

UGBA 141

Discussion 10

Agenda:

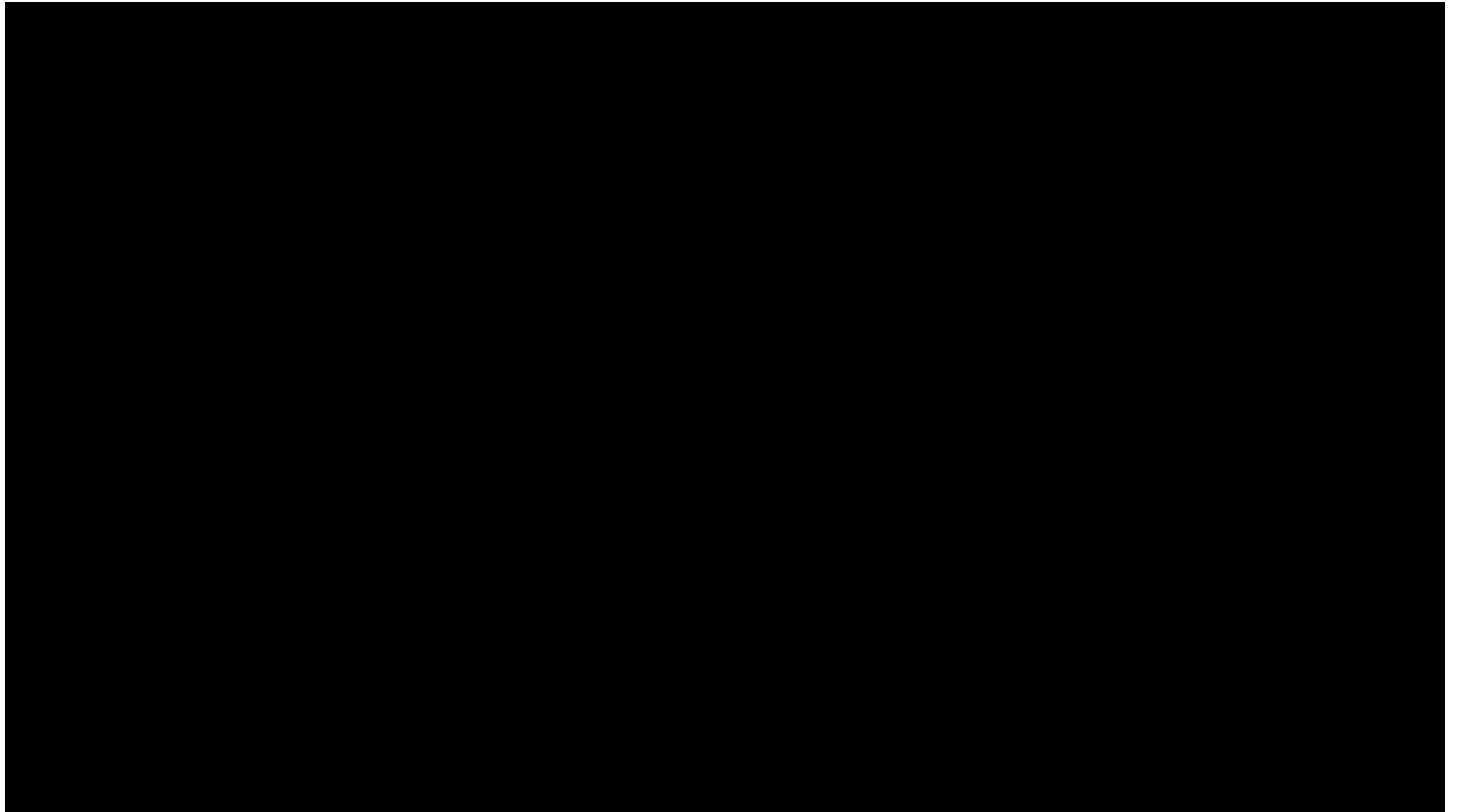
- Amazon Experience**
- Little's Law**
- Poisson and Exponential**

