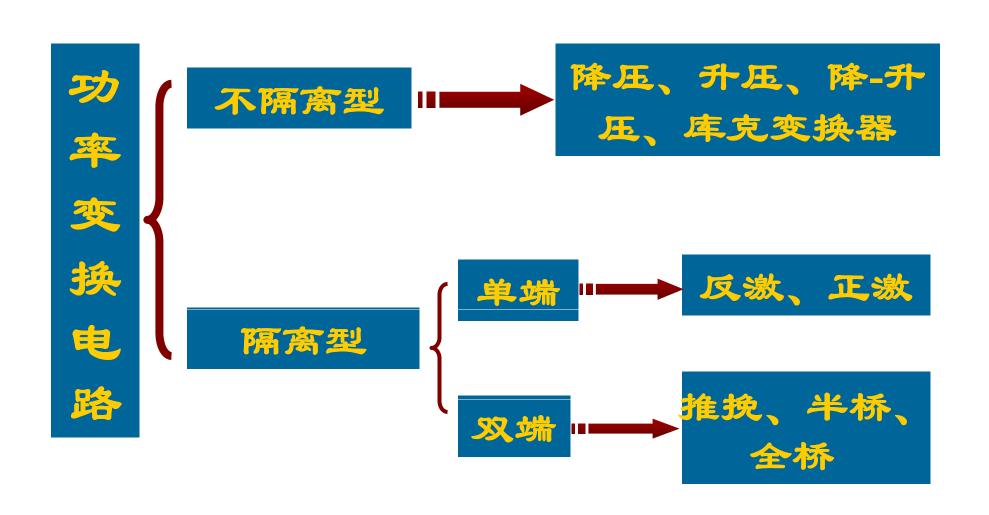
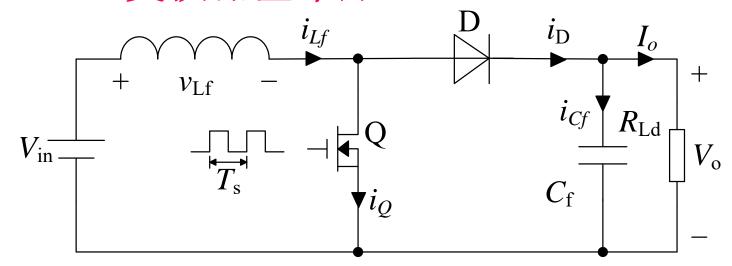
## 第五章 基本开关型调整器——Boost变换器



### 5.1 Boost变换器基本原理



输出电压Vo比直流输入电压Vin高的原因?

