### Data Mining & Machine Learning

CS37300 Purdue University

September 8, 2017

Data exploration and visualization

### Exploratory data analysis

- Data analysis approach that employs a number of (mostly graphical) techniques to:
  - Maximize insight into data
  - Uncover underlying structure
  - Identify important variables
  - Detect outliers and anomalies
  - Test underlying modeling assumptions
  - Develop parsimonious models
  - Generate hypotheses from data

#### Visualization

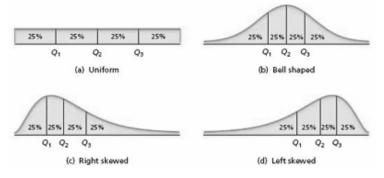
- Human eye/brain have evolved powerful methods to detect structure in nature
- Display data in ways that exploit human pattern recognition abilities
- Limitation: Can be difficult to apply if data size (number of dimensions or instances) is large

### Visualizing/summarizing data

- Low-dimensional data
  - Summarizing data with simple statistics
  - Plotting raw data (1D, 2D, 3D)
- Higher-dimensional data
  - Principal component analysis
  - Multidimensional scaling

#### Data summarization

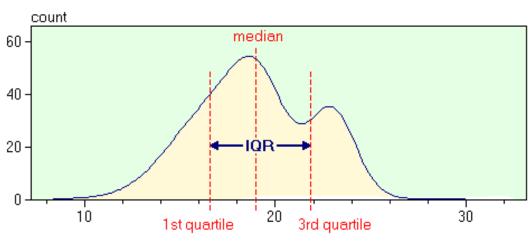
- Measures of location
  - Mean:  $\hat{\mu} = \frac{1}{n} \sum_{i=1}^{n} x(i)$
  - Median: value with 50% of points above and below
  - Quartile: value with 25% (75%) points above and below
  - · Mode: most common value



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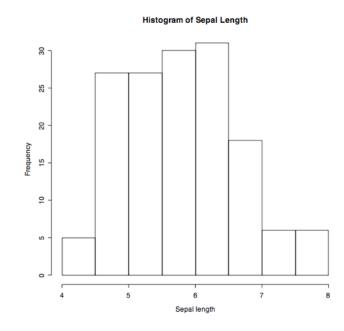
#### Data summarization

- Measures of dispersion or variability
  - Variance:  $\hat{\sigma}_k^2 = \frac{1}{n} \sum_{i=1}^n (x(i) \mu)^2$
  - Standard deviation:  $\hat{\sigma}_k = \sqrt{\frac{1}{n} \sum_{i=1}^n (x(i) \mu)^2}$
  - · Range: difference between max and min point
  - Interquartile range: difference between 1<sup>st</sup> and 3<sup>rd</sup> Q
  - Skew:  $\frac{\sum_{i=1}^{n} (x(i) \hat{\mu})^3}{(\sum_{i=1}^{n} (x(i) \hat{\mu})^2)^{\frac{3}{2}}}$

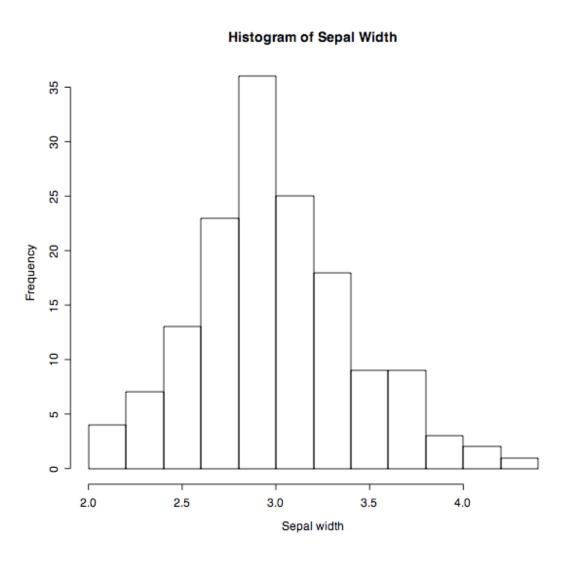


### Histograms (1D)

- Most common plot for univariate data
- Split data range into equal-sized bins, count number of data points that fall into each bin
- Graphically shows:
  - Center (location)
  - Spread (scale)
  - Skew
  - Outliers
  - Multiple modes

