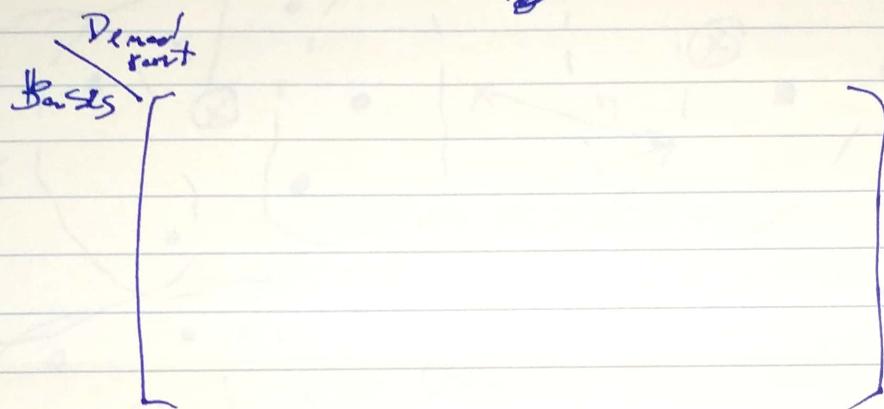


Information:

1) Demand points + Demands

2) Reference points (Potential Bases)

