

# Ranking Players

How to value players in a poker room

# Goal

- A hand has just been played
- The generated rake is \$10
- 4 players were sitting at the table :
  - Marc
  - Michael
  - Phil
  - Dany
- **We do not care** who actually played the hand
- What's the player's contribution to the generated rake?

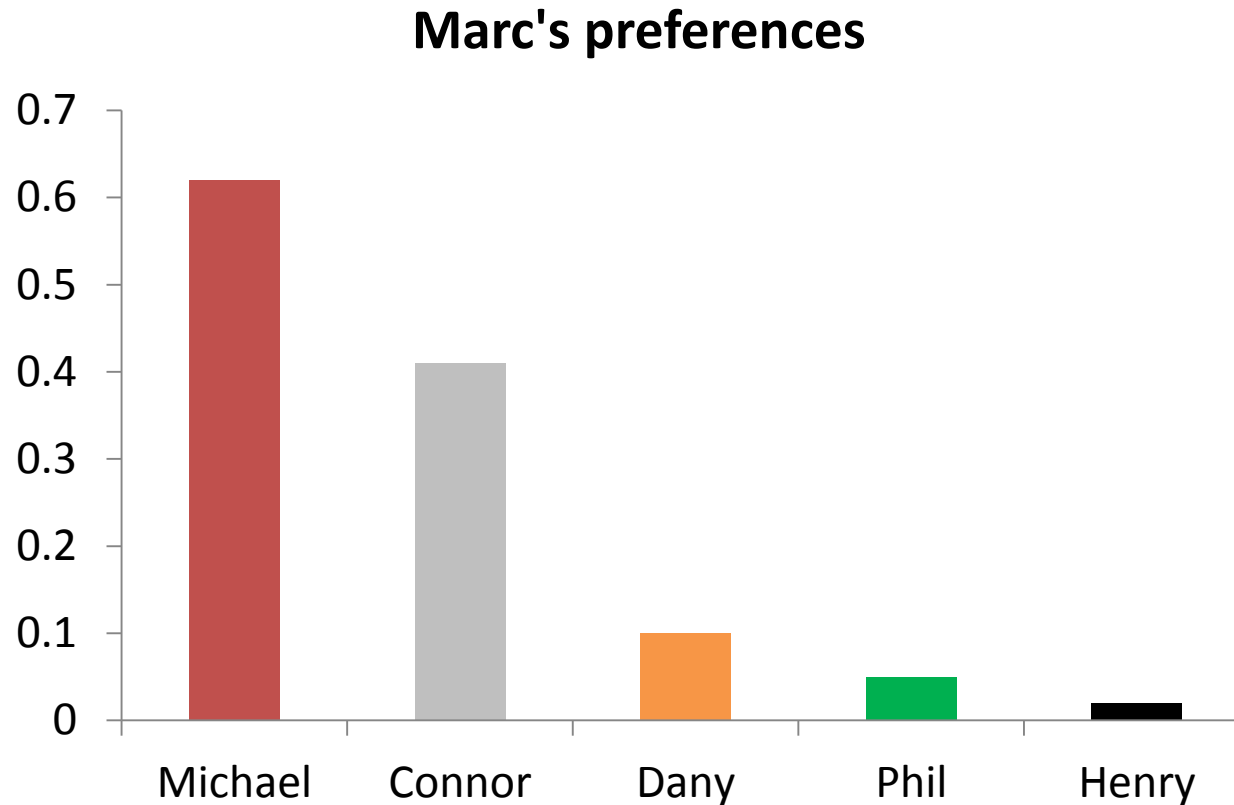
# Definitions

- $h_a$  = Number of hands in which A sat at a table
- $h_{a,b}$  = Number of hands in which A and B sat the same table
- $\text{Rake}^{[h]}$  = generated rake for hand h

# The notion of *player's preferences*

- Each player has his favourite opponents
- Preference of player A for player B =  $P_A^B$
- $P_A^B = h_{A,B} / h_A$
- **Exemple :**
  - $P_{\text{Marc}}^{\text{Michael}} = 0.62$
  - 62% of hands played where Marc was at the table, Michael was also there
  - Marc seems to like playing with Michael