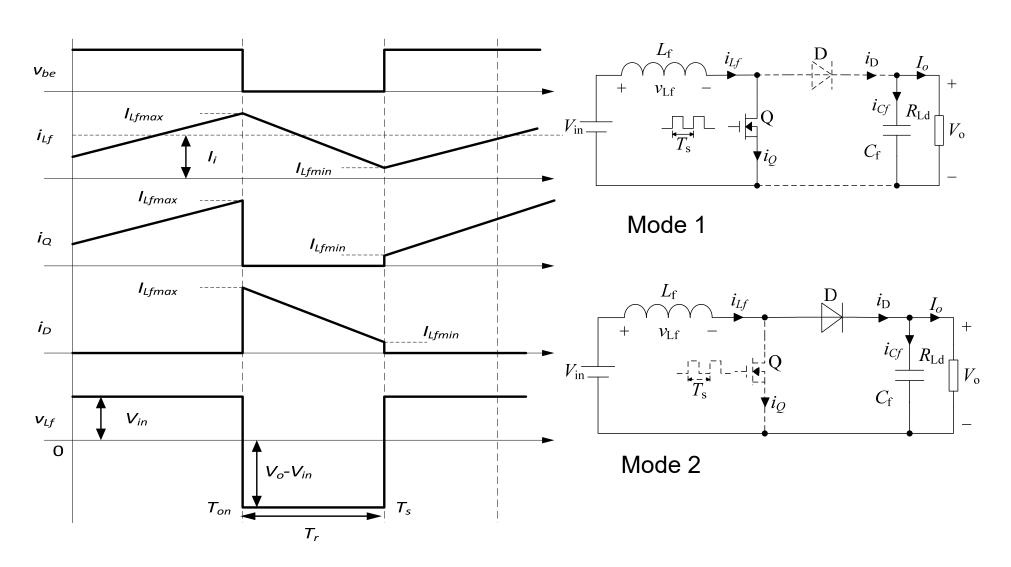
1、开关管Q导通, 电感储能。

$$E = \frac{1}{2} L_{\rm f} I_{Lf}^2$$

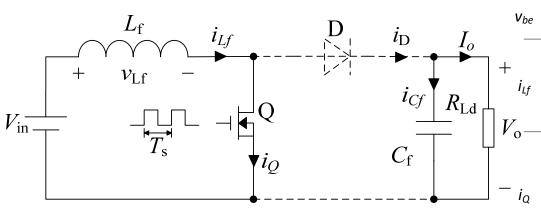
负载由电容C提供。所以电容C应选取得足够大。

2、开关管Q关断时,Lf的电压极性颠倒,Lf经D向Cf充电,使Cf 两端电压(泵升电压)高于Vin。电感储能给负载提供电流并 补充Cf单独向负载供电时损失的电荷。

#### 电流连续时的工作模式(CCM)

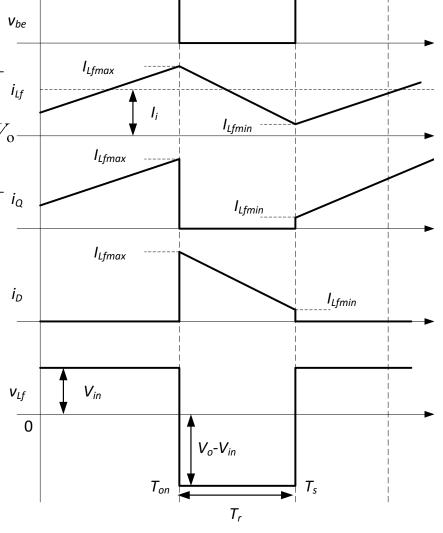


#### Mode 1 $[0, t_{on}]$

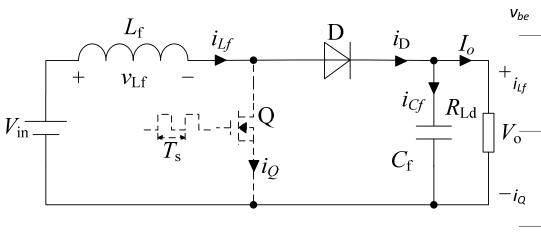


$$v_{\mathrm{Lf}} = L_{\mathrm{f}} \, rac{di}{dt} = V_{\mathrm{in}}$$

$$\Delta I_{\mathrm{Lf(+)}} = \frac{V_{\mathrm{in}}}{L_{\mathrm{f}}} T_{\mathrm{on}} = \frac{V_{\mathrm{in}}}{L_{\mathrm{f}}} DT_{\mathrm{s}}$$

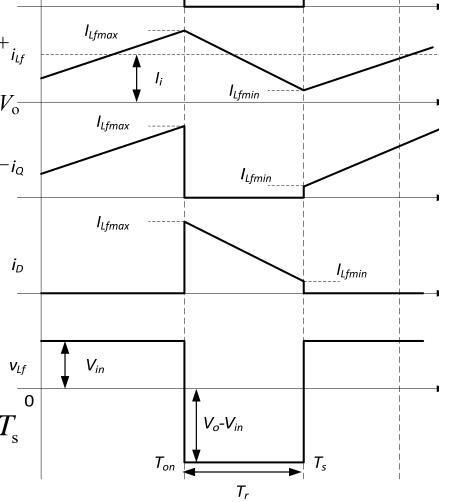


#### Mode 2 $[t_{on}, t_{s}]$



$$v_{\rm Lf} = L_{\rm f} \frac{di}{dt} = V_{\rm in} - V_{\rm o}$$

$$\Delta I_{\text{Lf(-)}} = \frac{V_{\text{o}} - V_{\text{in}}}{L_{\text{f}}} (T_{\text{s}} - T_{\text{on}}) = \frac{V_{\text{o}} - V_{\text{in}}}{L_{\text{f}}} (1 - D) T_{\text{s}}^{0}$$



