$B = 66$
$i = 105$
$e = 101$
$n = 110$
$v = 118$
$e = 101$
$n = 110$
$u = 117$
$e = 101$

$f(x) = x^e \mod n$ avec $e = 7$ et $n = 8357$

$f(66) = 66^7 \mod 8357 = 2546$
$f(105) = 105^7 \mod 8357 = 824$
$f(101) = 101^7 \mod 8357 = 4962$
$f(110) = 110^7 \mod 8357 = 8071$
$f(118) = 118^7 \mod 8357 = 2160$
$f(101) = 101^7 \mod 8357 = 4962$
$f(110) = 110^7 \mod 8357 = 8071$
$f(117) = 117^7 \mod 8357 = 5933$
$f(101) = 101^7 \mod 8357 = 4962$

$f'(x) = x^d \mod n$ avec $d = 4663$ et $n = 8357$

$f'(2546) = 2546^{4663} \mod 8357 = 66$
$f'(824) = 824^{4663} \mod 8357 = 105$
$f'(4962) = 4962^{4663} \mod 8357 = 101$
$f'(8071) = 8071^{4663} \mod 8357 = 110$
$f'(2160) = 2160^{4663} \mod 8357 = 118$
$f'(4962) = 4962^{4663} \mod 8357 = 101$
$f'(8071) = 8071^{4663} \mod 8357 = 110$
$f'(5933) = 5933^{4663} \mod 8357 = 117$
$f'(4962) = 4962^{4663} \mod 8357 = 101$