



University of British Columbia  
Electrical and Computer Engineering  
Digital Systems and Microcomputers  
CPEN312

## Lecture 15: Microcomputer Integer Arithmetic II

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## Objectives

- Perform multiplication and division.
- Understand and use the 'sjmp' and 'ljmp' instructions.
- Understand and use the 8051 stack.
- Understand and use the 'lcall' and 'ret' instructions.
- Understand and use the 'push' and 'pop' instructions.

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# Multiplication

- Most modern processors include a 'multiply' instruction.
- Multiplication can be implemented using the shift/rotate instructions.
- To multiply 8 bits in the 8051 we can just use:

MUL AB

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# Multiplication of Binary Numbers

Diagram illustrating the long multiplication of 10101 (decimal 21) by 1011 (decimal 11) using binary:

```

      1 0 1 0 1
    × 1 0 1 1
    -----
      1 0 1 0 1
     1 0 1 0 1
    1 0 1 0 1
   1 0 1 0 1
  -----
  1 1 0 1 0 0 1
  
```

Labels in the diagram:

- Multiplicand = 10101
- Multiplier = 1011
- Partial products (the four rows of 10101)
- Final Product = 1101001

It takes too much memory to store the partial products, so we add them as we go:

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## Multiplication of Binary Numbers

				1	0	0	1	← First partial product
			1	0	0	1		← Second partial product
		1	1	0	1	1		
0	0	0	0					← Third partial product
0	1	1	0	1	1			
1	0	0	1					← Fourth partial product
1	1	0	0	0	1	1		← Final Product=99

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## Example: 16-bit Multiply

Write a program that multiplies the two 16-bit numbers 'Num1' and 'Num2'. Store the 32-bit result in 'Result'. Use the rotate left and right instructions to complete the program. Do not use the assembly instruction 'mul ab'.

In mat32.asm used in lab 6, uses a more efficient way of multiplying multi-byte numbers using the 'mul ab' instruction.

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# 16-bit Multiply

```
; Mull16.asm: Multiplies 'Num1' by 'Num2'. Stores  
; 32-bit result in 'Result'.
```

```
$MOD52
```

```
org 0000H  
ljmp myprogram
```

```
DSEG at 30H
```

Num1:	DS	2
Num2:	DS	2
Result:	DS	4
PartProd:	DS	4
Mult:	DS	2

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# 16-bit Multiply

```
CSEG
```

```
myprogram:
```

```
; Load Num1 and Num2 with test values
```

```
mov Num1, #low(300)
```

```
mov Num1+1, #high(300)
```

```
mov Num2, #low(20)
```

```
mov Num2+1, #high(20)
```

```
mov R3, #16 ; We have 16 partial products
```

```
;Copy the numbers to the work variables
```

```
mov Mult, Num1
```

```
mov Mult+1, Num1+1
```

```
mov PartProd, Num2
```

```
mov PartProd+1, Num2+1
```

```
mov PartProd+2, #0
```

```
mov PartProd+3, #0
```

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## 16-bit Multiply

```
;Initialize result to zero
clr a
mov Result, a
mov Result+1, a
mov Result+2, a
mov Result+3, a

Mult16Loop:
;Shift the multiplicand right
clr c
mov a, Mult+1
rrc a
mov Mult+1, a
mov a, Mult
rrc a
mov Mult, a
; Add the Partial product to the result only if carry is set
jnc SkipAdd
```

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## 16-bit Multiply

```
; Add the Partial product to the result
mov R2, #4
mov R0, #PartProd
mov R1, #Result
clr c

AL0:
mov a, @R0
addc a, @R1
mov @R1, a
inc R0
inc R1
djnz R2, AL0

SkipAdd:
djnz R3, ShiftLeft
sjmp forever
```

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## 16-bit Multiply

```
; Shift the partial product left
ShiftLeft:
    clr c
    mov R1, #4
    mov R0, #PartProd

SL0:
    mov a, @R0
    rlc a
    mov @R0, a
    inc R0
    djnz R1, SL0
    sjmp Mult16Loop

; Done! Loop forever
forever:
    sjmp forever

END
```

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## Division

- Division (efficient division) is the most complicated of the arithmetic operations.
- The 8051 includes a function to divide 8-bit by 8-bit unsigned integers:
  - 'div ab' divides register A by register B. A holds the quotient, B holds the remainder.
- Dividing bigger numbers requires the implementation of a multi-byte division algorithm:

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## n-bit division

- To perform division efficiently we can use repeated subtraction with the recursive formula:

$$P_{j+1} = P_j \times R - q_{n-(j+1)} D$$

$P$  is the remainder

$R$  is the radix

$q_m$  is the digit at position  $m$

$D$  is the denominator

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## n-bit integer division algorithm

- If the denominator is zero finish with error!
- Shift the denominator left until the most significant digit (for a given radix) is different from zero. Make  $n = \text{number\_of\_shifts} + 1$ .
- Repeat  $n$  times the recurrence formula:

$$P_{j+1} = (P_j - q_{n-(j+1)} D) \times R$$

If you repeat more than  $n$  times you'll get the fractions of the division.

