

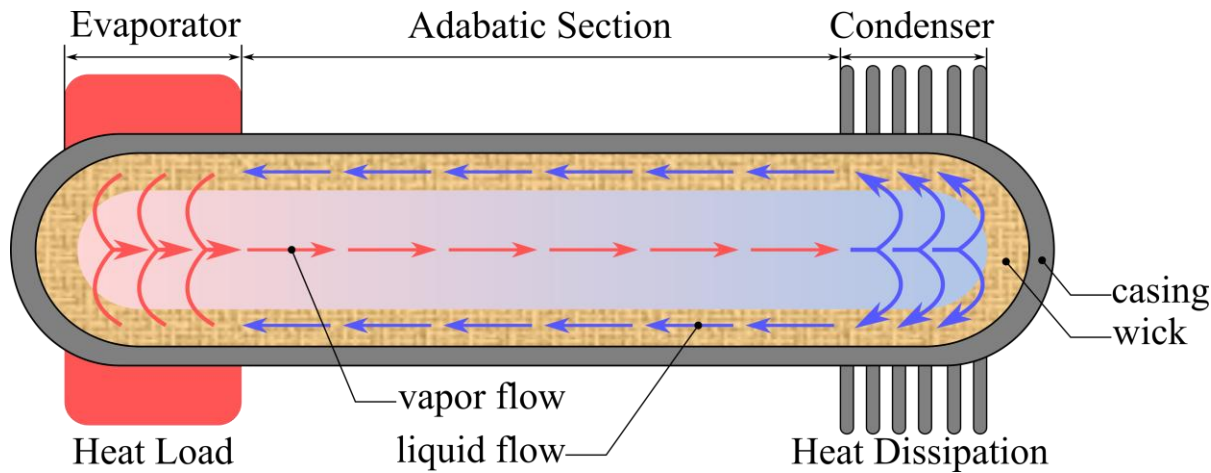
Haotian Jia, Department of Mechanical Engineering,



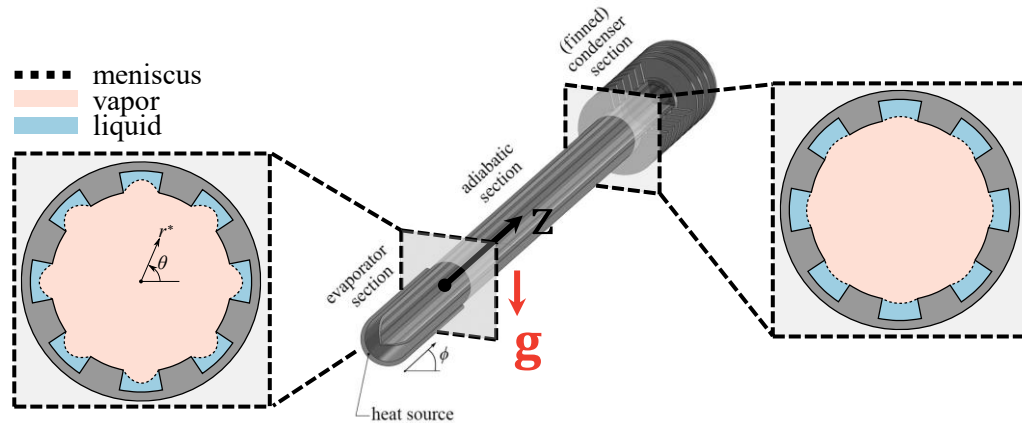
Mechanical Engineering PhD specializing in fluid mechanics & heat transfer, with extensive experience in design of experiments, testing & lab equipment, data acquisition, and precise thermal & fluid measurements.

# Internal Flow Modeling of Heat Pipe

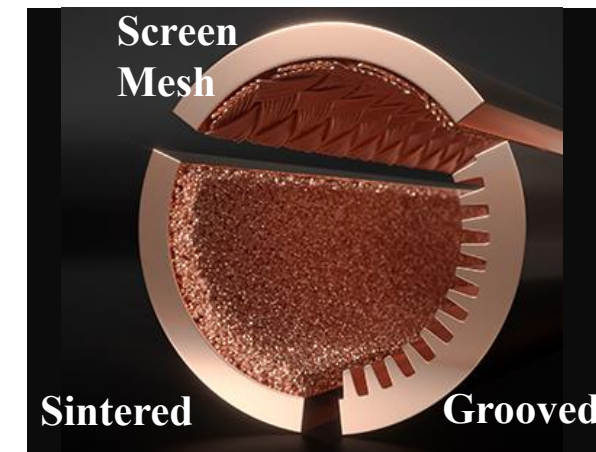
- heat pipes are highly effective thermal conductors. Their effective thermal conductivity can approach  $100 \text{ kW}/(\text{m}\cdot\text{K})$  for long heat pipes, in comparison with approximately  $0.4 \text{ kW}/(\text{m}\cdot\text{K})$  for copper.
- A heat pipe is made up of a casing (envelope), a wick structure, and a small amount of liquid. Heat is transferred into the heat pipe, causing the liquid to evaporate into vapor then travels along the pipe and condenses back into liquid at the condenser section in a continuous flow loop.
- Has 3 major wick types: sintered metal, screen mesh, and grooved.



