STATISTICS

ASSIGNMENT-3

Solve at least 3 exercises.

EXERCISE 1.

Answer the following questions by calculating the number of ways of obtaining particular arrangements of objects and events.

1. An athlete has eight different trophies, but only has room for four trophies in a display cabinet. How many different ways is it possible to display just four trophies out of eight, assuming that the display order is important?
   Answer: 8*7*6*5 = 1680 (Permutation)

2. A football manager has a squad of 20 players. How many different teams of 11 players could be selected from the squad? (Hint: Assume that positions of the players are not important)

   Answer: 20! / (11! * 9!) = 12920 (Combination)

EXERCISE 2.

Are people happy in their marriages? The table shows results from the 2008 General Social Survey for married adults classified by gender and level of happiness.

Gender	Very Happy	Pretty Happy	Not too Happy	*Total*
Male	183	243	43	***469***
Female	215	247	38	***500***
Total	***398***	***490***	***81***	***969***

1. Estimate the probability that a married adult is very happy.

Answer: 398 / 969 = 0.410

2. Estimate the probability that a married adult is very happy,

   (i) given that their gender is male and

   Answer: 183 / 469 = 0.39

   (ii) given that their gender is female.

   Answer: 215 / 500 = 0.43

3. For these subjects, are the events being very happy and being a male independent?

Answer: No, they are dependent. Because the probability of being 'very happy' is effected by being a male.

EXERCISE 3.

The Triple Blood Test screens a pregnant woman and provides as estimated risk of her baby being born with the genetic disorder Down syndrome. A study of 5282 women aged 35 or over analyzed the Triple Blood Test to test its accuracy.

A contingency table for Triple Blood Test of Down syndrome shown below.

Down	POS	NEG	*Total*
D (Down)	48	6	***54***
D_c (unaffected)	1307	3921	***5228***
Total	***1355***	***3927***	***5282***

1. Given that a test result is negative, show that the probability the fetus actually has Down syndrome is P(D I NEG) = 0.0015.

   Answer: P(D I NEG) = P(D ∩ NEG) / P(NEG)

2. Is P(D | NEG) equal to P(NEG | D)? If so, explain why. If not, find P(NEG | D).

   Answer: No, they aren't equal. Their sample sets are different.
   P(NEG | D) = P(D ∩ NEG) / P(D)
   P(NEG | D) = 6 / 54 = 0.11

EXERCISE 4.

Males and females are observed to react differently to a given set of circumstances. It has been observed that 70% of the females react positively to these circumstances, whereas only 40% of males react positively -. A group of 20 people, 15 female and 5 male, was subjected to these circumstances, and the subjects were asked to describe their reactions on a written questionnaire. A response picked at random from the 20 was negative. What is the probability that it was that of a male?

Answer:

	Pozitive	Negative
Male	0.4	0.6
Female	0.7	0.3

15 female 15 * (0.3) = 4.5 (Negative female)

5 male 5 * (0.6) = 3 (Negative male)

The negative status of those selected out of 20 people was clearly stated. So, our sample set would be:

4.5 + 3 = 7.5

The probability that a male who is clearly known to have made a negative choice will be selected from among 20 people:

3 / 7.5 = 0.4