Week 1.1: Introduction to Networks

0: Libraries

```
In [1]: import networkx as nx
import matplotlib.pyplot as plt
```

1: Graph Making

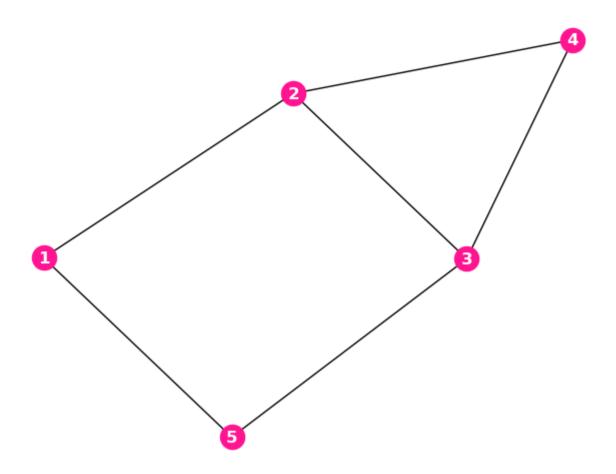
The 4 types of graphs provided in NetworkX are:

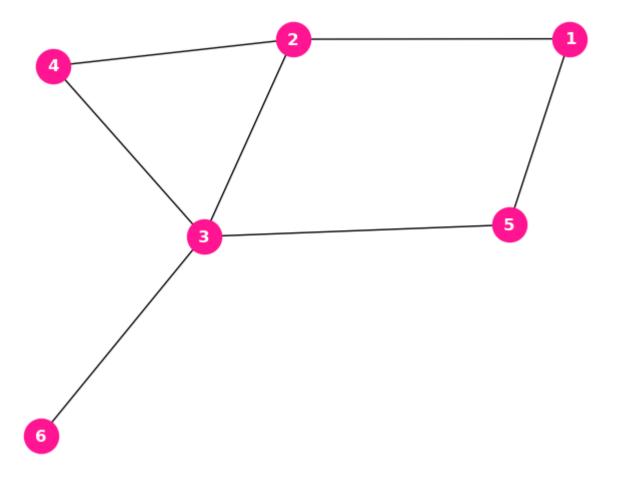
- Graph: Undirected graph.It ignores multiple edges between two nodes. It does allow self-loop edges between a node and itself.
- MultiGraph: A flexible graph class that allows multiple undirected edges between pairs of nodes.
- DiGraph: Directed graph.
- MultiDiGraph: A directed version of a MultiGraph.

NetworkxClass	Typee	Self-Loops Allowed	Parallel-edges Allowed
Graph	Undirected	Yes	No
MultiGraph	Undirected	Yes	Yes
DiGraph	Directed	Yes	No
MultiDiGraph	Directed	Yes	Yes

1.1: Graph (Edge List)

```
In [4]: #(1) Plot
#Create empty graph
g1=nx.Graph()
```





```
In [29]: #(2) Nodes
    print(g1)
    list(g1.nodes)

Graph with 6 nodes and 7 edges

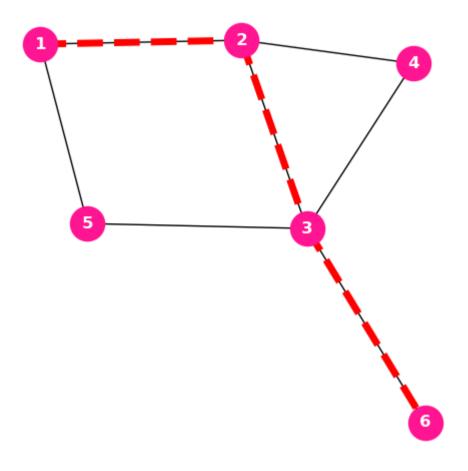
Out[29]: [1, 2, 3, 4, 5, 6]

In [30]: #(3) Edges
    list(g1.edges)
```

