
THE PAPER TITLE^{*}

Your Name[†]

Department of Economics

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ABSTRACT

Nulla malesuada porttitor diam. Donec felis erat, congue non, volutpat at, tincidunt tristique, libero. Vivamus viverra fermentum felis. Donec nonummy pellentesque ante. Phasellus adipiscing semper elit. Proin fermentum massa ac quam. Sed diam turpis, molestie vitae, placerat a, molestie nec, leo. Maecenas lacinia. Nam ipsum ligula, eleifend at, accumsan nec, suscipit a, ipsum. Morbi blandit ligula feugiat magna. Nunc eleifend consequat lorem. Sed lacinia nulla vitae enim. Pellentesque tincidunt purus vel magna. Integer non enim. Praesent euismod nunc eu purus. Donec bibendum quam in tellus. Nullam cursus pulvinar lectus. Donec et mi. Nam vulputate metus eu enim. Vestibulum pellentesque felis eu massa. Download this template at the [Github repository](#).

Keywords: keyword1, keyword2

JEL Codes: J02, R10

^{*}We thank someone for excellent research assistance. We thank someone for their comments and suggestions.

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1 Introduction

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2 Model

Equation 1 or eq. (1) or Equation (1). Donec vitae turpis. Suspendisse porttitor. Mauris aliquam purus vitae tellus. Morbi metus diam, tempus ac, cursus ut, ultricies quis, nulla. Praesent nec justo. In lobortis. Donec nec lectus a neque laoreet rhoncus. Quisque in risus nec wisi lacinia ullamcorper. In placerat. Proin facilisis sollicitudin libero. Integer eget neque et pede placerat aliquet. Aliquam purus nulla, pulvinar ut, facilisis quis, sodales sed, magna. Curabitur nulla lectus, rutrum id, bibendum ut, sagittis eget, diam. Sed porta dolor eget est. Integer hendrerit orci. In hac habitasse platea dictumst.

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Theorem 1 (Envelope Theorem). *Only the direct effects of a change in an exogenous variable need be considered, even though the exogenous variable may enter the maximum value function indirectly as part of the solution to the endogenous choice variables. The proof is in [Appendix B](#).*

The [competition](#) can be illustrated with the following graph with the implementation is presented in [Listing 1](#) or [listing 1](#):

Figure 1: This is a graph



Note: some notes. The graph should be self-contained. Etiam vel ipsum. Morbi facilisis vestibulum nisl. Praesent cursus laoreet felis. Integer adipiscing pretium orci. Nulla facilisi. Quisque posuere bibendum purus. Nulla quam mauris, cursus eget, convallis ac, molestie non, enim. Aliquam congue. Quisque sagittis nonummy sapien. Proin molestie sem vitae urna. Maecenas lorem. Vivamus viverra consequat enim.

3 Comparative Statics

This is also demonstrated in [Figure 1](#) or [fig. 1](#) and the results are presented in [Appendix B.1b](#). Download this template at the [Github repository](#). Donec metus metus, condimentum eu, accumsan nec, vulputate non, purus. Vestibulum ullamcorper vehicula sapien. Mauris risus odio, hendrerit ac, congue ac, ullamcorper at, odio. Aenean leo justo, commodo vitae, placerat blandit, malesuada vel, sem. Donec sit amet ante eget mauris adipiscing sollicitudin. Curabitur posuere sem et leo. Nulla ultricies mauris. Vestibulum ante ipsum primis in

faucibus orci luctus et ultrices posuere cubilia Curae; Fusce sollicitudin augue vel tellus. Vivamus mauris eros, pharetra vel, lacinia pretium, egestas a, nibh. Morbi a ligula.

Listing 1: Long short-term memory

```
1 class network_LSTM(nn.Module):
2     def __init__(self, input_size=1, hidden_size=256, output_size=1):
3         super().__init__()
4         self.hidden_size = hidden_size
5         self.lstm = nn.LSTM(input_size, hidden_size)
6
7         # fully-connected
8         self.linear = nn.Linear(hidden_size, output_size)
9
10        self.hidden = (
11            torch.zeros(1, 1, self.hidden_size),
12            torch.zeros(1, 1, self.hidden_size)
13        )
14
15    def forward(self, vec):
16        lstm_output, self.hidden = self.lstm(vec.view(len(vec), 1, -1), self.hidden)
17        prediction = self.linear(lstm_output.view(len(vec), -1))
18        return prediction[-1]
```

4 Empirical Results

We follow the approach from [Harding and Lamarche \(2019\)](#). By using this approach, comparable results can be obtained ([Chen, Esteban and Shum, 2013](#)). To calculate the ELBO³, we start from using the property of the KL-divergence. The data can be summarized by the tables with decimal alignment in Table [table B.1a](#).

