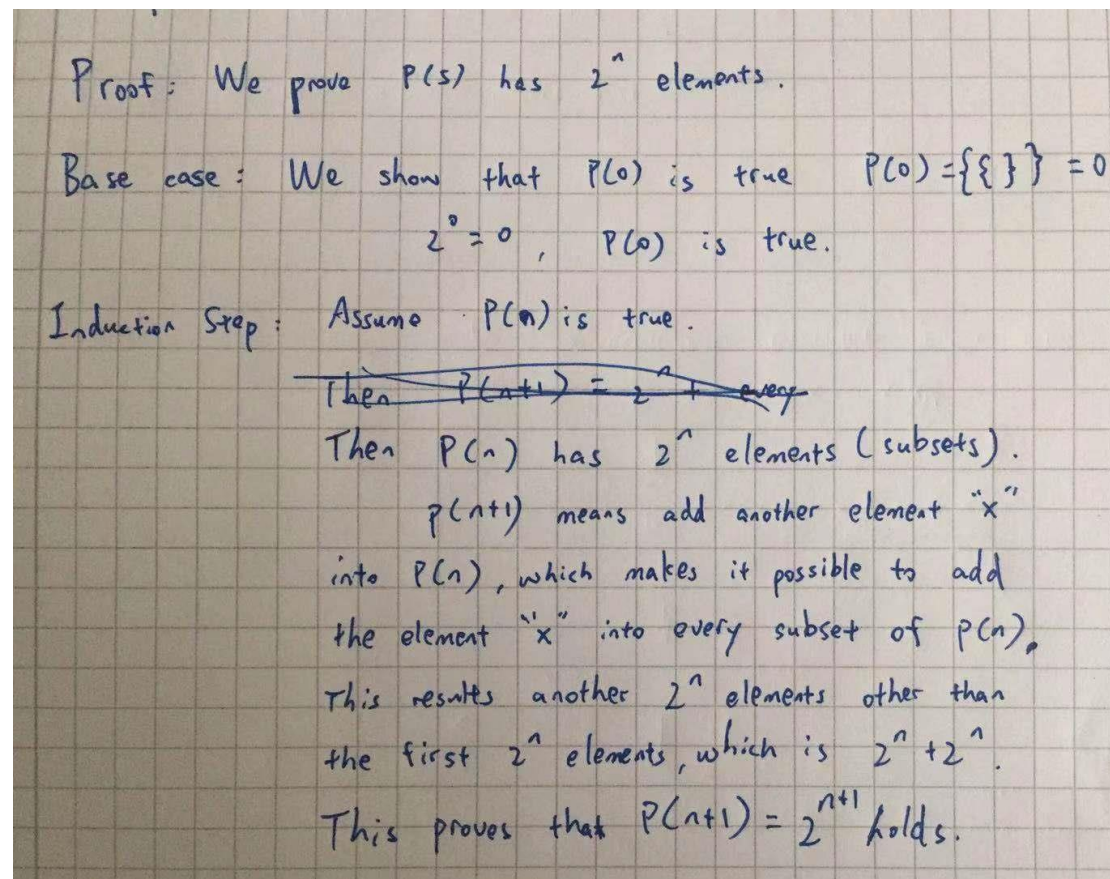


Problem 3.1



Problem 3.2:

a)

Irreflexive. $a \neq a$ is false.

Symmetric. $a \neq b$ and $b \neq a$ both are true.

Not transitive. $a \neq b$ and $b \neq c$, $a = c$ can still be a case.

b)

Reflexive. $a - a$ is always 0, which is ≤ 3 .

Symmetric. $|a - b| \leq 3$ means the distance between a and b is less than or equal to 3. Therefore, $|b - a| \leq 3$ does not contradict because for this the distance is also less than or equal to 3.

Not transitive. While the distance between a and b is 3, the distance between b and c is 3, which means the distance between a and c can be at most 6.

c)

Reflexive. $(a \bmod 10) = (a \bmod 10)$

Symmetric. $(a \bmod 10) = (b \bmod 10)$ can be also written as $(b \bmod 10) = (a \bmod 10)$

Transitive. $(a \bmod 10) = (b \bmod 10)$ and $(b \bmod 10) = (c \bmod 10)$ can be written as $(a \bmod 10) = (b \bmod 10) = (c \bmod 10)$

Problem 3.3:

a)

`isPrime :: Int -> Bool`

`isPrime x = one x 2`

```

one :: Int -> Int -> Bool
one x y
  | x == 1 = False
  | x == 2 = True
  | y == x `div` 2 = True
  | x `mod` y /= 0 = one x (y+1)
  | x `mod` y == 0 = False

```

b)

```

isPrime :: Int -> Bool
isPrime x = one x 2

```

```

one :: Int -> Int -> Bool
one x y
  | x == 1 = False
  | x == 2 = True
  | y == x `div` 2 = True
  | x `mod` y /= 0 = one x (y+1)
  | x `mod` y == 0 = False

```

```

rotate :: Int -> [a] -> [a]
rotate x [] = []
rotate 0 list = list
rotate 1 list = tail list ++ [head list]
rotate x list = rotate (x-1) (tail list ++ [head list])

```

```

show :: Show a => a -> String
read :: Read a => String -> a
isCircPrime :: Integer -> Bool
isCircPrime x
  | a == length (show x) = True
  | isPrime x == True = isCircPrime (read (rotate (a+1) (show x)) :: Integer)
  | isPrime x == False = False
where a = 0

```