# MOVIELENS RATING PREDICTION

# BY

M.HANUMAN SAI 19BPS1066

VIJAY. GOPU 19BPS1078

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**Dr. Tulasi Prasad** 

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**Chennai – 600127** 

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### **ABSTRACT**

To produce precise suggestions, recommendation systems employ ratings that users have provided to things. Companies that sell a large number of items to a large number of consumers and allow those customers to evaluate their products, such as Amazon, can accumulate vast datasets that can be used to forecast what rating a certain user will give to a specific item. Items with a high expected rating for a certain user are then recommended to that person. The same might be said of other products, such as movies in our situation. One of the most often used models in machine learning algorithms is recommendation systems. Netflix's success is claimed to be due to its powerful recommendation algorithm. In reality, the Netflix reward (an open competition for the best collaborative filtering algorithm to forecast user ratings for films based on prior ratings without any other information about the users or films) is representative of this algorithm for products recommendation system.

### **INTRODUCTION**

In this project our plan is to develop a model that can predict how a user will rate a specific movie, similar to a movie recommendation system. Our model will make predictions based on user ratings of other movies and the average rating of the specific movie.

#### **METHODOLOGY**

After downloading and unzipping the data file, I will extract its contents and place the data in a data frame.

Next, I will split the data into two sets: a training set and a validation set. The training set will contain 90% of the data (9 million ratings) which the model will learn from. The validation set will contain the remaining 10% of data (1 million ratings) which will be used to evaluate the performance of our model

First, we will run an exploratory data analysis to get a general overview of the data and explore possible predictor variables.

Then, we will include the most important features into numerous models i..e We are planning to test three different regression models to predict each rating .Then, we will select the best model and apply it to the test data set (validation)

Finally, We will deploy the model with the smallest error to the test set and evaluate the results.

### **DATASETS USED**

For this project we using "MovieLens dataset"

- [MovieLens 10M dataset] https://grouplens.org/datasets/movielens/10m/
- [MovieLens 10M dataset zip file]

https://files.grouplens.org/datasets/movielens/ml-10m.zip

#### **DATA DESCRIPTION**

For this project, we used the 10M version of the MovieLens dataset which we collected from "https://grouplens.org/datasets/movielens/10m/".

The dataset presents information about 10 million movie ratings including user id, movie id, user rating of the movie (between 0.5 to 5 stars), timestamp of the rating (seconds since midnight Coordinated Universal Time of January 1, 1970), title of the movie, and movie genre(s): Action, Adventure, Animation, Children's, Comedy, Crime, Documentary, Drama, Fantasy, Film-Noir, Horror, IMAX, Musical, Mystery, Romance, Sci-Fi, Thriller, War, and/or Western



It contains 10M rows and 6 coloumns. Since data is huge we are dividing into training and validation sets earlier than later stages.

### SPLIT RAW DATA: TRAIN AND VALIDATION

Train dataset contains 90% of original data:

	userId <int></int>	movield <int></int>	rating <dbl></dbl>	timestamp title	genres <chr></chr>
1	1	122	5.0	838985046 Boomerang (1992)	Comedy Romance
2	1	185	5.0	838983525 Net, The (1995)	Action Crime Thriller
4	1	292	5.0	838983421 Outbreak (1995)	Action Drama Sci-Fi Thriller
5	1	316	5.0	838983392 Stargate (1994)	Action Adventure Sci-Fi
6	1	329	5.0	838983392 Star Trek: Generations (1994)	Action Adventure Drama Sci-Fi
7	1	355	5.0	838984474 Flintstones, The (1994)	Children Comedy Fantasy
3	1	356	5.0	838983653 Forrest Gump (1994)	Comedy Drama Romance War
9	1	362	5.0	838984885 Jungle Book, The (1994)	Adventure Children Romance
10	1	364	5.0	838983707 Lion King, The (1994)	Adventure Animation Children Drama Musical
11	1	370	5.0	838984596 Naked Gun 33 1/3: The Final Insult (1994)	Action Comedy