April 1, 2022
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Reminder

- HW5 is out (only need to one of HW4 and HW5, can also do both: see grading policy on bCourses)
- Schedule the second team meeting with sponsors
- Project Brief Update due Sun 4/3
- Read Case “Rent the Runway” for Monday’s class
- Read about Littlefield simulation in bCourses/Files
- Sheet04_SupplyChain is available on bcourses
 - <https://bcourses.berkeley.edu/courses/1510160/files/folder/Discussion%20Materials/Cheatsheets?preview=83022468>

Amazon Supply Chain Optimization Technologies



Tech in Amazon

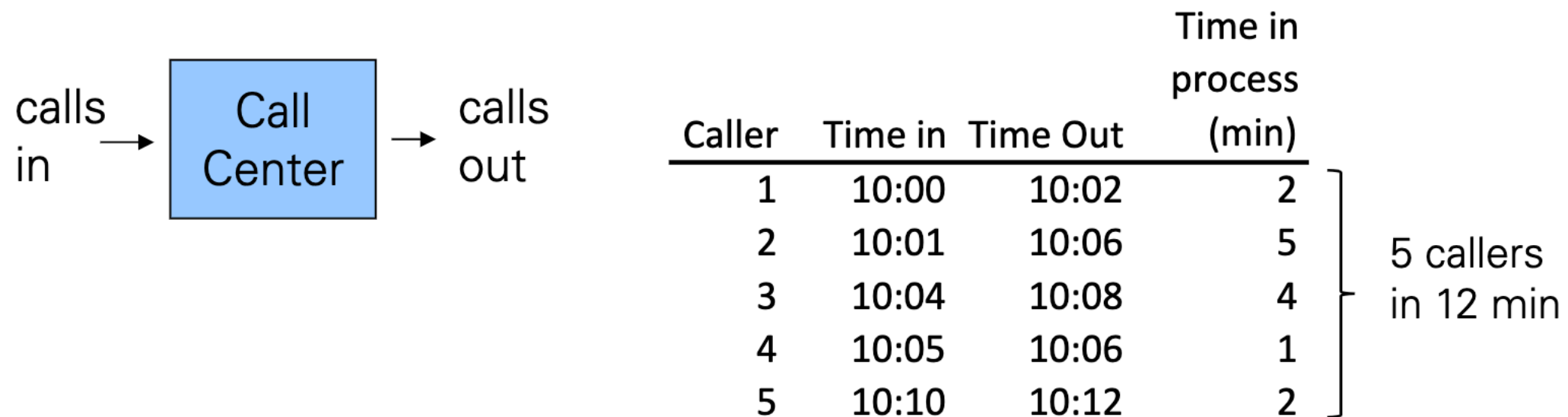
- Most customers think of Amazon as a retailing/logistics company
- What is the **Tech** behind the current practice of retailing/logistics that help Amazon generate more revenue while providing better service to customers?
- An important theme: **Data -> Decisions**
- Some examples
 - Personalized recommendations
 - Demand forecasting
 - Optimizing costs in logistics
- Check out <https://www.amazon.science/> for more cool projects

Little's Law

$$\begin{array}{ccccc} \text{average} & & \text{average} & & \text{average} \\ \textbf{Inventory (I)} & = & \textbf{flow rate (R)} & \times & \textbf{flow time (T)} \\ \text{(number of units} & & \text{(rate at which units} & & \text{(time unit spends} \\ \text{in system)} & & \text{enter and leave} & & \text{in system)} \\ & & \text{system)} & & \end{array}$$



