Recursions

<u>Definition of Recursion</u> (Retrieved from https://www.python-course.eu/recursive_functions.php)

Recursion is a way of programming or coding a problem, in which a function calls itself one or more times in its body. Usually, it is returning the return value of this function call. If a function definition fulfils the condition of recursion, we call this function a recursive function.

Termination condition:

A recursive function has to terminate to be used in a program. A recursive function terminates, if with every recursive call the solution of the problem is downsized and moves towards a base case. A base case is a case, where the problem can be solved without further recursion. A recursion can lead to an infinite loop, if the base case is not met in the calls.

```
# Display a message recursively
def message(times):
    if times > 0:
        print('This is a recursive function.')
        message(times - 1)

# Start the program
message(5)
```

```
# This program has a recursive function. Infinite output. Press Ctl-C to stop.
def message():
  print('This is a recursive function.')
  message()
# Call the main function.
message()
This is a recursive function.
Traceback (most recent call last):
File "/Users/staff/Downloads/TEMP/p1.py", line 3, in message
  print ('This is a recursive function.')
KeyboardInterrupt
```

This program uses recursion to calculate the factorial of a number. def main(): # Get a number from the user. number = int(input('Enter a nonnegative integer: ')) # Get the factorial of the number. fact = factorial(number) # Display the factorial. print('The factorial of', number, 'is', fact) # The factorial function uses recursion to calculate the factorial of its argument, # which is assumed to be nonnegative. def factorial(num): if num == 0: return 1 else: return num * factorial(num - 1) # Call the main function. main() Enter a nonnegative integer: 5

The factorial of 5 is 120

```
# The rangeSum function returns the sum of a specified range of items in num_list.
# The start parameter specifies the index of the starting item. The end
# parameter specifies the index of the ending item.
def rangeSum(num_list, start, end):
  if start > end:
     return 0
  else:
     return num_list[start] + rangeSum(num_list, start + 1, end)
# Start the program
# Create a list of numbers.
numbers = [1, 2, 3, 4, 5, 6, 7, 8, 9]
# Get the sum of the items at indexes through 5.
my_sum = rangeSum(numbers, 2, 5)
# Display the sum.
print('The sum of items 2 through 5 is', my_sum)
The sum of items 2 through 5 is 18
# Python Program for recursive binary search.
# Retrieved from https://www.geeksforgeeks.org/python-program-for-binary-search/
# Returns index of x in arr if present, else -1
def binarySearch (arr, l, r, x):
  # Check base case
  if r \ge 1:
     mid = 1 + (r - 1)/2
    # If element is present at the middle itself
    if arr[mid] == x:
       return mid
```

```
# If element is smaller than mid, then it can only
     # be present in left subarray
     elif arr[mid] > x:
       return binarySearch(arr, 1, mid-1, x)
     # Else the element can only be present in right subarray
     else:
       return binarySearch(arr, mid+1, r, x)
  else:
     # Element is not present in the array
     return -1
# Test array
arr = [2, 3, 4, 10, 40]
x = 10
# Function call
result = binarySearch(arr, 0, len(arr)-1, x)
if result != -1:
  print "Element is present at index %d" % result
else:
  print "Element is not present in array"
Output:
Element is present at index 3
# Iterative Binary Search Function
# It returns location of x in given array arr if present, else returns -1
# Retrieved from https://www.geeksforgeeks.org/python-program-for-binary-search/
def binarySearch(arr, l, r, x):
  while l \le r:
     mid = 1 + (r - 1)/2;
     # Check if x is present at mid
     if arr[mid] == x:
       return mid
```

```
# If x is greater, ignore left half
     elif arr[mid] < x:
       l = mid + 1
     # If x is smaller, ignore right half
     else:
       r = mid - 1
  # If we reach here, then the element was not present
  return -1
# Test array
arr = [2, 3, 4, 10, 40]
x = 10
# Function call
result = binarySearch(arr, 0, len(arr)-1, x)
if result !=-1:
  print "Element is present at index %d" % result
else:
  print "Element is not present in array"
Output:
Element is present at index 3
```

The following notes were retrieved from https://www.programiz.com/python-programming/recursion

Advantages of Recursion

- 1. Recursive functions make the code look clean and elegant.
- 2. A complex task can be broken down into simpler sub-problems using recursion.
- 3. Sequence generation is easier with recursion than using some nested iteration.

Disadvantages of Recursion

- 1. Sometimes the logic behind recursion is hard to follow through.
- 2. Recursive calls are expensive (inefficient) as they take up a lot of memory and time.
- 3. Recursive functions are hard to debug.