# Module 2

October 12, 2020

You are currently looking at **version 1.1** of this notebook. To download notebooks and datafiles, as well as get help on Jupyter notebooks in the Coursera platform, visit the Jupyter Notebook FAQ course resource.

# 1 Applied Machine Learning: Module 2 (Supervised Learning, Part I)

#### 1.1 Preamble and Review

```
In [1]: %matplotlib notebook
        import numpy as np
        import pandas as pd
        import seaborn as sn
        import matplotlib.pyplot as plt
        from sklearn.model_selection import train_test_split
        from sklearn.neighbors import KNeighborsClassifier
        np.set_printoptions(precision=2)
        fruits = pd.read_table('readonly/fruit_data_with_colors.txt')
        feature_names_fruits = ['height', 'width', 'mass', 'color_score']
        X_fruits = fruits[feature_names_fruits]
        y_fruits = fruits['fruit_label']
        target_names_fruits = ['apple', 'mandarin', 'orange', 'lemon']
        X_fruits_2d = fruits[['height', 'width']]
        y_fruits_2d = fruits['fruit_label']
        X_train, X_test, y_train, y_test = train_test_split(X_fruits, y_fruits, range)
        from sklearn.preprocessing import MinMaxScaler
        scaler = MinMaxScaler()
        X_train_scaled = scaler.fit_transform(X_train)
```

```
knn = KNeighborsClassifier(n_neighbors = 5)
        knn.fit(X train scaled, y train)
        print('Accuracy of K-NN classifier on training set: {:.2f}'
             .format(knn.score(X train scaled, y train)))
        print('Accuracy of K-NN classifier on test set: {:.2f}'
             .format(knn.score(X_test_scaled, y_test)))
        example_fruit = [[5.5, 2.2, 10, 0.70]]
        example_fruit_scaled = scaler.transform(example_fruit)
        print('Predicted fruit type for ', example_fruit, ' is ',
                  target_names_fruits[knn.predict(example_fruit_scaled)[0]-1])
Accuracy of K-NN classifier on training set: 0.95
Accuracy of K-NN classifier on test set: 1.00
Predicted fruit type for [[5.5, 2.2, 10, 0.7]] is mandarin
1.2 Datasets
In [2]: from sklearn.datasets import make_classification, make_blobs
        from matplotlib.colors import ListedColormap
        from sklearn.datasets import load_breast_cancer
        from adspy shared utilities import load crime dataset
        cmap_bold = ListedColormap(['#FFFF00', '#00FF00', '#0000FF', '#000000'])
        # synthetic dataset for simple regression
        from sklearn.datasets import make_regression
        plt.figure()
        plt.title('Sample regression problem with one input variable')
        X_R1, y_R1 = make_regression(n_samples = 100, n_features=1,
                                    n_informative=1, bias = 150.0,
                                    noise = 30, random_state=0)
        plt.scatter(X_R1, y_R1, marker= 'o', s=50)
        plt.show()
        # synthetic dataset for more complex regression
        from sklearn.datasets import make_friedman1
        plt.figure()
        plt.title('Complex regression problem with one input variable')
        X_F1, y_F1 = make_friedman1(n_samples = 100,
                                   n_features = 7, random_state=0)
```

# we must apply the scaling to the test set that we computed for the train.

X\_test\_scaled = scaler.transform(X\_test)

```
plt.show()
        # synthetic dataset for classification (binary)
        plt.figure()
        plt.title('Sample binary classification problem with two informative feature
        X_C2, y_C2 = make_classification(n_samples = 100, n_features=2,
                                        n_redundant=0, n_informative=2,
                                        n_clusters_per_class=1, flip_y = 0.1,
                                        class_sep = 0.5, random_state=0)
        plt.scatter(X_C2[:, 0], X_C2[:, 1], c=y_C2,
                   marker= 'o', s=50, cmap=cmap_bold)
        plt.show()
        # more difficult synthetic dataset for classification (binary)
        # with classes that are not linearly separable
        X_D2, y_D2 = make_blobs(n_samples = 100, n_features = 2, centers = 8,
                               cluster_std = 1.3, random_state = 4)
        y D2 = y D2 % 2
       plt.figure()
        plt.title('Sample binary classification problem with non-linearly separable
        plt.scatter(X_D2[:,0], X_D2[:,1], c=y_D2,
                   marker= 'o', s=50, cmap=cmap_bold)
       plt.show()
        # Breast cancer dataset for classification
        cancer = load_breast_cancer()
        (X_cancer, y_cancer) = load_breast_cancer(return_X_y = True)
        # Communities and Crime dataset
        (X_crime, y_crime) = load_crime_dataset()
<IPython.core.display.Javascript object>
<IPython.core.display.HTML object>
<IPython.core.display.Javascript object>
<IPython.core.display.HTML object>
<IPython.core.display.Javascript object>
```