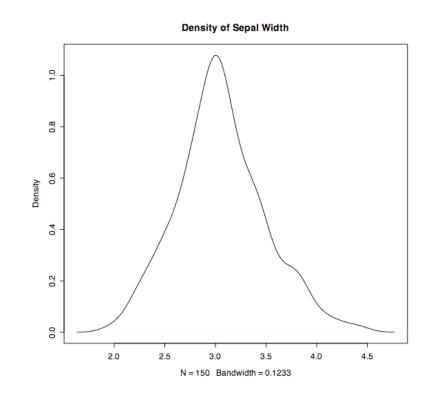


# Example histogram



#### Histogram limitations

- Histograms can be misleading for small datasets
  - Slight changes in the data or binning approach can result in different histograms
- Solution: smoothed density plots
  - Use kernel function to estimate density at each point x, pools information from neighboring points

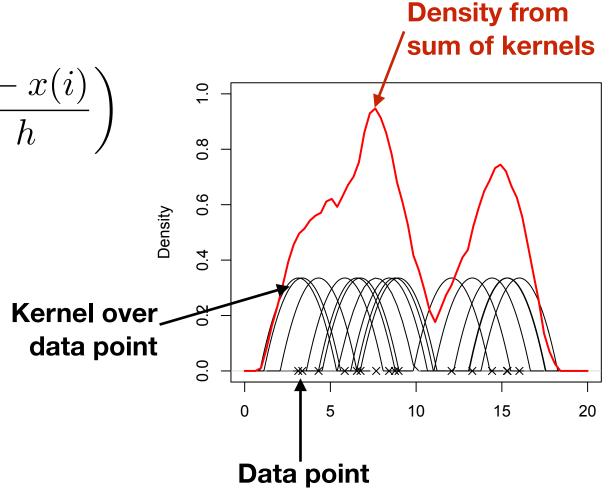


#### Density plots

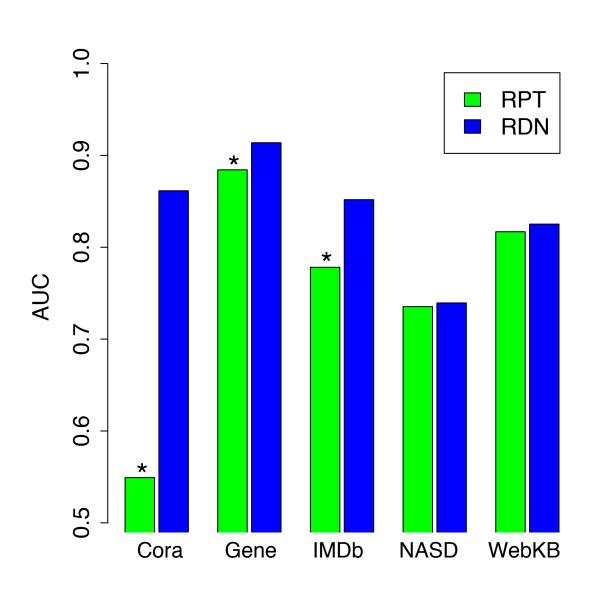
Estimated density is:

$$\hat{f}(x) = \frac{1}{n} \sum_{i=1}^{n} K\left(\frac{x - x(i)}{h}\right)$$

- Two parameters:
  - Kernel function K
     (e.g., Gaussian,
     Epanechnikov)
  - Bandwidth h



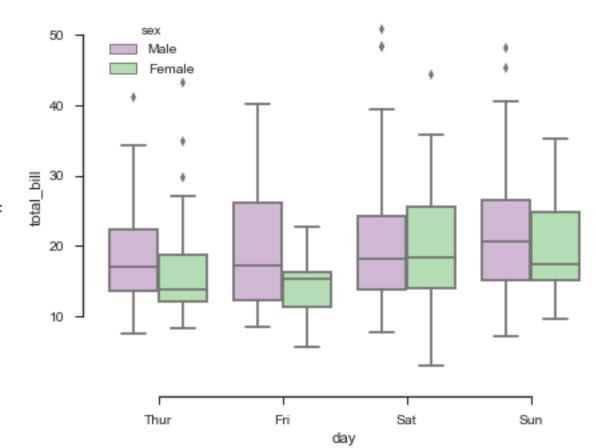
# Bar plots



### Box plot (2D)

 Display relationship between discrete and continuous variables

 For each discrete value X, calculate quartiles and range of associated Y values



import seaborn as sns import matplotlib.pyplot as plt sns.set(style="ticks")

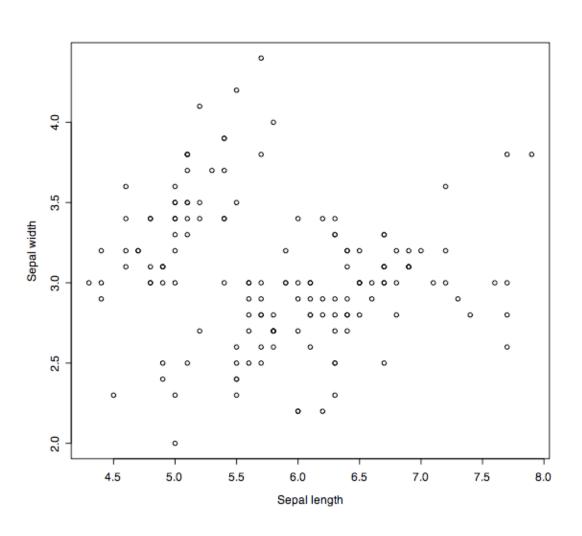
# Load the example tips dataset tips = sns.load\_dataset("tips")