# The notion of *player's preferences*

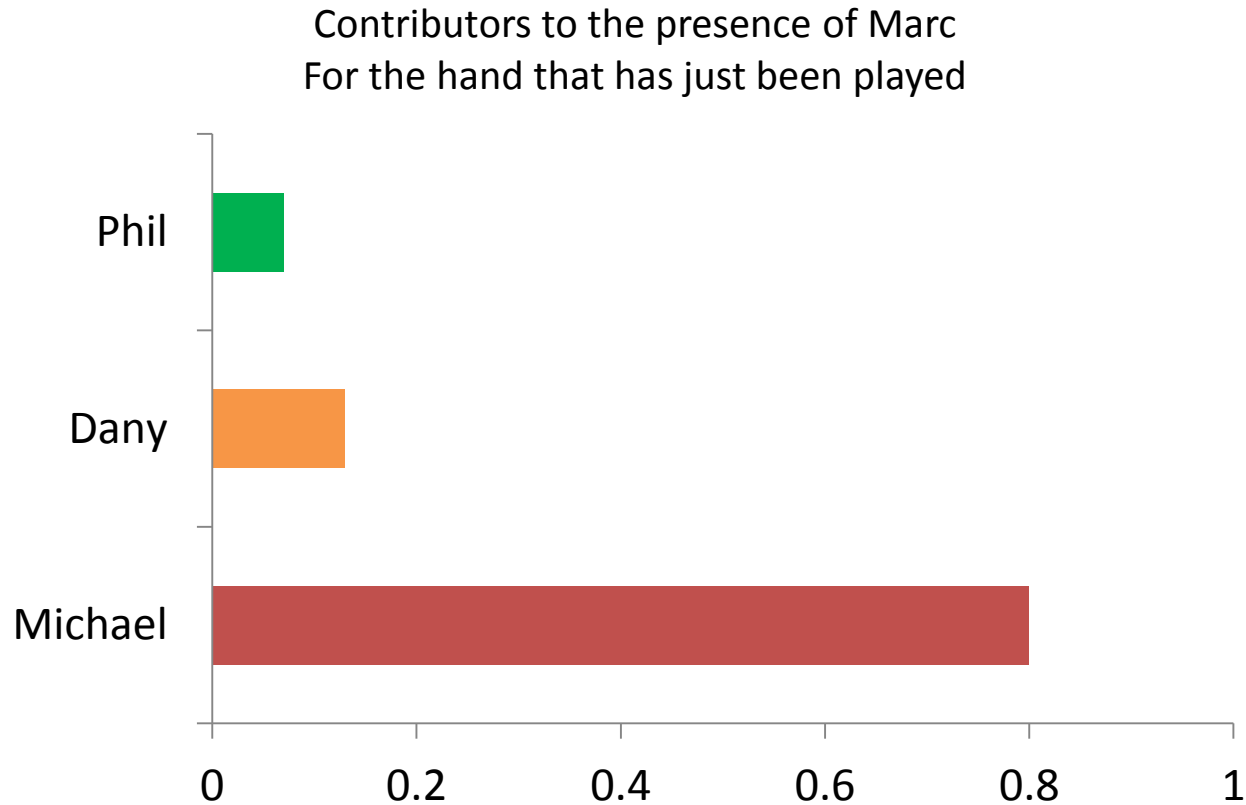


*Please note that the sum of Marc's preferences **is not** necessarily equal to 1 since a table can contains >2 players*

# The notion of *contribution to the presence*

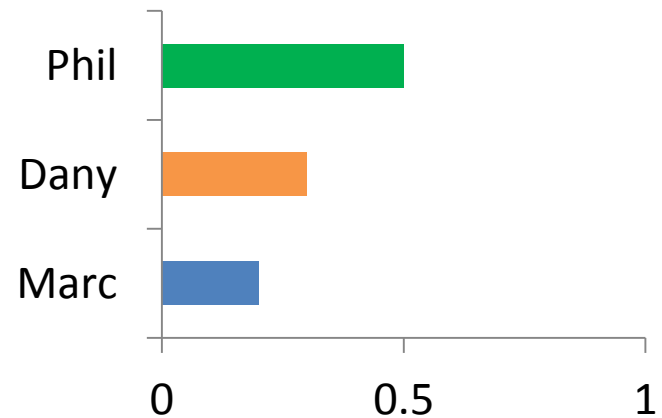
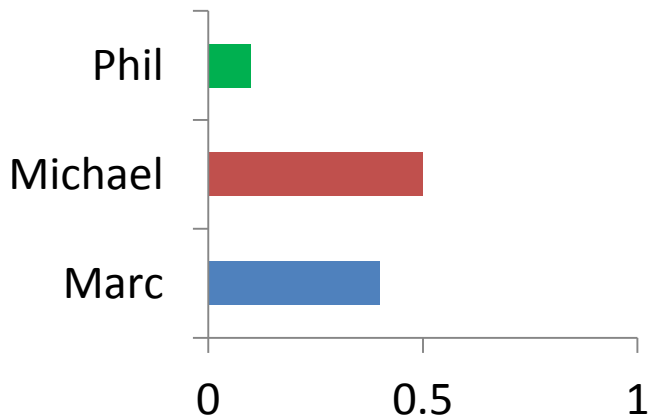
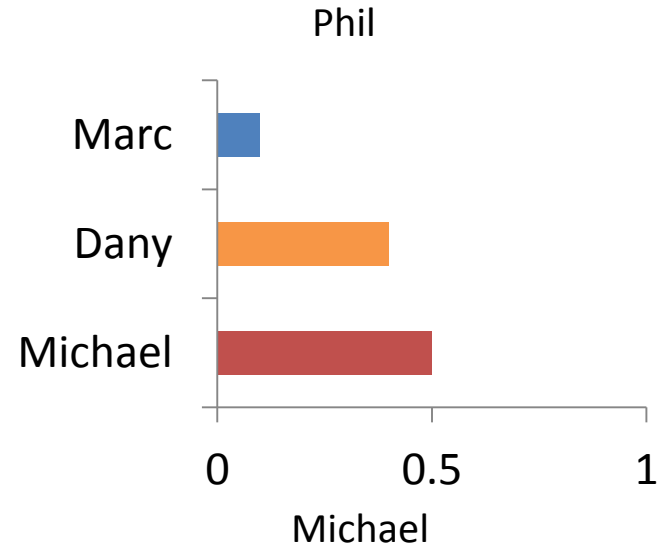
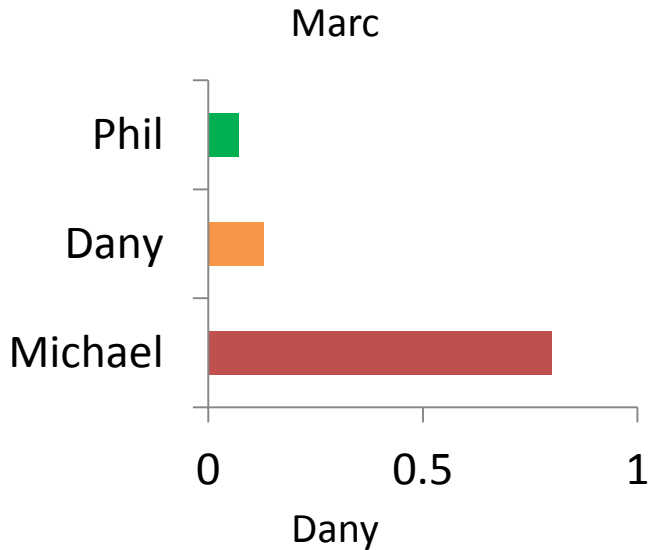
- A hand has just been played
- The table contains Marc, Michael, Phil, Dany
- What is the contribution of Michael to the presence of Marc at the table,  $C_{\text{Michael}}^{\text{Marc}}$  ?
- $C_{\text{Michael}}^{\text{Marc}} = P_{\text{Marc}}^{\text{Michael}} / P_{\text{Marc}}^{\text{Michael}} + P_{\text{Marc}}^{\text{Phil}} + P_{\text{Marc}}^{\text{Dany}}$
- Marc's presence contributors :
  - $C_{\text{Michael}}^{\text{Marc}} = 0.62 / (0.62 + 0.05 + 0.1) = 0.8$
  - $C_{\text{Phil}}^{\text{Marc}} = 0.05 / (0.62 + 0.05 + 0.1) = 0.07$
  - $C_{\text{Dany}}^{\text{Marc}} = 0.1 / (0.62 + 0.05 + 0.1) = 0.13$