**Schematic of heat pipe**

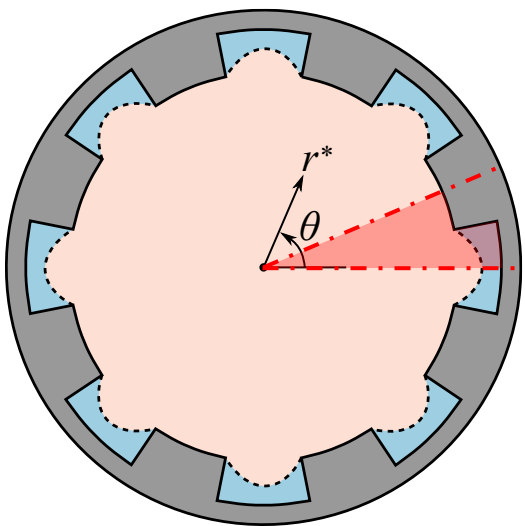


**Schematic of Axial-grooved Heat Pipe**

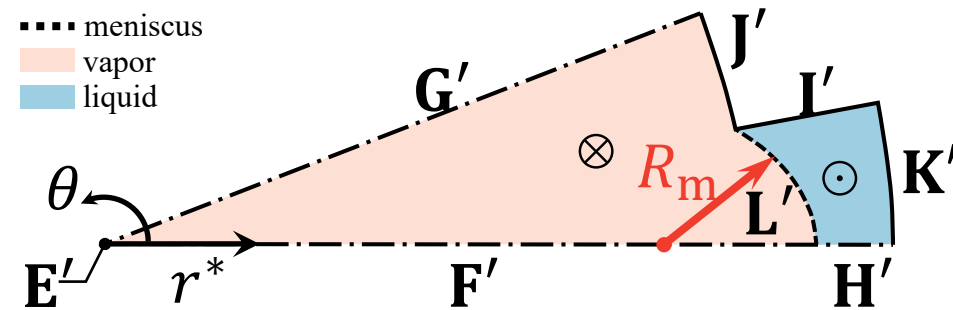
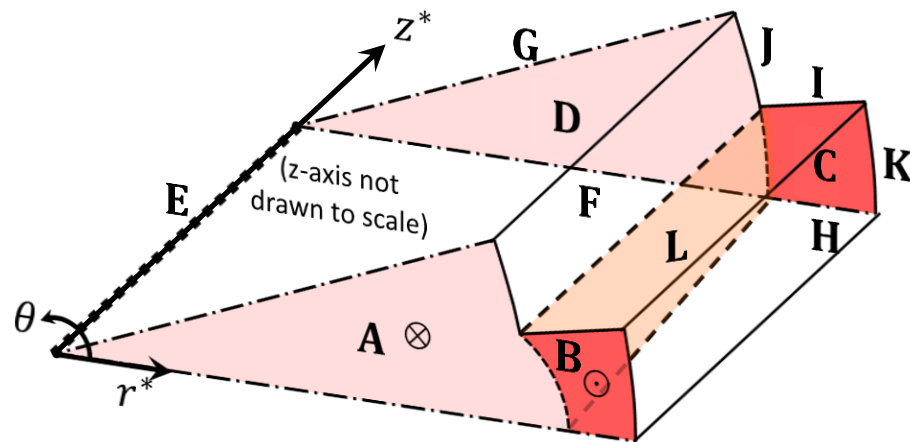


**Wick types**

- When the capillary pressure is not sufficient to pump the liquid back to the evaporator, the **capillary limit** is encountered, thus causes the dry out of the wick at evaporator.



**Problem domain**



**Complementary problem domain**

- Continuity equation  $\nabla^* \cdot \mathbf{v}_i^* = 0$
- Navier-Stokes equation  $\rho_i \mathbf{v}_i^* \cdot \nabla^* \mathbf{v}_i^* = -\nabla^* p_i^* + \mu_i \nabla^{*2} \mathbf{v}_i^* + \rho_i \mathbf{g}$
- The stream-wise mass flowrate of liquid equal to vapor  $\rho_v Q_v^* = \rho_l Q_l^*$



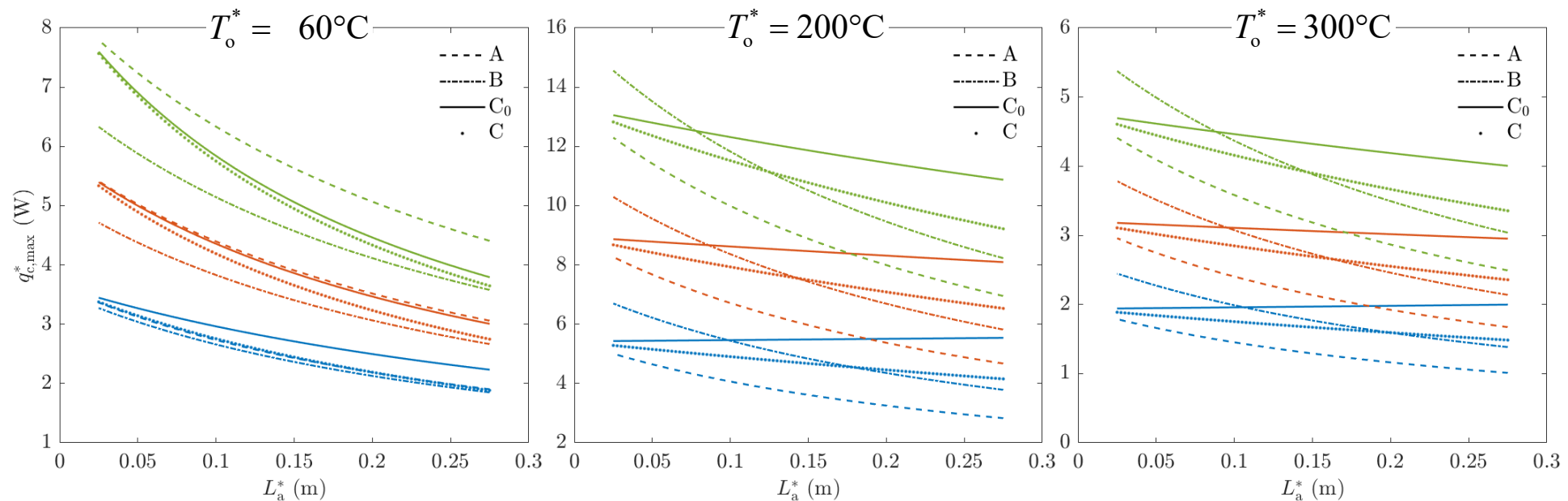
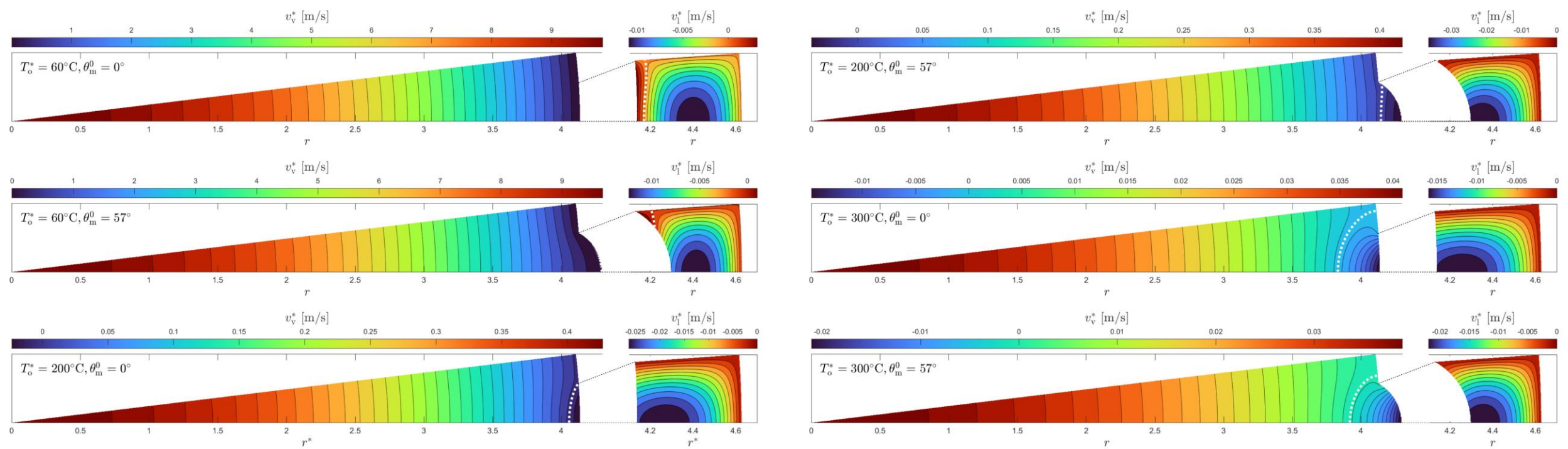
$$\frac{1}{r} \frac{\partial}{\partial r} \left( r \frac{\partial V_{z,v}}{\partial r} \right) + \frac{1}{r^2} \frac{\partial}{\partial \theta} \left( \frac{\partial V_{z,v}}{\partial \theta} \right) = 1$$