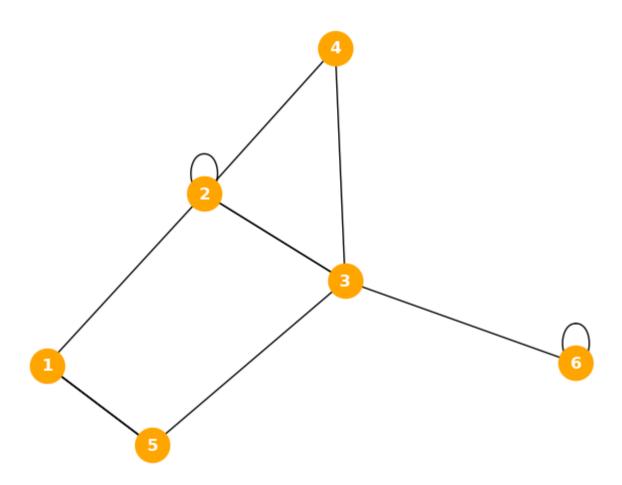
```
Out[30]: [(1, 2), (1, 5), (2, 3), (2, 4), (3, 4), (3, 5), (3, 6)]
In [11]: #(4) Adjacency
         #(4a) Print Adjacency Matrix
         adj A1 = nx.adjacency matrix(q1)
         #(4b) Adjacent Vertices (e.g., of Node 2)
         print(adj_A1.todense())
         list(g1.adj[2])
        [[0 1 0 0 1 0]
         [1 0 1 1 0 0]
         [0 1 0 1 1 1]
         [0 1 1 0 0 0]
         [1 0 1 0 0 0]
         [0 0 1 0 0 0]]
Out[11]: [1, 3, 4]
In [39]: #(5) Degree of Node
         #(5a) Print Degree
         deg=nx.degree(g1)
         deg
Out[39]: DegreeView({1: 2, 2: 3, 3: 4, 4: 2, 5: 2, 6: 1})
 In [ ]: #(5b) Degree for Specific Node (e.g., of Node 4)
         g1.degree[4]
In [19]: #(6) Diameter
         nx.diameter(g1)
Out[19]: 3
In [20]: #(7) Shortest Path
         #Print shortest path from 1 to 6
         sh_path_nodes = nx.shortest_path(g1,source=1,target=6)
```

```
[1, 2, 3, 6]
[(1, 2), (2, 3), (3, 6)]
```

16/01/2025, 12:03 CASA0011_W1_Practical_A



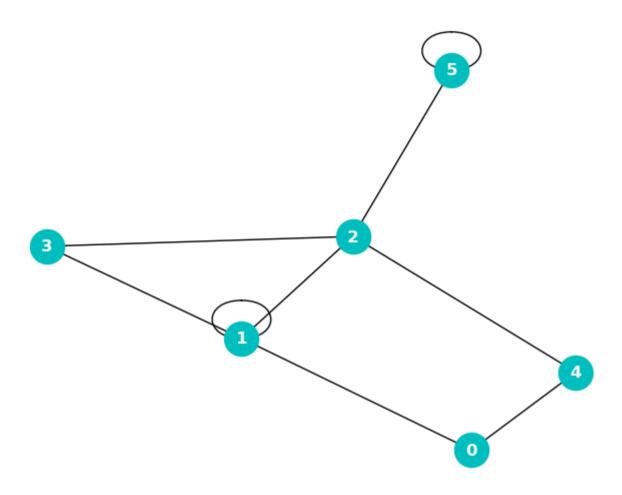
1.2: Multigraph (Edge List)