plt.scatter(X\_F1[:, 2], y\_F1, marker= 'o', s=50)

```
<IPython.core.display.HTML object>
<IPython.core.display.Javascript object>
<IPython.core.display.HTML object>
```

# 1.3 K-Nearest Neighbors

#### 1.3.1 Classification

#### 1.3.2 Regression

In [4]: from sklearn.neighbors import KNeighborsRegressor

X\_train, X\_test, y\_train, y\_test = train\_test\_split(X\_R1, y\_R1, random\_state)

knnreg = KNeighborsRegressor(n\_neighbors = 5).fit(X\_train, y\_train)

print(knnreg.predict(X\_test))

print('R-squared test score: {:.3f}'.format(knnreg.score(X\_test, y\_test)))

```
[ 231.71 148.36 150.59 150.59 72.15 166.51 141.91 235.57
                                                                 208.26
 102.1 191.32 134.5 228.32 148.36 159.17 113.47 144.04 199.23
  143.19 166.51 231.71 208.26 128.02 123.14 141.91]
R-squared test score: 0.425
In [5]: fig, subaxes = plt.subplots(1, 2, figsize=(8,4))
       X_predict_input = np.linspace(-3, 3, 50).reshape(-1,1)
       X_train, X_test, y_train, y_test = train_test_split(X_R1[0::5], y_R1[0::5],
        for thisaxis, K in zip(subaxes, [1, 3]):
           knnreg = KNeighborsRegressor(n_neighbors = K).fit(X_train, y_train)
           y_predict_output = knnreg.predict(X_predict_input)
           thisaxis.set_xlim([-2.5, 0.75])
           thisaxis.plot(X_predict_input, y_predict_output, '^', markersize = 10,1
           thisaxis.plot(X_train, y_train, 'o', label='True Value', alpha=0.8)
           thisaxis.set_xlabel('Input feature')
           thisaxis.set_ylabel('Target value')
           thisaxis.set_title('KNN regression (K={})'.format(K))
           thisaxis.legend()
       plt.tight_layout()
<IPython.core.display.Javascript object>
<IPython.core.display.HTML object>
```

#### 1.3.3 Regression model complexity as a function of K

```
In [6]: \# plot k-NN regression on sample dataset for different values of K
        fig, subaxes = plt.subplots(5, 1, figsize=(5,20))
        X_predict_input = np.linspace(-3, 3, 500).reshape(-1,1)
        X_train, X_test, y_train, y_test = train_test_split(X_R1, y_R1,
                                                           random\_state = 0)
        for thisaxis, K in zip(subaxes, [1, 3, 7, 15, 55]):
            knnreg = KNeighborsRegressor(n_neighbors = K).fit(X_train, y_train)
            y_predict_output = knnreg.predict(X_predict_input)
            train_score = knnreg.score(X_train, y_train)
            test_score = knnreg.score(X_test, y_test)
            thisaxis.plot(X_predict_input, y_predict_output)
            thisaxis.plot(X_train, y_train, 'o', alpha=0.9, label='Train')
            thisaxis.plot(X_test, y_test, '^', alpha=0.9, label='Test')
            thisaxis.set_xlabel('Input feature')
            thisaxis.set_ylabel('Target value')
            thisaxis.set_title('KNN Regression (K={})\n\
        Train R^2 = {:.3f}, Test R^2 = {:.3f}
                              .format(K, train_score, test_score))
```

```
thisaxis.legend()
    plt.tight_layout(pad=0.4, w_pad=0.5, h_pad=1.0)
<IPython.core.display.Javascript object>
<IPython.core.display.HTML object>
```