$$\frac{1}{r} \frac{\partial}{\partial r} \left( r \frac{1}{\tilde{\mu}} \frac{\partial V_{z,l}}{\partial r} \right) + \frac{1}{r^2} \frac{\partial}{\partial \theta} \left( \frac{1}{\tilde{\mu}} \frac{\partial V_{z,l}}{\partial \theta} \right) = \zeta$$

**Table of boundary conditions along meniscus in cases A - C.**

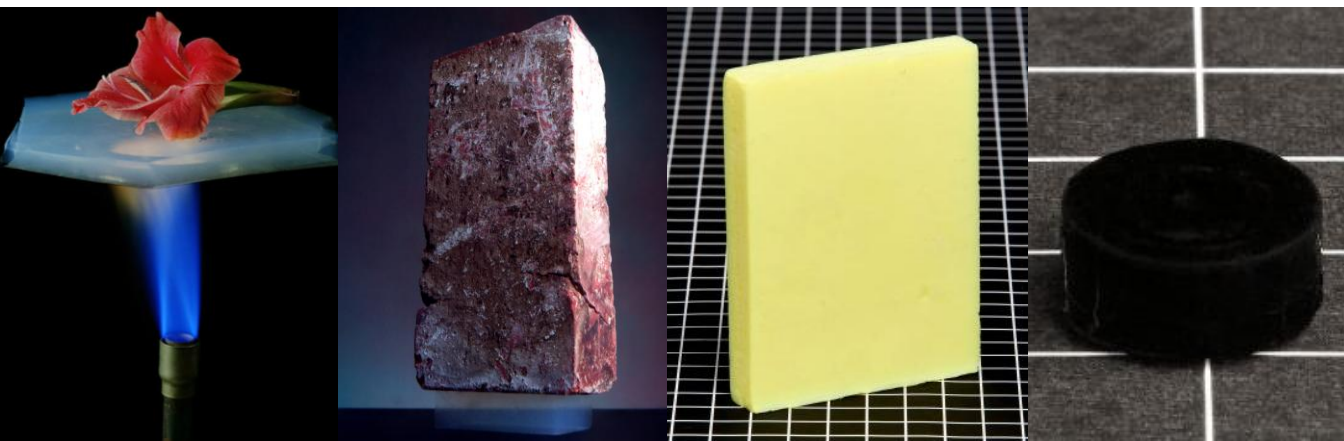
case	vapor in evaporator	vapor in adiabatic	vapor in condenser	liquid in evaporator	liquid in adiabatic	liquid in condenser
A	no slip	no slip	no slip	no slip	no slip	no slip
B	no slip	no slip	no slip	const. shear	const. shear	const. shear
C <sub>0</sub>	no slip	this study, $O(\epsilon^0, \theta_m^0)$	no slip	no slip	this study, $O(\epsilon^0, \theta_m^0)$	no slip
C	no slip	this study, $O(\epsilon^0)$	no slip	no slip	this study, $O(\epsilon^0)$	no slip



