## **Formula Sheet:**

## **Thermoforming:**

Consider heating a sheet using a heating lamp. The lamp power is P and the absorption coefficient of the sheet is a. The amount of heat delivered to the sheet per unit area is: q = P. a

The time it takes to rise the temperature in the sheet from  $T_0$  (initial temperature) to  $T_f$  (the final or forming temperature) is:  $t_{heat} = \frac{\rho h C_p}{aP} (T_f - T_0)$ 

Consider a heater with length  $L_{heater}$ , then in continuous process the feed rate is:  $V_{feed} = \frac{L_{heater}}{t_{heat}}$ 

## **Casting:**

The solidification time, based on Chvorinov's rule:

Sand casting:  $t_{solidify} = B.(\frac{V}{A})^2$ 

Die casting:  $t_{solidify} = B. \left(\frac{V}{A}\right)$ 

V: volume of the part being casted, A: Surface area of the part being casted, B: mold constant Forging:

Consider a block of height  $h_0$ . The force required to compress it to height h can be estimated by:

$$F = K_f.K.\epsilon^n.A$$

Where A is the cross-section area of the workpiece, K is the strength coefficient of material, and n is the strain hardening exponent.  $\epsilon$  is the true strain and can be computed by:  $\epsilon = \ln \frac{h_0}{h}$   $K_f$  is the forging shape factor and can be calculated for open-die forging by:  $K_f = 1 + \frac{0.4\mu D}{h}$   $\mu$  is the friction coefficient between the workpiece and the die surface.

## **Rolling:**

Maximum thickness reduction =  $\mu^2 R$ 

Power = 
$$\frac{2\pi N}{60}R(t_0 - t_1)W_0 \frac{K}{1+n} \left(ln \frac{t_0}{t_1}\right)^n$$

R: radius of the rolls, W and t are the width and thickness of the plate, and N is the rotation speed of the roller in RPM.  $\epsilon$  is the true strain and here is estimated by:  $\epsilon = \ln \frac{t_0}{t_1}$