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³More information about the evidence lower bound (ELBO) can be found on the [Wikipedia](#).

nascetur ridiculus mus. Mauris iaculis enim non metus. Nullam dui magna, congue et, suscipit sed, aliquam vel, turpis. Quisque ultricies.

Suspendisse feugiat sapien laoreet ante. Integer fringilla, erat eget adipiscing ultrices, nibh dui sollicitudin nunc, in lobortis arcu odio vitae erat. Fusce bibendum ultricies lacus. Mauris eleifend ligula a ante. Etiam faucibus cursus pede. Mauris enim eros, malesuada eu, mattis sit amet, blandit in, nulla. Fusce sit amet purus id mi posuere tincidunt. Mauris sit amet quam vitae quam semper accumsan. Lorem ipsum dolor sit amet, consectetur adipiscing elit. Nam a justo at quam accumsan euismod. Duis tincidunt tristique risus. Ut vel nibh vel libero varius malesuada. In hac habitasse platea dictumst. Morbi sagittis mattis lorem. Pellentesque metus tellus, rutrum vitae, malesuada et, pharetra accumsan, ante. Quisque ac metus ac nisl gravida pellentesque. Sed dapibus feugiat sapien. Vestibulum nec nunc eget sem aliquam lobortis. Suspendisse aliquam quam quis metus.

Table B.1a: First Table

Category	Total	Shares (%)	Female	Male	Asian	Black/AA	His./Latino	White/Cau.	Zeros (%)
child care	19.39	0.08	12.32	20.12	23.14	63.78	20.24	19.00	0.07
eating	30.35	6.12	35.97	6.23	24.61	21.58	38.18	2.02	0.00
education	9.91	0.04	9.94	90.54	9.69	7.99	10.64	10.14	0.90
entertainment (not TV)	26.05	0.10	29.19	26.60	33.36	26.13	4.43	25.15	0.45

Note: This is the first table.

Table B.1b: Second Table

Category	Total	Shares (%)	Female	Male	Asian	Black/AA	His./Latino	White/Cau.	Zeros (%)
child care	19.39	0.08	39.32	40.12	23.14	18.78	20.24	19.00	0.07
personal care	13.92	0.06	24.00	23.14	16.12	1.76	15.15	13.66	0.00
sports/exercise	20.44	0.08	20.38	31.00	24.99	25.48	20.71	20.07	0.53
TV	28.61	0.12	48.47	9.93	2.35	63.70	29.22	80.20	0.46

Note: This is the second table.

5 Algorithm

Quisque facilisis auctor sapien. Pellentesque gravida hendrerit lectus. Mauris rutrum sodales sapien. Fusce hendrerit sem vel lorem. Integer pellentesque massa vel augue. Integer elit tortor, feugiat quis, sagittis et,

ornare non, lacus. Vestibulum posuere pellentesque eros. Quisque venenatis ipsum dictum nulla. Aliquam quis quam non metus eleifend interdum. Nam eget sapien ac mauris malesuada adipiscing. Etiam eleifend neque sed quam. Nulla facilisi. Proin a ligula. Sed id dui eu nibh egestas tincidunt. Suspendisse arcu. In the following, we present the algorithm:

Algorithm 1: Euclid’s algorithm for finding the greatest common divisor of two nonnegative integers

function Euclid (a, b);

Input : Two nonnegative integers a and b

Output : $\gcd(a, b)$

if $b = 0$ **then**

 | return a ;

else

 | return Euclid($b, a \bmod b$);

end

Maecenas dui. Aliquam volutpat auctor lorem. Cras placerat est vitae lectus. Curabitur massa lectus, rutrum euismod, dignissim ut, dapibus a, odio. Ut eros erat, vulputate ut, interdum non, porta eu, erat. Cras fermentum, felis in porta congue, velit leo facilisis odio, vitae consectetur lorem quam vitae orci. Sed ultrices, pede eu placerat auctor, ante ligula rutrum tellus, vel posuere nibh lacus nec nibh. Maecenas laoreet dolor at enim. Donec molestie dolor nec metus. Vestibulum libero. Sed quis erat. Sed tristique. Duis pede leo, fermentum quis, consectetur eget, vulputate sit amet, erat.

Table 2: Summary Statistics

	Cohort		
	2006	2007	2008
Students registered	1535	1584	1767
Gender (%)			
Male	61.1	64.5	57.7
Female	38.9	35.5	42.3
Race (%)			
White	43.3	43.4	40.6
Black	29.8	33.4	34.8

Note: Source: UCT Institutional Planning Department.

Lemma 1 (This is a lemma).