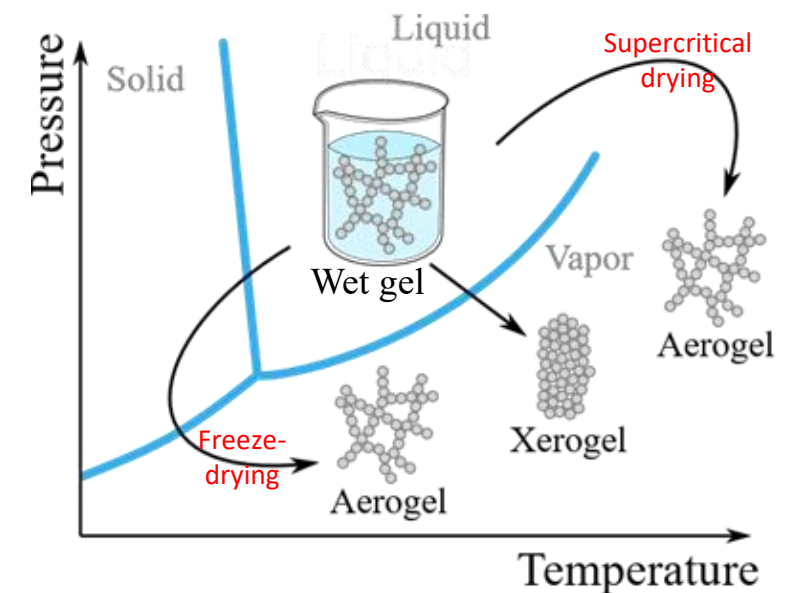
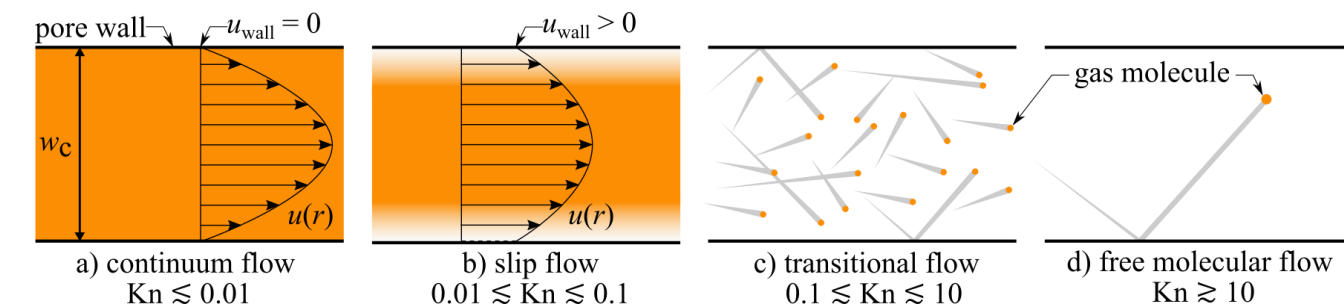
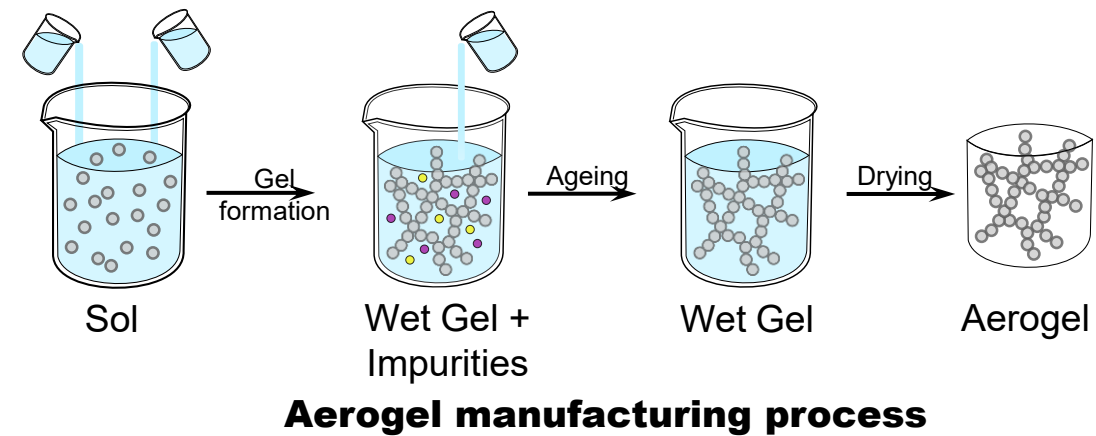


**Capillary limit vs. adiabatic section length in 0.3 m-long AGHP with  $L_e^* = L_c^*$ ,  $R_g^* = 1.18$  mm, 1.20mm, and 1.22 mm.**

# Permeability Measurement of Aerogel, Supercritical Condition

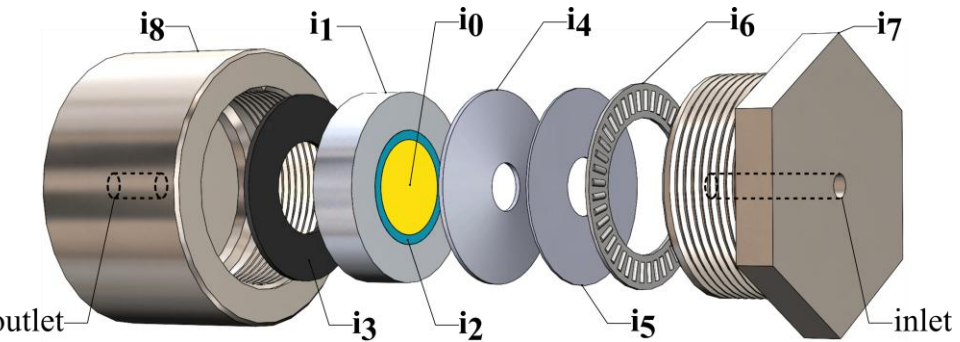


**Aerogels, nanoporous, ultralight material that exhibits remarkable thermal insulation, soundproofing, or energy-absorbing properties.**