# 1.4 Linear models for regression

#### 1.4.1 Linear regression

```
In [7]: from sklearn.linear_model import LinearRegression
        X_train, X_test, y_train, y_test = train_test_split(X_R1, y_R1,
                                                            random_state = 0)
        linreg = LinearRegression().fit(X_train, y_train)
        print('linear model coeff (w): {}'
             .format(linreq.coef_))
        print('linear model intercept (b): {:.3f}'
             .format(linreq.intercept ))
        print('R-squared score (training): {:.3f}'
             .format(linreg.score(X_train, y_train)))
        print('R-squared score (test): {:.3f}'
             .format(linreg.score(X_test, y_test)))
linear model coeff (w): [ 45.71]
linear model intercept (b): 148.446
R-squared score (training): 0.679
R-squared score (test): 0.492
```

#### 1.4.2 Linear regression: example plot

```
In [8]: plt.figure(figsize=(5,4))
        plt.scatter(X_R1, y_R1, marker= 'o', s=50, alpha=0.8)
        plt.plot(X_R1, linreg.coef_ * X_R1 + linreg.intercept_, 'r-')
        plt.title('Least-squares linear regression')
        plt.xlabel('Feature value (x)')
        plt.ylabel('Target value (y)')
        plt.show()

<IPython.core.display.Javascript object>
```

```
In [9]: X_train, X_test, y_train, y_test = train_test_split(X_crime, y_crime,
                                                        random\_state = 0)
       linreg = LinearRegression().fit(X_train, y_train)
       print('Crime dataset')
       print('linear model intercept: {}'
            .format(linreq.intercept ))
       print('linear model coeff:\n{}'
            .format(linreg.coef ))
       print('R-squared score (training): {:.3f}'
            .format(linreg.score(X_train, y_train)))
       print('R-squared score (test): {:.3f}'
            .format(linreg.score(X_test, y_test)))
Crime dataset
linear model intercept: -1728.1306726048451
linear model coeff:
  1.62e-03 -9.43e+01
                       1.36e+01 -3.13e+01 -8.15e-02 -1.69e+01
 -2.43e-03
           1.53e+00 -1.39e-02 -7.72e+00
                                            2.28e+01 -5.66e+00
  9.35e+00
           2.07e-01 -7.43e+00 9.66e-03
                                          4.38e-03 4.80e-03
 -4.46e+00 -1.61e+01 8.83e+00 -5.07e-01 -1.42e+00 8.18e+00
 -3.87e+00 -3.54e+00 4.49e+00 9.31e+00 1.74e+02 1.18e+01
  1.51e+02 -3.30e+02 -1.35e+02 6.95e-01 -2.38e+01 2.77e+00
  3.82e-01 4.39e+00 -1.06e+01 -4.92e-03 4.14e+01 -1.16e-03
  1.19e+00 1.75e+00 -3.68e+00 1.60e+00 -8.42e+00 -3.80e+01
  4.74e+01 -2.51e+01
                      -2.88e-01 -3.66e+01
                                            1.90e+01 -4.53e+01
  6.83e+02 1.04e+02 -3.29e+02 -3.14e+01 2.74e+01 5.12e+00
  6.92e+01
           1.98e-02 -6.12e-01 2.65e+01
                                           1.01e+01 -1.59e+00
  2.24e+00 7.38e+00 -3.14e+01 -9.78e-05
                                           5.02e-05 -3.48e-04
 -2.50e-04 -5.27e-01 -5.17e-01 -4.10e-01
                                            1.16e-01 1.46e+00
                                            2.89e-01 1.77e+01
 -3.04e-01 2.44e+00 -3.66e+01
                                 1.41e-01
  5.97e-01
           1.98e+00 -1.36e-01 -1.85e+00]
R-squared score (training): 0.673
R-squared score (test): 0.496
```