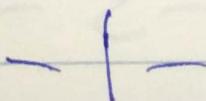
3) Distance matrix



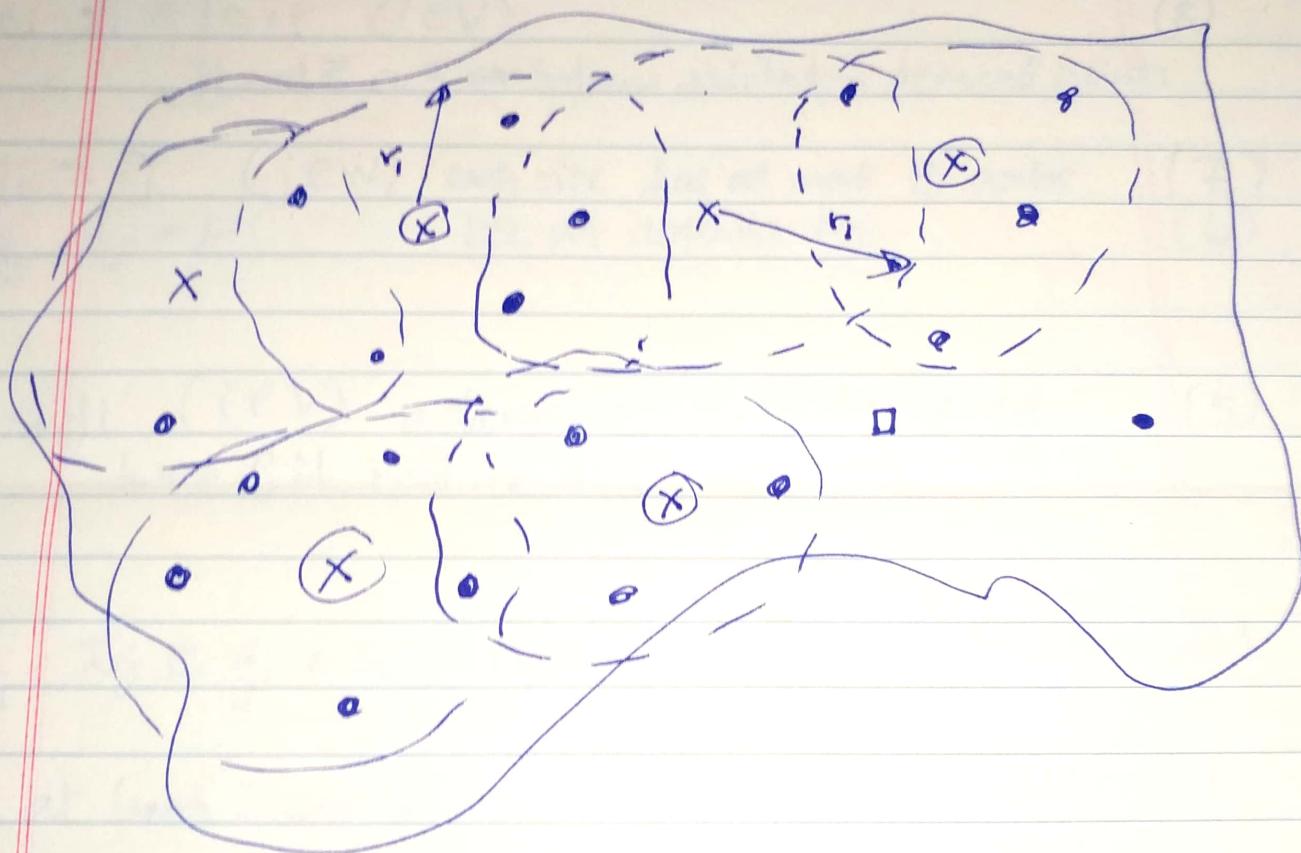
4) Actual Bases location

5) Actual ^{available} Vtys. location

6) Call location



- Demand points
- calls
- Available Ambulances
- Bases



$i \rightarrow$ demand point

$d_i \rightarrow$ demand at point i

$\sum_i d_i \rightarrow$ total demand

$E = \{(j, i) : j \in W, i \in V\}$ where (j, i) is travel time
 from site j to demand point i .
 $G = (V \cup W, E)$. V = demand points; W = ambulance location sites.
 x_j integer ($j \in W$)
 → the num of ambulances at site $j \in W$

$$y_i, z_i \in \{0, 1\} \quad (i \in V) \quad (8)$$

y and z are ~~are~~ booleans related to demand points.

$$\sum_{j \in W} x_j \leq p_j \quad (j \in W) \quad \text{each site has at most } p_j \text{ ambs.} \quad (7)$$

$$\sum_{j \in W} x_j = P \quad \text{use all ambulances} \quad (6)$$

$$z_i \leq y_i \quad (i \in V) \quad \text{a demand cannot be covered twice if it isn't covered once.} \quad (5)$$

$$\sum_{j \in W_i^{r_1}} x_j \geq y_i + z_i \quad (i \in V) \quad (4)$$

at least 2 ambulances are required for double cov.

$$\sum_{i \in V} d_i^s y_i \geq \alpha \sum_{i \in V} d_i^s \quad (s \in S) \quad (3)$$

a fraction α of all demand is covered within r_1 in each scenario

$$\sum_{j \in W_i^{r_2}} x_j \geq 1 \quad (i \in V) \quad (2)$$

all demand is covered within r_2

$$\max: \sum_{s \in S} p_s \sum_{i \in V} w_i^s d_i^s z_i \quad (1)$$

weighted sum of demand points covered at least twice within

- (1) potential base locations: spots for ambulances
- (2) call demand & priority
- (3) demand scenarios demand variations on time & day.
- (4) demand points
- (5) average travel time

[4] calculated by hierarchical clustering to select 100 demand points. by Euclidean distance & Ward's minimum variance.

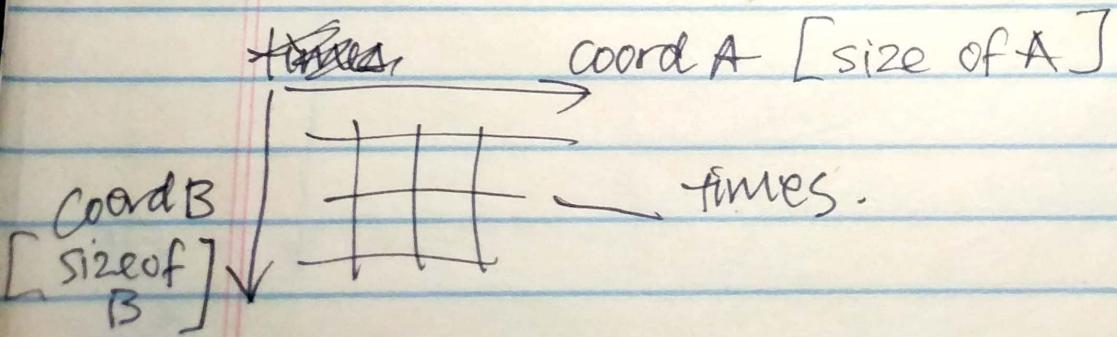
= How to run the clustering in Python? =

[5] Average travel time reported by a Google Maps query.