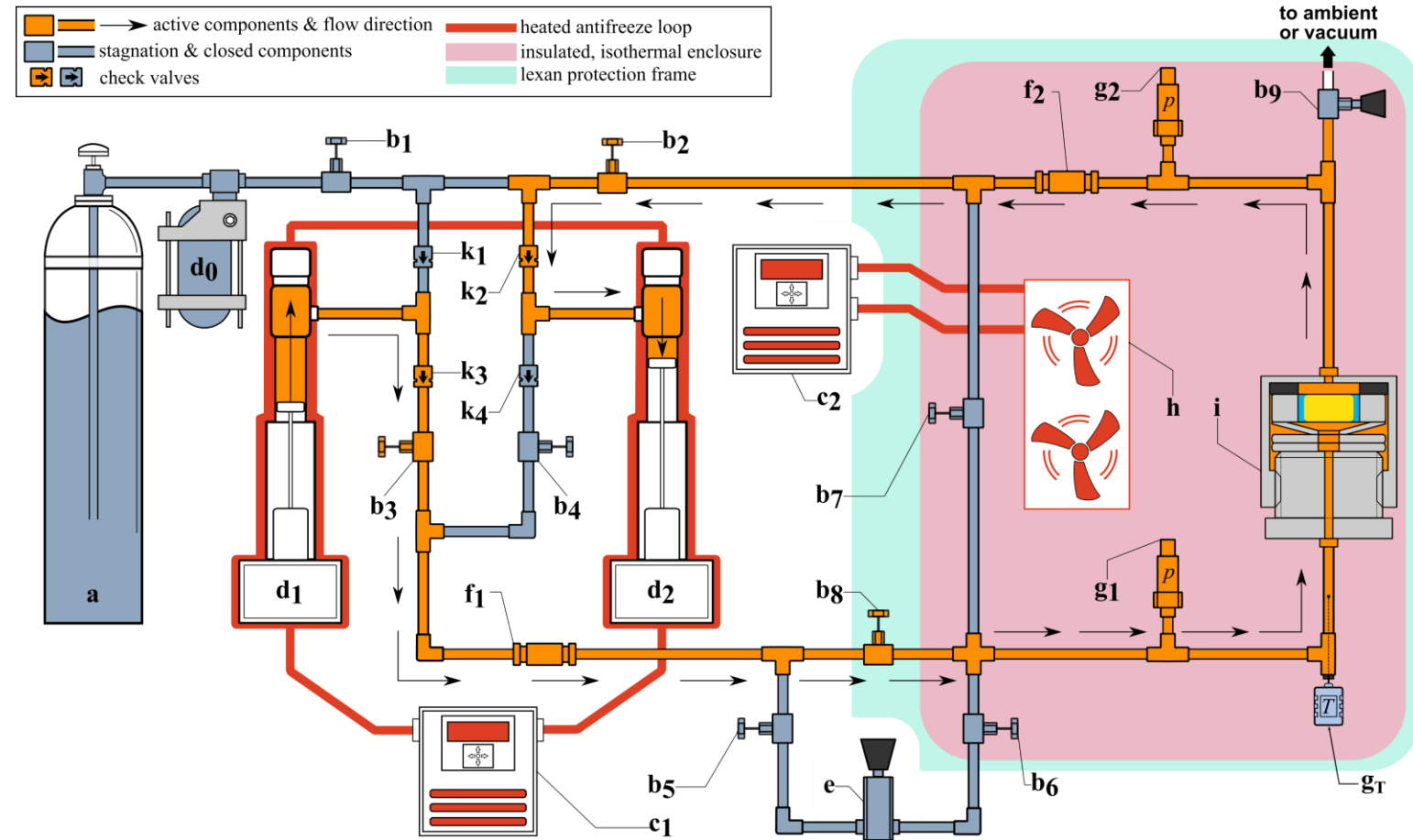


# Direct Method

- Permeability is determined by 1-D Darcy's equation  $K = \mu QH / (A_c \Delta p)$ ,  
where  $Q$ ,  $H$ ,  $A_c$ , and  $\Delta p$  are flowrate, thickness, cross-sectional area, and pressure difference, respectively.