#### 1.4.3 Ridge regression

```
.format(linridge.coef_))
        print('R-squared score (training): {:.3f}'
             .format(linridge.score(X_train, y_train)))
        print('R-squared score (test): {:.3f}'
             .format(linridge.score(X test, y test)))
        print('Number of non-zero features: {}'
             .format(np.sum(linridge.coef != 0)))
Crime dataset
ridge regression linear model intercept: -3352.423035846206
ridge regression linear model coeff:
[ 1.95e-03
           2.19e+01
                      9.56e+00 -3.59e+01
                                           6.36e+00 -1.97e+01
 -2.81e-03 1.66e+00 -6.61e-03 -6.95e+00 1.72e+01 -5.63e+00
  8.84e+00 6.79e-01 -7.34e+00 6.70e-03 9.79e-04 5.01e-03
 -4.90e+00 -1.79e+01 9.18e+00 -1.24e+00 1.22e+00 1.03e+01
 -3.78e+00 -3.73e+00 4.75e+00 8.43e+00
                                           3.09e+01 1.19e+01
 -2.05e+00 -3.82e+01 1.85e+01 1.53e+00 -2.20e+01 2.46e+00
  3.29e-01 4.02e+00 -1.13e+01 -4.70e-03 4.27e+01 -1.23e-03
  1.41e+00 9.35e-01 -3.00e+00 1.12e+00 -1.82e+01 -1.55e+01
  2.42e+01 -1.32e+01 -4.20e-01 -3.60e+01 1.30e+01 -2.81e+01
  4.39e+01 3.87e+01 -6.46e+01 -1.64e+01 2.90e+01 4.15e+00
  5.34e+01 1.99e-02 -5.47e-01 1.24e+01 1.04e+01 -1.57e+00
  3.16e+00 8.78e+00 -2.95e+01 -2.33e-04 3.14e-04 -4.14e-04
 -1.80e-04 -5.74e-01 -5.18e-01 -4.21e-01 1.53e-01 1.33e+00
  3.85e+00 3.03e+00 -3.78e+01 1.38e-01
                                           3.08e-01 1.57e+01
  3.31e-01 3.36e+00
                      1.61e-01 -2.68e+00]
R-squared score (training): 0.671
R-squared score (test): 0.494
Number of non-zero features: 88
```

#### Ridge regression with feature normalization

```
print('ridge regression linear model coeff:\n{}'
            .format(linridge.coef_))
       print('R-squared score (training): {:.3f}'
            .format(linridge.score(X_train_scaled, y_train)))
       print('R-squared score (test): {:.3f}'
            .format(linridge.score(X_test_scaled, y_test)))
       print('Number of non-zero features: {}'
            .format(np.sum(linridge.coef_ != 0)))
Crime dataset
ridge regression linear model intercept: 933.390638504416
ridge regression linear model coeff:
[ 88.69
         16.49 -50.3
                        -82.91 -65.9
                                        -2.28
                                                87.74 150.95
                                                              18.88
 -31.06 -43.14 -189.44
                       -4.53 107.98 -76.53
                                                2.86
                                                       34.95
                                                               90.14
  52.46 -62.11 115.02
                         2.67
                                6.94 \quad -5.67 \quad -101.55 \quad -36.91
                                                               -8.71
  29.12 171.26
                 99.37 75.07 123.64 95.24 -330.61 -442.3 -284.5
-258.37 17.66 -101.71 110.65 523.14 24.82
                                                 4.87 - 30.47
                                                               -3.52
                                58.34 67.09 -57.94 116.14
  50.58 10.85 18.28 44.11
                                                               53.81
                55.14 -52.09 123.39
                                        77.13
  49.02 -7.62
                                                45.5
                                                       184.91 -91.36
   1.08 234.09 10.39 94.72 167.92 -25.14 -1.18
                                                      14.6
                                                               36.77
  53.2
         -78.86 -5.9
                        26.05 115.15
                                       68.74 68.29
                                                        16.53 -97.91
 205.2
         75.97 61.38 -79.83
                                67.27 95.67 -11.88]
R-squared score (training): 0.615
R-squared score (test): 0.599
Number of non-zero features: 88
```

# Ridge regression with regularization parameter: alpha

' condition number: {}'.format(rcond), RuntimeWarning)

```
Alpha = 0.00
num abs(coeff) > 1.0: 88, r-squared training: 0.67, r-squared test: 0.50

Alpha = 1.00
num abs(coeff) > 1.0: 87, r-squared training: 0.66, r-squared test: 0.56

Alpha = 10.00
num abs(coeff) > 1.0: 87, r-squared training: 0.63, r-squared test: 0.59

Alpha = 20.00
num abs(coeff) > 1.0: 88, r-squared training: 0.61, r-squared test: 0.60
```