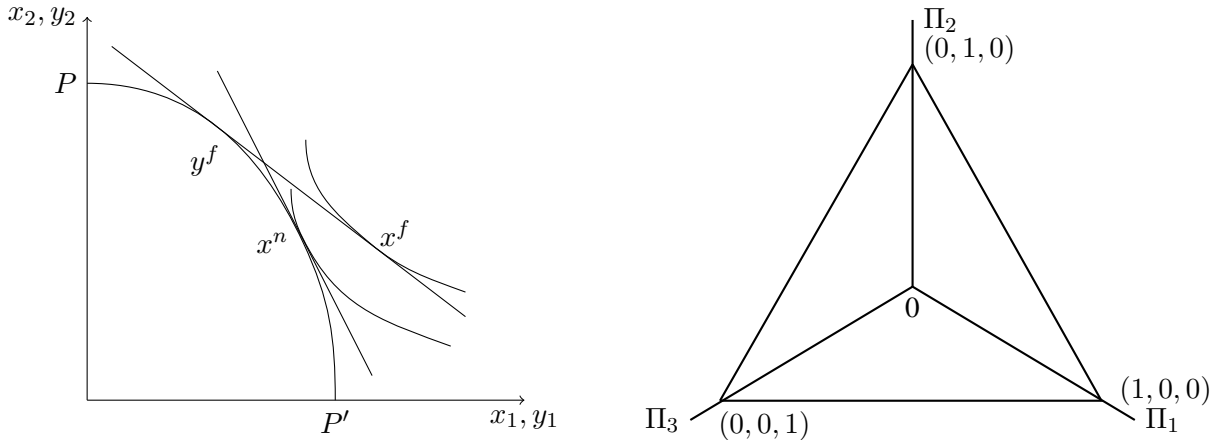
(a) For any feasible disclosure policy $G \in \mathcal{G}$, $W_G(p)$ is a convex function. Moreover, for all $p \in [0, 1]$,
 $W_{G_{\pi}}(p) \leq W_G(p) \leq W_{G_{\pi}(p)}$.

(b) The converse of the above statement is also true. That is, if $W : [0, 1] \rightarrow \mathbb{R}$ is a convex function that satisfies $W_{G_{\pi}}(p) \leq W(p) \leq W_{G_{\pi}(p)}$, then there exists a feasible $G \in \mathcal{G}$ such that $W_G(p) = W(p)$ for all $p \in [0, 1]$.

6 Conclusion

Etiam ac leo a risus tristique nonummy. Donec dignissim tincidunt nulla. Vestibulum rhoncus molestie odio. Sed lobortis, justo et pretium lobortis, mauris turpis condimentum augue, nec ultricies nibh arcu pretium enim. Nunc purus neque, placerat id, imperdiet sed, pellentesque nec, nisl. Vestibulum imperdiet neque non sem accumsan laoreet. In hac habitasse platea dictumst. Etiam condimentum facilisis libero. Suspendisse in elit quis nisl aliquam dapibus. Pellentesque auctor sapien. Sed egestas sapien nec lectus. Pellentesque vel dui vel neque bibendum viverra. Aliquam porttitor nisl nec pede. Proin mattis libero vel turpis. Donec rutrum mauris et libero. Proin euismod porta felis. Nam lobortis, metus quis elementum commodo, nunc lectus elementum mauris, eget vulputate ligula tellus eu neque. Vivamus eu dolor.

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References

- Chen, Jiawei, Susanna Esteban, and Matthew Shum.** 2013. “[When Do Secondary Markets Harm Firms?](#)” *American Economic Review*, 103(7): 2911–2934.
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- Lee, Ying-Ying.** 2018. “[Efficient propensity score regression estimators of multivalued treatment effects for the treated.](#)” *Journal of Econometrics*, 204(2): 207–222.

Appendices

A Additional Discussion

Curabitur ullamcorper est in mauris. Praesent ac massa. Quisque enim odio, lobortis nec, mattis ut, luctus et, mauris. Mauris eu risus. Cum sociis natoque penatibus et magnis dis parturient montes, nascetur ridiculus mus. Duis eu ligula. Nulla vehicula leo tincidunt erat. Maecenas et nunc. Sed ut sapien. Vestibulum in est. Vestibulum rhoncus.

B Proof of Theorem 1

We will prove the following large frac $\frac{1}{2}$ and inline frac $\frac{1}{2}$ equations:

$$Proof. \text{ Given } y, x, \Delta, \nu, \eta, \mathcal{L} = \begin{pmatrix} 1 & 2 & 3 & 4 & 5 \\ 3 & 4 & 5 & 6 & 7 \end{pmatrix}, \text{ and } \Pi = \begin{vmatrix} A & B & C \\ D & E & F \end{vmatrix}, \text{ if}$$

$$\begin{cases} \text{trade,} & p(\text{trade}) = \frac{y}{v} \\ \text{no trade,} & p(\text{no trade}) = 1 - \frac{y}{v} \end{cases}$$

$$\begin{aligned} y &= \mathbb{E}_{\pi}(\beta x + \epsilon) \neq \sum_i \beta_i(\underbrace{\alpha + \xi}_{\text{variables}}) + \epsilon \\ &\implies \int_0^{10} r \left(\frac{r}{50} \right) dr \stackrel{\text{text here}}{=} \frac{r^3}{150} \Big|_0^{10}, \forall x \in (a, b) \end{aligned} \tag{1}$$