# Draw a nested boxplot to show bills by day and sex sns.boxplot(x="day", y="total\_bill", hue="sex", data=tips, palette="PRGn") sns.despine(offset=10, trim=True) plt.show()

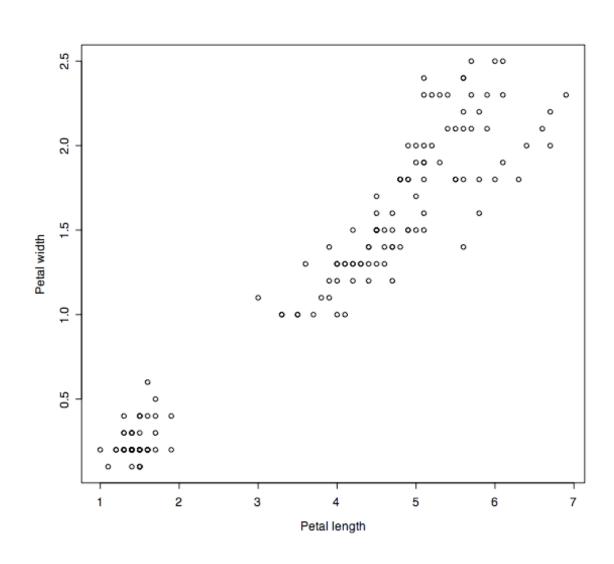
### Scatter plot (2D)

- Most common plot for bivariate data
  - Horizontal X axis: the suspected independent variable
  - Vertical Y axis: the suspected dependent variable
- Graphically shows:
  - If X and Y are related
  - Linear or non-linear relationship
  - If the variation in Y depends on X
  - Outliers