#### 基本关系:

$$\Delta I_{Lf(+)} = \Delta I_{Lf(-)} = \Delta I_{Lf}$$

$$\frac{V_{in}}{L_{f}} DT_{s} = \frac{V_{o} - V_{in}}{L_{f}} (1 - D)T_{s}$$

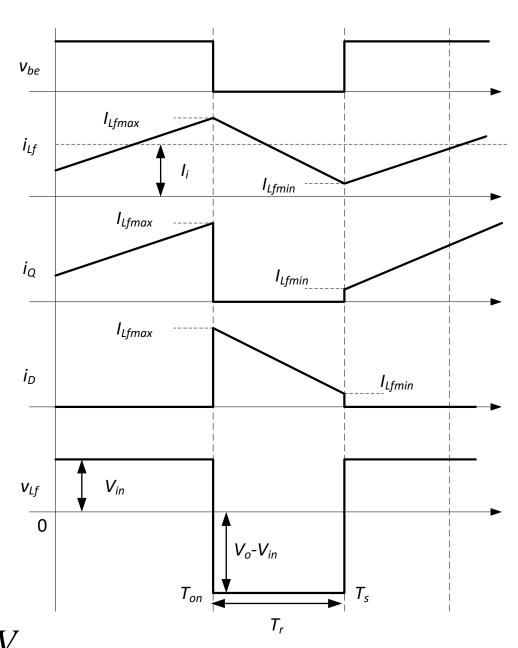
$$\frac{V_{o}}{V_{in}} = \frac{1}{1 - D} = \frac{T_{S}}{T_{S} - T_{on}}$$

$$I_{\rm in} = \frac{I_{\rm Lf\,min} + I_{\rm Lf\,max}}{2}$$

若Boost变换器的损耗可忽略,则有

$$\frac{I_o}{I_{in}} = 1 - D \qquad I_D = I_o$$

$$I_Q = I_{in} - I_o = \frac{D}{1 - D} I_o$$

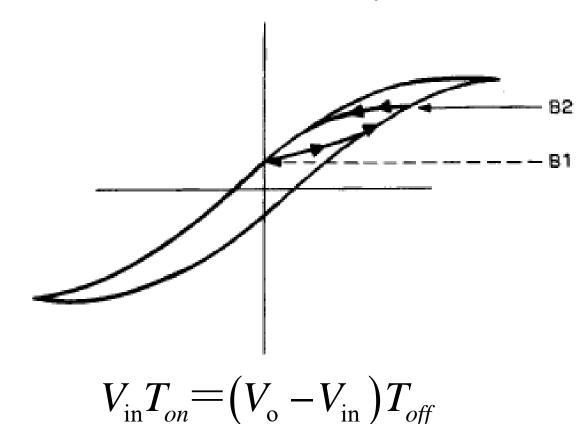


Q和D分别截止时  $V_Q = V_D = V_o$ 

#### 法拉第电磁定律:

$$E = NA_e \left( \frac{dB}{dt} \right) \times 10^{-8}$$

$$dB = \frac{Edt \times 10^{+8}}{NA_e}$$



# 电流断续时的工作模式(DCM) **b**e Mode 1 I<sub>Lf max</sub> - $i_{\mathsf{Lf}}$ $I_{Lf max}$ $i_{\mathbf{Q}}$ $I_{Lf\ max}$ Mode 2 $i_D$ 'Lf $V_{\text{in}}$ 0 Mode3

#### 电流断续时的工作模式(DCM)

#### 一个周期内电感储存的能量:

假设能量传递效率100%:

电感电流下降时,电流流经 Vin, 给负载提供能量:

$$E = \frac{1}{2} L_{\rm f} I_{L_{\rm max}}^{2}$$

$$P_{L} = \frac{\frac{1}{2} L_{\rm f} I_{L_{\rm max}}^{2}}{T}$$

$$P_{in} = V_{in} \frac{I_{L_{\rm max}}}{2} \frac{T_{r}}{T_{s}}$$

$$P_{L} + P_{in} = \frac{\frac{1}{2} L_{\rm f} I_{L_{\rm max}}^{2}}{T_{s}} + V_{in} \frac{I_{L_{\rm max}}}{2} \frac{T_{r}}{T_{s}}$$

输送给负载的总功率:

$$P_{t} = P_{L} + P_{in} = \frac{\frac{1}{2}L_{f}I_{L\max}^{2}}{T_{s}} + V_{in}\frac{I_{L\max}}{2}\frac{T_{r}}{T_{s}}$$

$$P_{t} = \frac{\frac{1}{2}L_{f}\left(V_{in}T_{on}/L_{f}\right)^{2}}{T_{s}} + V_{in}\frac{V_{in}T_{on}}{2L_{f}}\frac{T_{r}}{T_{s}} = \frac{V_{in}^{2}T_{on}}{2T_{s}L_{f}}\left(T_{on} + T_{r}\right)$$

