

The background is a light gray gradient. It features several realistic water droplets of various sizes, some at the top and some at the bottom. In the center, there is a faint, circular watermark of a heart shape.

MULTI PERCEPTRON – HEART DISEASE

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S2 TEKNIK ELEKTRO

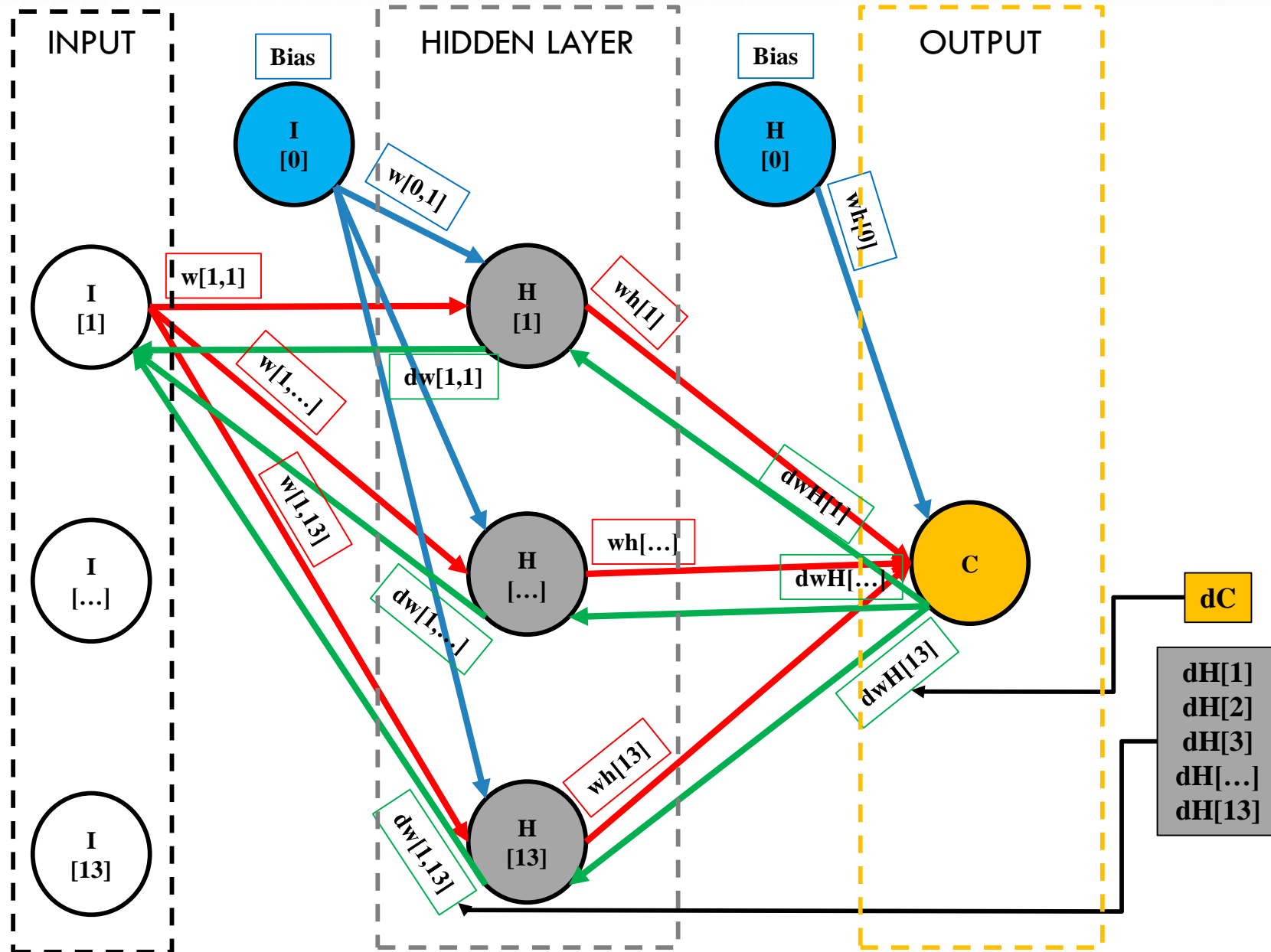
PENS 2020

NEURAL NETWORK - STRUCTURE

Epoch = 10.000
Miu (η) = 0.1

Data = 270
- Absence = 150
- Presence = 120

Input = 13
Hidden Layer = 1
Hidden Input = 13
Output = 1



1.1 IMPORT LIBRARY & DATASET

```
# Final STEP V2.1 (Output Heart Disease = 1, No Heart Disease = 0 **CONVERT**)

import random
import math                # rumus sigmoid
import pandas as pd

# >>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>> IMPORT DATASET
dataset = pd.read_csv('C:\Hanif Izzudin Rahman D4 EB 2016\S2 Elektro 2020 - PENS\Semester 1\Artificial Intelligent - Aliridho\Tugas\AI_M10_MultiPerceptron_Heart\heartV2.csv')
dataset
```

