

New blueprint test

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Input a definition (or theorem) defined in Lean:

Definition 1 (Natural numbers).

Input the contents (including definitions, theorems, and module docstrings) of an entire module:

0.1 Natural numbers

Definition 2 (Natural numbers).

0.1.1 Addition

Here we define addition of natural numbers.

Definition 3. Natural number addition.

Theorem 4. *For any natural number a , $0 + a = a$, where $+$ is Def. 3.*

Proof. The proof follows by induction. □

Theorem 5. *For any natural numbers a, b , $(a + 1) + b = (a + b) + 1$.*

Proof. Proof by induction on b . □

Theorem 6. *For any natural numbers a, b , $a + b = b + a$.*

Proof. The base case follows from 4.

The inductive case follows from 5. □

0.1.2 Multiplication

Definition 7. Natural number multiplication.

Theorem 8. *For any natural numbers a, b , $a * b = b * a$.*

Proof. □

0.1.3 Fermat's Last Theorem

Theorem 9 (Taylor–Wiles). *Fermat's last theorem.*

Proof. See [1, 2]. □

In the docstring, usual Markdown features and math mode are supported (by MD4Lean), with additional support for citations like [1] using [square brackets] and references to other nodes like 4 using inline ``code``.

You can also directly input raw LaTeX, e.g. as follows:

Bibliography

- [1] Andrew Wiles (1995) *Modular elliptic curves and Fermat's last theorem*, Annals of Mathematics, 141(3), 443–551.
- [2] Richard Taylor and Andrew Wiles (1995) *Ring-theoretic properties of certain Hecke algebras*, Annals of Mathematics, 141(3), 553–572.