(id, long, latt, date, day, time, priority) 10513
latt, long - of the location-of request. entries.

(latt, long) 969 entries
 bases

- (*) Cluster by average demands
- (2) from each "base" to demand points, calculate average time.

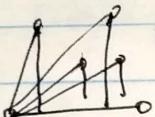


That's what the demand points is for.

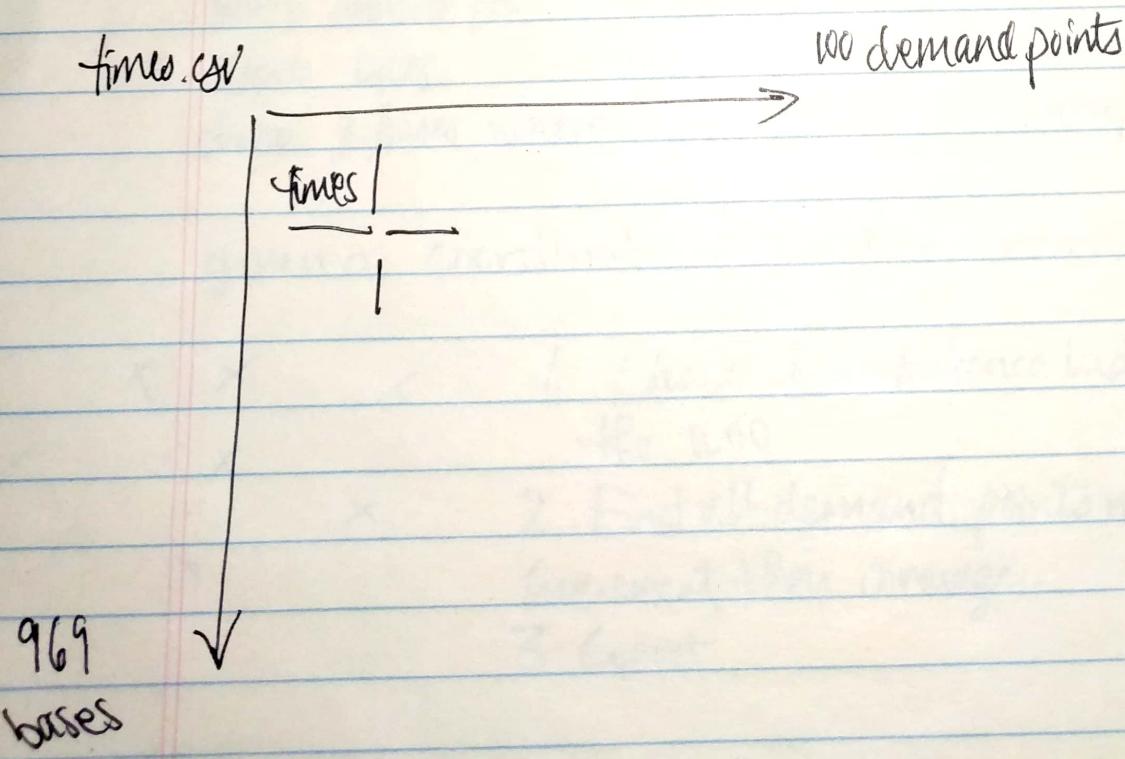
for each demand point, count # of nearby points.
sort points by descending order
pick top 100 ~~#~~ points as representative

suppose cl have all the demand points clustered already. Now what?

Find ~~a~~ a set of 8 ambulances that fits within the 100 demand points.