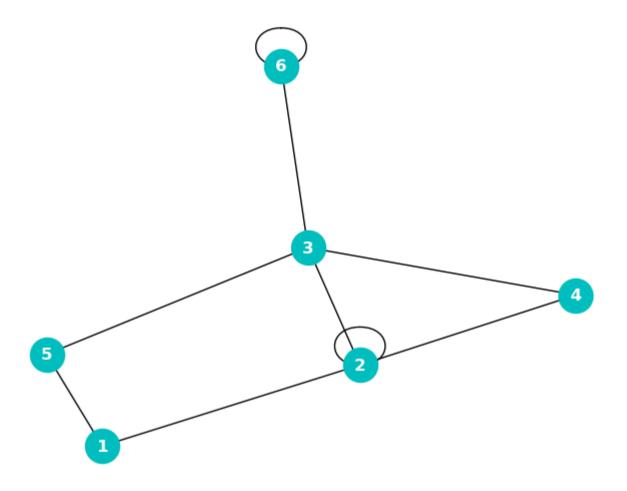
```
In [27]: #(2) Nodes
         print(q2)
         list(q2.nodes)
        MultiGraph with 6 nodes and 12 edges
Out[27]: [1, 2, 3, 4, 5, 6]
In [64]: #(3) Edges
         #(3a) List of Edges
         list(q2.edges)
         #Comment: The third value represents the number of edges between the pair of...
         #...nodes, where 0 represents the first edge. For example, there are (1,5,0)...
         \#...(1,5,1), and (1,5,2), which means there are three edges between 1 and 5
Out[64]: [(1, 2, 0),
          (1, 5, 0),
           (1, 5, 1),
           (1, 5, 2),
           (2, 2, 0),
           (2, 3, 0),
           (2, 3, 1),
           (2, 4, 0),
           (3, 4, 0),
           (3, 5, 0),
           (3, 6, 0),
           (6, 6, 0)]
In [34]: #(3b) Specific Edges
         g2.number_of_edges(1,5)
Out[34]: 3
In [36]: sl=nx.number_of_selfloops(g2)
         print(sl)
         list(nx.selfloop_edges(g2))
        2
```

```
Out[36]: [(2, 2), (6, 6)]
In [37]: #(4) Adjacency
         adj_A2 = nx.adjacency_matrix(g2)
         print(adj_A2.todense())
        [[0 1 0 0 3 0]
         [1 1 2 1 0 0]
         [0 2 0 1 1 1]
         [0 1 1 0 0 0]
         [3 0 1 0 0 0]
         [0 0 1 0 0 1]]
In [44]: #(5) Degree of Node
         deg=nx.degree(g2)
         deg
         #Comment: Although there is only one edge between all pairs of nodes, the single...
         #...edge on plot can represent multiple edges.
         #Example:
         #Point 1: (1,2);(1,5);(1,5);(5,1)
         #Point 2: (1,2), (2,2), (2,3), (2,3), (2,4)
Out[44]: MultiDegreeView({1: 4, 2: 6, 3: 5, 4: 2, 5: 4, 6: 3})
In [45]: #(6) Diameter
         nx.diameter(g2)
Out[45]: 3
         1.3: Multigraph (Adjacency Matrix)
In [72]: #(1) Original Matrix
```

```
[3,0,1,0,0,0],
                      [0,0,1,0,0,1],])
         print(adj_A)
        [[0 1 0 0 3 0]
         [1 1 2 1 0 0]
         [0 2 0 1 1 1]
         [0 1 1 0 0 0]
         [3 0 1 0 0 0]
         [0 0 1 0 0 1]]
In [55]: #(2) Plot
         g3 = nx.MultiGraph(np.array(adj_A))
         nx.draw(g3,
                 with_labels = True,
                 node_color='c',
                 node_size=600,
                 font_color="white",
                 font_weight='bold')
```



```
node_color='c',
node_size=600,
font_color="white",
font_weight='bold')
```



In [59]: list(g3.nodes)

Out[59]: [1, 2, 3, 4, 5, 6]

```
In [60]: #(4) Edge
         #(4a) List Edges
         list(g3.edges(data = True))
Out[60]: [(1, 2, {'weight': 1}),
           (1, 5, {'weight': 3}),
           (2, 2, {'weight': 1}),
           (2, 3, {'weight': 2}),
           (2, 4, {'weight': 1}),
           (3, 4, {'weight': 1}),
           (3, 5, {'weight': 1}),
           (3, 6, {'weight': 1}),
           (6, 6, {'weight': 1})]
In [65]: #(4b) Count Edges
         g3.number_of_edges()
Out[65]: 9
In [66]: sl=nx.number_of_selfloops(g3)
         print(sl)
        2
In [67]: list(nx.selfloop_edges(g3))
Out[67]: [(2, 2), (6, 6)]
In [68]: g3.number_of_edges(1,5)
Out[68]: 1
In [69]: #(5) Adjacency Matrix
         adj_A3 = nx.adjacency_matrix(g3)
         print(adj_A3.todense())
```

```
[[0 1 0 0 3 0]
[1 1 2 1 0 0]
[0 2 0 1 1 1]
[0 1 1 0 0 0]
[3 0 1 0 0 0]
[0 0 1 0 0 1]]

In [70]: #(6) Degree of Node
deg=nx.degree(g3)
deg

Out[70]: MultiDegreeView({1: 2, 2: 5, 3: 4, 4: 2, 5: 2, 6: 3})

In [71]: #(7) Diameter
nx.diameter(g3)

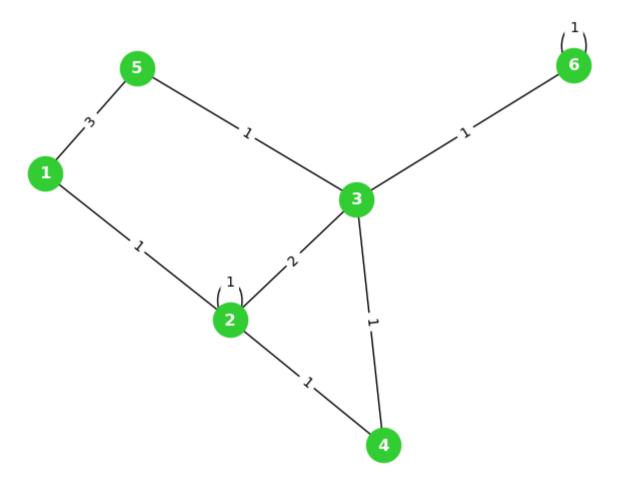
Out[71]: 3
```

