

PATHS

1/5 \rightarrow 10 \rightarrow 15 \rightarrow 20 \rightarrow E = (45)

2/5 \rightarrow 10 \rightarrow 20 \rightarrow E = (30)

3/5 \rightarrow 15 \rightarrow 20 \rightarrow E = (35)

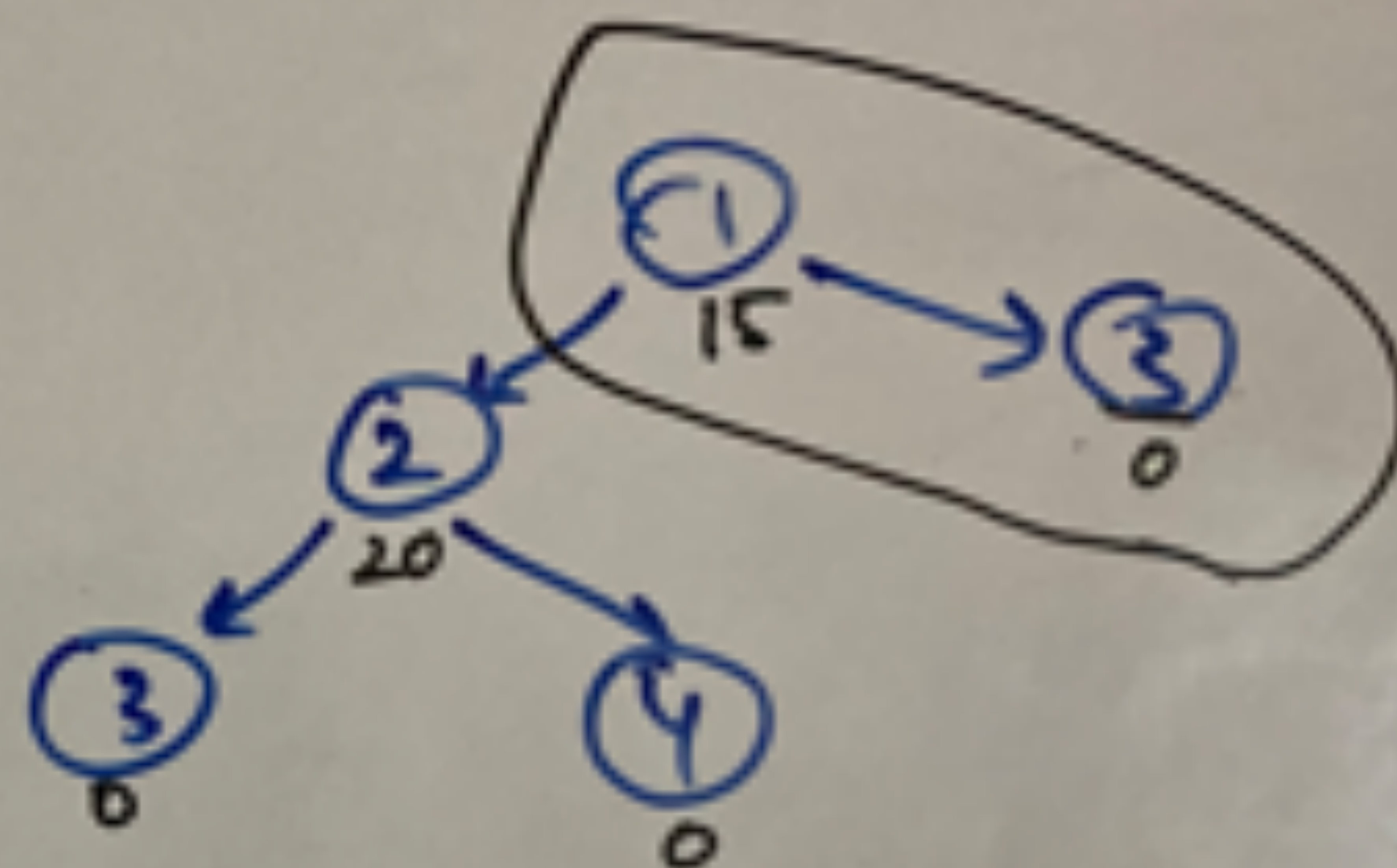
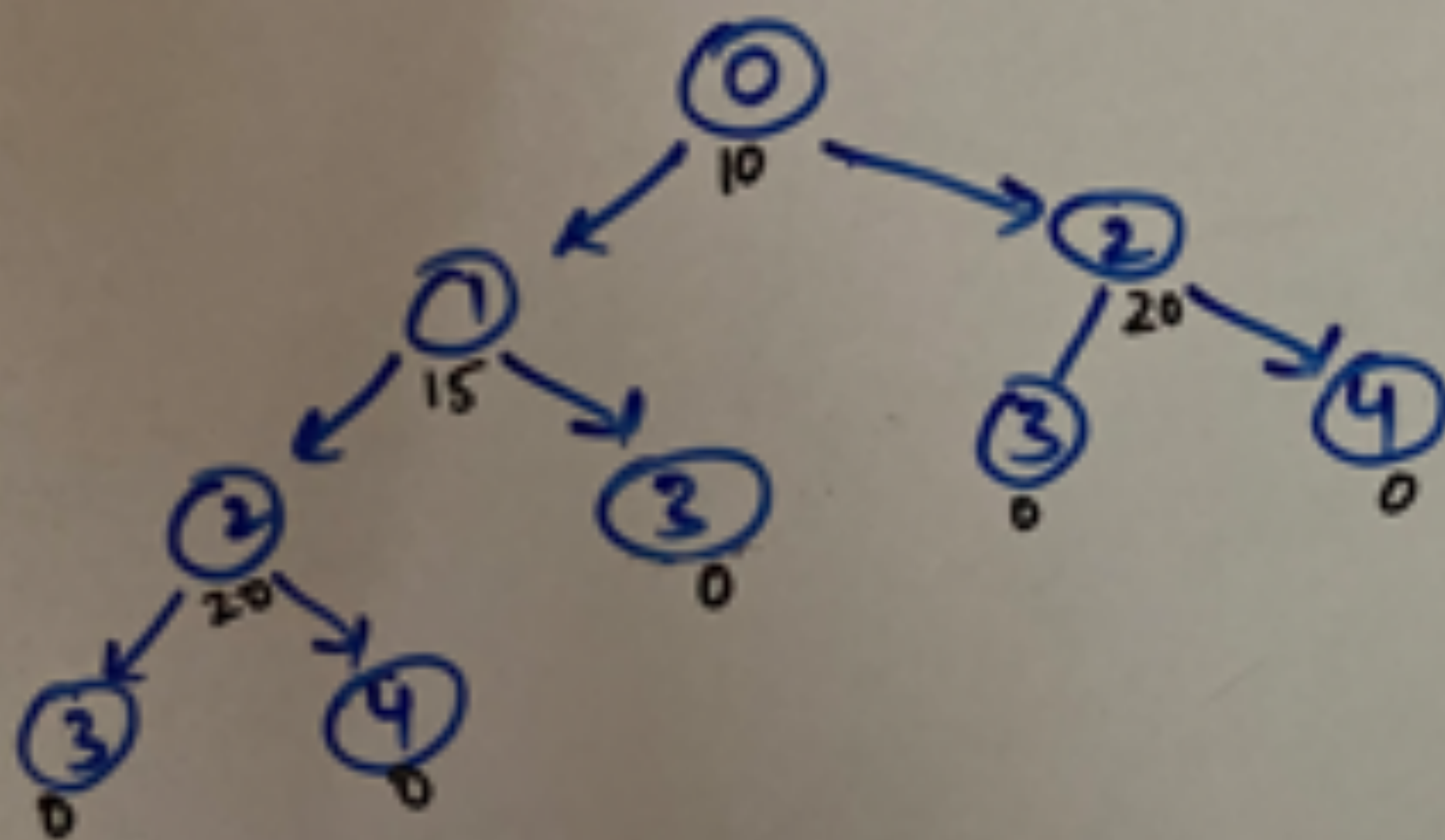
4/5 \rightarrow 15 \rightarrow E = (15) ✓
 ↓
 Min of 4