Now that cl have a list of surrounding estimated locations for demand points, cl can estimate time between base and demand points.



$$x_j = \text{num Amb per base}$$
$$P = \text{total ambulances}$$

all demand points must be covered by ~~r=10~~, and we want to maximize r=14

- ① find the travel time between each base chosen by k-means, and ~~the~~ the k-means of the demand.
 - a) 8 chosen bases or 11 (doesn't matter) that satisfies $r \leq 10$ for all demand points given by the cluster.

$$10 \cdot 60 \\ = 600$$

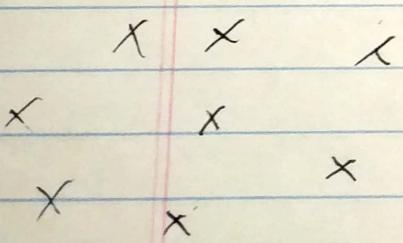
for each demand point, if a base is $r \leq 10$,
~~not~~ increment its coverage.

1000 demand pts

1000 bases.

choose 8 bases where all clusters are satisfied.

given a coordinate, find closest nearby coord.

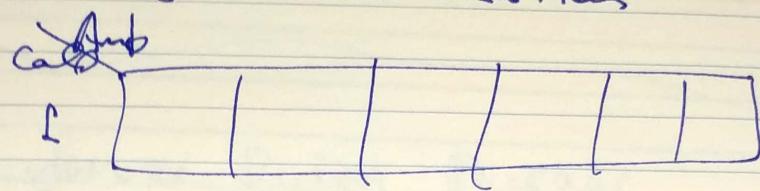


1. Choose 8 ambulance locations out of the 1000

2. Find all demand points near them, increment their coverage.