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## Division Example 1

- Solve  $3391 \div 17$  using the algorithm from the previous slide. Used radix 10.

$$\frac{3391}{17} \rightarrow \frac{3391}{1700}, n = 3, R = 10$$

$$P = (3391 - (1) \times 1700) \times 10 = 16910 \rightarrow q_2 = 1$$

$$P = (16910 - (9) \times 1700) \times 10 = 16100 \rightarrow q_1 = 9$$

$$P = (16100 - (9) \times 1700) \times 10 = 8000 \rightarrow q_0 = 9$$

Answer is: 199

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## Division Example

- Check the library “Math32.asm” used in Lab 6. The function “div32” implements the algorithm above.
- See if you can follow what “div32” does!

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## sjmp (short jump)

- Requires two bytes: Opcode (80H) and 8-bit operand.
- The jump address is an “offset” to the next instruction.
- The 8-bit operand is a two-complements signed number. We can jump forward 127 bytes or back 128 bytes counting from the instruction after the **sjmp**.
- All conditional jumps behave just like **sjmp**.
- Also known as a ‘relative’ jump.

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## sjmp examples

```
001E      L1:
001E 00      nop
001F 00      nop
0020 00      nop
0021 00      nop
0022 8006    sjmp L2
0024 80F8    sjmp L1
0026 00      nop
0027 00      nop
0028 00      nop
0029 00      nop
002A      L2:
```

$24H + 06H = 2AH$

$0F8H \rightarrow 07 + 1 \rightarrow -8:$

$26H - 8H = 1EH$

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## Conditional Jumps

Mnemonic	Opcode	B	C	Function
<b>JZ</b> rel	60H	2	2/3	(PC) = (PC) + 2 IF (A) = 0 THEN (PC) = (PC) + rel
<b>JNZ</b> rel	70H	2	2/3	(PC) = (PC) + 2 IF (A) ≠ 0 THEN (PC) = (PC) + rel
<b>JC</b> rel	40H	2	2/3	(PC) = (PC) + 2 IF (C) = 1 THEN (PC) = (PC) + rel
<b>JNC</b> rel	50H	2	2/3	(PC) = (PC) + 2 IF (C) ≠ 0 THEN (PC) = (PC) + rel
<b>JB</b> bit, rel	20H	3	3/4	(PC) = (PC) + 3 IF (bit) = 1 THEN (PC) = (PC) + rel
<b>JNB</b> bit, rel	30H	3	3/4	(PC) = (PC) + 3 IF (bit) = 0 THEN (PC) = (PC) + rel
<b>JBC</b> bit, rel	10H	3	3/4	(PC) = (PC) + 3 IF (bit) = 1 THEN (bit) = 0 and (PC) = (PC) + rel

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## Conditional Jumps

Mnemonic	Opcode	B	C	Function
<b>CJNE</b> A, direct, rel	B5H	3	3/4	Compare and jump if not equal rel
<b>CJNE</b> A, #data, rel	B4H	3	3/4	Compare and jump if not equal rel
<b>CJNE</b> Rn, #data, rel	B8H-BFH	3	3/4	Compare and jump if not equal rel
<b>CJNE</b> @Ri, #data, rel	B6H-B7H	3	3/4	Compare and jump if not equal rel
<b>DJNZ</b> Rn, rel	D8H-DFH	3	2/3	Decrement and Jump if not zero
<b>DJNZ</b> direct,rel	D5H	3	3/4	Decrement and Jump if not zero

WARNING: These change the carry flag!

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## ljmp (long jump)

- Can jump anywhere in the 64k code memory space.
- Requires three bytes: opcode (02H) + 16-bit address:

```
0000 02001E    ljmp myprogram
001B 021803    ljmp 1803H
```

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## The 8051 stack

- We need the stack to use the `lcall` instruction.
- The stack is an area of memory where variables can be stacked. It is a LIFO memory: the last variable you put in is the first variable that comes out.
- Special Function Register SP (stack pointer) points to the beginning of the stack. SP in the 8051 is incremented before it is used (for push), or used and then decremented (for pop).
- After reset, SP is set to 07H. If you have variables in internal RAM, any usage of the stack is likely to corrupt them. Solution: at the beginning of your program set the SP special function register so it points to free memory:  
`mov SP, #7FH` ; Set the stack pointer to idata start

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## 'lcall' and 'ret' instructions

- The 'lcall' instructions **pushes** the address of the next instruction (16-bit, LSB first) into the stack and jumps to the address passed as an operand to the 'lcall' instruction.
- The ret instruction **pops** the address stored in the stack and then jumps to that address.
- The 'lcall' can call any address in the 64k code memory space. Works similarly to 'ljmp'...

