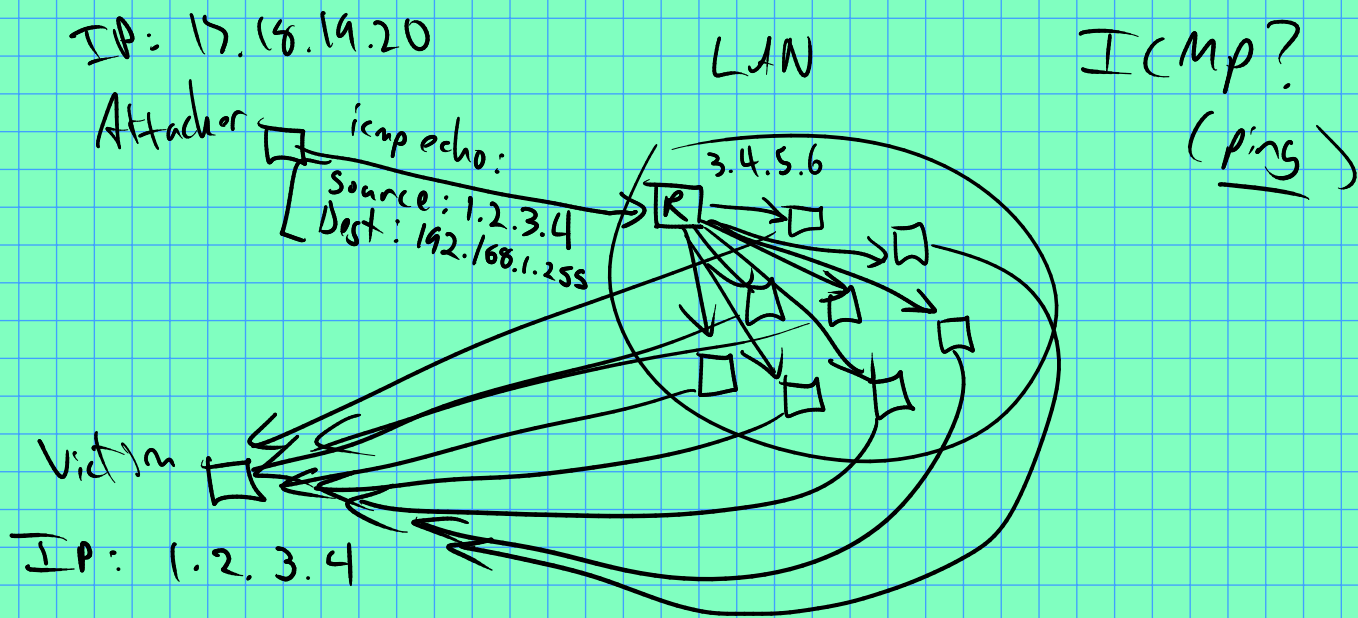


Network security part II : Denial of Service.

History ($\approx 199x$) "Smurf" attacks



Observations:

- Spoofed IP address
- Amplification
- Stateless/connectionless protocol (ICMP)



