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## CS 440

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1. (\sim stench(m) \lor Adjacent(x, f(x))) \land (\sim stench(m) \lor At(wumpus, f(x)))
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2.

- a.  $\forall x, Likes(x, Apples) \rightarrow Plays(x, Chess)$
- b.  $\forall x, Likes(x, Oranges) \rightarrow Plays(x, Go)$
- c.  $\forall x, (Likes(x, Oranges) \lor Likes(x, Apples)) \rightarrow \sim (Likes(x, Oranges) \land Likes(x, Apples))$
- d. Likes(John, Apples)
- e.  $\forall x, y, Marry(y) \land John(x) \land Likes(x, F) \rightarrow \sim Likes(y, F)$

## 3. ∃,∀

- a.  $C1: \sim Likes(x, Apples) \vee Plays(x, Chess)$
- b. C2:  $\sim$ Likes(x, Oranges)  $\vee$  Plays(x, Go)
- c.  $C3: (\sim Likes(x, Oranges) \land Likes(x, Apples)) \lor (\sim Likes(x, Apples) \land Likes(x, Oranges))$
- d. C4: Likes(John, Apples)
- e. C5:  $(\sim \text{Likes}(f(x), F)) \vee \text{Likes}(x, F)$

4.

C6: ~Plays(Mary,Go)

C7: Plays(Mary, Go)

 $\sim$  (Likes(Mary, Oranges)) C2

Likes(Mary, Apples) C3

Likes (John, Apples) C4

~Likes(Mary, Apples) C5

Contradiction:  $Likes(Mary, Apples) \land \sim Likes(Mary, Apples)$ 

Therefore, C6 is wrong, and Plays(Mary, Go) is true.

Conclusion: Based on the proof, the query Plays(Mary, Go) is true.