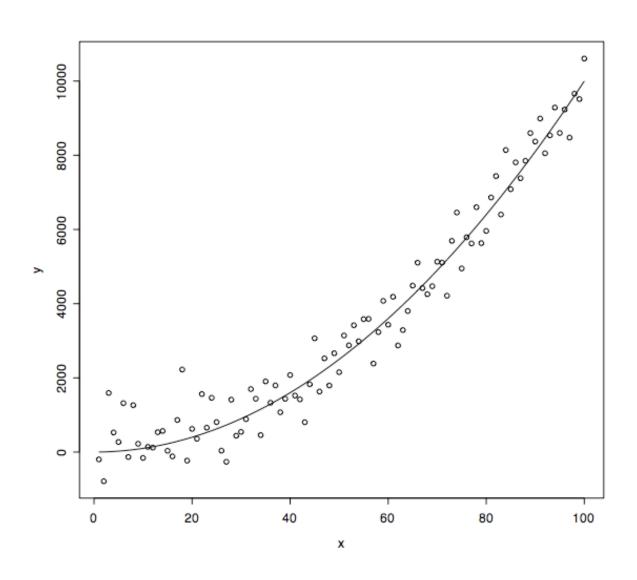
# No relationship



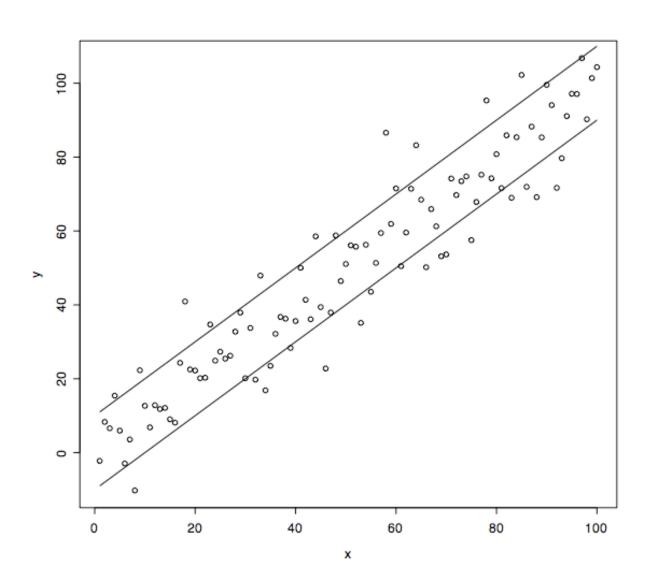
# Linear relationship



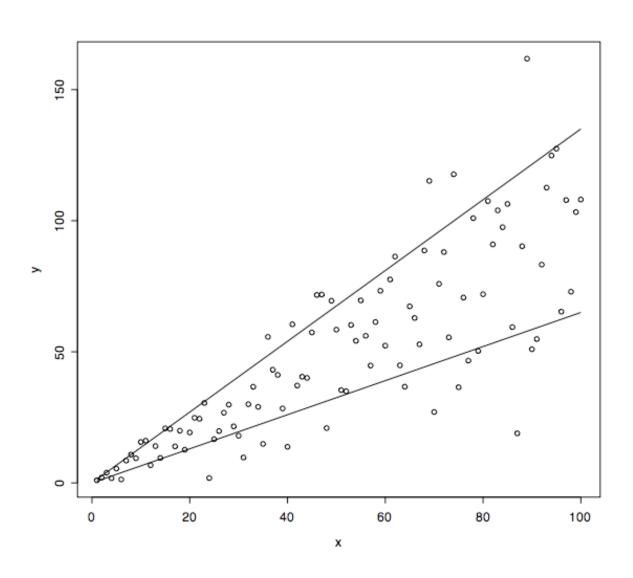
# Non-linear relationship



# Homoskedastic



#### Heteroskedastic

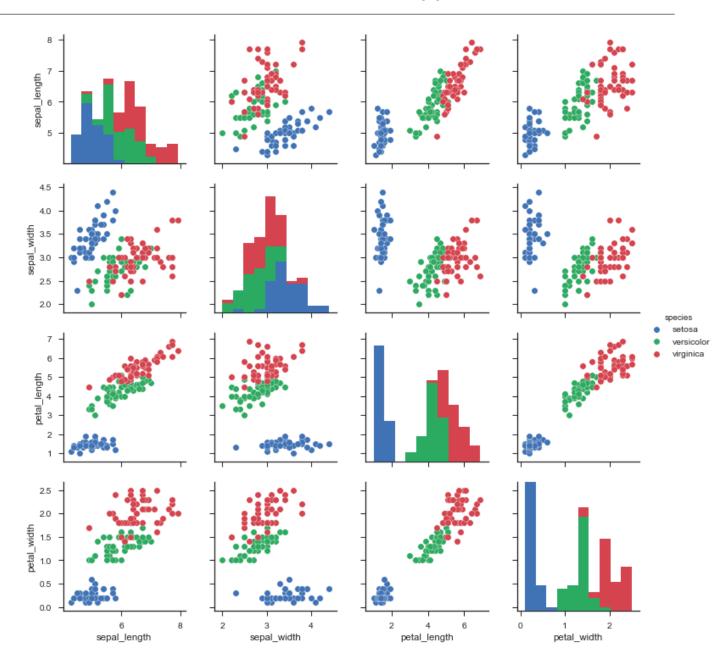


### Scatterplot matrix

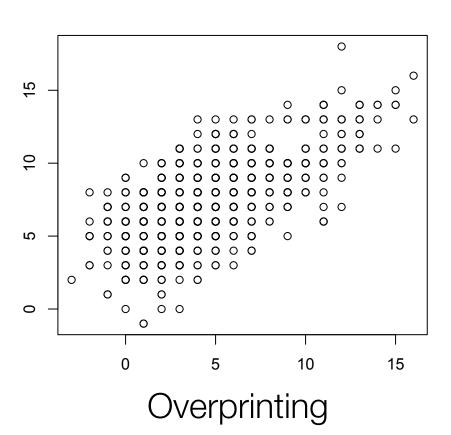
Good to check for linear relationships in multivariate datasets

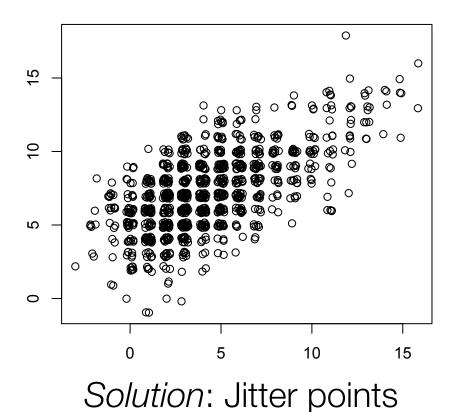
import seaborn as sns import matplotlib.pyplot as plt sns.set(style="ticks")

df = sns.load\_dataset("iris")
sns.pairplot(df, hue="species")
plt.show()



### Scatterplot limitations





#### Contour plot (3D)

- Limitations of 2D scatterplot
   (e.g., when there is too much data to discern relationship)
- Solution: represent a 3D
   surface by plotting constant z
   slices (contours) in a 2D format
  - Contour with KDE