Optimal path = 6 steps each cost 1

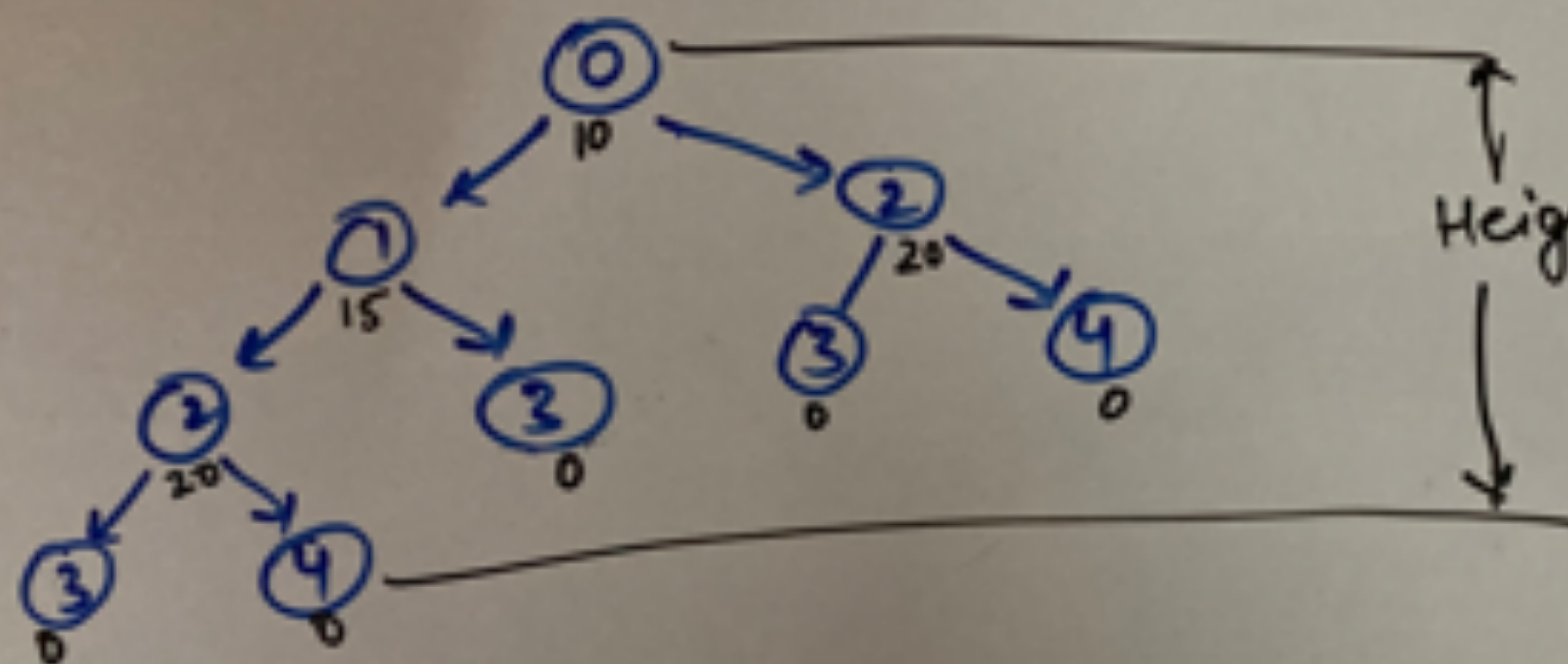
cost = [10, 15, 20], $val = 15$

steps = 3



Cost = [10, 15, 20], $n = 15$

steps = 3



Height = 3 [num of steps = n]

no of nodes in
Binary tree
 $= 2^h = 2^n$

3 Approaches

- 1) Top down
 - Recursive + Memoization
 - $O(N)$ Time and space
- 2) Bottom up - iterative
 - DP table
 - $O(N)$ Time & space
- 3) Bottom up - optimized
 - $O(N)$ Time
 - $O(1)$ space.