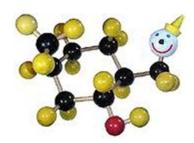
What apps naturally deal w/ graphs?

Social Networks

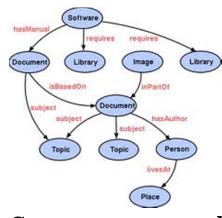




Drug Design, Chemical compounds



Semantic Web



Computer networks



World Wide Web



Sensor networks



Credit: Images are from Google images via search of keywords

How Big Are These Graphs?

Graphs encode rich relationships

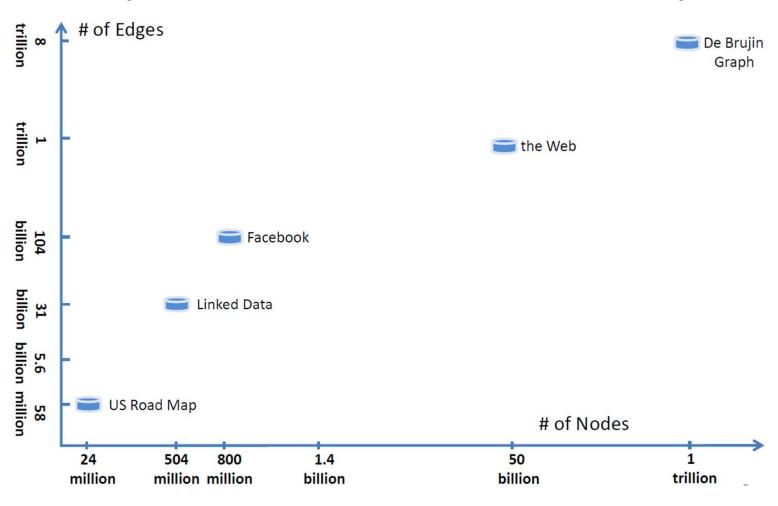


Image source: Haixun Wang, KDD 2012

What Algorithms to Use to Analyze Graphs?

How practical are these algorithm, in terms of Big-O?

Analysis algorithms fail for a few gigabytes.

Algorithmic Complexity:

Calculate means O(n)

Sorting $O(n \log(n))$

Calculate SVD $O(r \cdot c)$

Clustering algorithms $O(n^2)$

If n=10GB, then what is O(n) or $O(n^2)$ on a teraflop computers?

 $1GB = 10^9 \text{ bytes}$ $1Tflop = 10^{12} \text{ op/sec}$

Data size <i>n</i>	Algorithm Complexity		
	n	nlog(n)	n ²
100B	10 ⁻¹⁰ sec.	10 ⁻¹⁰ sec.	10 ⁻⁸ sec.
10KB	10 ⁻⁸ sec.	10 ⁻⁸ sec.	10 ⁻⁴ sec.
1MB	10 ⁻⁶ sec.	10 ⁻⁵ sec.	1 sec.
100MB	10 ⁻⁴ sec.	10 ⁻³ sec.	3 hrs
10GB	10 ⁻² sec.	0.1 sec.	3 yrs.

For illustration chart assumes **10**⁻¹² sec. ₃ (**1Tflop/sec**) calculation time per data point

Quick refresher on Big O notation

An algorithm has time complexity O(f(n)) if there is some constant c such that the algorithm runs for no more than $c extit{-} f(n)$ steps on an input of size n.

- Worst case complexity
- Upper bound
- Don't worry about constant multiples

Ex) "Algorithm A runs twice as fast as Algorithm B."

Problem	Complexity
Sorting	$O(n \log n)$ (Quicksort, Mergesort, et al.)
Sum	O(n)
Search	O(n) (unsorted) $O(\log n)$ (sorted)
	$O(\log n)$ (sorted)

Example: Steps to Evaluate Big-O

- Let $f(x)=x^2+3x+1000$
- To evaluate O(f(x)):
 - 1. For all sums, replace all terms in a sum with the largest.
 - 2. Add/multiply remaining terms.
 - 3. Drop constants.