#### 1.4.4 Lasso regression

```
In [ ]: from sklearn.linear_model import Lasso
        from sklearn.preprocessing import MinMaxScaler
        scaler = MinMaxScaler()
        X_train, X_test, y_train, y_test = train_test_split(X_crime, y_crime,
                                                            random_state = 0)
        X_train_scaled = scaler.fit_transform(X_train)
        X_test_scaled = scaler.transform(X_test)
        linlasso = Lasso(alpha=2.0, max_iter = 10000).fit(X_train_scaled, y_train)
        print('Crime dataset')
        print('lasso regression linear model intercept: {}'
             .format(linlasso.intercept_))
        print('lasso regression linear model coeff:\n{}'
             .format(linlasso.coef_))
        print('Non-zero features: {}'
             .format(np.sum(linlasso.coef_ != 0)))
        print('R-squared score (training): {:.3f}'
             .format(linlasso.score(X_train_scaled, y_train)))
        print('R-squared score (test): {:.3f}\n'
             .format(linlasso.score(X_test_scaled, y_test)))
        print('Features with non-zero weight (sorted by absolute magnitude):')
        for e in sorted (list(zip(list(X_crime), linlasso.coef_)),
                        key = lambda e: -abs(e[1])):
            if e[1] != 0:
                print('\t{}, {:.3f}'.format(e[0], e[1]))
```

Lasso regression with regularization parameter: alpha

```
In [ ]: print('Lasso regression: effect of alpha regularization'n')
        parameter on number of features kept in final model\n')
        for alpha in [0.5, 1, 2, 3, 5, 10, 20, 50]:
            linlasso = Lasso(alpha, max_iter = 10000).fit(X_train_scaled, y_train)
            r2_train = linlasso.score(X_train_scaled, y_train)
            r2 test = linlasso.score(X test scaled, y test)
            print('Alpha = {:.2f}\nFeatures kept: {}, r-squared training: {:.2f}, '
        r-squared test: {:.2f}\n'
                 .format(alpha, np.sum(linlasso.coef_ != 0), r2_train, r2_test))
1.4.5 Polynomial regression
In [ ]: from sklearn.linear_model import LinearRegression
        from sklearn.linear_model import Ridge
        from sklearn.preprocessing import PolynomialFeatures
        X_train, X_test, y_train, y_test = train_test_split(X_F1, y_F1,
                                                            random state = 0)
        linreg = LinearRegression().fit(X_train, y_train)
        print('linear model coeff (w): {}'
             .format(linreg.coef_))
        print('linear model intercept (b): {:.3f}'
             .format(linreg.intercept_))
        print('R-squared score (training): {:.3f}'
             .format(linreg.score(X_train, y_train)))
        print('R-squared score (test): {:.3f}'
             .format(linreg.score(X_test, y_test)))
        print('\nNow we transform the original input data to add\n\
        polynomial features up to degree 2 (quadratic) \n')
        poly = PolynomialFeatures(degree=2)
        X_F1_poly = poly.fit_transform(X_F1)
        X_train, X_test, y_train, y_test = train_test_split(X_F1_poly, y_F1,
                                                            random_state = 0)
        linreg = LinearRegression().fit(X_train, y_train)
        print('(poly deg 2) linear model coeff (w):\n{}'
             .format(linreg.coef_))
        print('(poly deg 2) linear model intercept (b): {:.3f}'
             .format(linreg.intercept_))
        print('(poly deg 2) R-squared score (training): {:.3f}'
             .format(linreg.score(X_train, y_train)))
        print('(poly deg 2) R-squared score (test): {:.3f}\n'
```

```
.format(linreg.score(X_test, y_test)))
print('\nAddition of many polynomial features often leads to\n\
overfitting, so we often use polynomial features in combination\n
with regression that has a regularization penalty, like ridge\n
regression.\n')
X_train, X_test, y_train, y_test = train_test_split(X_F1_poly, y_F1,
                                                   random state = 0)
linreg = Ridge().fit(X_train, y_train)
print('(poly deg 2 + ridge) linear model coeff (w):\n{}'
     .format(linreg.coef_))
print('(poly deg 2 + ridge) linear model intercept (b): {:.3f}'
     .format(linreg.intercept_))
print('(poly deg 2 + ridge) R-squared score (training): {:.3f}'
     .format(linreg.score(X_train, y_train)))
print('(poly deg 2 + ridge) R-squared score (test): {:.3f}'
     .format(linreg.score(X_test, y_test)))
```