#### Validation set contains 10%:

escription: <b>df</b>	[999,999 × 6]				
userId <int></int>	movield <int></int>	rating	timestamp <int></int>	title <chr></chr>	genres <chr></chr>
1	231	5.0	838983392	Dumb & Dumber (1994)	Comedy
1	480	5.0	838983653	Jurassic Park (1993)	Action Adventure Sci-Fi Thriller
1	586	5.0	838984068	Home Alone (1990)	Children Comedy
2	151	3.0	868246450	Rob Roy (1995)	Action Drama Romance War
2	858	2.0	868245645	Godfather, The (1972)	Crime Drama
2	1544	3.0	868245920	Lost World: Jurassic Park, The (Jurassic Park 2) (1997)	Action Adventure Horror Sci-Fi Thriller
3	590	3.5	1136075494	Dances with Wolves (1990)	Adventure Drama Western
3	4995	4.5	1133571200	Beautiful Mind, A (2001)	Drama Mystery Romance
4	34	5.0	844416936	Babe (1995)	Children Comedy Drama Fantasy
4	432	3.0	844417070	City Slickers II: The Legend of Curly's Gold (1994)	Adventure Comedy Western

### **Check for NA values**

Prior to the exploratory data analysis, we will check if the dataset contains any missing values.

```
**Next we going to check it dataset contains an ```{r} any(is.na(train))

[1] FALSE
```

There are no missing values in the dataset.

# **Exploratory Data Analysis (EDA)**

```
## Exploration y data sharys 13 (EDA)

[r]

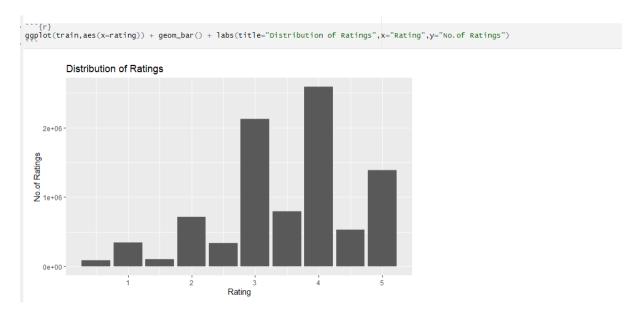
summary(train$rating)

Min. 1st Qu. Median Mean 3rd Qu. Max.

0.500 3.000 4.000 3.512 4.000 5.000
```

so ,the average rating across the 9 million ratings in the training set is 3.51 stars

# Distribution of ratings across the dataset:



As you can see, the ratings appear to be left-skewed since there are few ratings between 0 to 2 stars and many ratings between 3 to 5 stars. It is important to note that users only had the option to select whole number or half ratings. Thus, there were only ten options users could select from (0.5, 1, 1.5, 2, 2.5, 3, 3.5, 4, 4.5, 5). In general, half star ratings appear to be less common than whole star ratings.

Now, I will perform a deeper analysis of ratings by movie. Specifically, we will compare the average rating of movies and determine whether the number of ratings a movie receives impacts its average rating.

# Ratings by movie:

```
length(unique(train$movieId))
[1] 10677
```

There are 10,677 movies in the training dataset.

# Movies with the Most Ratings:

`{r} ovies with most ratings <u>accompained</u> by their aver vie_ratings <- train %>% group_by(title) %>% summ ad(movie_ratings)		n_ratings = n()) %>% arran	ge(desc(num_ratings))
A tibble: 6 x 3 title < <tr>title</tr>	avg_movie_rating	num_ratings <int></int>	
Pulp Fiction (1994)	4.154789	31362	
Forrest Cump (1994)	4.012822	31079	
Silence of the Lambs, The (1991)	4.204101	30382	
Jurassic Park (1993)	3.663522	29360	
Shawshank Redemption, The (1994)	4.455131	28015	
Braveheart (1995)	4.081852	26212	

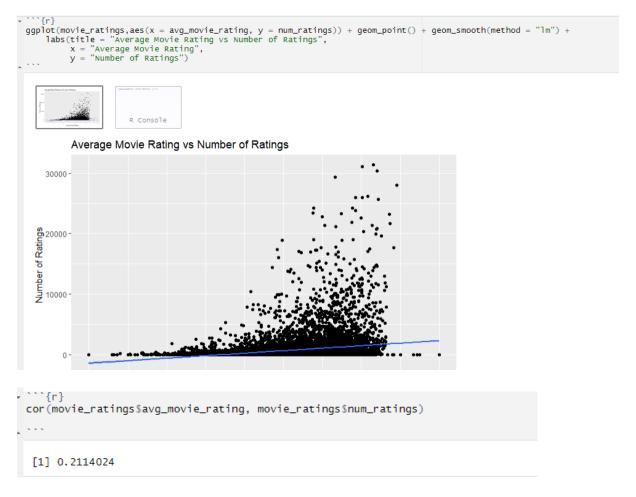
Pulp Fiction, Forrest Gump, Silence of the Lambs, Jurassic Park, Shawshank Redemption, and Braveheart have the most ratings (about 30,000 each) with an average rating ranging between 3.66 and 4.46.