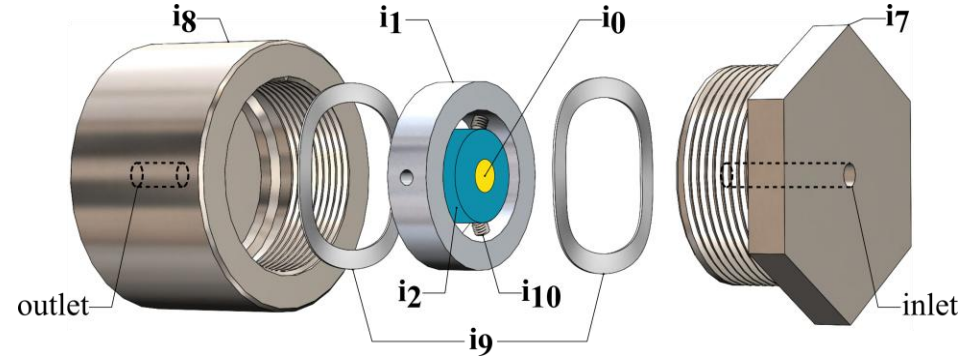


**Direct method test section exploded view**

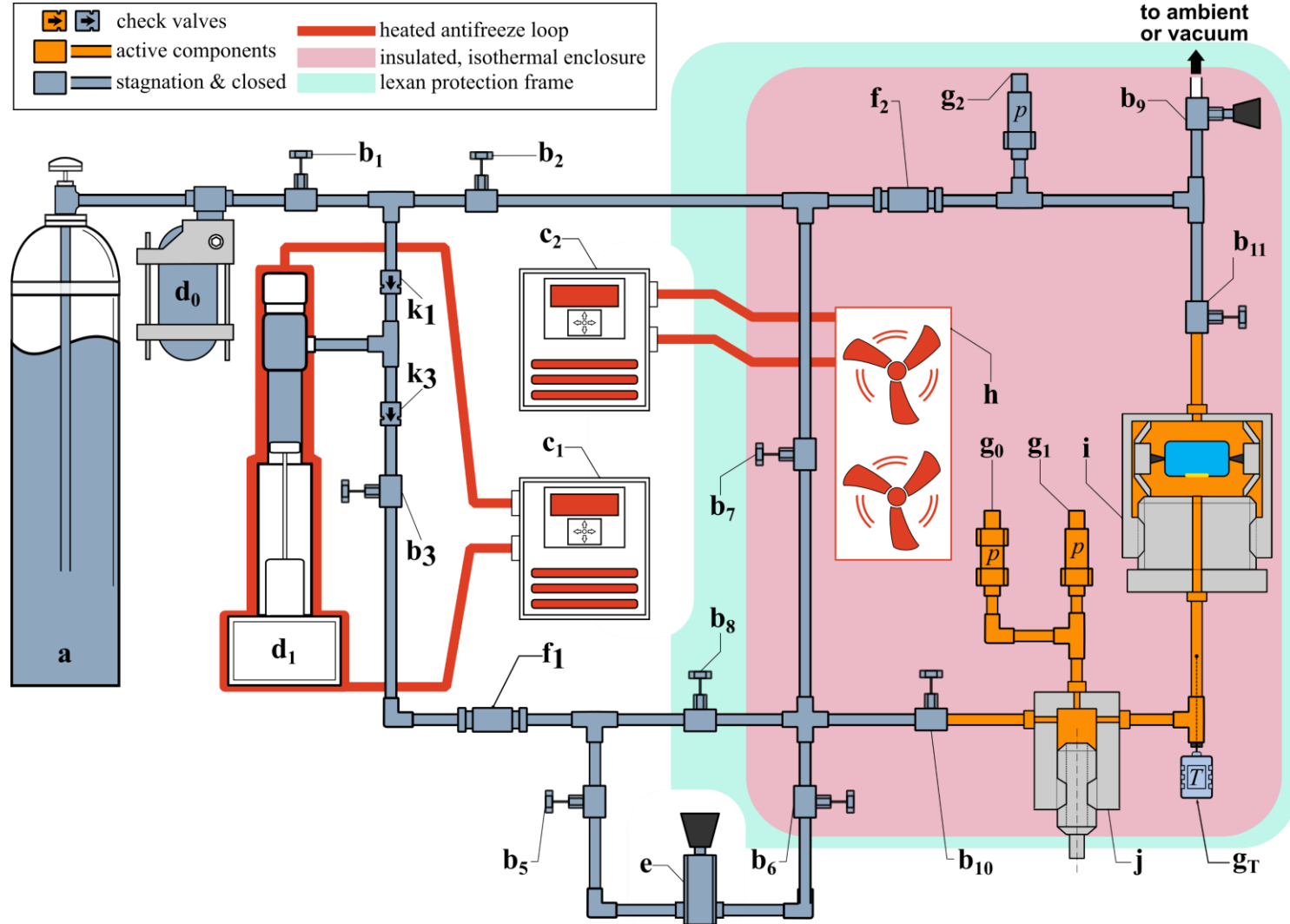
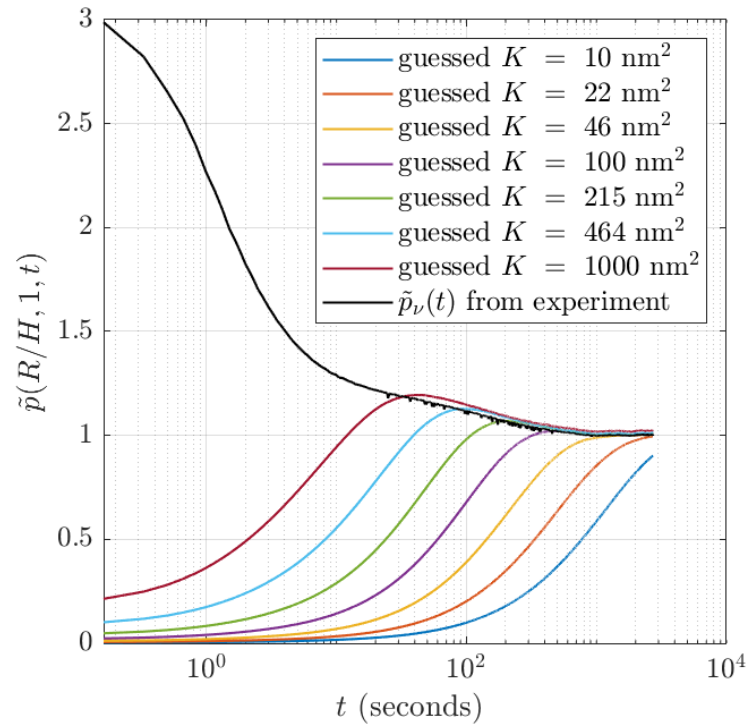


**Direct method apparatus schematic**

# Inverse Method



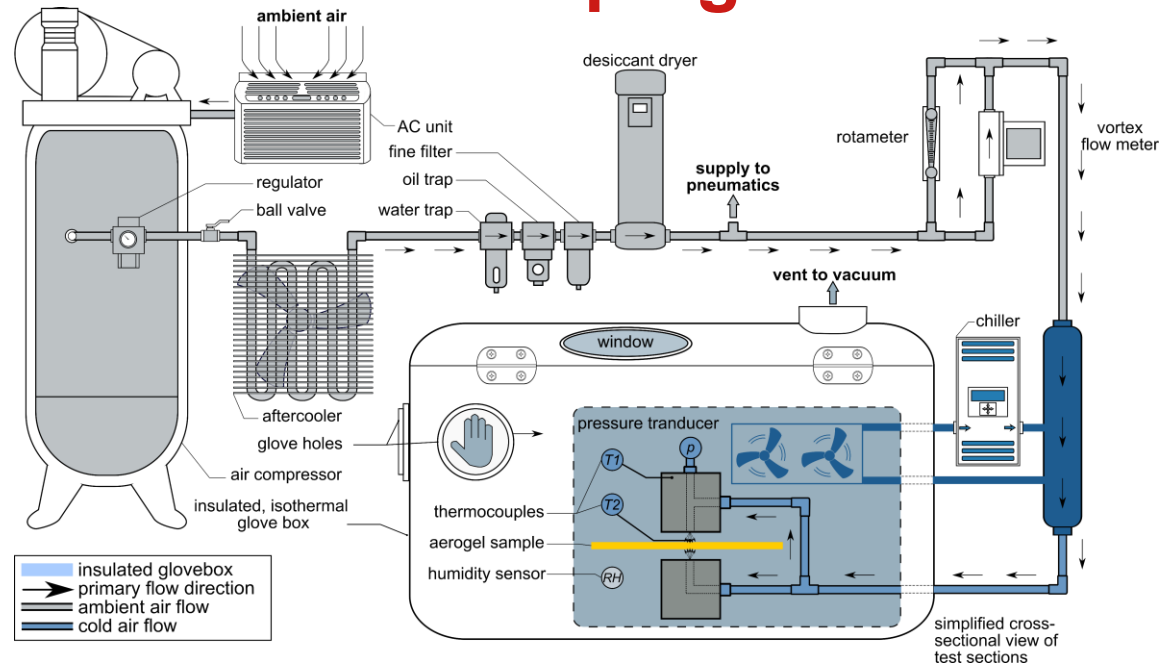
**Inverse method test section exploded view**