1.4: Weighted Graph (Adjacency Matrix)

16/01/2025, 12:03 CASA0011_W1_Practical_A

```
font_weight='bold')

nx.draw_networkx_edge_labels(g4,pos=pos,edge_labels=label_weight)
plt.show()
```



```
In [75]: #(3) Edge
#(3a) Edge List
list(g4.edges(data = True))
```

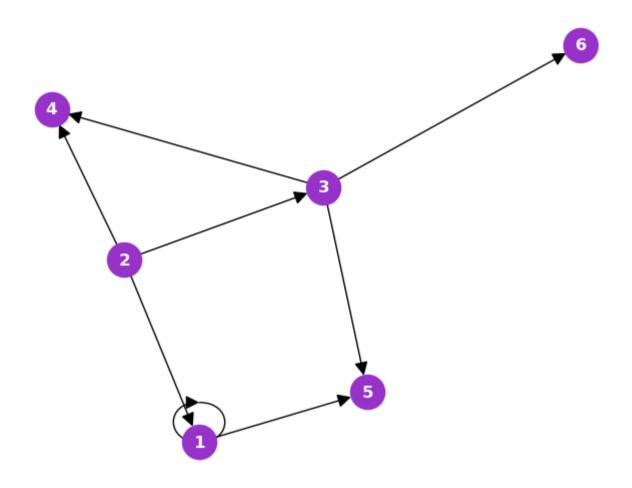
```
Out[75]: [(1, 2, {'weight': 1}),
          (1, 5, {'weight': 3}),
           (2, 2, {'weight': 1}),
           (2, 3, {'weight': 2}),
           (2, 4, {'weight': 1}),
           (3, 4, {'weight': 1}),
           (3, 5, {'weight': 1}),
           (3, 6, {'weight': 1}),
           (6, 6, {'weight': 1})]
In [76]: #(3b) Specific Edge
         print(g4.edges[1,5]['weight'])
        3
In [77]: #(3c) Number of Edges
         g4.number_of_edges(1,5)
Out[77]: 1
In [78]: #(4) Adjacency Matrix
         #(4a) Weighted Adjacency Matrix
         adj_A4 = nx.adjacency_matrix(g4)
         print(adj_A4.todense())
        [[0 1 0 0 3 0]
         [1 1 2 1 0 0]
         [0 2 0 1 1 1]
         [0 1 1 0 0 0]
         [3 0 1 0 0 0]
         [0 0 1 0 0 1]]
In [79]: #(4b) Unweighted Adjacency Matrix
         adj_A4 = nx.adjacency_matrix(g4,weight=None)
         print(adj_A4.todense())
```

```
[[0 1 0 0 1 0]
         [1 1 1 1 0 0]
         [0 1 0 1 1 1]
         [0 1 1 0 0 0]
         [1 0 1 0 0 0]
         [0 0 1 0 0 1]]
In [80]: #(5) Degree of Node
         #(5a) Unweighted Degree of Node
         deg=nx.degree(g4)
         deg
Out[80]: DegreeView({1: 2, 2: 5, 3: 4, 4: 2, 5: 2, 6: 3})
In [81]: #(5b) Weighted Degree of Node
         deg=nx.degree(g4, weight="weight")
Out[81]: DegreeView({1: 4, 2: 6, 3: 5, 4: 2, 5: 4, 6: 3})
In [82]: #(6) Diameter
         #(6a) Unweighted Diameter
         nx.diameter(g4)
Out[82]: 3
In [127... #(6b) Weighted Diameter
         nlen={}
         for n in g4.nodes():
             a=nx.single_source_dijkstra_path_length(g4, n)
             print(a)
             nlen[n]=a
         e = nx.eccentricity(g4,sp=nlen)
         d = nx.diameter(g4, e)
         #Comment:
         #(a) nx.single_source_dijkstra_path_length(): To compute the shortest...
```

```
#...path length between a node and every other reachable node...
         #...considering the weights of the links. Each row represents...
         #...a source node.
         #(e) Eccentricity: The maximum shortest-path distance from each node...
         #...to all other nodes, considering "nlen" which are the weighted distances.
         #(d) Diameter: The maximum eccentricity in the graph.
        {1: 0, 2: 1, 4: 2, 5: 3, 3: 3, 6: 4}
        {2: 0, 1: 1, 4: 1, 3: 2, 5: 3, 6: 3}
        {3: 0, 4: 1, 5: 1, 6: 1, 2: 2, 1: 3}
        {4: 0, 2: 1, 3: 1, 1: 2, 5: 2, 6: 2}
        {5: 0, 3: 1, 4: 2, 6: 2, 1: 3, 2: 3}
        {6: 0, 3: 1, 4: 2, 5: 2, 2: 3, 1: 4}
In [128... #(e) Eccentricity
         е
Out[128... {1: 4, 2: 3, 3: 3, 4: 2, 5: 3, 6: 4}
In [129... #(d) Diameter
Out[129... 4
```