3. Count

1) calculate travel time
from each mobile subscriber
to call locations



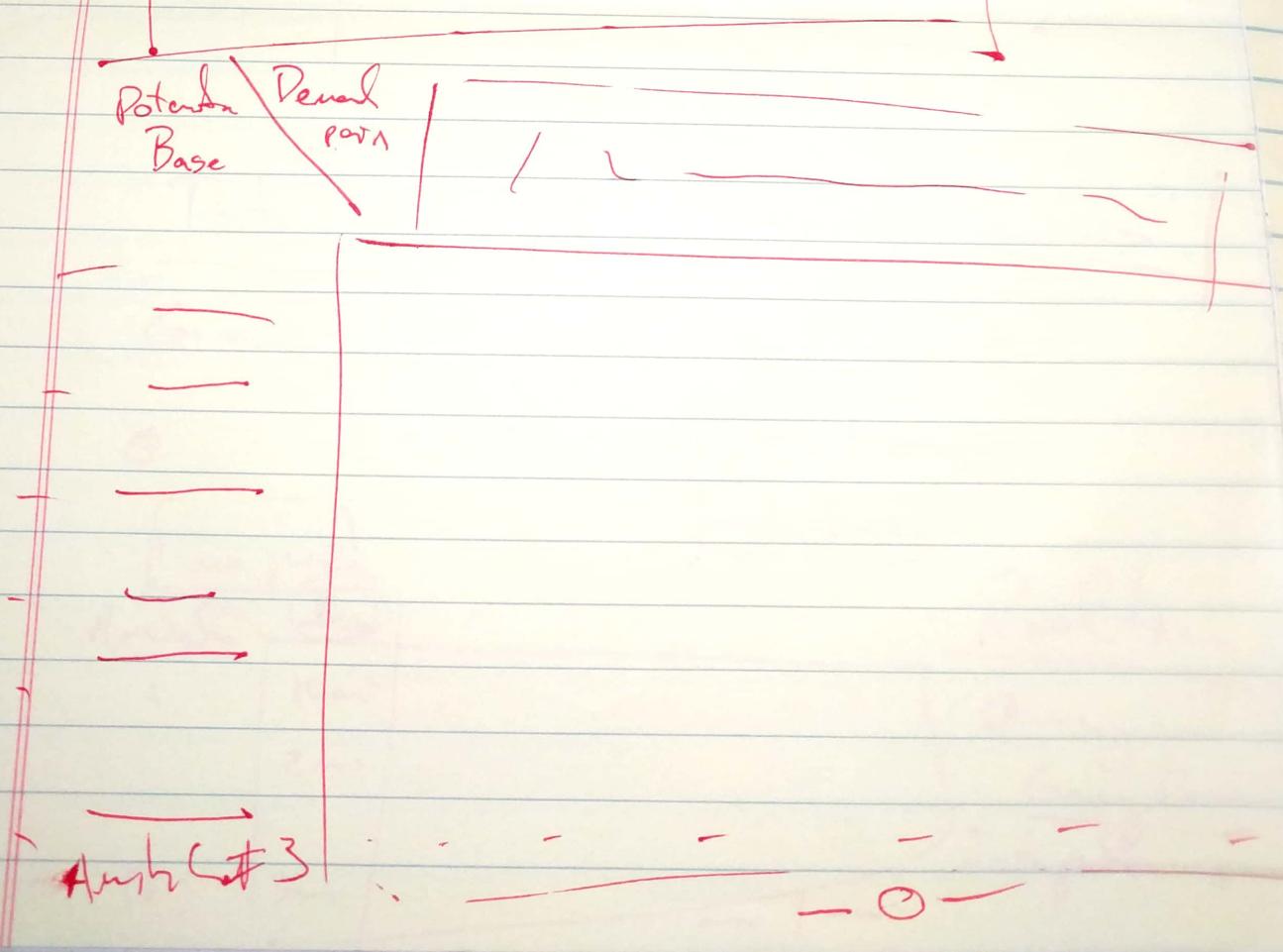
2) Evaluate coverage

primary | Given radius
secondary |

or calculate
primary radius | :
secondary radius | : . . .

3) to do = then what?
1) Baire fare (combinatorial)

{ # Bases = 8
Ambulances = 11



Existing Data

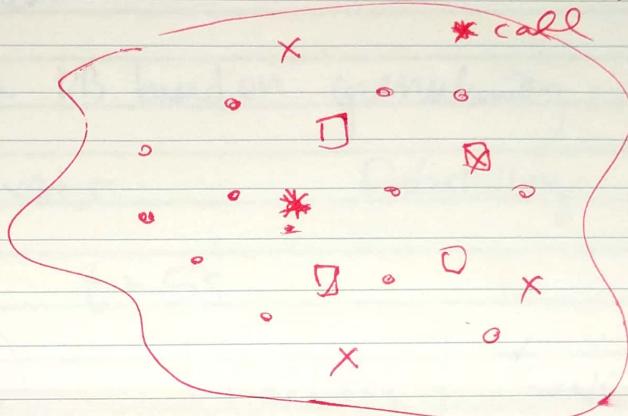
Bases Demand points

X ambulance

D base

• demand

* call



Data needed for dynamic Decisions

Given:) Demand locations

Q.) Ambulance) positions
) starting

Time prof	
Amnts	load
L	10 min
:	2 min
10	5 min

Real time
Query
~~Google "~~
~~Integrator "~~

Realistic

static / Dynamic given a problem case that just came in. Ambulances on route, out of base

Redefine
The Problem

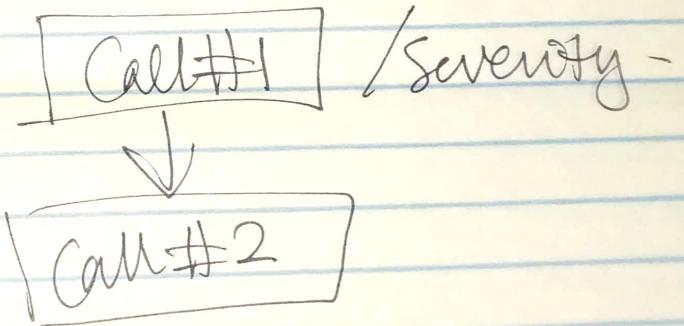
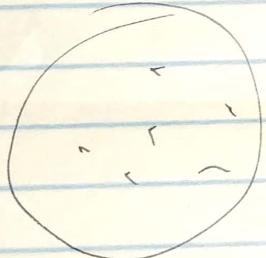
Reallocate the bases. Change num of bases?
Superset of problem