# Most common average movie rating:

```
| Signature | Sign
```

Based on the histogram above, most movies appear to have an average rating between 2.5 and 4. In addition, there are only be a few movies with an average rating of 0.5 stars (worst possible rating) and 5 stars (perfect rating).

# Do movies with many ratings tend to be rated higher than movies with few ratings?



In general, the more a movie is rated by users, the greater its average rating. However, this relationship is relatively weak.

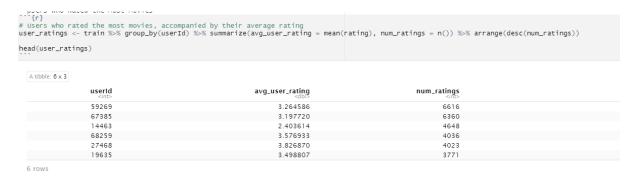
Now, we will perform a deeper analysis of ratings by user. Similar to my analysis of ratings by movie, I will compare the average rating of users and determine whether the number of ratings they have given in total impact their average rating.

# **Ratings by User**

```
[1] 69878
```

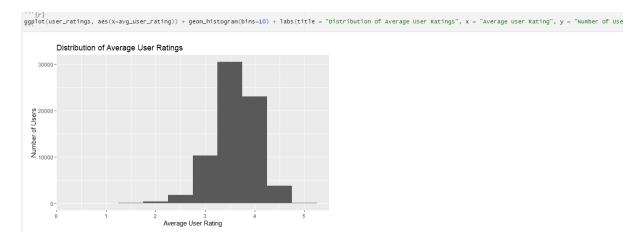
There are 69,878 users in the training dataset.

### Users Who Rated the Most Movies:



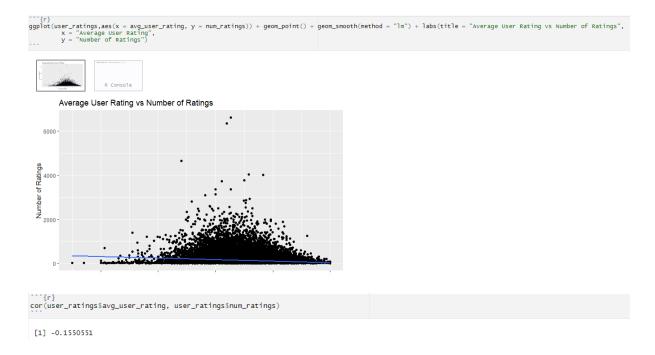
The user that rated the most movies rated a total of 6616 movies with an average rating of 3.26.

# Most Common Average Rating Given by Users:



Based on the histogram above, most users give an average rating between 3 and 4.5. In addition, only a few users have a very high or very low average rating (i.e. 0 to 2 stars; 5 stars).

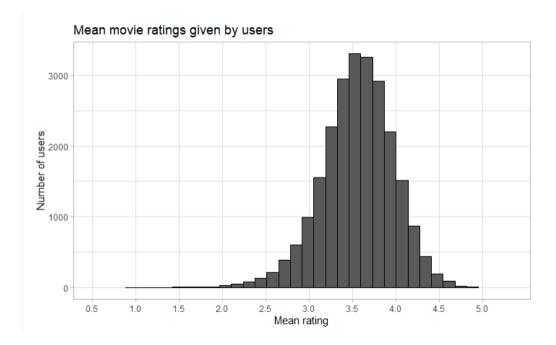
# Do users who rate many movies tend to rate higher than users who rate few movies?



In general, the more a user rates movies, the lower their average rating tends to be. However, this relationship is relatively weak.

# Mean movie ratings given by users:

```
Train %% group_by(userId) %% filter(n() >= 100) %% summarize(b_u = mean(rating)) %% ggplot(aes(b_u)) + geom_histogram(bins = 30, color = "black") + xlab("Mean rating") + ylab("Number of users") + ggtitle("Mean movie ratings given by users") + scale_x_discrete(limits = c(seq(0.5,5,0.5))) + theme_light()|
```



We can depict that 3.5 is the highest mean rating given by almost 3000+ users.