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## Push and Pop

- When the microcontroller executes a push into the stack it:
  - a) Increments the SP.
  - b) Saves the value in the internal RAM location pointed by the SP.
- When the microcontroller execute a pop from the stack it:
  - a) Retrieves the value from the internal RAM location pointed by the SP.
  - b) Decrements the SP.
- As you may have suspected, the 8051 (as well as most other microprocessors!) have **push** and **pop** instructions.

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## Icall example

```
; Blinky.asm: blinks an LED connected to LEDR0
$MODDE0CV

org 0000H
ljmp myprogram

;The clock in the CV-8052 is 33.3333MHz. (1 cycle=30ns)
WaitHalfSec:
    mov R2, #90
L3: mov R1, #250
L2: mov R0, #250
L1: djnz R0, L1 ; 3 machine cycles-> 3*30ns*250=22.5us
    djnz R1, L2 ; 22.5us*250=5.625ms
    djnz R2, L3 ; 5.625ms*90=0.506s (give or take)
    ret
```

Subroutine

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## Icall example

```
myprogram:
    mov SP, #7FH
    ; Turn off all LEDs...
    mov LEDRA, #0
    mov LEDRB, #0

M0:
    cpl LEDRA.0
    lcall WaitHalfSec
    sjmp M0

END
```

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## Saving and Restoring Registers to/from the Stack using `push` and `pop`

- Before using the stack (`lcall`, `push`, `pop`) make sure you set the SP special function register.
- Popular registers to push/pop: ACC, DPL, DPH, PSW, R0 to R7.
- Pop registers from the stack in the **REVERSE** order you pushed them! Remember the stack is a LIFO.

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## Push and Pop Example

```
WasteTime:
    push Acc
    push B
    push dpl
    mov Acc, #100
L3: mov B, #100
L2: mov dpl, #100
L1: djnz dpl, L1
    djnz B, L2
    djnz Acc, L3
    pop dpl
    pop B
    pop Acc
    ret
```

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## Common bug!

```
WasteTime:
    push B
    push Acc
    push dpl
    mov Acc, #100
L3: mov B, #100
L2: mov dpl, #100
L1: djnz dpl, L1 ; 3 bytes, 2 machine cycles
    djnz B, L2
    djnz Acc, L3
    pop dpl
    pop B
    pop Acc
    ret
```

Where is it?

pops are in the  
wrong order!

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## Push/Pop for R0 to R7

```
WaitHalfSec:
    push AR0
    push AR1
    push AR2
    mov R2, #20
L3: mov R1, #250
L2: mov R0, #184
L1: djnz R0, L1 ; 2 machine cycles-> 2*0.27126us*184=100us
    djnz R1, L2 ; 100us*250=0.025s
    djnz R2, L3 ; 0.025s*20=0.5s
    pop AR2
    pop AR1
    pop AR0
    ret
```

The extra 'A' is for 'direct address' of  
register R0. This is only required for  
registers R0 to R7

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## Stack Trace Example

For the program shown write down the stack values in the space provided when the execution reaches the indicated point in code.

Note: 'stack trace' makes good exam questions!

```

1000                               myprogram:
1000 75813F      mov SP, #3FH
1003 7410       mov a, #10H
1005 C0E0       push acc
1007 75F0F0     mov b, #0F0H
100A 12100F     call a_x_b_plus1
100D                               forever:
100D 80FE      jmp forever
100F          a_x_b_plus1:
100F C0E0      push acc
1011 C0F0      push b
1013 A4        mul ab
1014 04        inc a ; ← HERE!!!!
1015 D0F0      pop b
1017 D0E0      pop acc
1019 22        ret
    
```

Address	40H	41H	42H	43H	44H	45H	46H	47H
Value								

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## Stack Trace Example

```

1000                               myprogram:
1000 75813F      mov SP, #3FH
1003 7410       mov a, #10H
1005 C0E0       push acc ←
1007 75F0F0     mov b, #0F0H
100A 12100F     call a_x_b_plus1 ← 2 bytes!
100D                               forever:
100D 80FE      jmp forever
100F          a_x_b_plus1:
100F C0E0      push acc ←
1011 C0F0      push b ←
1013 A4        mul ab
1014 04        inc a ; ← HERE!!!!
1015 D0F0      pop b
1017 D0E0      pop acc
1019 22        ret
    
```

Address	40H	41H	42H	43H	44H	45H	46H	47H
Value	??	??	??	??	??	??	??	??

