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* helation between zero covariance and independence
                         XRY: indep => Cov(XY) = Oprq
                                                                                  HELD (X) ~ NPXR (MX), (IXX IXY)

: THE I
                                                                                      X,Y: independent () Cov(X,Y) = \Sigma_{XY} = 0
f_{xx}(x,y) = f_{x}(x) \cdot f_{y}(y)
                   mg f_{X,Y}(s,t) = mg f_{X(s)} mg f_{Y(t)}
           · (x-Mx) = 12\(\pi\) = \(\frac{1}{2\pi\) \(\frac{1}{2}\pi\) \(\frac{1}
                              PAR CAR
                                            = \frac{1}{12\pi z_1 \pm \exp\left(-\frac{1}{2}(\chi - \mu_X)^T \Sigma_{xx}^{-1}(\chi - \mu_X) - \frac{1}{2}(y - \mu_Y)^T \Sigma_{yy}^{-1}(y - \mu_Y)\right)}
                                                                                                                 ( 2-Mx) = ((2-Mx) 1/2xx; (y-Mx) 1/2xx; (y-Mx) 1/2xx; (y-Mx)
                                                                                                                                                                                          = (274x) 5x (2-4x) + (9-4x) 5x (9-4x)
                   * The conditional distributions of the components of X:
                                  X = \begin{pmatrix} X_1 \\ X_2 \end{pmatrix} \sim \mathcal{N} \left( \begin{pmatrix} \mathcal{N}_1 \\ \mathcal{N}_2 \end{pmatrix}, \begin{pmatrix} Z_{11} & Z_{12} \\ \Sigma_{21} & Z_{22} \end{pmatrix} \right)
                                Then, the conditional distribution of X, given X2 = x2 is X/X2=x2
                                                                                                  \begin{pmatrix} X_1 - \overline{Z_{12}} \overline{Z_{22}} X_2 \end{pmatrix} \sim \mathcal{N} \left( \begin{pmatrix} M_1 - \overline{Z_{12}} \overline{Z_{22}} M_2 \end{pmatrix}, \mathcal{O}_{1} \right)
ind X_2 transpose.
      X_1 - I_D I_{22} X_2, X_2 : ind \Rightarrow X_1 - I_{12} I_{22} X_2 | X_2 = X_1 - I_{12} I_{22} X_2
                             ( X<sub>1</sub> - Z<sub>12</sub> Σ<sub>21</sub> X<sub>2</sub> + Σ<sub>12</sub> Σ<sub>12</sub> X<sub>2</sub> | X<sub>2</sub> = α<sub>2</sub> ~ N(Λ<sub>1</sub> - Σ<sub>12</sub> Σ<sub>21</sub> λ<sub>2</sub>, ~ N(M- I<sub>12</sub> I<sub>22</sub> M<sub>2</sub>, Σ<sub>11,2</sub>)
                        > X1 [X2=0/2 ~ N(M+ I12 In (x2-M2), I1.2)
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