1.5: DiGraph (Edge List)

```
node_color='darkorchid',
node_size=600,
font_color="white",
font_weight='bold',
arrowsize=20)
```



```
In [85]: #(3) Edge
list(g5.edges)
```

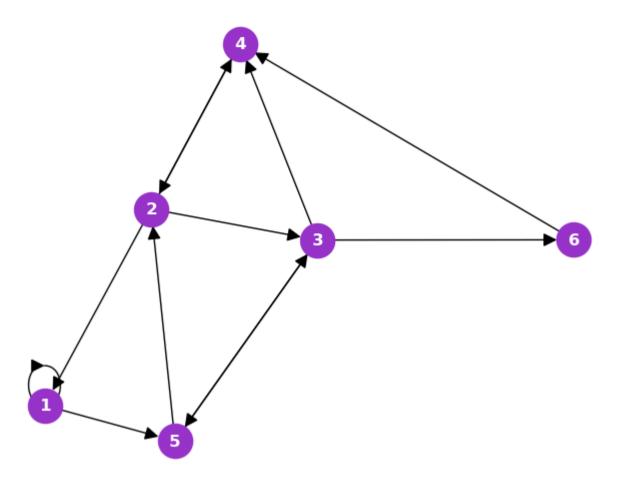
Out[85]: [(1, 1), (1, 5), (2, 1), (2, 3), (2, 4), (3, 4), (3, 5), (3, 6)]

```
In [86]: #(4) Adjacency Matrix
         adj_A5 = nx.adjacency_matrix(g5)
         print(adj A5.todense())
         #Comment: A_ij=1 if there's a link from i to j instead of from j to i as in Newman's book
        [[1 0 0 0 1 0]
         [1 0 1 1 0 0]
         [0 0 0 1 1 1]
         [0 0 0 0 0 0]
         [0 0 0 0 0 0]
         [0 0 0 0 0 0]]
In [87]: #(5) Degree of Node
         #(5a) In-degree
         g5.in_degree()
Out[87]: InDegreeView({1: 2, 2: 0, 3: 1, 4: 2, 5: 2, 6: 1})
In [88]: #(5b) Out-degree
         g5.out_degree()
Out[88]: OutDegreeView({1: 2, 2: 3, 3: 3, 4: 0, 5: 0, 6: 0})
In [89]: #(6) Diameter
         #(6a) Undirected
         d1=nx.diameter(g5.to_undirected())
         d1
Out[89]: 3
In [91]: #(6b) Directed
         d1=nx.diameter(g5)
         #Comment: This produces an error:...
         #..."Found infinite path length because the digraph is not strongly connected"...
         #...This is because nx.diameter() can only work out diameter for strongly...
```

#...connected network. A graph is strongly connected if there is a directed...
#...path from every node to every other node.

```
NetworkXError
                                          Traceback (most recent call last)
Cell In[91], line 2
     1 #(6b) Directed
----> 2 d1=nx.diameter(q5)
     4 #Comment: This produces an error:..."Found infinite path length because the digraph is not strongly connecte
d''
File <class 'networkx.utils.decorators.argmap'> compilation 24:3, in argmap diameter 21(G, e, usebounds, weight, bac
kend. **backend kwarqs)
     1 import bz2
     2 import collections
----> 3 import gzip
      4 import inspect
      5 import itertools
File /opt/conda/lib/python3.11/site-packages/networkx/utils/backends.py:633, in _dispatchable.__call__(self, backen
d, *args, **kwargs)
   628 """Returns the result of the original function, or the backend function if
   629 the backend is specified and that backend implements `func`."""
    631 if not backends:
    632
           # Fast path if no backends are installed
           return self.orig_func(*args, **kwargs)
--> 633
   635 # Use `backend name` in this function instead of `backend`
    636 backend name = backend
File /opt/conda/lib/python3.11/site-packages/networkx/algorithms/distance_measures.py:381, in diameter(G, e, useboun
ds, weight)
           return extrema bounding(G, compute="diameter", weight=weight)
    379
    380 if e is None:
           e = eccentricity(G, weight=weight)
--> 381
    382 return max(e.values())
File <class 'networkx.utils.decorators.argmap'> compilation 28:3, in argmap_eccentricity_25(G, v, sp, weight, backen
d, **backend kwarqs)
     1 import bz2
      2 import collections
----> 3 import gzip
      4 import inspect
      5 import itertools
```

```
File /opt/conda/lib/python3.11/site-packages/networkx/utils/backends.py:633, in _dispatchable.__call__(self, backen
d, *args, **kwargs)
    628 """Returns the result of the original function, or the backend function if
    629 the backend is specified and that backend implements `func`."""
    631 if not backends:
    632
            # Fast path if no backends are installed
--> 633
            return self.orig func(*args, **kwargs)
    635 # Use `backend name` in this function instead of `backend`
    636 backend name = backend
File /opt/conda/lib/python3.11/site-packages/networkx/algorithms/distance_measures.py:320, in eccentricity(G, v, sp,
weight)
    318
                else:
                    msg = "Found infinite path length because the graph is not" " connected"
    319
--> 320
                raise nx.NetworkXError(msq)
            e[n] = max(length.values())
    322
    324 if v in G:
NetworkXError: Found infinite path length because the digraph is not strongly connected
```