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## Using a debugger (cmon51):

```
P89LPC9351> r
PC=0000 A=00 PSW=00 B=00 IE=00 DPL=00 DPH=00 SP=07 REG BANK:0
R0=ff R1=f7 R2=ff R3=fd R4=58 R5=e6 R6=ff R7=6b
0000: 02 10 00 ljmp 1000
P89LPC9351> d 40 10
D:40: 00 00 00 00 00 00 00 00 : 00 00 00 00 00 00 00 00 .....
P89LPC9351> s
PC=1000 A=00 PSW=00 B=00 IE=08 DPL=00 DPH=00 SP=07 REG BANK:0
R0=ff R1=f7 R2=ff R3=fd R4=58 R5=e6 R6=ff R7=6b
1000: 75 81 3f mov SP,#3f
P89LPC9351> s
PC=1003 A=00 PSW=00 B=00 IE=08 DPL=00 DPH=00 SP=3f REG BANK:0
R0=ff R1=f7 R2=ff R3=fd R4=58 R5=e6 R6=ff R7=6b
1003: 74 10 mov a,#10
P89LPC9351> s
PC=1005 A=10 PSW=01 B=00 IE=08 DPL=00 DPH=00 SP=3f REG BANK:0
R0=ff R1=f7 R2=ff R3=fd R4=58 R5=e6 R6=ff R7=6b
1005: c0 e0 push ACC
P89LPC9351> s
PC=1007 A=10 PSW=01 B=00 IE=08 DPL=00 DPH=00 SP=40 REG BANK:0
R0=ff R1=f7 R2=ff R3=fd R4=58 R5=e6 R6=ff R7=6b
1007: 75 f0 f0 mov B,#f0
```

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## Using a debugger (cmon51):

```
P89LPC9351> s
PC=100a A=10 PSW=01 B=f0 IE=08 DPL=00 DPH=00 SP=40 REG BANK:0
R0=ff R1=f7 R2=ff R3=fd R4=58 R5=e6 R6=ff R7=6b
100a: 12 10 0f lcall 100f
P89LPC9351> s
PC=100f A=10 PSW=01 B=f0 IE=08 DPL=00 DPH=00 SP=42 REG BANK:0
R0=ff R1=f7 R2=ff R3=fd R4=58 R5=e6 R6=ff R7=6b
100f: c0 e0 push ACC
P89LPC9351> s
PC=1011 A=10 PSW=01 B=f0 IE=08 DPL=00 DPH=00 SP=43 REG BANK:0
R0=ff R1=f7 R2=ff R3=fd R4=58 R5=e6 R6=ff R7=6b
1011: c0 f0 push B
P89LPC9351> s
PC=1013 A=10 PSW=01 B=f0 IE=08 DPL=00 DPH=00 SP=44 REG BANK:0
R0=ff R1=f7 R2=ff R3=fd R4=58 R5=e6 R6=ff R7=6b
1013: a4 mul ab
P89LPC9351> s
PC=1014 A=00 PSW=04 B=0f IE=08 DPL=00 DPH=00 SP=44 REG BANK:0
R0=ff R1=f7 R2=ff R3=fd R4=58 R5=e6 R6=ff R7=6b
1014: 04 inc a
P89LPC9351> d 40 10
D:40: 10 0d 10 10 f0 14 10 04 : 00 00 00 00 00 00 00 00 .....
Answer! ↗
```

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## Exercises

- Write an assembly program to multiply the 24-bit binary number stored in registers R2, R1, R0 (R0 is the least significant byte) by 10 (decimal). Save the result in R3, R2, R1, R0. Use the MUL AB instruction.
- Write an assembly program to find the approximate square root of a 16-bit number stored in registers DPH and DPL. Save the result to register R7. Tip: Use a [binary search algorithm](#) to find the square root quickly!

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## Exercises

- A common way of passing parameters to a function is via the stack. Modify the function **WaitHalfSec** so that it receives the number of half-seconds to wait in the stack. (Note: this problem is not as trivial as it sounds. You may need to increment and/or decrement register SP to solve this problem)
- Most C programs pass parameters to functions via the stack. Also C programs use the stack to allocate automatic variables (local variables defined within the function). This works fine most of the time, but sometimes a condition commonly known as “stack overflow” occurs. Explain what causes “stack overflow”.

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