Little's Law Practice Problem I

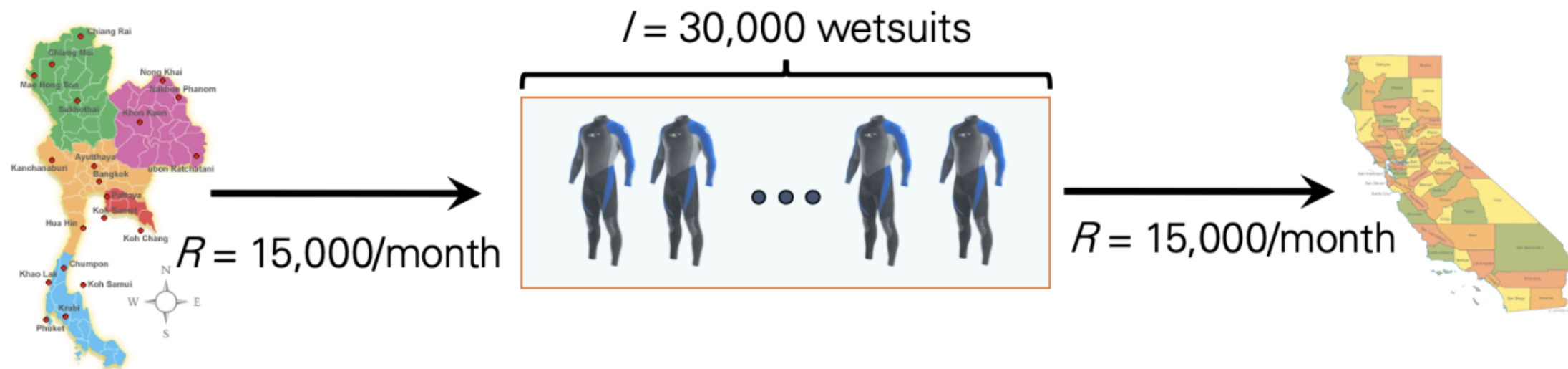


- Average flow rate $R =$
- Average flow time $T =$
- Average inventory $I =$

Little's Law Practice Problem II

SF-based O'Neill buys wetsuits from a supplier in Thailand:




- Each month they order 15,000 wetsuits on average, $R = 15,000$
- On average, there are $I = 30,000$ wetsuits in transit from Thailand to SF



- Question: What is the annual inventory turns of wetsuits?
 - Hint: connect inventory turn with flow time

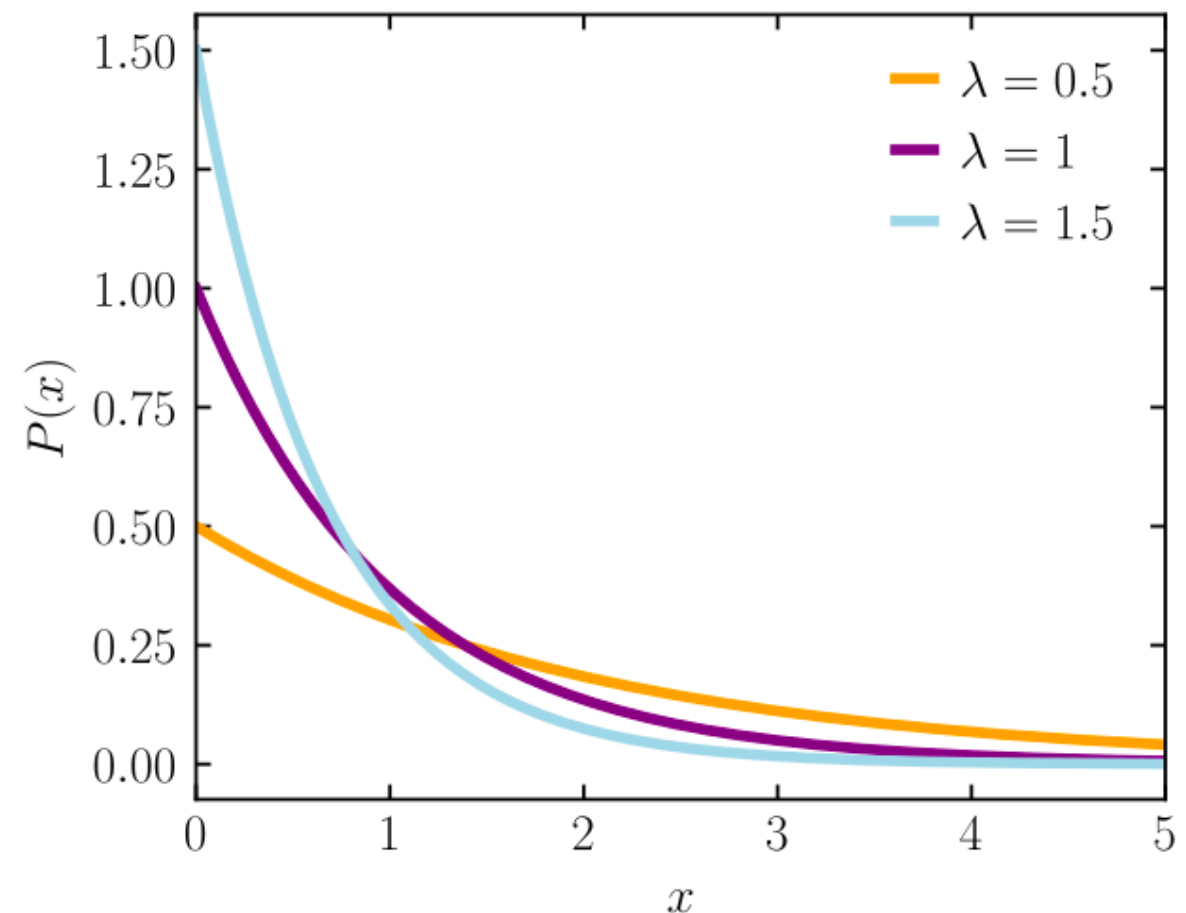
Preview: Poisson Distribution and Exponential Distribution