In [93]: d_2=nx.diameter(g5_2)
d_2

Out[93]: 4

2: Weighted Graph Exercise

2.1: Graph Making

```
In [94]: import pandas as pd
          DF_edges = pd.DataFrame([['b', 'a', '60'],
           ['a', 'c', '50'],
           ['a', 'd', '100'],
           ['a', 'e', '80'],
           ['a', 'g', '70'],
           ['b', 'c', '20'],
           ['g', 'i', '70'],
           ['g', 'c', '40'],
           ['h', 'i', '20'],
           ['i', 'd', '60'],
           ['i', 'j', '60'],
           ['d', 'e', '5'],
           ['e', 'k', '10'],
           ['f', 'l','50'],
           ['f', 'k', '25'],
           ['j', 'k', '80']],
          columns=['node1', 'node2', 'weight'])
          DF_edges["weight"] = DF_edges["weight"].astype(str).astype(float)
         DF_edges
```

Out

[94]:		node1	node2	weight
-	0	b	а	60.0
	1	а	С	50.0
	2	а	d	100.0
	3	а	е	80.0
	4	а	g	70.0
	5	b	С	20.0
	6	g	i	70.0
	7	g	С	40.0
	8	h	i	20.0
	9	i	d	60.0
	10	i	j	60.0
	11	d	е	5.0
	12	е	k	10.0
	13	f	1	50.0
	14	f	k	25.0
	15	j	k	80.0

```
node_size=200,
    font_color="white",
    font_weight='bold',
    font_size=8,
    arrowsize=20)

nx.draw_networkx_edge_labels(DF_graph,pos=pos,edge_labels=label_weight,font_size=8)

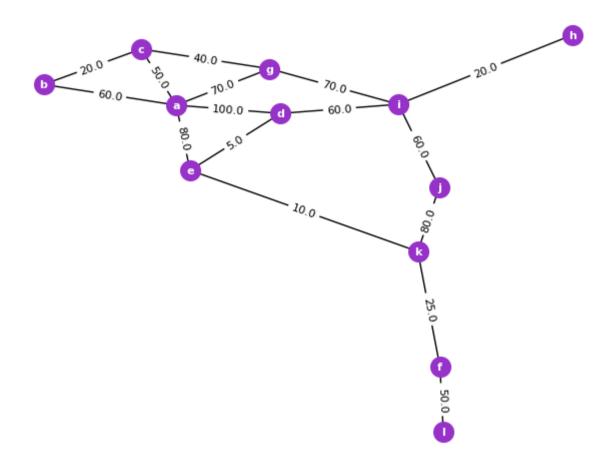
plt.show()

/opt/conda/lib/python3.11/site-packages/networkx/drawing/nx_pylab.py:312: UserWarning:

The arrowsize keyword argument is not applicable when drawing edges
with LineCollection.

To make this warning go away, either specify `arrows=True` to
force FancyArrowPatches or use the default values.
Note that using FancyArrowPatches may be slow for large graphs.

draw_networkx_edges(G, pos, arrows=arrows, **edge_kwds)
```



```
Out[97]: node1 d
node2 e
weight 5.0
Name: 11, dtype: object
```

2.2: Weight Interpretation

- Street Network: Nodes represent intersections, links are the streets, and the weights of the links represent the length in meters for each of the street segment. In this case, node "d" is closer to node "e" than "a", because the distance between them is just 5 meters, so these intersections are "closer".
- Email Network: Nodes represent students, links exist if emails exist between them and the weight of the link represents the number of total emails that have been exchanged. In this case, node "d" is closer to node "a" than "e", because they exchange the maximum number of emails, so we can infer that their relationship is "closer", since it is more intense.