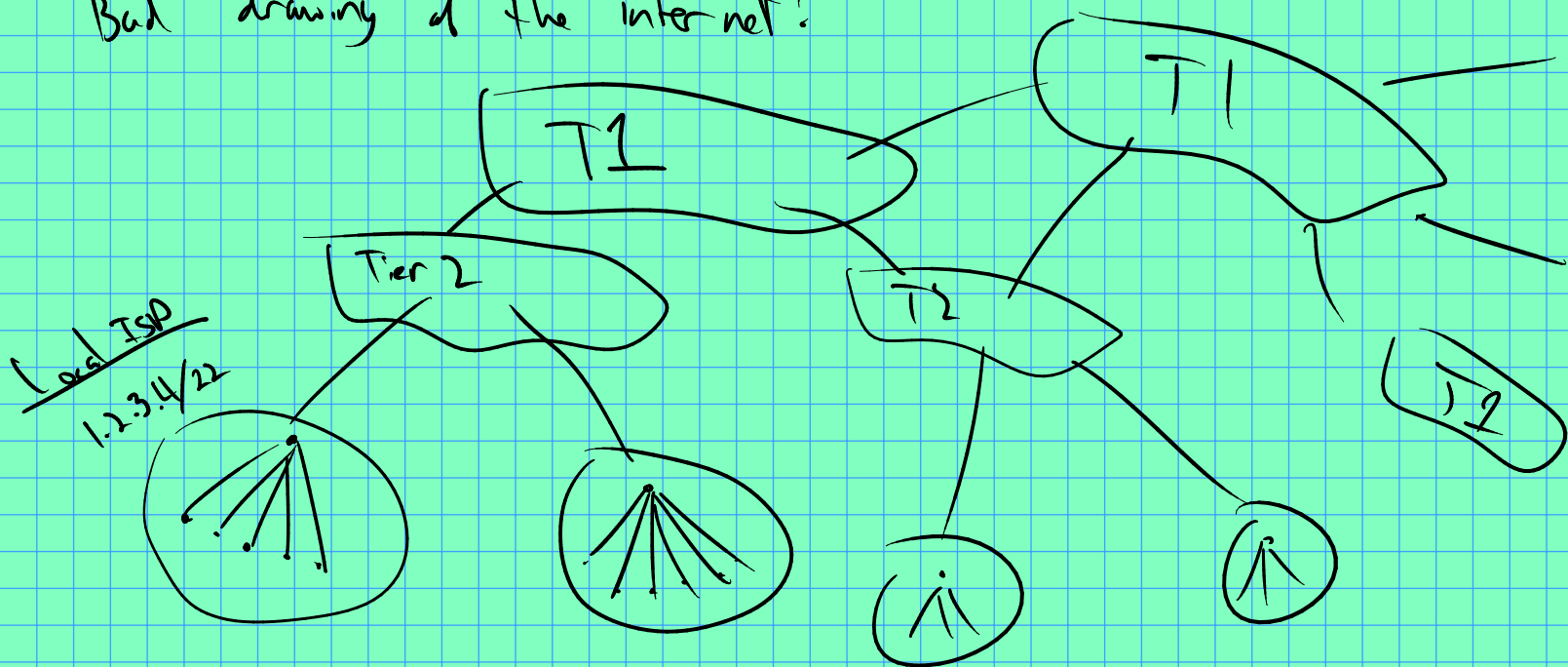
Other ancient attacks: SYN Flooding

Start a TCP handshake, but spoof the source to be unreachable!

(More reading: Best Common Practice 38 (BCP38))

IP Spoofing: How? Why can't we stop it?

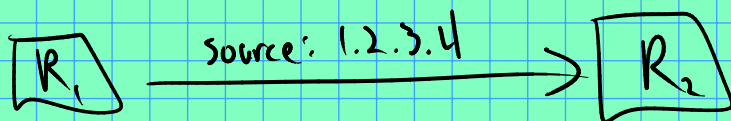
Bad drawing of the internet:



(Reading: look up "multi-homed network")

Filtering can be done @ local level ("1st mile")
but difficult higher up (T1, T2)

Idea: look up reverse route and only accept if
source is on it?



R_2 accepts/forwards if best route to 1.2.3.4
would be via R_1

Problem: in general, routing not symmetric... :-

More modern attacks: reflection + amplification.

Attack vector: DNS.

Idea: - spoof IP source addr.
- send query with large response ~~⊗~~
- profit.

Note: DNS uses
UDP...

Note: likely need multiple DNS servers for a successful attack, and unfortunately there are many "open" DNS servers out there ($\geq 10k$?).

Spread attack across all available servers.

⊗ amplification factor: $\geq 42x$

other notable attack vectors: memcached

Used to be configured to speak UDP...

Small query could result in huge response

(15 byte query \rightarrow 134 KB response !!)

(Reading: see attack on sithub \approx 2018?)