# **Key Insights from EDA**

Based on our EDA, we would expect most ratings to be between 3 and 4 stars. In addition, both movie and user averages appear to have an impact on the actual rating, so we will include these features in model development. However, the number of ratings a movie receives and the number of movies a user rates has a small impact on the actual rating. Thus, we will not include either component in model development.

#### MODEL DEVELOPMENT

we will test three different regression models to predict each rating in the training set . Then, we will select the best model and apply it to the validation set .

**Model 1**: Predicted Rating = Global Average Rating + Movie Effect

Model 2: Predicted Rating = Global Average Rating + User Effect

**Model 3**: Predicted Rating = Global Average Rating + Movie Effect + User Effect

The global average rating is the average rating across all entries in the dataset.

The <u>movie effect</u> is the difference between the average rating for the specific movie and the global average rating.

Similarly, the <u>user effect</u> is the difference between the average rating for the specific user and the global average rating.

To evaluate the three models, we will use RMSE (Root Mean Square Error). Ultimately, we will select the model with the lowest RMSE.

### **RMSE:**

RMSE is used measure of the differences between values predicted by a model and the values observed. RMSE is a measure of accuracy, to compare forecasting errors of different models for a particular dataset, a lower RMSE is better than a higher one.

The effect of each error on RMSE is proportional to the size of the squared error; thus larger errors have a disproportionately large effect on RMSE.

Three models that will be developed will be compared using their resulting RMSE in order to assess their quality.

The function that computes the RMSE for vectors of ratings and their corresponding predictors will be the following

$$RMSE = \sqrt{\frac{1}{N} \sum_{u,i} (y_{u,i} - \hat{y}_{u,i})^2}$$

with  $\hat{y}_{u,i}$  and  $y_{u,i}$  being the predicted and actual ratings, and N, the number of possible combinations between user u and movie i.

This function evaluates the square root of the mean of the differences between true and predicted ratings and is defined in the code in order to avoid repeating it for every new model.

#### **MODEL EXAMPLE**

For example, suppose If am trying to predict User X's rating of Forest Gump and the overall average rating (across all movies/users) is 3 stars, the average rating of Forest Gump is 4 stars, and the average rating User X gives is 2.5 stars.

Thus

The global average rating is 3, the movie effect is +1 (4-3), and the user effect is -0.5 (2.5-3).

Model 1: Predicted Rating = 3 + 1 = 4

Model 2: Predicted Rating = 3 - 0.5 = 2.5

Model 3: Predicted Rating = 3 + 1 - 0.5 = 3.5

# Calculating Global Average Rating:

```
overall_avg_rating <- mean(train$rating)
overall_avg_rating

[1] 3.512465</pre>
```

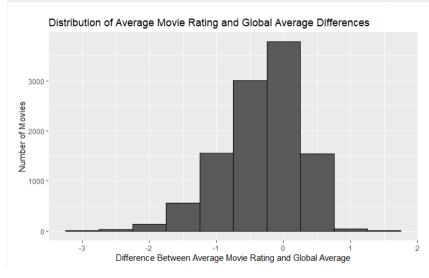
The global average rating is 3.512465.

### **Model 1: Movie Effect**

Calculate difference between each movie's average rating and the overall average rating

ie_ratings %>% mutate(movie_avg_diff = avg_movie_rat d(movie_ratings)	ing - overall_avg_rating) -> movie_ratings		
A tibble: 6 x 4			
title <chr></chr>	avg_movie_rating «dbl>	num_ratings <int></int>	movie_avg_diff <dbl></dbl>
Pulp Fiction (1994)	4.154789	31362	0.6423240
Forrest Gump (1994)	4.012822	31079	0.5003570
Silence of the Lambs, The (1991)	4.204101	30382	0.6916359
lurassic Park (1993)	3.663522	29360	0.1510566
Shawshank Redemption, The (1994)	4.455131	28015	0.9426660
	4.081852	26212	0.5693866

```
proof (movie_avg_diff, data = movie_ratings, bins = 10, color = I("black"))+
labs(title = "Distribution of Average Movie Rating and Global Average Differences",
x = "Difference Between Average Movie Rating and Global Average",
y = "Number of Movies")
```



As you can see, a lot of movies have an average rating close to the global average (difference of 0) and few movies have an average rating that is far from the global average (difference of +/- 2). In addition, the average rating for the specific movie is more likely to have a negative impact on each rating since there are more negative differences.