**Inverse method apparatus schematic**



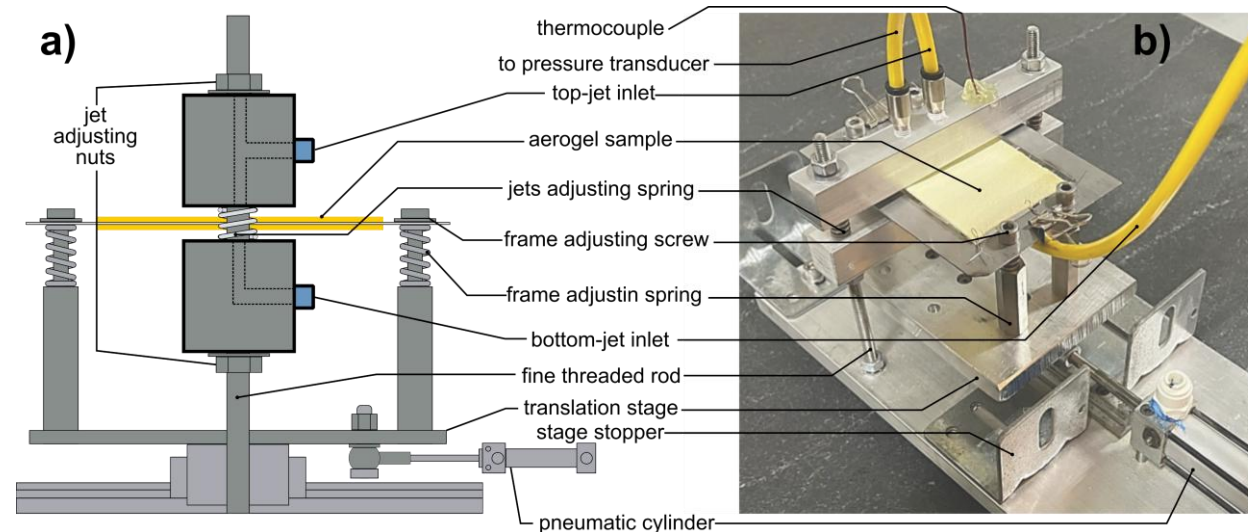
# Jet-impingement Enhanced Aerogel Freeze-drying



