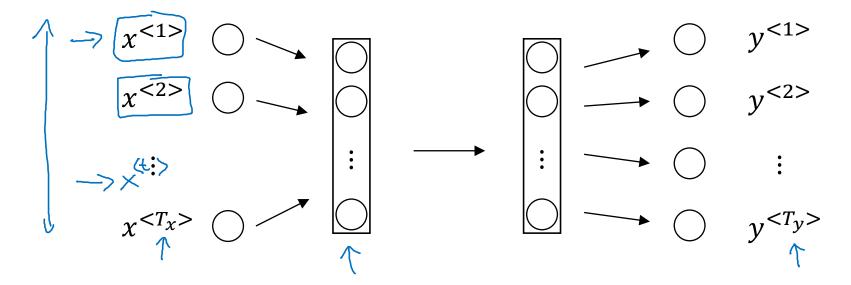


## Recurrent Neural Networks

## Recurrent Neural Network Model

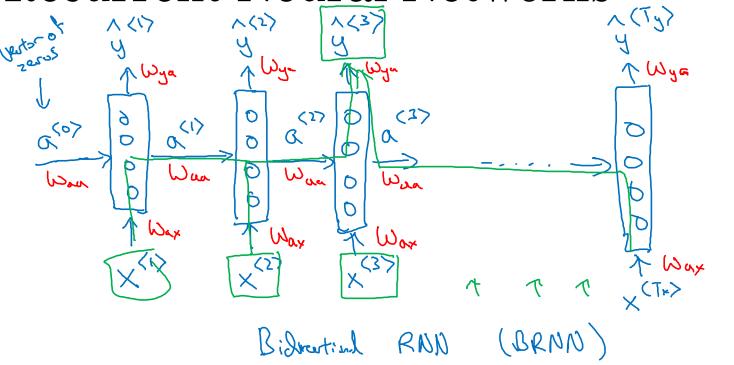
## Why not a standard network?

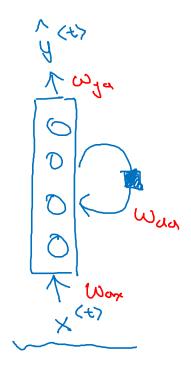


## Problems:

- Inputs, outputs can be different lengths in different examples.
- > Doesn't share features learned across different positions of text.

Recurrent Neural Networks





He said, "Teddy Roosevelt was a great President."

He said, "Teddy bears are on sale!"

Andrew Ng

Forward Propagation  $\alpha \leftarrow \omega_{\alpha \times} \times^{(1)}$   $\hat{y}^{<1}$   $\hat{y}^{<2}$   $\hat{y}^{<3}$ 

$$\hat{y}^{<1} \rangle \hat{y}^{<2} \rangle \hat{y}^{<3} \rangle \qquad \hat{y}^{<7} \rangle \qquad \hat{y$$

$$\alpha^{(a)} = \overrightarrow{\partial}.$$

$$\alpha^{(a)} = \overrightarrow{\partial}.$$

$$\alpha^{(a)} = g_{x}(\omega_{aa} \alpha^{(a)} + \omega_{ax} x^{(a)} + b_{a}) \leftarrow tonh | Rely$$

$$\alpha^{(a)} = g_{z}(\omega_{ya} \alpha^{(a)} + b_{y}) \leftarrow signoid$$

$$\alpha^{(b)} = g_{z}(\omega_{aa} \alpha^{(b)} + \omega_{ax} x^{(b)} + b_{a})$$

$$\alpha^{(b)} = g(\omega_{aa} \alpha^{(b)} + \omega_{ax} x^{(b)} + b_{a})$$

$$\alpha^{(b)} = g(\omega_{ya} \alpha^{(b)} + \omega_{ya} x^{(b)} + b_{a})$$

$$\alpha^{(b)} = g(\omega_{ya} \alpha^{(b)} + \omega_{ya} x^{(b)} + b_{a})$$

**Andrew Ng** 

Simplified RNN notation

$$a < t > = g(W_{aa}a < t - 1 > + W_{ax}x < t > + b_a)$$

$$\hat{y} < t > = g(W_{ya}a < t > + b_y)$$

$$\hat{y} < t > = g(W_{ya}a < t > + b_y)$$

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