# Exercise Set 2

#### **PDDL**

- Create a PDDL problem where:
  - 1. There is at least 6 atomic fluents, 4 actions, and 2 paths to a goal state.
  - 2. All paths to the goal correspond to actions that can be relaxed to a *partial* order.

In the following solution, one of the paths to goal cannot be relaxed to a partial order in the sense desired here (it always remains a total order). But there is such a path that will be used later.

InitialState: -

Goal: Can-Fly

Action: CatchChicken

Preconditions: -Tired

Effect: HaveChicken, Tired

Action: BuyTicket

Preconditions: HaveMoney

Effect: CanFly,-HaveMoney

Action: GlueFeathersOn

Preconditions: HaveFeathers, HaveGlue

• Effect: CanFly, -HaveFeathers,-HaveGlue

Action: PluckChicken

Preconditions: HaveChicken

• Effect: HaveFeathers, -HaveChicken

Action: Work

Preconditions: -Tired

Effect: HaveMoney, Tired

Action: BuyGlue

Precondition: HaveMoney

Effect: HaveGlue, -HaveMoney

Action: Rest

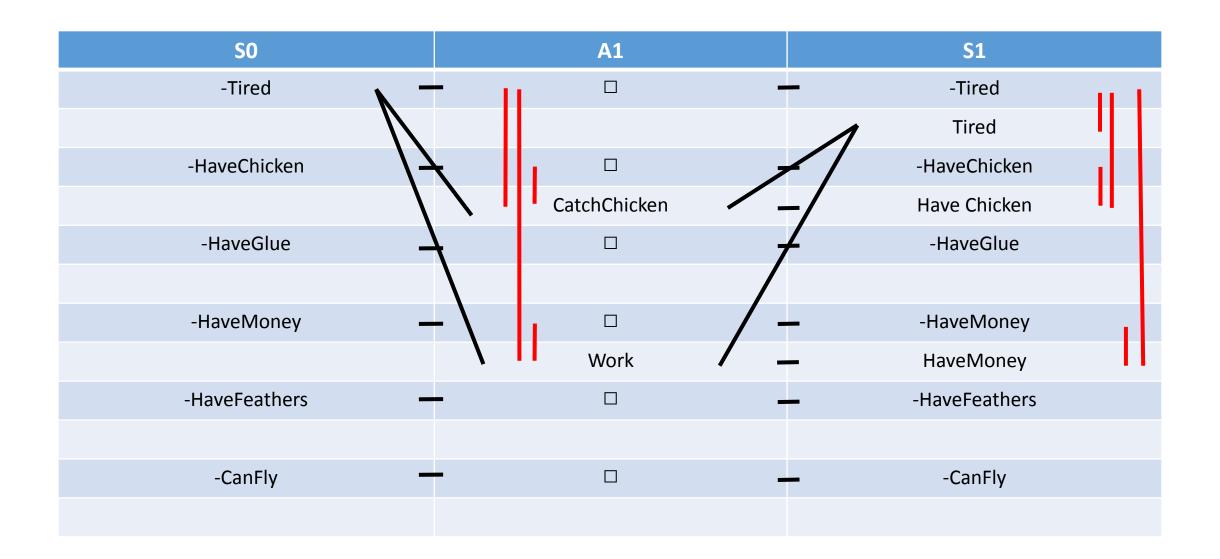
Precondition: Tired

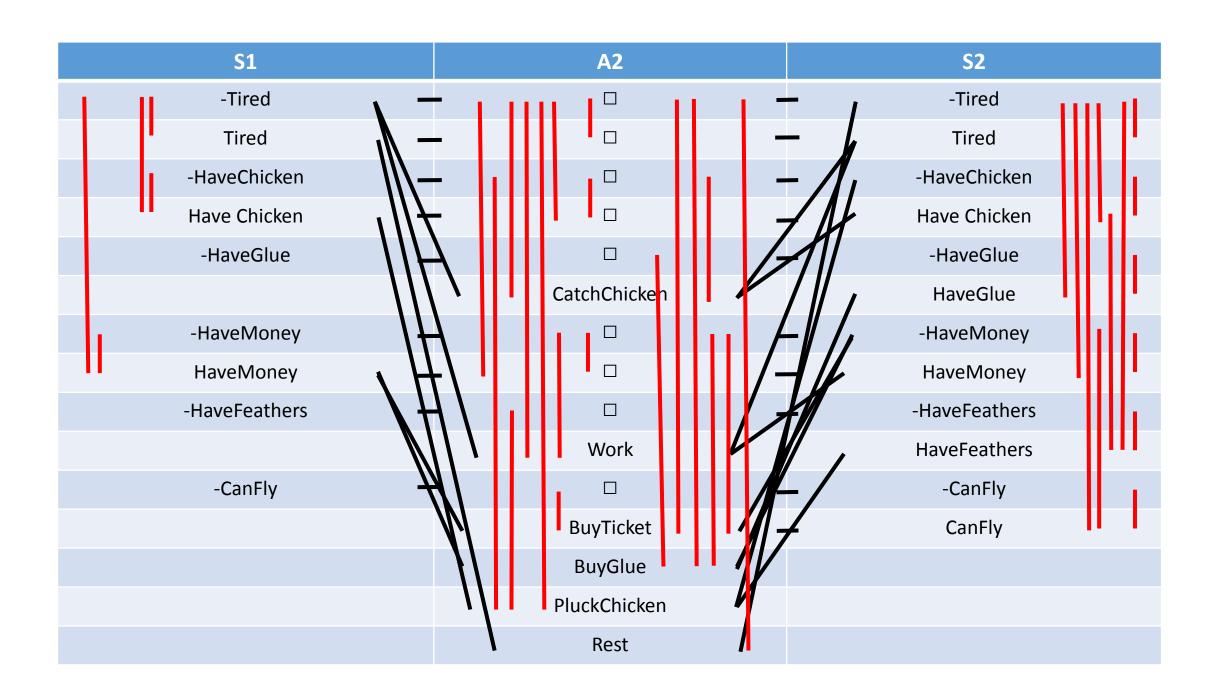
Effect: -Tired

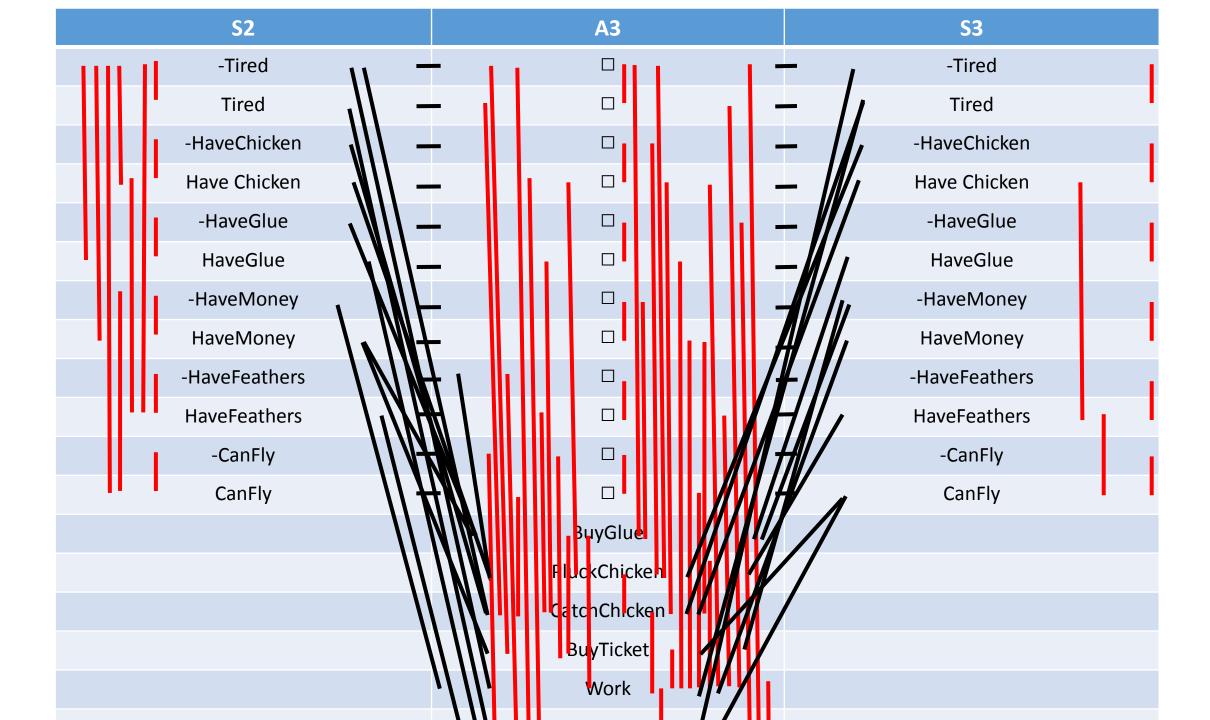
# Planning Graphs

• Create the layers  $S_0$  to  $S_3$  (and therefore including  $S_0$ - $A_2$ ) of the planning graph for your problem, where  $S_0$  is your specified initial state.

The answer here get more approximate as it goes! Planning Graphs are very hard to do by hand. You will not have to do anything this hard in the exam.