 $\Leftrightarrow (T_{on} + T_r) = kT_s, \quad k < 1$ 

如果输出电压为Vo,输  $P_t = \frac{V_{in}^2 T_{on}}{2T_s L_s} (kT_s) = \frac{V_o^2}{R}$  或 $V_o = V_{in} \sqrt{\frac{kR_o T_{on}}{2L_s}}$ 

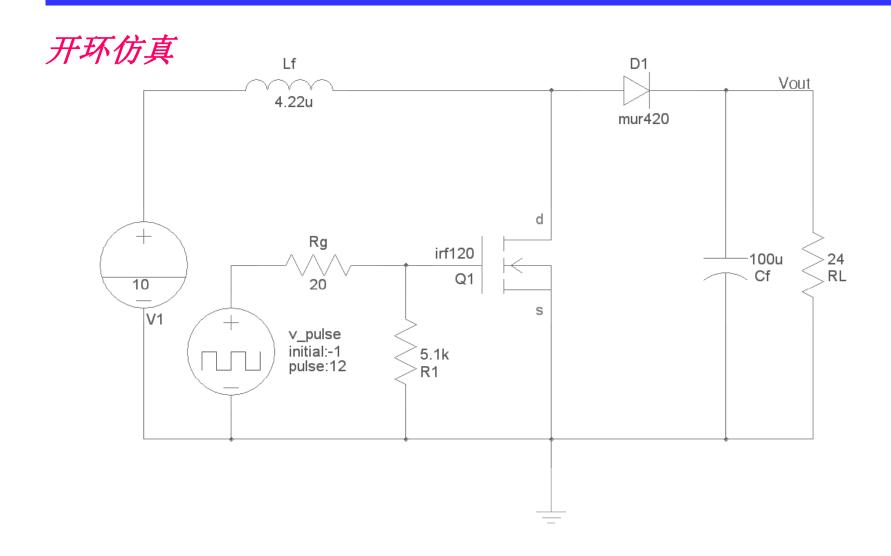
设定整个周期的20%为死区时间 $T_{ct}$ 。这样将保证L的电流在Q导通前降到零。

