

# C, C++ and DSA in depth

## Recursion



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## Agenda

- ① What is a recursion?
- ② Recursion Tree | Tracing code
- ③ How to approach recursive solution?
- ④ Few examples

## What is a recursion?

- Function calling itself is called recursion
- A recursive method solves a problem by calling a copy of itself to work on a smaller problem.
- It is important to ensure that the recursion terminates.

void f1()

{

printf("Hello"),

→ f1();

printf("Bye");

}

f1();

→ printf()

→ f1() →

→ printf()

HelloHelloHelloHello

void f2()

{

printf("A");

}

f1();

→ printf()

→ f2()

→ printf()

Hello A Bye

Infinite Recursion

printf()

f1() →

printf()

f1() →

printf()

printf()

f1() →

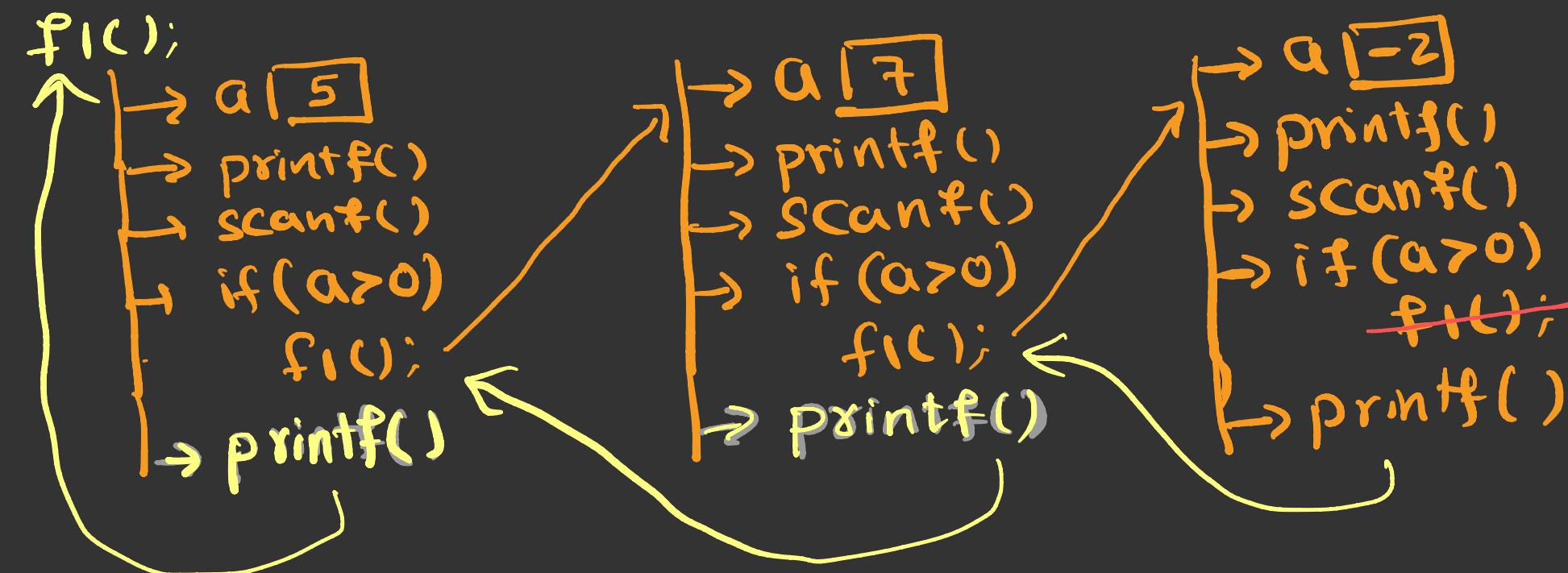
printf()

```

void f1()
{
    int a;
    printf("Enter a number");
    scanf("%d", &a);
    if(a>0)
        f1();
    printf("%d", a);
}

