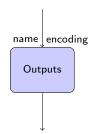
- An algorithmic state machine (ASM) is simply an alternative to the state diagram — it looks a bit more like a flow chart.
- Consists of three types of boxes.
  - State boxes:
  - Decision boxes:
  - ► Conditional output boxes.

#### Algorithmic state machines — state boxes

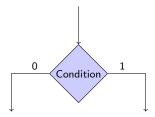
- The state box is rectangular and is equivalent to the state bubble in a state diagram.
- The box has the state name or its binary encoding listed above the box.
- Any outputs that are 1 and that depend only on the state are labeled inside of the box.
- ▶ The state box has one entry point and one exit point.
- Example...



Note: Outputs are only shown in the ASM when they are 1.

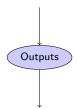
## Algorithmic state machines — decision boxes

- The decision box is a diamond shaped box with one entry point and two exist points.
- ▶ The inside of the box is labeled with an arbitrary logic expression which evaluates to 0 or 1; the evaluation will cause one the exit points to be chosen.
- Example...



## Algorithmic state machines — conditional output boxes

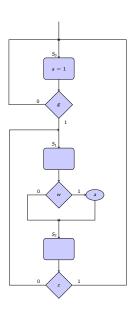
- ► The conditional output box has one entry and one exit. It specifies an output that occurs when a transition takes place.
- ▶ These boxes are required if we have a circuit with Mealy outputs.
- Example...



Note: Outputs are only shown in the ASM when they are 1.

- Designing a circuit given an ASM is exactly the same as if one was given a state diagram.
- You can identify the number of states by the number of state boxes.
- You can determine the next state and transitions based on the decision boxes.
- You can determine the circuit outputs based on the decision boxes and conditional output boxes.
- ► This will lead to a completed state table and the rest of the design is the same as before (do state assignment, find logic equations, etc.)

Example...

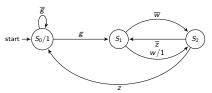


- **Example** clearly has 3 states  $S_0$ ,  $S_1$  and  $S_2$  since there are 3 state boxes.
- Example clearly has 3 inputs g, w and z since there are 3 decision boxes and these variables are labeled inside the decision boxes.
- Example clearly has 1 output a which is labeled inside of the state box  $S_0$  and in a conditional output box. Clearly a is 1 when in state  $S_0$  or in state  $S_1$  and w = 1, otherwise 0.
- Symbolic state table (written in a slightly different form due to the number of don't care situations in the decision boxes and the large number of inputs):

Current state	Input			Next state	Output
	g	W	Z		а
$S_0$	0	Χ	Χ	$S_0$	1
$S_0$	1	X	X	$\mathcal{S}_1$	1
$\mathcal{S}_1$	X	0	X	$S_2$	0
$S_1$	X	1	X	$S_2$	1
$S_2$	X	X	0	$S_1$	0
$S_2$	X	Χ	1	$S_0$	0

 From here, we perform state assignment, pick a flip flop type, derive next state functions and output functions, etc.

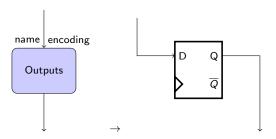
You should be able to convert this ASM into a state diagram (and do the reverse procedure if required).



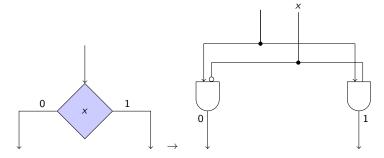
Note this diagram is sort of a hybrid — sometimes output is shown inside the state bubble and sometimes on the edges.

- It is particularly easy to implement an ASM using one hot encoding because every box in the ASM corresponds to a circuit element.
- ▶ We might need some additional **OR** gates here and there.

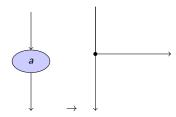
State box...



Decision box...



Conditional output box...



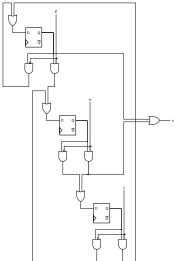
We simply "tap off" from the wire passing through the conditional output box.

Joining...



Joining arrows become and OR gate.

► The circuit we would get from our ASM...



 Of course, you can look at the ASM and write down equations for the DFF inputs and circuit outputs too.