NTP (network time protocol)

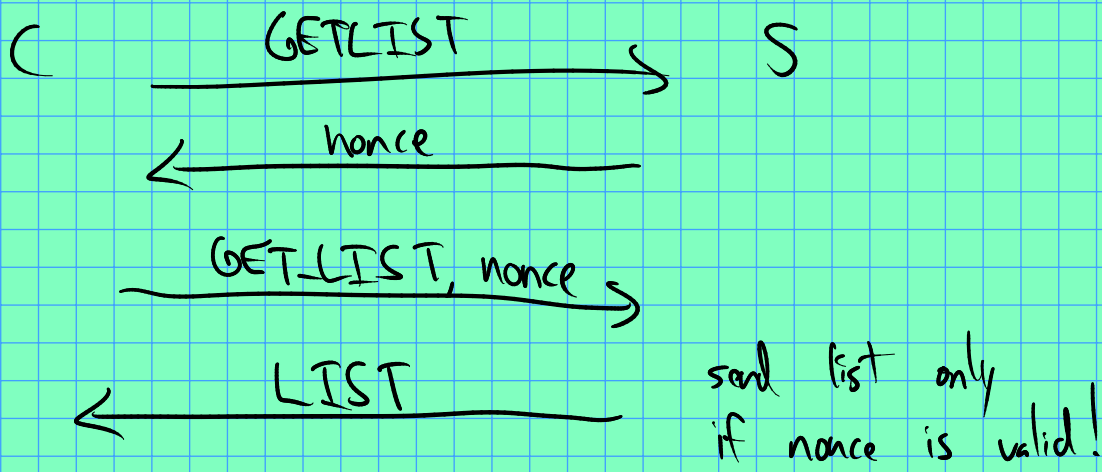
A few commands produced large responses on small queries, e.g. MON-GETLIST

(would return list of up to 600 computers the server recently talked with)

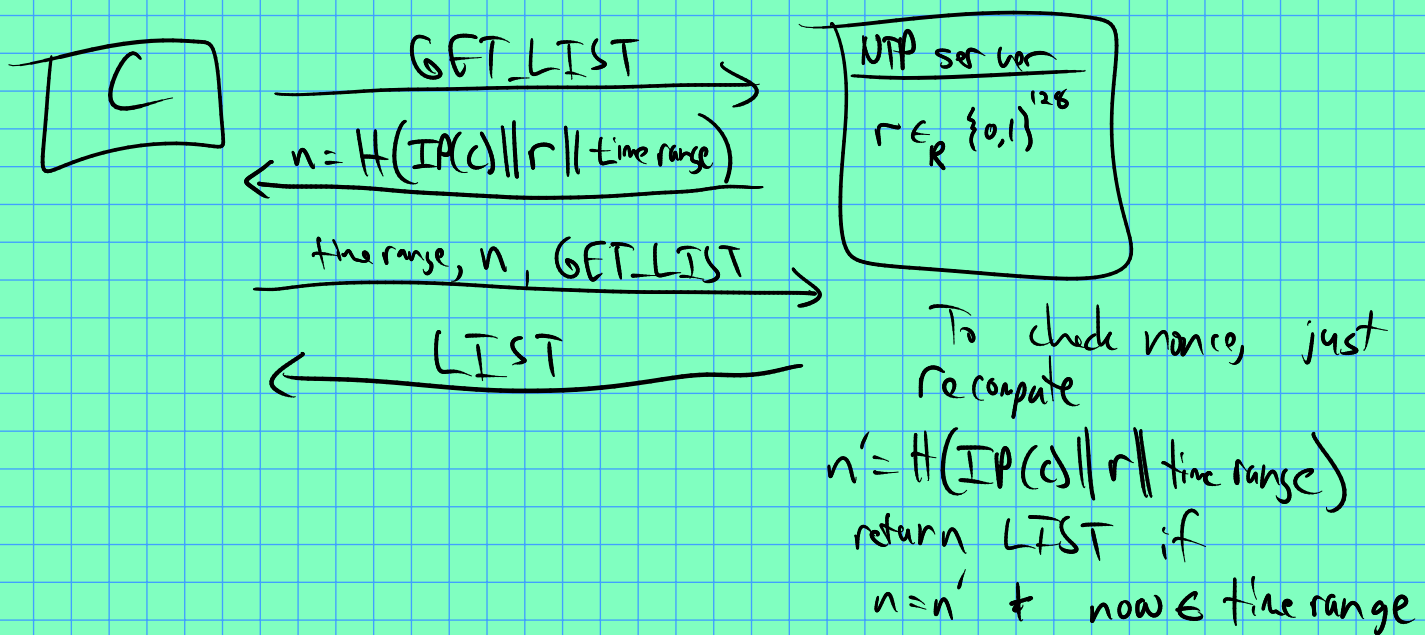
Mitigation?