1.2 DECLARE VARIABLE

```
print("=====> Declare Variable")

g, h = 13+1, 13+1;
w = [[0 for x in range(g)] for y in range(h)]
dw = [[0 for x in range(g)] for y in range(h)]

wh = {}
summation = {}
H = {}
Cout = {}
CoutTh = {}
dH = {}
dwH = {}

Bias = 1
epoch = 10000+1
miu = 0.1

MSE = 0
TrueC = 0
FalseC = 0
```

2.1 GET INPUT DATA

```
# >>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>> Input Data
print("=====> Input Data")

Input = dataset.iloc[:,0:13]
print(Input)
print("-"*100)

g, h = 13+1, 270+1;
I = [[0 for x in range(g)] for y in range(h)]

for j in range (270):
    for k in range (13):
        I[j+1][k+1] = Input.iloc[j,k]
        # ===== Convert
Input
        if(I[j+1][k+1] >= 100):
            I[j+1][k+1] = I[j+1][k+1]/100
        elif(I[j+1][k+1] >= 10):
            I[j+1][k+1] = I[j+1][k+1]/10
    print("%.2f "*13 %(I[j][1], I[j][2], I[j][3], I[j][4], I[j][5], I[j][6], I[j][7],
I[j][8], I[j][9], I[j][10], I[j][11], I[j][12], I[j][13]))
```

2.2 GET OUTPUT DATA

[illegible]

3.1 CREATE WEIGHTS INPUT LAYER & HIDDEN LAYER

```
# Creates weight input layer
print("=====> Creates weight input layer")

for i in range (13+1):
    for j in range (1, 13+1):
        w[i][j] = random.random()
        print("w[%d][%d] = " %(i, j), w[i][j])
print("-"*100)
```

```
# Creates weight hidden layer
print("=====> Creates weight
hidden layer")

for i in range (13+1):
    wh[i] = random.random()
    print("wh[%d] = " %i, wh[i])
print("-"*100)
```

4.1 LEARNING \rightarrow FORWARD \leftarrow

[illegible]

4.1 LEARNING \Rightarrow FORWARD \Leftarrow

[illegible]

4.2 LEARNING \Rightarrow BACKWARD \Leftarrow

```
# ===== Backward
```

[illegible]
$$dC = C * (1 - C) * (Out[j] - C) \quad \# \text{ Output} = \text{TargetC}$$

```
for k in range (1, 13+1):
```

$$dH[k] = H[k] * (1 - H[k]) * wh[k] * dC$$
[illegible]

H[0] = Bias

```
for k in range (13+1):           # 13+1 = Jumlah Hidden layer
```

$$\text{dwH}[k] = \text{miu}^* \text{H}[k] * \text{dC}$$

Update Weight

$$\text{wh}[k] = \text{wh}[k] + \text{dwH}[k]$$
[illegible]

```
for k in range (1, 13+1):      # 1, 13+1 = 13 (Jumlah Input)
```

```
for m in range (1, 13+1):      # 1, 13+1 = 13 (Jumlah Hidden Layer)
```

