

## Exercise 2

**Task 2.1** (OpenMP theoretical concepts). Recall what you have learned in the classes.

- a) Indicate and describe the types of scheduling that OpenMP provides. Indicate the situations for which they are indicated.

**Solution:** **Static:** Iterations divided into #threads blocks, which are assigned to threads. If chunk is defined, chunks are assigned to threads in a round robin fashion. **Dynamic:** Iterations divided in blocks of chunksize (1 if not defined), assigned to threads in the order they finish the previous blocks. **Guided:** Similar to dynamic but the size of the blocks reduces over time.

- b) What are the two main disadvantages of dynamic scheduling?

**Solution:** **Locality issues:** work is not assigned contiguously, which might impair locality usage. **Overhead:** Assignment of work is costly (need to verify what thread is idle / thread has to signal scheduler, etc), in comparison to static scheduling.

- c) What forms of synchronization are provided by OpenMP? Specify and fully describe each primitive/construct/clause.

**Solution:** **Critical:** All threads execute that piece of code, but one at a time. **Single:** Piece of code executed only by one (unspecified) thread only. **Atomic:** Single memory location executed by all threads but one at a time. **Master:** Piece of code executed by the master thread. **Barrier:** Threads wait at the barrier point until all threads reach it. **Nowait:** Threads do not wait in the end of a for construct, where an implicit barrier is present.

**Task 2.2.** Complete the scoping of the variables in the code using their types accordingly.

```
#pragma omp parallel for
for (i=0; i<m; i++){
    y[i]=0;
    for (j=0; j<n; j++){
        y[i]= y[i] + A[i][j]*x[j];
    }
}
```

**Solution:**

```
#pragma omp parallel for private(i,j) shared(y,m,n,A,x)
for (i=0; i<m; i++){
    y[i]=0;
    for (j=0; j<n; j++){
        y[i]= y[i] + A[i][j]*x[j];
    }
}
```

**Task 2.3.** Eliminate any data race in the code.  $fib(i)$  is a function that outputs the  $i^{th}$  element in the Fibonacci sequence.

```
int y[55]={-1};
#pragma omp parallel for
for (i=0; i<10; i++){
    y[fib(i)]=fib(i)+i;
}
```

**Solution:** Exercise with multiple solutions. A possible one would be:

```
int y[55]={-1};

y[0] = 0;
y[1] = fib(1)+2;

#pragma omp parallel for
for (i=3; i<10; i++){
    y[fib(i)]=fib(i)+i;
}
```

**Task 2.4.** Indicate the type of dependence (if any) in each piece of code and parallelize them but removing the dependence accordingly.

a) 

```
#pragma omp parallel for
for (i=0; i<n-1; i++){
    y[i]=y[i+1]*x[i+1];
}
```

**Solution:** Anti-dependence. Solvable with array duplication.

```
/* create a copy of vector y, named aux_y */

#pragma omp parallel for
for (i=0; i<n-1; i++){
    y[i]=aux_y[i+1]*x[i+1];
}
```

b) 

```
#pragma omp parallel for
for (i=0; i<n; i++){
    y[i] = h[f(1)] * y[i];
    d = y[i];
}
printf("Result = %d.\n",d);
```

**Solution:** Output dependence. Solvable with *lastprivate*. Writing  $y[x]$  is an acceptable data-race.

```
#pragma omp parallel for lastprivate(d)
for (i=0; i<n; i++){
```

```
        y[i] = h[f(1)] * y[i];  
        d = y[i];  
    }  
    printf("Result = %d.\n", d);
```

c) 

```
#pragma omp parallel for  
for (i=4; i<n-2; i+=2){  
    a[i+1] = x;  
    a[i+2] = y;  
    h[i] = a[i];  
    h[i+1] = a[i];  
}
```

**Solution:** Flow dependence on  $a[i+2]$ . There are no problems with accesses to  $h$ . A possible solution, with loop skewing (double loop for commodity - may affect performance if compiler is not able to join them):

```
#pragma omp parallel for  
for (i=4; i<n-2; i+=2){  
    a[i+1] = x;  
    a[i+2] = y;  
}
```

```
#pragma omp parallel for  
for (i=4; i<n-3; i+=2){  
    h[i+1] = a[i+1];  
    h[i+2] = a[i+1];  
}
```