$$T_{on\max} + T_r + T_{dt} = T$$

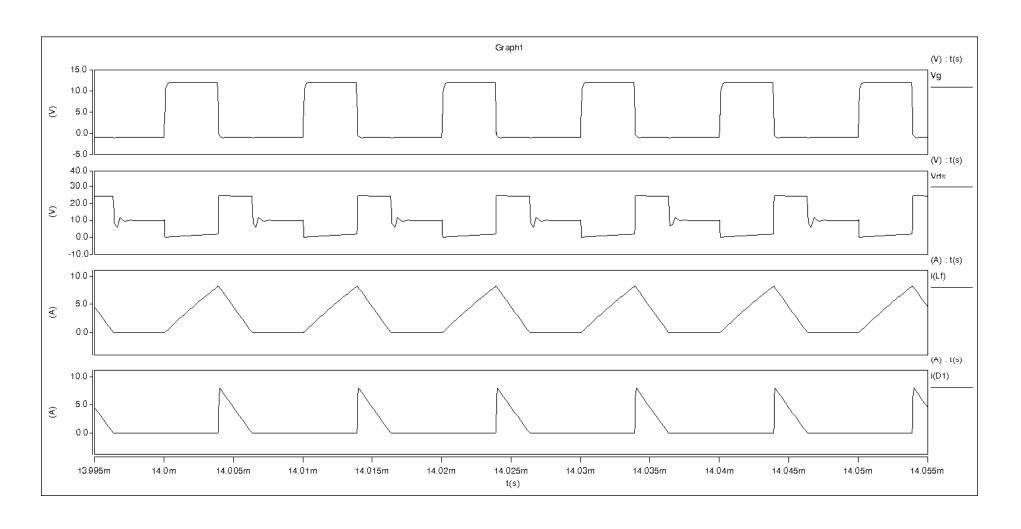
$$T_{on\max} + T_r = 0.8T$$

$$V_{in\min}T_{on\max} = (V_o - V_{in\min})T_r$$

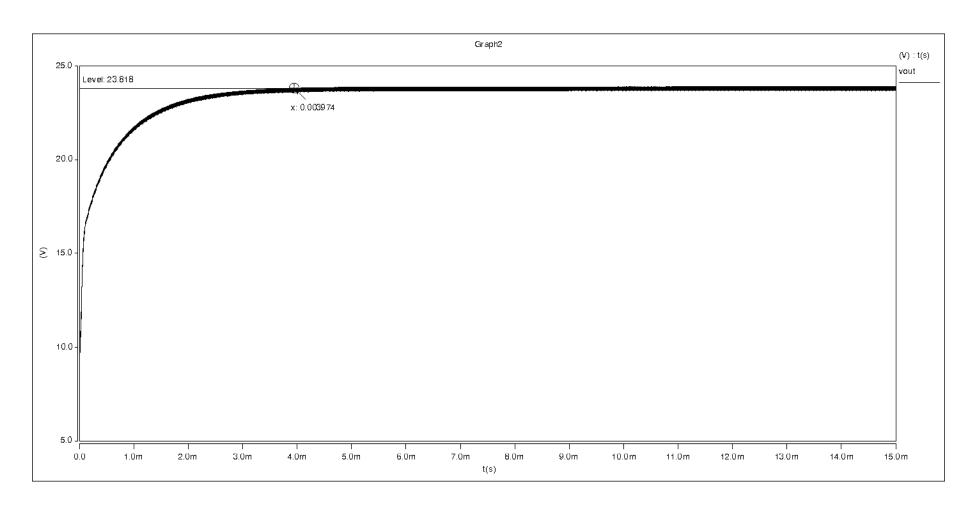
$$T_{on\,\text{max}} = \frac{0.8T(V_o - V_{dc\,\text{min}})}{V_o}$$