#### 1.5 Linear models for classification

### 1.5.1 Logistic regression

Logistic regression for binary classification on fruits dataset using height, width features (positive class: apple, negative class: others)

```
In [ ]: from sklearn.linear_model import LogisticRegression
        from adspy_shared_utilities import (
        plot_class_regions_for_classifier_subplot)
        fig, subaxes = plt.subplots(1, 1, figsize=(7, 5))
        y_fruits_apple = y_fruits_2d == 1 # make into a binary problem: apples vs
        X_train, X_test, y_train, y_test = (
        train_test_split(X_fruits_2d.as_matrix(),
                        y fruits apple.as matrix(),
                        random state = 0))
        clf = LogisticRegression(C=100).fit(X_train, y_train)
        plot_class_regions_for_classifier_subplot(clf, X_train, y_train, None,
                                                 None, 'Logistic regression \
        for binary classification\nFruit dataset: Apple vs others',
                                                 subaxes)
        h = 6
        w = 8
        print('A fruit with height {} and width {} is predicted to be: {}'
             .format(h,w, ['not an apple', 'an apple'][clf.predict([[h,w]])[0]]))
```

```
subaxes.set xlabel('height')
        subaxes.set_ylabel('width')
        print('Accuracy of Logistic regression classifier on training set: {:.2f}'
             .format(clf.score(X_train, y_train)))
        print('Accuracy of Logistic regression classifier on test set: {:.2f}'
             .format(clf.score(X_test, y_test)))
Logistic regression on simple synthetic dataset
In [ ]: from sklearn.linear_model import LogisticRegression
        from adspy_shared_utilities import (
        plot_class_regions_for_classifier_subplot)
        X_train, X_test, y_train, y_test = train_test_split(X_C2, y_C2,
                                                            random state = 0)
        fig, subaxes = plt.subplots(1, 1, figsize=(7, 5))
        clf = LogisticRegression().fit(X_train, y_train)
        title = 'Logistic regression, simple synthetic dataset C = {:.3f}'.format(1
        plot_class_regions_for_classifier_subplot(clf, X_train, y_train,
                                                  None, None, title, subaxes)
        print('Accuracy of Logistic regression classifier on training set: {:.2f}'
             .format(clf.score(X_train, y_train)))
        print('Accuracy of Logistic regression classifier on test set: {:.2f}'
             .format(clf.score(X_test, y_test)))
Logistic regression regularization: C parameter
In [ ]: X_train, X_test, y_train, y_test = (
        train_test_split(X_fruits_2d.as_matrix(),
                        y_fruits_apple.as_matrix(),
                        random_state=0))
        fig, subaxes = plt.subplots(3, 1, figsize=(4, 10))
        for this_C, subplot in zip([0.1, 1, 100], subaxes):
            clf = LogisticRegression(C=this_C).fit(X_train, y_train)
            title = 'Logistic regression (apple vs rest), C = {:.3f}'.format(this_C)
            plot_class_regions_for_classifier_subplot(clf, X_train, y_train,
```

print('A fruit with height {} and width {} is predicted to be: {}'

.format(h,w, ['not an apple', 'an apple'][clf.predict([[h,w]])[0]]))

h = 10 w = 7

```
X_test, y_test, title,
subplot)
```

# Application to real dataset

plt.tight\_layout()

#### 1.5.2 Support Vector Machines

#### **Linear Support Vector Machine**

```
In []: from sklearn.svm import SVC
    from adspy_shared_utilities import plot_class_regions_for_classifier_subplot

X_train, X_test, y_train, y_test = train_test_split(X_C2, y_C2, random_stat)

fig, subaxes = plt.subplots(1, 1, figsize=(7, 5))
    this_C = 1.0
    clf = SVC(kernel = 'linear', C=this_C).fit(X_train, y_train)
    title = 'Linear SVC, C = {:.3f}'.format(this_C)
    plot_class_regions_for_classifier_subplot(clf, X_train, y_train, None, Non
```