So from \widehat{ABCD} , \widetilde{ABCD} , \widehat{ABCD} , \overrightarrow{ABCD} , and \overline{ABCD} , we get the desire result. ■

Consider $g(x) = f(x) - x$, since $f(x)$ and x are continuous, then $g : [a, b] \rightarrow \mathbb{R}$ is continuous. Then

$$g(a) = f(a) - a > 0, \quad g(b) = f(b) - b < 0$$

By IVT: $\exists c \in (a, b)$ s.t. $g(c) = 0 \implies \exists c \in (a, b)$ s.t. $f(c) - c = 0 \implies f(c) = c$.

C More Tikz

Figure 2: Caption above figure

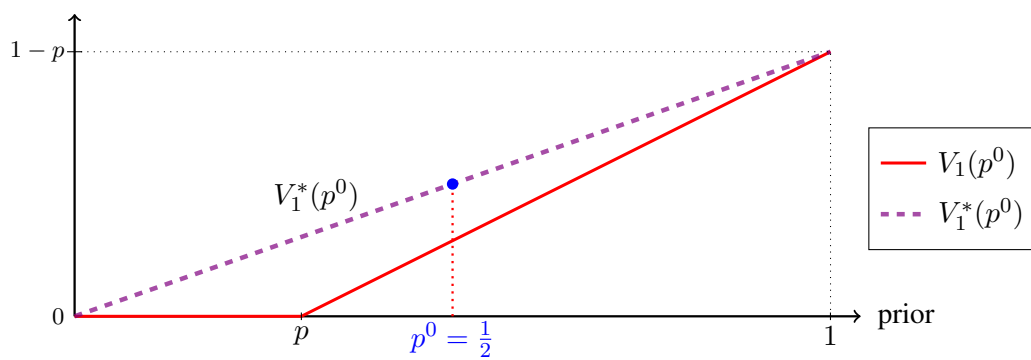
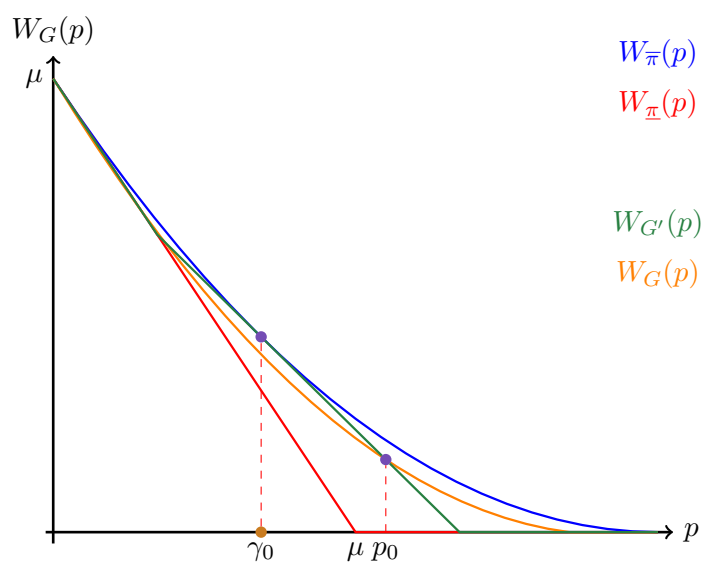


Figure 3: Caption below figure

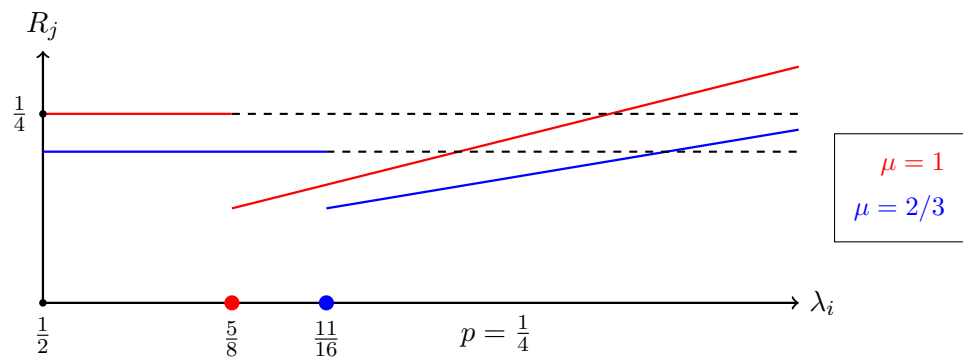


Figure 4: Caption below figure