Design goals: - keep MON-GETLIST (or similar) }
- still use UDP
- Do not add per-client state

Before answering such queries, make sure source IP address is accessible to party asking the query.
For this, generate a "nonce" for each asking client, and require that they know it before responding



(knowledge of nonce should preclude IP spoofing)



Exam notes:

#5 how to re-share a secret w/o reconstructing it?

Say P_i has $s_i = f(i)$ for $i = 1, \dots, n$
 and where $f = s + \sum_{j=1}^t c_j X^j$, $c_j \in_R \mathbb{Z}_p$
 and $s \in \mathbb{Z}_p$.

Idea: each P_i produces shares of 0 and distributes to each other player.

key observation: $f, g \in \mathbb{Z}_p[X]$ then

$$(f+g)(i) = f(i) + g(i).$$

P_i : choose $c_k^i \in \mathbb{Z}_p$ for $k=1, \dots, t$.

$$\text{set } f_i(X) = \sum_{k=1}^t c_k^i X^k.$$

P_i sends to P_j $f_i(j)$.

All players $1, \dots, n$ do the same.

Now each player i has $f_j(i)$ for $j=1, \dots, n$

Now compute new shares of s as

$$s'_i = \underset{\substack{\uparrow \\ \text{original share,} \\ = f(i)}}{s_i} + \sum_{j=1}^n f_j(i).$$

define $f' = f + \sum_{j=1}^n f_j \in \mathbb{Z}_p[X]$.

Then note that $f'(0) = f(0) + \sum_{i=1}^n \underset{\substack{\uparrow \\ = 0}}{f_j(0)} = f(0) = s$.

Furthermore, as long as even

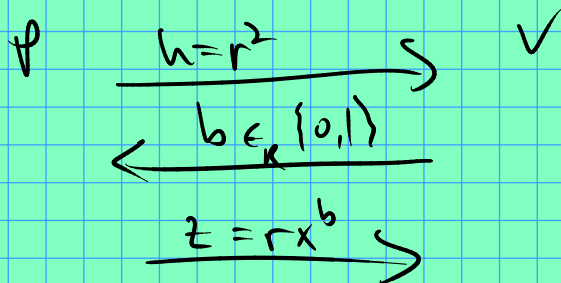
one player P_i created a random polynomial (of degree t)

then f' is distributed uniformly subject
to $f'(0) = s$. (Same as if we ran
Shamir "from scratch")

Further reading: "Proactive security" by R. Gennaro et. al
Also similar to distributed key generation for
El Gamal (Pedersen ??)

#9 $y = x^2$ ϕ knows x . y is public.

all values $\in \mathbb{Z}_n^*$, $n = pq$.



how to simulate such transcripts knowing only y, n ?

Easy if $b=0$: V chooses own $r \in_{\mathcal{R}} \mathbb{Z}_n^*$,
set $h = r^2$, $z = r$.

What about $b=1$?

need $\underline{z^2 = hy}$. So... $h = z^2 y^{-1}$.

More precisely: choose b first. If $b=1$, choose $z \in_{\mathcal{R}} \mathbb{Z}_n^*$
and set $h = z^2 y^{-1}$.

Else just choose $r \in_{\mathcal{R}} \mathbb{Z}_n^*$, set $h = r^2$ and $z = r$.