#### Linear Support Vector Machine: C parameter

#### Application to real dataset

#### 1.5.3 Multi-class classification with linear models

LinearSVC with M classes generates M one vs rest classifiers.

```
In []: from sklearn.svm import LinearSVC

X_train, X_test, y_train, y_test = train_test_split(X_fruits_2d, y_fruits_2d)

clf = LinearSVC(C=5, random_state = 67).fit(X_train, y_train)

print('Coefficients:\n', clf.coef_)

print('Intercepts:\n', clf.intercept_)
```

#### Multi-class results on the fruit dataset

plt.show()

```
In [ ]: plt.figure(figsize=(6,6))
        colors = ['r', 'g', 'b', 'y']
        cmap_fruits = ListedColormap(['#FF0000', '#00FF00', '#0000FF', '#FFFF00'])
        plt.scatter(X_fruits_2d[['height']], X_fruits_2d[['width']],
                   c=y_fruits_2d, cmap=cmap_fruits, edgecolor = 'black', alpha=.7)
        x_0_range = np.linspace(-10, 15)
        for w, b, color in zip(clf.coef_, clf.intercept_, ['r', 'g', 'b', 'y']):
            # Since class prediction with a linear model uses the formula y = w_0
            # and the decision boundary is defined as being all points with y = 0,
            # function of x_0 we just solve w_0 x_0 + w_1 x_1 + b = 0 for x_1:
            plt.plot(x_0_range, -(x_0_range * w[0] + b) / w[1], c=color, alpha=.8)
       plt.legend(target_names_fruits)
        plt.xlabel('height')
       plt.ylabel('width')
       plt.xlim(-2, 12)
        plt.ylim(-2, 15)
```

# 1.6 Kernelized Support Vector Machines

#### 1.6.1 Classification

# Support Vector Machine with RBF kernel: gamma parameter

## Support Vector Machine with RBF kernel: using both C and gamma parameter

```
In []: from sklearn.svm import SVC
    from adspy_shared_utilities import plot_class_regions_for_classifier_subplot
    from sklearn.model_selection import train_test_split

X_train, X_test, y_train, y_test = train_test_split(X_D2, y_D2, random_stat fig, subaxes = plt.subplots(3, 4, figsize=(15, 10), dpi=50)

for this_gamma, this_axis in zip([0.01, 1, 5], subaxes):
    for this_C, subplot in zip([0.1, 1, 15, 250], this_axis):
```

title = 'gamma = {:.2f}, C = {:.2f}'.format(this\_gamma, this\_C)

#### 1.6.2 Application of SVMs to a real dataset: unnormalized data

# 1.6.3 Application of SVMs to a real dataset: normalized data with feature preprocessing using minmax scaling

#### 1.7 Cross-validation

#### 1.7.1 Example based on k-NN classifier with fruit dataset (2 features)

#### 1.7.2 A note on performing cross-validation for more advanced scenarios.

In some cases (e.g. when feature values have very different ranges), we've seen the need to scale or normalize the training and test sets before use with a classifier. The proper way to do cross-validation when you need to scale the data is *not* to scale the entire dataset with a single transform, since this will indirectly leak information into the training data about the whole dataset, including the test data (see the lecture on data leakage later in the course). Instead, scaling/normalizing must be computed and applied for each cross-validation fold separately. To do this, the easiest way in scikit-learn is to use *pipelines*. While these are beyond the scope of this course, further information is available in the scikit-learn documentation here:

http://scikit-learn.org/stable/modules/generated/sklearn.pipeline.Pipeline.html or the Pipeline section in the recommended textbook: Introduction to Machine Learning with Python by Andreas C. Müller and Sarah Guido (O'Reilly Media).

