BioSim parameter- and function descriptions

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Animals

Herbivores and Carnivores share the same parameters (excepting DeltaPhiMax which only applies to Carnivores, see section regarding the parameter for more information).

Weight

w_birth & sigma_birth

When calculating the birthweight of a new animal, the species' w_birth and siqma_birth are used.

$$\mu = \log \left(\frac{w_{\text{birth}}^2}{\sqrt{\text{sigma}_{\text{birth}}^2 + w_{\text{birth}}^2}} \right)$$

$$\sigma = \sqrt{\log\left(1 + \frac{\text{sigma}_{\text{birth}}^2}{w_{\text{birth}}^2}\right)}$$

The newly calculated values are then used in a log-normal function in order to draw randomly distributed samples of the new animals birthweight.

w_birth & sigma_birth & zeta & xi & gamma

In addition to calculating the birthweight, w_birth and $sigma_birth$ are used along with zeta in order to calculate the weight threshold for an animal to give birth. If this condition is not met, the animal will not give birth.

weight
$$\geq zeta(w_{birth} + zeta_{birth})$$

When an animal gives birth, it loses weight.

weight
$$-=$$
 xi \times baby weight

An animal may only give birth if is able to lose this weight (its weight cannot be negative).

The probability of producing offspring is also dependent on its *gamma*. The animal may in addition only give birth with a probability of the sum of its fitness and *gamma*.

beta

When an animal eats, it gains weight accordingly

weight
$$+=$$
 beta \times food eaten.

eta

Each year the animal loses weight accordingly

weight
$$-=$$
 eta \times weight.

Fitness

phi_age & a_half & phi_weight & w_half

The animals fitness is calculated as

$$\Phi = \begin{cases} 0 & w \leq 0 \\ q^+(a, a_{\frac{1}{2}}) \times q^-(w, w_{\frac{1}{2}}) & \text{elsewhere} \end{cases}$$

where q^{\pm} is calculated by

$$q^{\pm}(x,x_{\frac{1}{2}},\phi) = \frac{1}{1+e^{\pm\phi(x-x_{\frac{1}{2}})}},$$
 and a_half for q^+ and with phi_weigh

substituting x with phi_age and a_half for q^+ and with phi_weight and w_half for q^- .

Movement

mu & F

The movement of an animal depends on multiple factors. The first being a probability calculated as mu times the animals fitness. In addition, if this is satisfied, an animal may still be static. The additional probability is calculated by

$$abundance = \frac{food\ available}{(N+1)\times F},$$

where N is the number of animals of the same species in the cell, F is the amount of fodder an animal tries to eat every year.

The propensity is then calculated for each of the possible cells the animal may move to by

$$\pi = \exp(\text{abundance})$$

and the probability of moving to the selected cell

probability =
$$\frac{\pi_{i=\text{selected}}}{\sum_{i=1}^{4} \pi_i}$$

If π is 0 for all the neighboring cells, the probability of movement is set at 50%.

stride

The number of cells an animal moves per year.

Highland & Lowland & Desert & Water

The terrain-types the animal may move to (True for the movable types and False otherwise).

Death

omega

An animal may die. The probability of death is calculated as

probability =
$$omega(1 - fitness)$$
.

DeltaPhiMax

When a carnivore tries to eat a herbivore, it compares the herbivores' fitness to its own. If this difference is below DeltaPhiMax, the probability of killing that herbivore is

$$probability = \frac{difference}{DeltaPhiMax}$$

Island

There are also some parameters that reffers to the island as a whole. These parameters describe the growth of fodder in the different landscape types. The following section describes what changing these parameters affect.

Fodder

Highland & Lowland & Desert & Water

Describes the amount of available fodder in the selected terrain-type. See section on eating (under 'Weight') for information about how the available fodder is used.

alpha & v_max

The regrowth of fodder in a cell is determined by the factors alpha and v_max through the equation

$$available_fodder = min \left[current_fodder + v_max \left(1 - \frac{alpha(f_max - current_fodder)}{f_max} \right), f_max \right]$$

where $f_{-}max$ is the value set in the previous section.