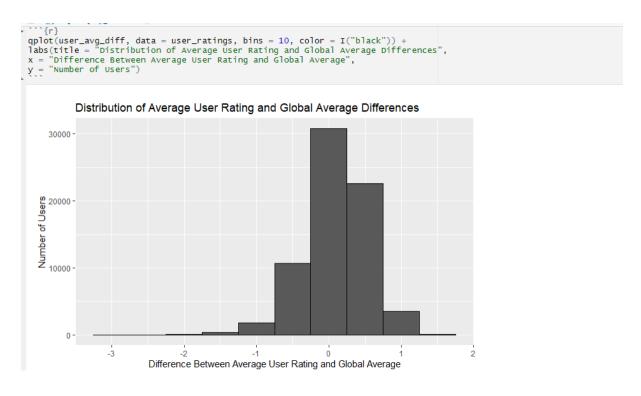
```
model_1_predictions <- overall_avg_rating + train %>% left_join(movie_ratings, by='title') %>%
pull(movie_avg_diff)
RMSE(model_1_predictions, train$rating)
[1] 0.9423477
```

The RMSE taking into account only the movie effect is 0.9423.

### Model 2: User Effect

Calculate difference between each user's average rating and the overall average rating.

user_ratings)				
e: 6 × 4				
userId <int></int>	avg_user_rating	num_ratings <int></int>	user_avg_diff <dbl></dbl>	
59269	3.264586	6616	-0.24787935	
67385	3.197720	6360	-0.31474508	
14463	2.403614	4648	-1.10885074	
68259	3.576933	4036	0.06446740	
27468	3.826870	4023	0.31440529	
19635	3.498807	3771	-0.01365852	



As you can see, a lot of users have an average rating close to the global average (difference of 0) and few users have an average rating that is far from the global average (difference of +/-2). In addition, the average rating for the specific user is more likely to have a positive impact on each rating since there are more positive differences

```
'```{r}
model_2_predictions <- overall_avg_rating + train %>%
left_join(user_ratings, by='userId') %>%
pull(user_avg_diff)
RMSE(model_2_predictions, train$rating)
...
[1] 0.9700086
```

The RMSE taking into account only the user effect is 0.9700, which is higher (worse) than model 1.

# Model 3: Movie & User Effect

Finally, I will take into account both movie and user effect.

```
model_3_predictions <- train %>%
left_join(movie_ratings, by='title') %>%
left_join(user_ratings, by='userId') %>%
mutate(pred = overall_avg_rating + movie_avg_diff + user_avg_diff) %>%
pull(pred)
RMSE(model_3_predictions, train$rating)

[1] 0.8767534
```

The RMSE taking into account both the movie and user effect is 0.8767.

#### **RESULTS**

#### **Model Evaluation**

MODEL	RMSE
MODEL1: MOVIE EFFECT	0.9423
MODEL2: USER EFFECT	0.9700
MODEL3: MOVIE AND USER	0.8767
EFFECT	

Model 3 (Movie & User Effect) has the lowest RMSE. Thus, I will deploy this model to the validation dataset.

# **Model Deployment**

```
validation_predictions <- validation %>%
left_join(movie_ratings, by='title') %>%
left_join(user_ratings, by='userId') %>%
mutate(pred = overall_avg_rating + movie_avg_diff + user_avg_diff) %>%
pull(pred)
RMSE(validation_predictions, validation$rating)
...
[1] 0.8850398
```

After deploying model 3, which incorporates movie and user effects, the resulting RMSE is 0.885

### **CONCLUSION**

In conclusion, taking into account user preferences and a movie's average rating does a better job of predicting ratings than simply taking into account only user effects or only movie effects.

Our model does not take into account changes in user preferences which is a limitation of our model. However, a component can be implemented in future iterations to capture this feature. For example, If we want to create a rolling average metric that would determine a user's average rating of their 10 most recent ratings. This may better represent user preferences because it takes into account possible changes in user tendencies. However, it may also create a lot of "noise". For example, a user may

decide to watch a lot of highly rated movies back-toback which would skew predictions.

Ideally, we would also like our model to include a component that would capture similarity scores between users. For example, if user A rates movies similar to user B, and user B rated \*Jurassic Park\* 3 stars, user A should be likely to rate \*Jurassic Park\* close to 3 stars. Similarly, I would like my model to integrate an element that would capture similarity scores between movies, based on genres. For example, if Drama and War movies tend to be rated higher than other movies, the model should take it into account. However, considering the dataset contains about 10 million ratings, it is challenging to implement these components without significantly slowing down the time it takes for the model to make predictions.

### REFERENCES

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