# 1.8 Validation curve example

```
In [ ]: from sklearn.svm import SVC
        from sklearn.model_selection import validation_curve
        param_range = np.logspace(-3, 3, 4)
        train_scores, test_scores = validation_curve(SVC(), X, y,
                                                    param_name='gamma',
                                                     param_range=param_range, cv=3)
In [ ]: print(train_scores)
In [ ]: print(test_scores)
In [ ]: # This code based on scikit-learn validation_plot example
        # See: http://scikit-learn.org/stable/auto_examples/model_selection/plot_
        plt.figure()
        train_scores_mean = np.mean(train_scores, axis=1)
        train_scores_std = np.std(train_scores, axis=1)
        test_scores_mean = np.mean(test_scores, axis=1)
        test_scores_std = np.std(test_scores, axis=1)
        plt.title('Validation Curve with SVM')
        plt.xlabel('$\gamma$ (gamma)')
        plt.ylabel('Score')
        plt.ylim(0.0, 1.1)
        lw = 2
        plt.semilogx(param_range, train_scores_mean, label='Training score',
                    color='darkorange', lw=lw)
        plt.fill_between(param_range, train_scores_mean - train_scores_std,
                        train_scores_mean + train_scores_std, alpha=0.2,
                        color='darkorange', lw=lw)
```

```
plt.semilogx(param_range, test_scores_mean, label='Cross-validation score',
                    color='navy', lw=lw)
        plt.fill_between(param_range, test_scores_mean - test_scores_std,
                        test_scores_mean + test_scores_std, alpha=0.2,
                        color='navy', lw=lw)
        plt.legend(loc='best')
        plt.show()
1.9 Decision Trees
In [ ]: from sklearn.datasets import load_iris
        from sklearn.tree import DecisionTreeClassifier
        from adspy_shared_utilities import plot_decision_tree
        from sklearn.model_selection import train_test_split
        iris = load_iris()
        X_train, X_test, y_train, y_test = train_test_split(iris.data, iris.target,
        clf = DecisionTreeClassifier().fit(X_train, y_train)
        print('Accuracy of Decision Tree classifier on training set: {:.2f}'
             .format(clf.score(X_train, y_train)))
        print('Accuracy of Decision Tree classifier on test set: {:.2f}'
             .format(clf.score(X_test, y_test)))
Setting max decision tree depth to help avoid overfitting
In [ ]: clf2 = DecisionTreeClassifier(max_depth = 3).fit(X_train, y_train)
        print('Accuracy of Decision Tree classifier on training set: {:.2f}'
             .format(clf2.score(X_train, y_train)))
        print('Accuracy of Decision Tree classifier on test set: {:.2f}'
             .format(clf2.score(X_test, y_test)))
Visualizing decision trees
In [ ]: plot_decision_tree(clf, iris.feature_names, iris.target_names)
Pre-pruned version (max_depth = 3)
In [ ]: plot_decision_tree(clf2, iris.feature_names, iris.target_names)
```

#### Feature importance

```
In [ ]: from adspy_shared_utilities import plot_feature_importances
        plt.figure(figsize=(10,4), dpi=80)
        plot_feature_importances(clf, iris.feature_names)
        plt.show()
        print('Feature importances: {}'.format(clf.feature_importances_))
In [ ]: from sklearn.tree import DecisionTreeClassifier
        from adspy_shared_utilities import plot_class_regions_for_classifier_subplo
        X_train, X_test, y_train, y_test = train_test_split(iris.data, iris.target,
        fig, subaxes = plt.subplots(6, 1, figsize=(6, 32))
        pair_list = [[0,1], [0,2], [0,3], [1,2], [1,3], [2,3]]
        tree_max_depth = 4
        for pair, axis in zip(pair_list, subaxes):
            X = X_train[:, pair]
            y = y_train
            clf = DecisionTreeClassifier(max_depth=tree_max_depth).fit(X, y)
            title = 'Decision Tree, max_depth = {:d}'.format(tree_max_depth)
            plot_class_regions_for_classifier_subplot(clf, X, y, None,
                                                      None, title, axis,
                                                      iris.target_names)
            axis.set_xlabel(iris.feature_names[pair[0]])
            axis.set_ylabel(iris.feature_names[pair[1]])
        plt.tight_layout()
        plt.show()
Decision Trees on a real-world dataset
In [ ]: from sklearn.tree import DecisionTreeClassifier
        from adspy_shared_utilities import plot_decision_tree
        from adspy_shared_utilities import plot_feature_importances
        X_train, X_test, y_train, y_test = train_test_split(X_cancer, y_cancer, ran
        clf = DecisionTreeClassifier(max_depth = 4, min_samples_leaf = 8,
                                    random_state = 0).fit(X_train, y_train)
```

print('Accuracy of DT classifier on training set: {:.2f}'

In [ ]: print('Breast cancer dataset: decision tree')

plot\_decision\_tree(clf, cancer.feature\_names, cancer.target\_names)