→ Multi-layered DB based on granularity

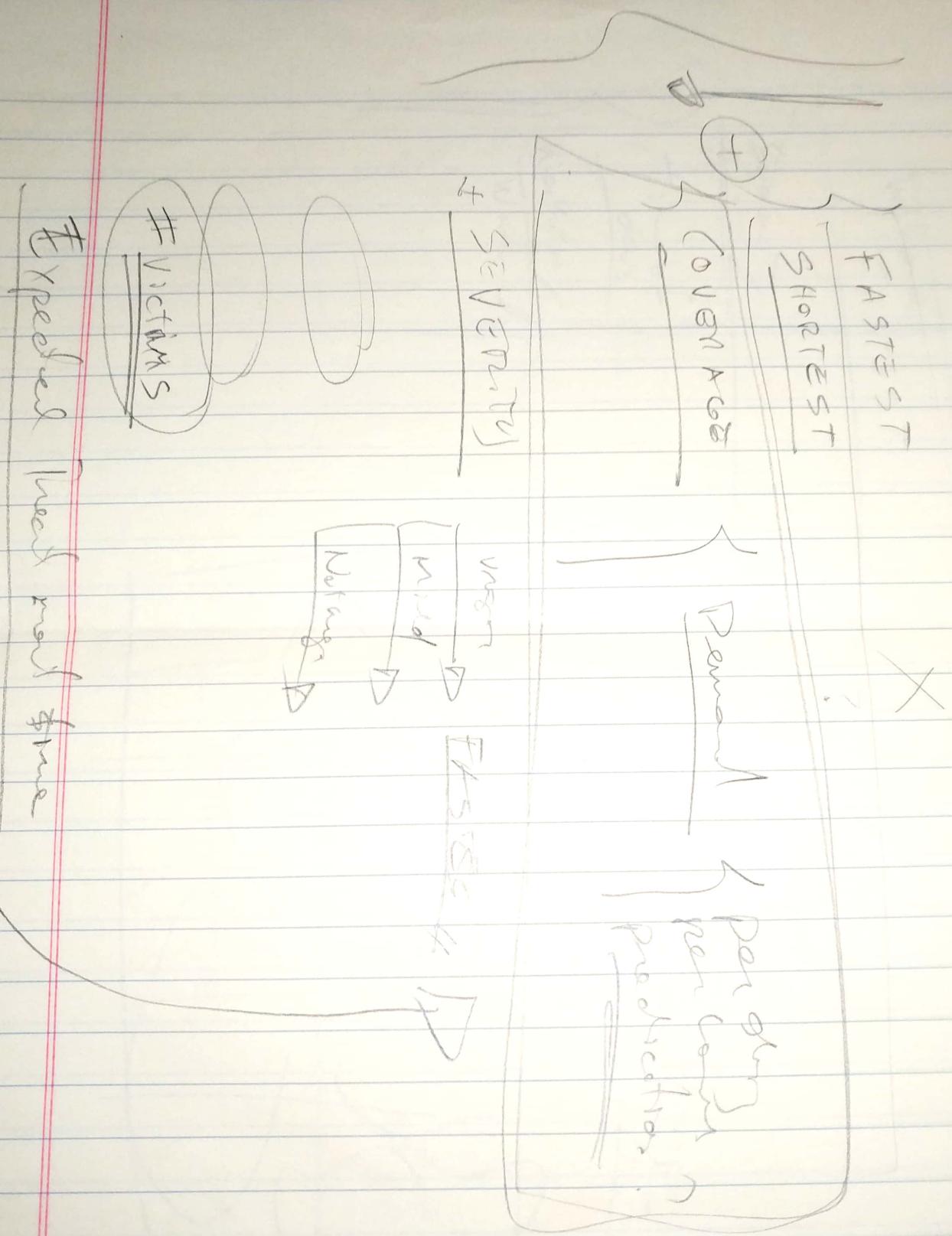
Location exists.

Probability

$t = 55$.



Base to base
In transit change destination.



- 2 -

when

cales

Classmate

time of
day

500

style because
forever, the
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you may not have
se reasons.

ou should get out
research paper is

that a problem has
has two parts. The
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increased safety? The
e a trivial solution?
What are the previous
problem are distilled
be more focused than
t explicitly stated, making

is the proposed answer
I believed that this solution
on about how the solution

ually not absolute for
n question. What argument,
What benefits or problems

is a good idea? What flaws
at are the most controversial
to ask. Is this really going to
become a reality?

and varied. Beyond the insights on
experimental techniques, or an
ions do the authors identify, but
e may be identified as

M
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Normal font

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containing 15 line
each page
and each
row will
now be
105

