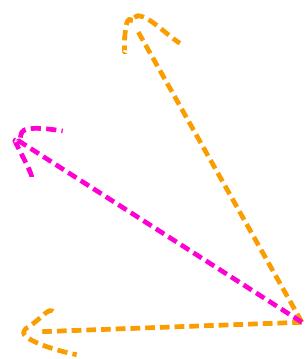
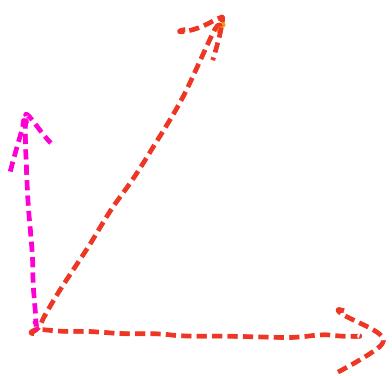




$(V_3 - V_2)$ cross $(Pt - V_2)$



$(V_1 - V_2)$ cross $(V_1 - V_2)$



不在

在

所以点不在三角
形内

⑦ ① 如果在三角形内 ✓

② 判断 z 浮度，深度 buffer

$z_{interpolated} < \text{depth}[\text{index}]$

初始为无限大

→ infinity
10

更新深度值

$\text{depth_buf}[\text{index}] = \text{z_interpolated}$

以深更新浅 才能通

$\text{Set_pixel}(\text{point}, \text{t.getcolor})$

if($\text{insideTriangle}(x, y, \text{v3f}) \& (\text{z_interpolated} < \text{depth_buf}[\text{index}])$)

{
 o $\text{Vector3f poi} = (x, y, \text{lof})$

 o $\text{SetPixelColor(poi, t.getcolor)}$

 o $\text{depth_buf}[\text{index}] = \text{z_interpolated}$

