1)
$$\Delta S_{howse} = \frac{300}{273424}$$

$$Q L = \frac{TL}{I_H} Q_H$$

$$= \frac{273+7}{273+24} (300)$$

$$= \frac{28000}{99}$$

$$\Delta S_{air} = \frac{-2800}{99}$$

$$= -\frac{100}{99} \, \text{kWK}^{-1}$$

1)
$$\Delta S_{gen} = \Delta S_{house} + \Delta S_{air}$$

$$= \frac{100}{99} - \frac{100}{99}$$

2)
$$\Delta S_{H} = \frac{100}{1200}$$

$$= \frac{1}{12} k J K^{-1}$$

$$\Delta S_{L} = \frac{-100}{600}$$

$$\Delta Sgen = \frac{1}{12} - \frac{1}{6}$$

$$\sim -0.0833 \, kJ \, K^{-1} \, \angle \, 0$$

This is an impossible process.

Steady state 3) Assumptions: Steady flow Air is un ideal gas Internally reversible

process

Qout Lin = tout

whin + Win = inhout + Qout

whin tout

whin tout Win = mhont-mhin + Qout Win Win = mcp(72-T1) + Qout the temperature of the air is constant, Win = Qout $\therefore \dot{S}_{air} = \frac{-\dot{Q}_{out}}{25+273}$ $-\frac{-15}{298}$ $\approx -0.0503 \text{kW K}^{-1}$

$$\Delta S_{R134a} = \frac{180}{-18.77 + 273.15}$$
 because or phase change = 0.707602799kJK⁻¹

$$\Delta S_{c} = \frac{-180}{-10+273.15}$$

$$= -\frac{180}{263}$$

$$\approx -0.6844 \text{ kJ K}^{-1}$$

$$\Delta S_{\tau} = \Delta S_{R1340} + \Delta S_{2}$$

$$= 0.7076 - 0.6844$$

$$= 0.02319215257 kJ K^{-1}$$

$$\approx 0.0232 kJ K^{-1}$$

Sa) Finding the mass flow rate of the steel rod,

In one minute:

$$V = 3 \left(\frac{(10 \times 10^{-2})^2}{4} \right) \pi$$

$$=7.5\pi \times 10^{-3} \text{ m}^3$$

$$m = \rho^{V}$$
= 7833 (7.5 $\approx \times 10^{-3}$)

$$: m = 184.56 \text{ kg min}^{-1}$$

5b)
$$\dot{S}_{steel} = \dot{m} \, c \, l \, n \, \left(\frac{T_2}{T_1} \right)$$

$$= 184.56 \, (0.465) \, l \, n \, \left(\frac{7004273}{304273} \right)$$

$$= 100.1228668 \, k \, \bar{j} \, K^{-1} \, min^{-1}$$

$$= 1.668714447 \, k \, \bar{j} \, K^{-1} \, s^{-1}$$

$$\dot{S}_{oven} = \frac{-\dot{Q}}{T}$$

$$= \frac{-958.3}{273+900}$$

$$= -0.8169919093 \, k \, \bar{j} \, K^{-1} \, s^{-1}$$

$$\dot{S}_{gen} = 1.668714447 - 0.8169919093$$

$$= 0.8517225372 \, k \, \bar{j} \, K^{-1} \, s^{-1}$$

$$\approx 0.85 \, k \, \bar{j} \, K^{-1} \, s^{-1}$$