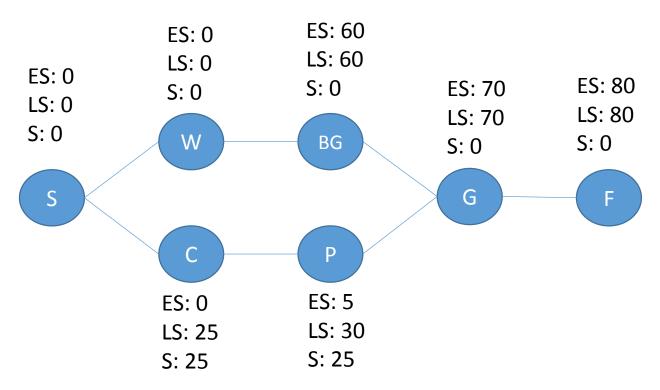


S0	A1	<b>S1</b>		S2		<b>S3</b>
-Tired 🗕	'I - I	-Tired		Tired		-Tired
		Tired		Tired		Tired
-HaveChicker			<del> </del>	-HaveChicken		-HaveChicken
	CatchChicken	- Have Chicken	CatchChicken <b>–</b>	Have Chicken	_	<ul> <li>Have Chicken</li> </ul>
-HaveGlue <b>—</b>		-HaveGlue		-HaveGlue		-HaveGlue
		/   \	BuyGlue -	<ul> <li>HaveGlue</li> </ul>		HaveGlue
-HaveMoney		-HaveMoney	<b>∀</b> \ □ <i>{</i>	-HaveMoney		-HaveMoney
	Work	HaveMoney	Work	<ul><li>HaveMoney</li></ul>		HaveMoney
-HaveFeathers —	• 🗆	HaveFeathers	₩ □ +	<ul><li>- HaveFeathers</li></ul>		-HaveFeathers
			PluckChicken	<ul><li>HaveFeathers</li></ul>		HaveFeathers
-CanFly —	. 🗆	CanFly	_\	<b>_</b> -CanFly		-CanFly
			BuyTicket -	CanFly		CanFly

## Resource Free Scheduling

- Add duration specifications to your actions.
- Take a partial order plan for your problem and use the Dynamic Programming Algorithm for Resource-Free Scheduling to calculate a schedule: Earliest start times, latest start times, and slack times for each required action.

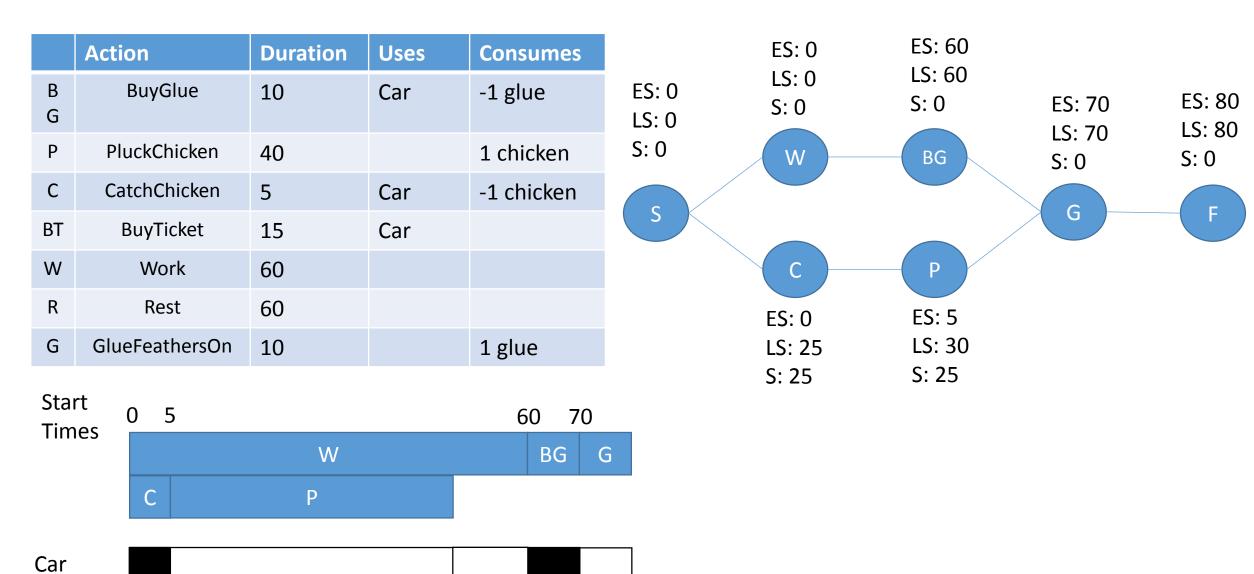
	Action	Duration	
BG	BuyGlue	10	
Р	PluckChicken	40	
С	CatchChicken	5	
ВТ	BuyTicket	15	
W	Work	60	
R	Rest	60	
G	GlueFeathersOn	10	



### Resource Constrained Scheduling

- Add consumable and durable resource specifications to your actions.
- Use the minimum slack algorithm to calculate a resource constrained schedule: Start times and resource allocations.

There was a mistake on this question: It should be asking for start time and resource allocations only.



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Chickens

Glues

<sup>\*</sup>The comsumable resource is *becoming* this number.