2.3: Weighted Shortest Path

2.3.1: Street Network

Find the route for walking less meters between intersection "node b" and intersection "node g". In this case, the lower the weight value (street length), the shorter the distance in meters. So, we will use 'weight' column to calculate the shortest path.

```
In [98]: street_sh_path_nodes = nx.shortest_path(DF_graph,source="b",target="g",weight='weight')
    print(street_sh_path_nodes)

street_sh_path_edges = list(zip(street_sh_path_nodes,street_sh_path_nodes[1:]))
    print(street_sh_path_edges)

['b', 'c', 'g']
[('b', 'c'), ('c', 'g')]
```

2.3.2: Email Network

Find the shortest path for spreading information from student "node b" to student "node g". Contrary to the previous case, here the higher weight (interaction) between two people, the closer they are to each other. So, we need to invert the weights of the edges to

calculate the shortest path, and create a new column 'inv_weights'.

```
In [100... #Inverse weights:
         inv weights={(e1, e2):round(1./weight,7) for e1, e2,
                      weight in DF graph.edges(data='weight')}
         #round(1./weight,7): Calculate the inverse weight then round to 7 dp
         #e1: Source node of the edge
         #e2: Target node of the edge
         #Add the inversed weight as an attribute to the edges in the graph
         nx.set edge attributes(DF graph, inv weights, 'inv weights')
         #Print edge list with attributes
         list(DF_graph.edges(data = True))[0:15]
Out[100... [('b', 'a', {'weight': 60.0, 'inv_weights': 0.0166667}),
           ('b', 'c', {'weight': 20.0, 'inv_weights': 0.05}),
           ('a', 'c', {'weight': 50.0, 'inv_weights': 0.02}),
           ('a', 'd', {'weight': 100.0, 'inv weights': 0.01}),
           ('a', 'e', {'weight': 80.0, 'inv_weights': 0.0125}),
           ('a', 'g', {'weight': 70.0, 'inv_weights': 0.0142857}),
           ('c', 'g', {'weight': 40.0, 'inv_weights': 0.025}),
           ('d', 'i', {'weight': 60.0, 'inv_weights': 0.0166667}),
           ('d', 'e', {'weight': 5.0, 'inv_weights': 0.2}),
           ('e', 'k', {'weight': 10.0, 'inv_weights': 0.1}),
           ('g', 'i', {'weight': 70.0, 'inv_weights': 0.0142857}),
           ('i', 'h', {'weight': 20.0, 'inv_weights': 0.05}),
           ('i', 'j', {'weight': 60.0, 'inv_weights': 0.0166667}),
           ('j', 'k', {'weight': 80.0, 'inv_weights': 0.0125}),
           ('k', 'f', {'weight': 25.0, 'inv_weights': 0.04})]
In [101... email_sh_path_nodes = nx.shortest_path(DF_graph,source="b",target="g", weight='inv_weights')
         print(email_sh_path_nodes)
         email_sh_path_edges = list(zip(email_sh_path_nodes,email_sh_path_nodes[1:]))
         print(email_sh_path_edges)
         ['b', 'a', 'g']
        [('b', 'a'), ('a', 'g')]
```

3: Quiz

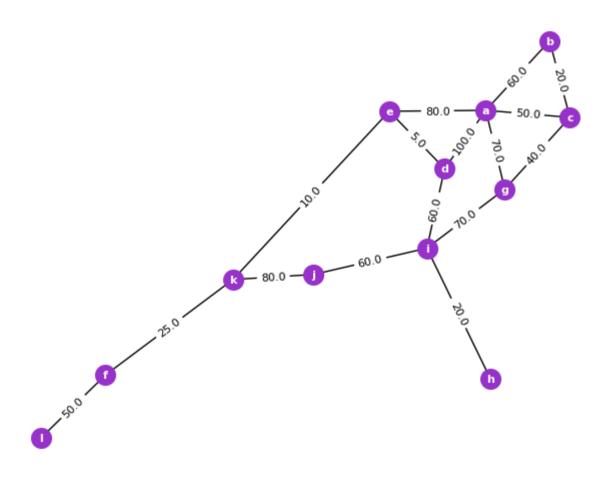
Q1: Airport Network

• If "DF_graph" is an airport network, where nodes represent airports, and the weight of the links is the normalised average flight time between them. 1) Find the aiports within the fastest route between the two less connected aiports.

```
In [112... DF_edges = pd.DataFrame([['b', 'a', '60'],
           ['a', 'c', '50'],
           ['a', 'd', '100'],
           ['a', 'e', '80'],
           ['a', 'g', '70'],
           ['b', 'c', '20'],
           ['g', 'i', '70'],
           ['g', 'c', '40'],
           ['h', 'i', '20'],
           ['i', 'd', '60'],
           ['i', 'j', '60'],
           ['d', 'e', '5'],
           ['e', 'k','10'],
           ['f', 'l','50'],
           ['f', 'k', '25'],
           ['j', 'k', '80']],
          columns=['node1', 'node2', 'weight'])
          DF_edges["weight"] = DF_edges["weight"].astype(str).astype(float)
          DF_edges
```