$$dw[k][m] = \text{miu} * I[j][k] * dH[m]$$

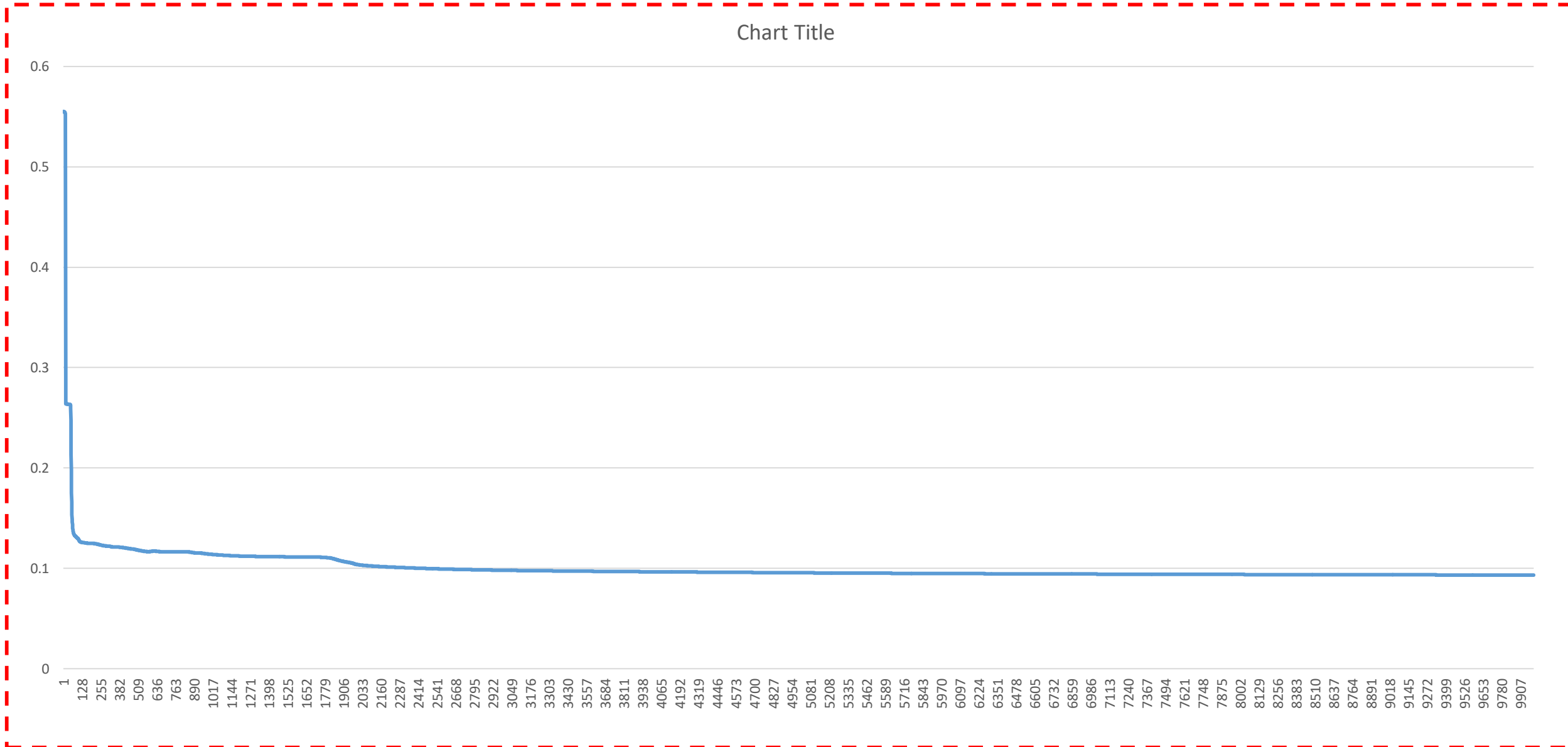
Update Weight

$$w[k][m] = w[k][m] + dw[k][m]$$

4.2 LEARNING \Rightarrow ERROR MSE \Leftarrow

```
# >>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>> Learning Performance Analysis  
    MSE = MSE / 270      # 270 = jumlah baris data  
    print("%.12f => MSE %d " %(MSE, i))  
    #print(MSE)  
    MSE = 0
```

4.2 LEARNING → ERROR MSE ←



5. GET OPTIMUM WEIGHTS

[illegible]

5. GET OPTIMUM WEIGHTS

=====> Final Weight

w[0][1] = 0.10173769002006494
w[0][2] = 0.9929962034836618
w[0][3] = 0.46445803568005317
w[0][4] = 0.21339313172735097
w[0][5] = 0.09232006630712886
w[0][6] = 0.42003742994769944
w[0][7] = 0.8377910119721461
w[0][8] = 0.875361500154096
w[0][9] = 0.5025274536743032
w[0][10] = 0.6572871669827787
w[0][11] = 0.5407291346903219
w[0][12] = 0.7317753302774509
w[0][13] = 0.2365283673444344
w[1][1] = 1.0078036055349147
w[1][2] = 0.19732905535401254
w[1][3] = 0.39399787117579765
w[1][4] = 0.7707759859564876
w[1][5] = -1.875129083852956
w[1][6] = 0.6798386103463409
w[1][7] = 0.9842597958546563
w[1][8] = 0.006201067590528075
w[1][9] = -8.925166744753387
w[1][10] = 0.7537607463795805
w[1][11] = 0.8042811003587109
w[1][12] = 0.31660063447364833
w[1][13] = 0.44809020998848825

w[13][3] = 1.0071716520229952
w[13][4] = 0.10700245483023144
w[13][5] = 4.897137551664517
w[13][6] = 0.3053732612925707
w[13][7] = 0.4171503496470268
w[13][8] = 0.5656933521103874
w[13][9] = 5.285189910689762
w[13][10] = 0.964320765588564
w[13][11] = 0.8343164860359066
w[13][12] = 0.4946162931203695
w[13][13] = 0.857484994829693

wh[0] = 0.09465600388881003
wh[1] = -0.5681264012991167
wh[2] = 0.10710523670164758
wh[3] = -0.4697932826116844
wh[4] = -0.20600406408394265
wh[5] = 2.4683899034434096
wh[6] = -0.6940598266154612
wh[7] = 0.0900978640588572
wh[8] = 0.3286937436087643
wh[9] = 4.5178453767015885
wh[10] = 0.15768453972374105
wh[11] = -0.7567484010359258
wh[12] = -0.04956963107845645
wh[13] = -0.46543835529402866

