## Old SCVAL Door Prize Problem

- ; code in the process
- ; comments
- ; answer
- ; process of thinking

The Three Factors					Triangular Number		Notation	
TFTN#	1st	2nd	3rd					
1	1	2	3	Π=	6	=	Т	3
2	4	5	6	Π=	120	=	Т	15
3	5	6	7	Π=	210	=	Т	20
4	9	10	11	Π=	990	=	Т	44
5	56	57	58	Π=	185136	=	Т	608
6	636	637	638	Π=	258474216	=	Т	22736

## Notes for understanding

• Notation, first of the three factors, triangular num

## My idea

- Create a list for all the possible consecutive sums
- Create a list for all the possible products of three nums
- Compare the numbers in each and if it matches, return it

## Process of thinking

• Writing the list for product

```
(iter (+ num 1) (cons (triplet num) result))))
  (iter x '()))
  • This returns a backward list, starting with greatest number
  • Writing the list for sum
The input to x should be 0
(define (sum1 x)
  (define (iter num list-result total-sum)
    (if (= num 22736))
        list-result
        (iter (+ num 1) (cons (+ num total-sum) list-result) (+
num total-sum))))
  (iter x '() 0))
  • Again, this returns a backward list
  • Reversing both the lists
; input starting with 636
(define (prod x)
  (define (iter num result)
    (if (= num 0)
        result.
        (iter (- num 1) (cons (triplet num) result))))
  (iter x '()))
; input starting with one
(define (sum x)
  (define (iter num list-result total-sum)
    (if (> num 22736))
        list-result
        (iter (+ num 1) (append list-result (list (+ num
total-sum))) (+ num total-sum))))
  (iter x '() 0))
  • Original idea: use list-ref and then compare numbers
(define (list-of-sums x)
  (list-ref (sum 1) x))
(define (list-of-prod x)
  (list-ref (prod 636) x))
```

```
(define (func2 x y)
  (define (iter n1 n2 result)
    (cond ((or (= n1 22735) (= n2 635)) result)
          ((= (list-of-sums n1) (list-of-prod n2))
           (iter (+ n1 1) (+ n2 1) (cons (list-of-prod n2)
result)))
          ((< (list-of-sums n1) (list-of-prod n2))</pre>
           (iter (+ 1 n1) n2 result))
          ((> (list-of-sums n1) (list-of-prod n2))
           (iter n1 (+ 1 n2) result))
          (else result)))
  (iter x y '()))
  • This takes too long
  • Instead, use let to define the computed lists, so we do not
    have to compute it every time

    Both lists advance at the same time to reduce time

  • Return number of the list of sum (highest notation), number
     of the list of prod (first factor), list-ref of prod
     (triangular number)
(define (func)
  (let ((list-sum (sum 1))
        (list-prod (prod 636)))
    (define (iter n1 n2 result)
      (cond ((or (= n1 22736) (= n2 636)) result)
            ((= (list-ref list-sum n1) (list-ref list-prod n2))
             (iter (+ n1 1) (+ n2 1) (append result (list (list
(+ n1 1) (+ n2 1) (list-ref list-prod n2))))))
            ((< (list-ref list-sum n1) (list-ref list-prod n2))</pre>
             (iter (+ n1 1) n2 result))
            ((> (list-ref list-sum n1) (list-ref list-prod n2))
             (iter n1 (+ n2 1) result))
            (else result)))
    (iter 0 0 '()))
Returns: '((3 1 6) (15 4 120) (20 5 210) (44 9 990) (608 56
185136) (22736 636 258474216))
; takes about 20 seconds
```