# The notion of *contribution to the presence*



*This time, the sum of the contributions **equals to 1***

# The notion of *contribution to the presence*



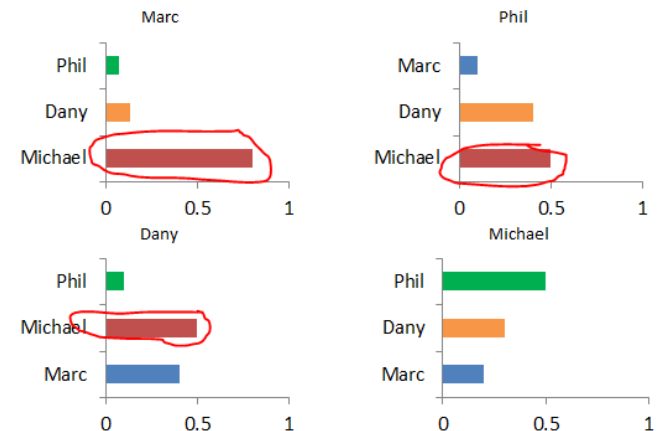
*The contributors of the presence of each players*



# The notion of *responsible for a played hand*

- A hand has just been played
- How responsible is this player for this played hand?
- Responsibility of Michael for this played hand,  $R_{\text{Michael}}^{\text{[hand]}}$
- $R_{\text{Michael}}^{\text{[hand]}} = \sum_j C_{\text{Michael}}^j / \sum_i \sum_j C_i^j$

- In others words,  $R_{\text{Michael}}^{\text{[hand]}}$  is
  - the sum of red areas over all the areas



# The notion of *player's value*

- Who is important for the room?
- $V_A$  is the Value of player A
- $V_A = \sum_h R_A^{[h]} * \text{Rake}^{[h]}$
- In other words, the value of player A depends on:
  1. The number of played hands *when he was sat*
  2. His responsibility in the played hands *when he was sat*
  3. The generated rake of the played hands *when he was sat*

# Why is it good?

- **The recreational player**
  - Some players only sit if the recreational player is there
  - Which means, he is the preference of those players
  - In such case, he will be highly responsible for the played hand
  - Therefore, his value is high

# Why is it good?

- **The pro player**

- The pro player is the preference player of almost nobody (except the other pros maybe)
- Therefore he will not be highly responsible for the played hands
- But he plays a lot of hands
- Therefore, at the end of the day, his value is high

# Why is it good?

- **The bumhunter**

- The bumhunter is rarely a high preference for anybody
- Therefore he will not be responsible for the played hands
- He does not play a lot of hands
- His value is low