Out[112	node1	node2	weight
) b	а	60.0
•	l a	С	50.0
2	2 a	d	100.0
3	3 a	е	80.0
4	. a	g	70.0
Ę	5 b	С	20.0
6	g	i	70.0
7	7 g	С	40.0
8	3 h	i	20.0
Ş) i	d	60.0
10) i	j	60.0
1	l d	е	5.0
12	2 e	k	10.0
13	3 f	I	50.0
14	l f	k	25.0
15	5 ј	k	80.0

16/01/2025, 12:03 CASA0011_W1_Practical_A



Q2: Social Network A

• If "DF_graph" is a social network, where nodes represent people, and the weight of the links is the total number of calls between them. 2) Who are the people within the channel of communication that would transfer the information faster between the two with the higher number of contacts?

```
#Add the inversed weight as an attribute to the edges in the graph
         nx.set edge attributes(DF graph, inv weights, 'inv weights')
         #Print edge list with attributes
         list(DF graph.edges(data = True))[0:15]
Out[119... [('b', 'a', {'weight': 60.0, 'inv weights': 0.0166667}),
           ('b', 'c', {'weight': 20.0, 'inv weights': 0.05}),
           ('a', 'c', {'weight': 50.0, 'inv_weights': 0.02}),
           ('a', 'd', {'weight': 100.0, 'inv weights': 0.01}),
           ('a', 'e', {'weight': 80.0, 'inv_weights': 0.0125}),
           ('a', 'g', {'weight': 70.0, 'inv_weights': 0.0142857}),
           ('c', 'g', {'weight': 40.0, 'inv_weights': 0.025}),
           ('d', 'i', {'weight': 60.0, 'inv_weights': 0.0166667}),
           ('d', 'e', {'weight': 5.0, 'inv_weights': 0.2}),
           ('e', 'k', {'weight': 10.0, 'inv_weights': 0.1}),
           ('g', 'i', {'weight': 70.0, 'inv weights': 0.0142857}),
           ('i', 'h', {'weight': 20.0, 'inv_weights': 0.05}),
           ('i', 'j', {'weight': 60.0, 'inv_weights': 0.0166667}),
           ('j', 'k', {'weight': 80.0, 'inv_weights': 0.0125}),
           ('k', 'f', {'weight': 25.0, 'inv weights': 0.04})]
In [121... #Step 3: Find the shortest path between the two people...
         #...through inverse weights
          social sh path nodes = nx.shortest path(DF graph,
                                                  source="a",
                                                  target="i", weight='inv weights')
         print(social_sh_path_nodes)
        ['a', 'd', 'i']
```

Q3: Social Network B

- If we have the same social network, but in this case the weight of the links is the distance in kilometers of where people live.
 - 3) First find the total distance between the people that would spread the information faster between the two with the higher number of contacts.

CASA0011 W1 Practical A

Q4: Social Network C

- If we have the same social network, but in this case the weight of the links is the distance in kilometers of where people live.
 - 4) Then find the shortest distance between the two most distant people in the network.

```
In [131... #Calculate the diameter

nlen={}

for n in DF_graph.nodes():
    a=nx.single_source_dijkstra_path_length(DF_graph, n)
    nlen[n]=a
    e = nx.eccentricity(DF_graph, sp=nlen)
    d = nx.diameter(DF_graph, e)
    d

Out[131... 225.0
```

Q5: Trade Network

• If "DF_graph" is a trade network, where nodes represent countries and the weight of links is the ammount of good exchange. 5) Find the countries that trade the higher and the lower number of goods.

```
In [132... #Calculate the weighted degree for each node
```

```
deg=nx.degree(DF_graph, weight="weight")
deg
```

Out[132... DegreeView({'b': 80.0, 'a': 360.0, 'c': 110.0, 'd': 165.0, 'e': 95.0, 'g': 180.0, 'i': 210.0, 'h': 20.0, 'j': 140.0, 'k': 115.0, 'f': 75.0, 'l': 50.0})