- Two useful random distributions that can model a number of objects in practice

Poisson Distribution		Exponential Distribution
Number of cars passing in a drive-thru in a hour		Number of minutes between car arrivals in drive-thru
Number of phone calls received in a call center in an hour		The time it takes for a call center executive respond to a caller
Number of machines breakdown in a month		Time between machine breakdown

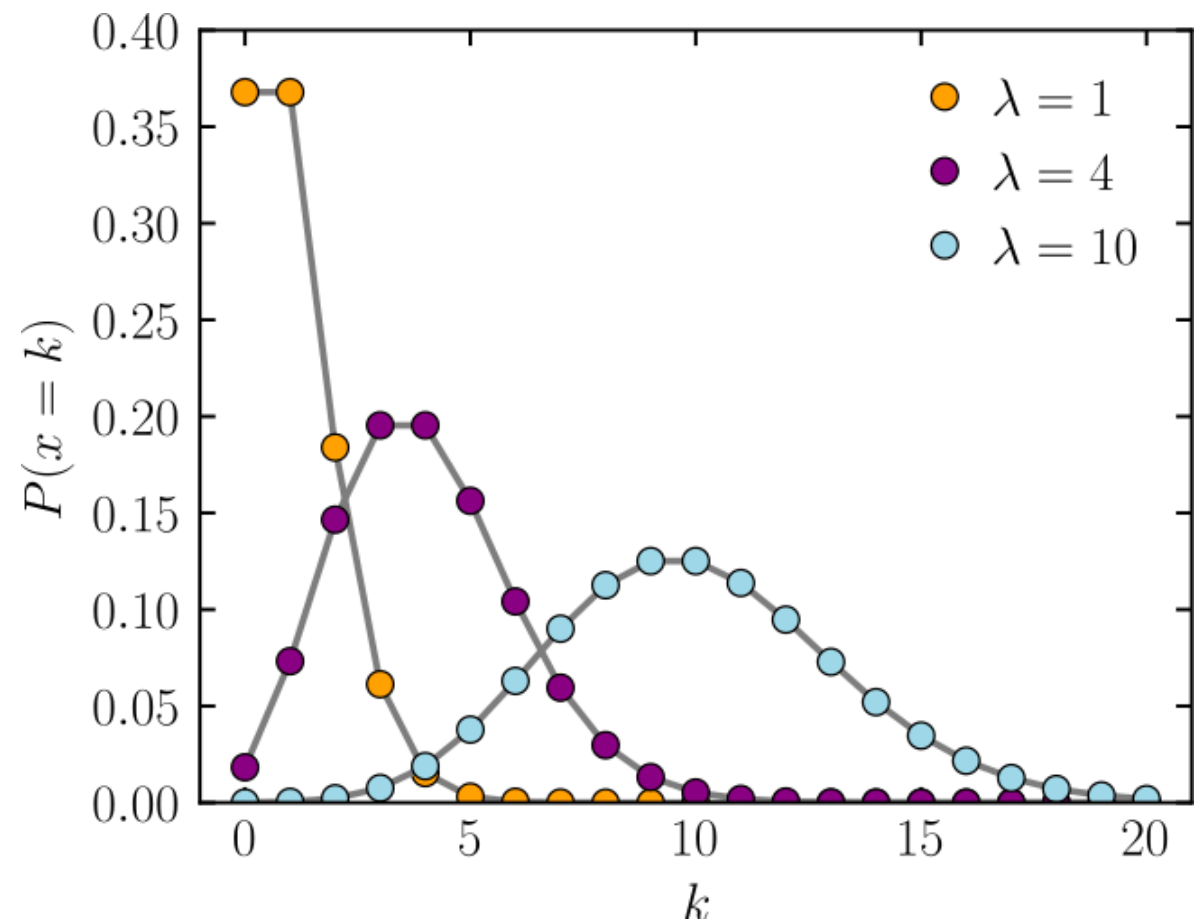
Exponential Distribution

- A random distribution with parameter λ
 - Model the random time between two consecutive arrival of customers
 - Model the random service time
- Key properties
 - Mean = Std = $\frac{1}{\lambda}$ = **expected time**
 - Valued as positive number
- Example in practice:
 - The time between two arrivals of passengers at the bus stop
 - The time between two phone calls to service center

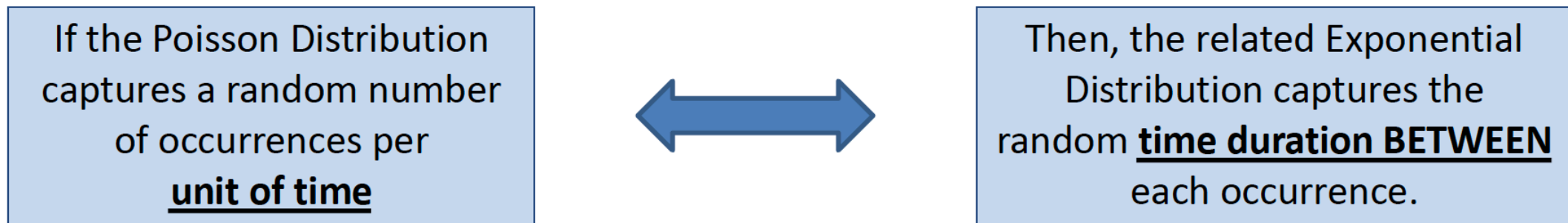


Poisson Distribution

- A random distribution with parameter λ
 - Model the number of occurrences per unit of time or space
- Key properties
 - Mean = λ = **expected number**
 - Std = $\sqrt{\lambda}$
 - Valued as non-negative **integer**
- Example in practice
 - How many passengers arrive at a but stop during 20min
 - How many phone calls does the service center receive in one hour



Relation of Poisson and Exponential



This relationship is not so easy to show when the Poisson Distribution is used per unit of space, since space is 2-D. In this course, we will only focus on applying these distributions to time (i.e. customer arrival times, service processing times, etc.).

For Example:

“The number of customers arriving at the post-office each lunch-hour on weekdays is Poisson distributed with rate 20 per hour.”

“The interarrival time (time elapsed between subsequent customer arrivals) during weekday lunch-hours at the post-office is exponentially distributed with a mean of 3 minutes.”

$$\text{Poisson} = \frac{20 \text{ customers}}{1 \text{ hour}} \quad \text{Flip it to get} \rightarrow \quad \text{Exponential} = \frac{1 \text{ hour}}{20 \text{ customers}} * \frac{60 \text{ minutes}}{1 \text{ hour}} = \frac{3 \text{ minutes}}{1 \text{ customer}}$$