```

Enter a number 5  
 Enter a number 7  
 Enter a number -2  
 -2 7 5



- Each time the function call itself with a slightly simpler version of the original problem.
- Recursive code is generally shorter and easier to write than iterative code.
- Solution to some problems are easier to formulate recursively.

```

int main()
{
    int K;
    K=f1(3);
    printf("%d",K);
    return 0;
}

int f1(int n)
{
    int s;
    if(n==1)
        return(1);
    s=n+f1(n-1);
    return(s);
}

```

## Recursion Tree

6

main()

K  
6  
int K; 6  
K=f1(3);  
printf("%d",K);  
return 0;

f1(int n)

n | 3  
6  
S 6  
int s;  
if(n==1)  
return(1);  
s=n+f1(n-1);  
return(s);

f1(int n)

n | 2  
3  
S 3  
int s;  
if(n==1)  
return(1);  
s=n+f1(n-1);  
return(s);

f1(int n)

n | 1  
1  
S  
int s;  
if(n==1)  
return(1);  
s=n+f1(n-1);  
return(s);

# How to approach a Recursive Problem?

Write a recursive function to calculate sum of first n natural numbers.

```
int sum(int n)
```

```
{  
    if(n==1)  
        return 1;  
    return n+sum(n-1);  
}
```

- ①  $\text{sum}(n) = 1 + 2 + 3 + 4 + \dots + (n-1) + n$
- RC ②  $n + \text{sum}(n-1) = 1 + 2 + 3 + \dots + (n-1)$
- BC ③  $n = 1 \quad \text{return}(1) = 1$

$$\text{sum}(10) = \overbrace{1+2+3+4+5+6+7+8+9}^{45} + 10$$

$$10 + \text{sum}(9) = \overbrace{1+2+3+4+5+6+7+8+9}^{45}$$

$$\text{sum}(2) = 1 + 2 + 10$$

$$\text{sum}(1) = 1$$

$$10 + 9 + 8 + 7 + 6 + 5 + 4 + 3 + 2 + 1$$

Sum(10)

$$9 + 8 + 7 + 6 + 5 + 4 + 3 + 2 + 1$$

$$\overbrace{10 + \text{sum}(9)}$$

$$8 + 7 + 6 + 5 + 4 + 3 + 2 + 1$$

$$\overbrace{9 + \text{sum}(8)}$$

$$7 + 6 + 5 + 4 + 3 + 2 + 1$$

$$\overbrace{8 + \text{sum}(7)}$$

$$6 + 5 + 4 + 3 + 2 + 1$$

$$\overbrace{7 + \text{sum}(6)}$$

$$5 + 4 + 3 + 2 + 1$$

$$\overbrace{6 + \text{sum}(5)}$$

$$4 + 3 + 2 + 1$$

$$\overbrace{5 + \text{sum}(4)}$$

$$3 + 2 + 1$$

$$\overbrace{4 + \text{sum}(3)}$$

$$2 + 1$$

$$\overbrace{3 + \text{sum}(2)}$$

$$1$$

$$\overbrace{2 + \cancel{\text{sum}(1)}}$$

Write a recursive function to calculate factorial of n.

```
int fact(int n) {  
    if(n==0)  
        return 1;  
    return( n*fact(n-1));  
}
```

① fact(n)  $1 \times 2 \times 3 \times 4 \times \dots \times (n-1) \times n$   
RC ②  $n * \text{fact}(n-1)$   $1 \times 2 \times 3 \times \dots \times (n-1)$   
BC ③  $n == 0$  1

Write a recursive function to print first  $n$  natural numbers.

```
void printN(int n)
```

```
{
```

```
if(n>0)
```

```
{
```

```
printN(n-1);
```

```
printf("%d",n);
```

```
}
```

```
}
```

① printN( $n$ ) | 2 3 4 5 ... ( $n-1$ )  $n$

RC ② printN( $n-1$ ) | 2 3 4 5 ... ( $n-1$ )  
printf("%d", $n$ );  $n$

BC ③  $n \rightarrow 0$