

1. `transform_homography()`
 - a. Given the src coordinates and homography matrix, matrix multiply `h_matrix` with each coordinate (appended with 1) transpose.
 - b. Scale the transformed coordinates back down to form `[x, y, 1]`
2. `warp_image()`
 - a. Given the dst, src and homography matrix, construct a matrix of coordinate points in dst.
 - b. Transform each coordinate point in dst back to src image coordinates using `transform_homography` using `inv(homography)`.
 - c. Remap the src image over the dst image.
3. `compute_affine_rectification()`
 - a. Given 2 pairs of parallel line, find the vanishing point of each pair and cross these 2 vanishing point to get the vanishing line at infinity.
 - b. Parameterize this vanishing line and construct H_p .
 - c. Calculate the new size of transformed image and warp the src image onto this new size.
4. `compute_metric_rectification_step2()`
 - a. Given 2 pairs of parallel lines, construct the constraint for each pair of parallel line and stack them to form a 2×3 matrix.
 - b. Use svd to get the null vector (last row of V_h) and construct S from the null vector.
 - c. Using Cholesky decomposition to get the matrix K and scale it down by its determinant.
 - d. Convert K to a 3×3 matrix in form $[[K.Transpose, 0], [0, 1]]$
 - e. Calculate the new size of transformed image and warp the src image onto this new size.
5. `compute_metric_rectification_one_step()`
 - a. Given 5 pairs of orthogonal lines, construct the constraint for each pair and stack them to form a 5×6 matrix.
 - b. Use svd to get the null vector (last row of V_h) and construct the conic in form of 3×3 matrix $[[a, b/2, d/2], [b/2, c, e/2], [d/2, e/2, f]]$.
 - c. Use svd again to get the $D = \sqrt{\Sigma}$ and Homography matrix = UD
 - d. Calculate a similarity/translation matrix to scale/translate the warped image back into view window.
 - e. Warp the src image into the dst using $H = (H_s * H)$

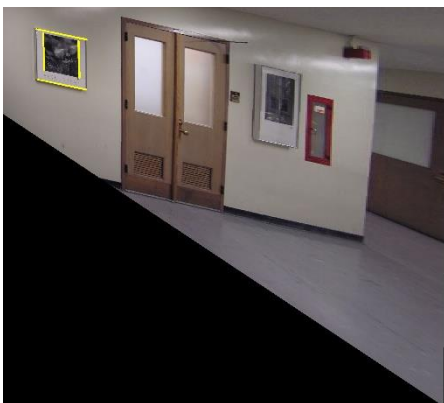


Figure 1 Affinely Rectified Image



Figure 2 Final Rectified Image 1



Figure 3 Final Rectified Image 2

6. `compute_homography_error()`
 - a. Given the $\text{src}(x)$, $\text{dst}(x')$ and homography matrix, calculate the estimated $\text{dst}(Hx)$ and $\text{src}(\text{inv}(H)x')$ coordinates using the homography matrix.
 - b. Calculate the distance error using formula, $d(x, x') = \|x - \text{inv}(H)x'\|^2 + \|x' - Hx\|^2$
7. `compute_homography_ransac()`
 - a. Given 2 sets of corresponding points from 2 images, randomly choose 4 pairs of corresponding points.
 - b. Compute the homography matrix using these 4 pairs of points.
 - c. Count number of inliers according to distance error below threshold
 - d. If number of inliers $>$ current max inliers, save the homography matrix and inliers mask.
 - e. Repeat for the specified number of tries to find max inliers, homography and mask
 - f. Recalculate homography with the inliers.