6. TESTING INPUT DATA

[illegible]

6. TESTING INPUT DATA

```
# ===== Hidden Layer 1
SH = Bias*wh[0]
for k in range (1, 13+1):
    SH = SH + (H[k]*wh[k])
# ===== Sigmoid Output
Cout[j] = 1 / (1 + math.exp(-SH))
# ===== Output Threshold
if(Cout[j] <= 0.5):
    CoutTh[j] = 0
else:
    CoutTh[j] = 1
```


7. FINAL RESULT

```
# =====> Final Result
print()

for j in range (1, 270+1):          # 270 = Jumlah dataset (270 input)
    print("%.2f "*13 %(I[j][1], I[j][2], I[j][3], I[j][4], I[j][5], I[j][6], I[j][7],
I[j][8], I[j][9], I[j][10], I[j][11], I[j][12], I[j][13]), " || Output= %.9f"
%(Cout[j]), " || CoutTh= ", CoutTh[j], " || Out Real = ", Out[j])
    # ===== Calculate Error (Positive/Negative)
    if (CoutTh[j] == Out[j]):
        TrueC += 1
    else:
        FalseC += 1
```

[illegible]

7. FINAL RESULT

=====
=====> Final Result

7.00 1.00 4.00 1.30 3.22 0.00 2.00 1.09 0.00 2.40 2.00 3.00 3.00		Output= 0.986831984		CoutTh= 1		Out Real = 1
6.70 0.00 3.00 1.15 5.64 0.00 2.00 1.60 0.00 1.60 2.00 0.00 7.00		Output= 0.083863392		CoutTh= 0		Out Real = 0
5.70 1.00 2.00 1.24 2.61 0.00 0.00 1.41 0.00 0.30 1.00 0.00 7.00		Output= 0.508551750		CoutTh= 1		Out Real = 1
6.40 1.00 4.00 1.28 2.63 0.00 0.00 1.05 1.00 0.20 2.00 1.00 7.00		Output= 0.889569509		CoutTh= 1		Out Real = 0
7.40 0.00 2.00 1.20 2.69 0.00 2.00 1.21 1.00 0.20 1.00 1.00 3.00		Output= 0.080934945		CoutTh= 0		Out Real = 0
6.50 1.00 4.00 1.20 1.77 0.00 0.00 1.40 0.00 0.40 1.00 0.00 7.00		Output= 0.080800518		CoutTh= 0		Out Real = 0
5.60 1.00 3.00 1.30 2.56 1.00 2.00 1.42 1.00 0.60 2.00 1.00 6.00		Output= 0.977700585		CoutTh= 1		Out Real = 1
5.90 1.00 4.00 1.10 2.39 0.00 2.00 1.42 1.00 1.20 2.00 1.00 7.00		Output= 0.989550551		CoutTh= 1		Out Real = 1
6.00 1.00 4.00 1.40 2.93 0.00 2.00 1.70 0.00 1.20 2.00 2.00 7.00		Output= 0.989577162		CoutTh= 1		Out Real = 1
6.30 0.00 4.00 1.50 4.07 0.00 2.00 1.54 0.00 4.00 2.00 3.00 7.00		Output= 0.989592151		CoutTh= 1		Out Real = 1
5.90 1.00 4.00 1.35 2.34 0.00 0.00 1.61 0.00 0.50 2.00 0.00 7.00		Output= 0.080801248		CoutTh= 0		Out Real = 0
5.30 1.00 4.00 1.42 2.26 0.00 2.00 1.11 1.00 0.00 1.00 0.00 7.00		Output= 0.889762753		CoutTh= 1		Out Real = 0
4.40 1.00 3.00 1.40 2.35 0.00 2.00 1.80 0.00 0.00 1.00 0.00 3.00		Output= 0.080798885		CoutTh= 0		Out Real = 0
6.10 1.00 1.00 1.34 2.34 0.00 0.00 1.45 0.00 2.60 2.00 2.00 3.00		Output= 0.509217076		CoutTh= 1		Out Real = 1
5.70 0.00 4.00 1.28 3.03 0.00 2.00 1.59 0.00 0.00 1.00 1.00 3.00		Output= 0.080806924		CoutTh= 0		Out Real = 0

Input

Output

Output
Threshold

Output
Real

=====> Error

True Data = 232 || False Data = 38 | Error = 0.140741