Boost变换器开环仿真模型图



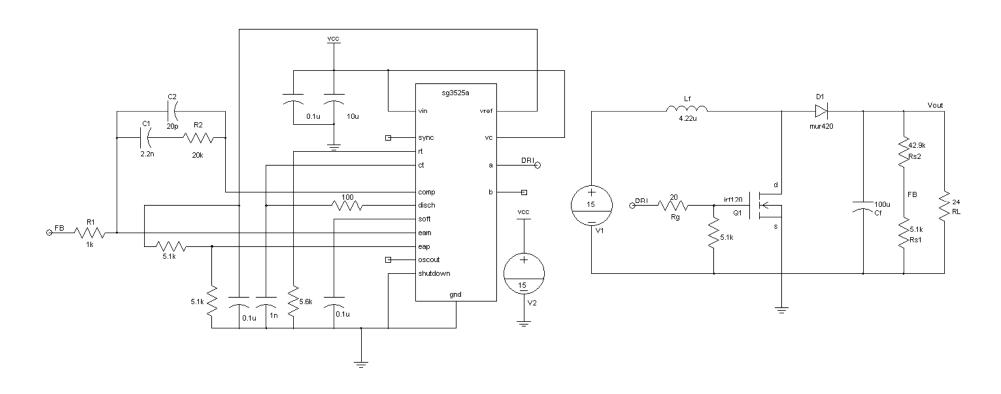
Boost变换器开环仿真关键点波形



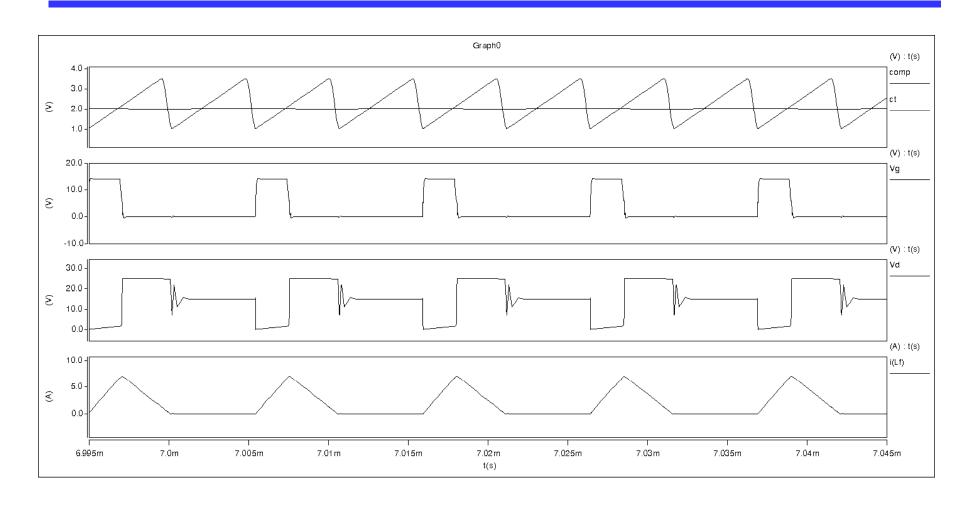
Boost开环仿真输出电压波形

输出电压稳定在23.82V。

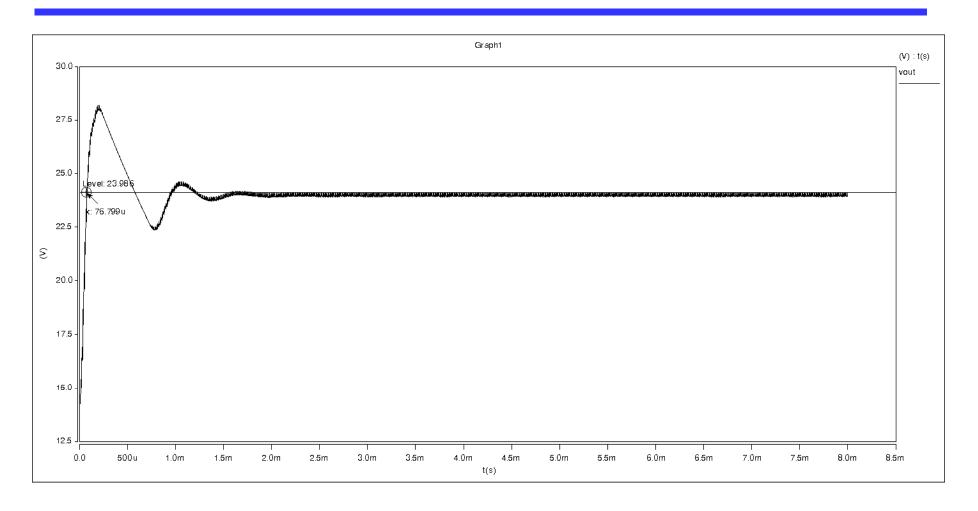
#### 闭环仿真



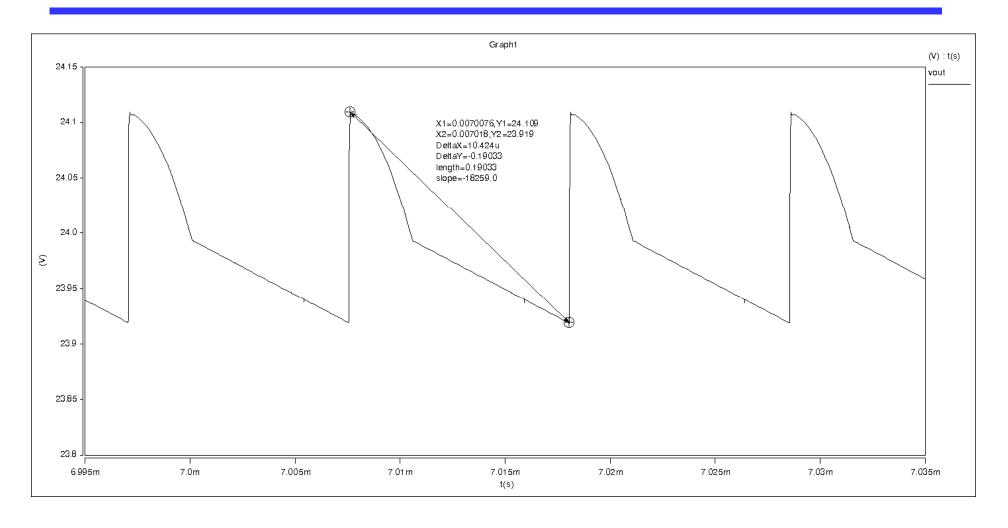
基于SG3525控制的Boost变换器的仿真模型图



Boost变换器闭环仿真关键点的输出波形



Boost变换器闭环仿真输出电压波形 输出电压基本稳定在23.98V



Boost变换器闭环仿真输出电压纹波

其电压纹波为0.19V,在1%内