**System schematic**



**System photo**

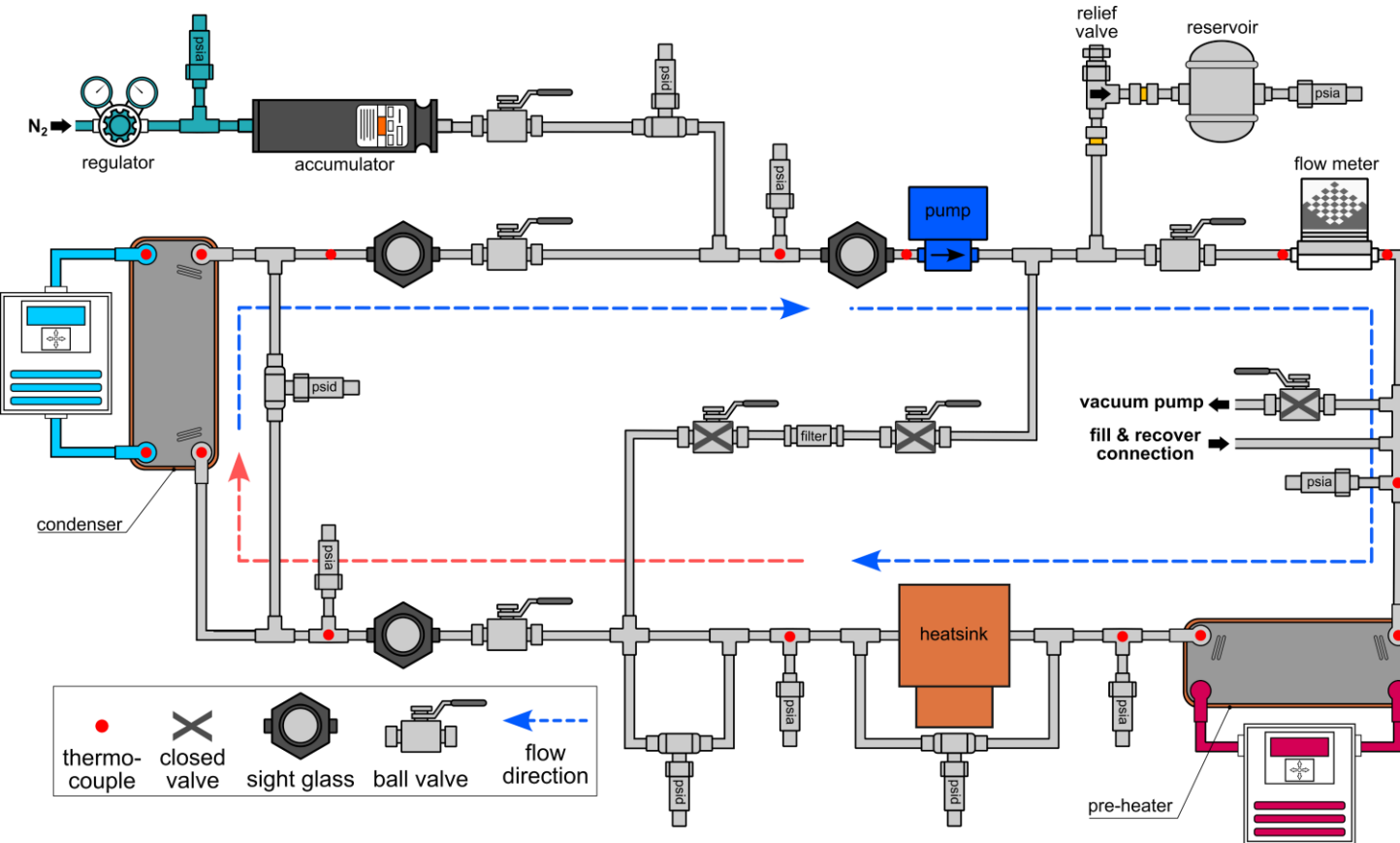


**Test section schematic**

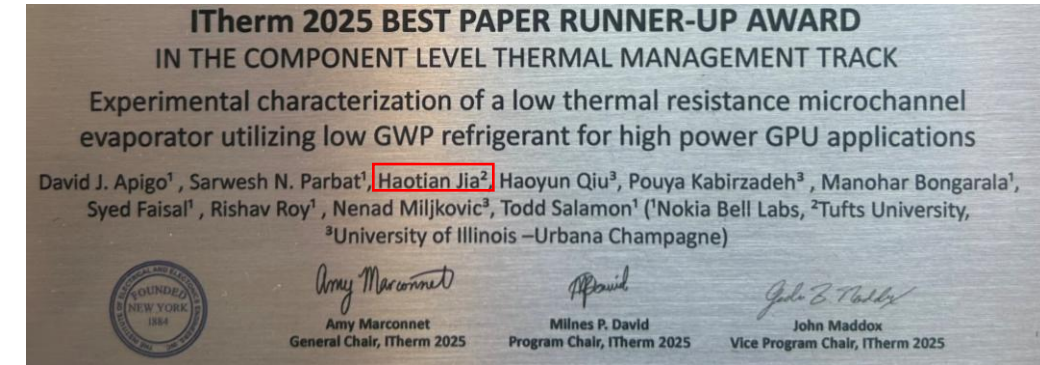




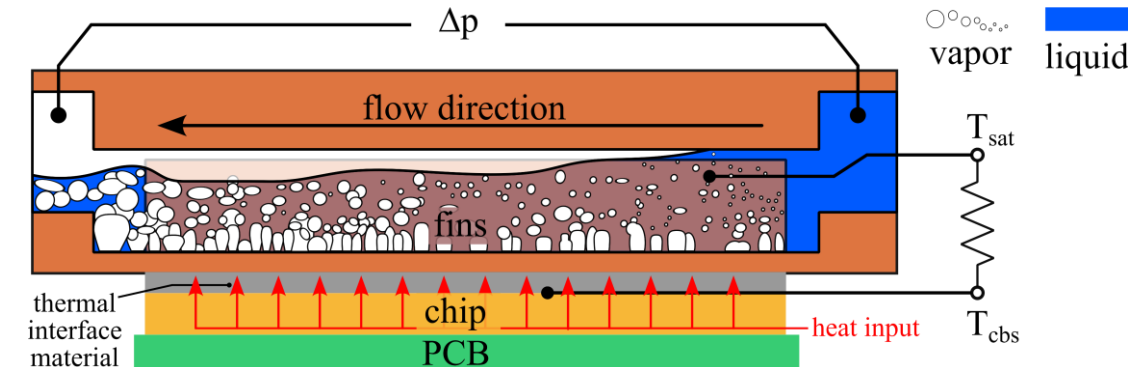
# NOKIA Bell Labs, Thermal Management COOP



**Pump loop schematic**

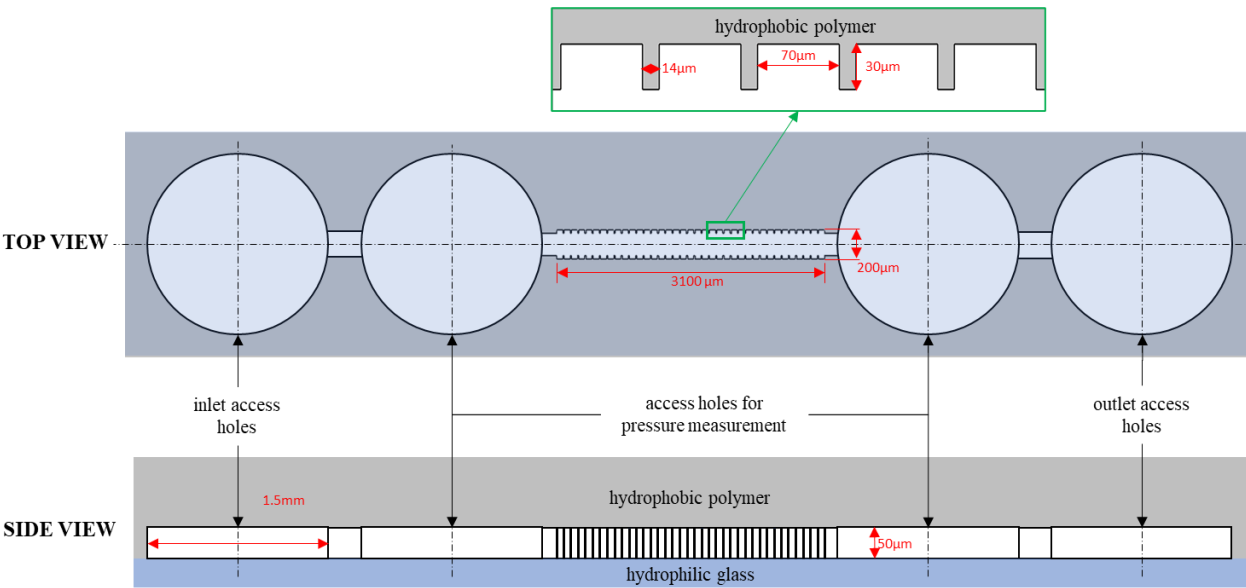


**IEEE iTherm2025 Best Paper Runner-up Award**

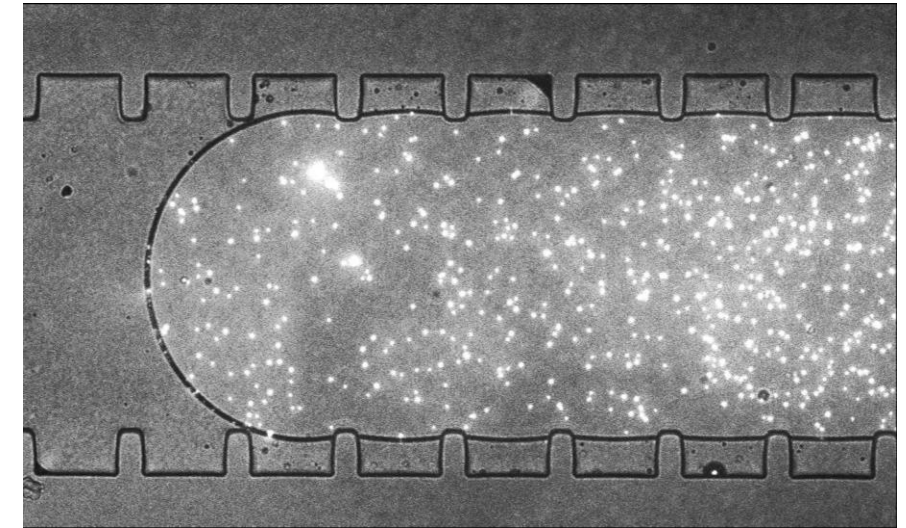
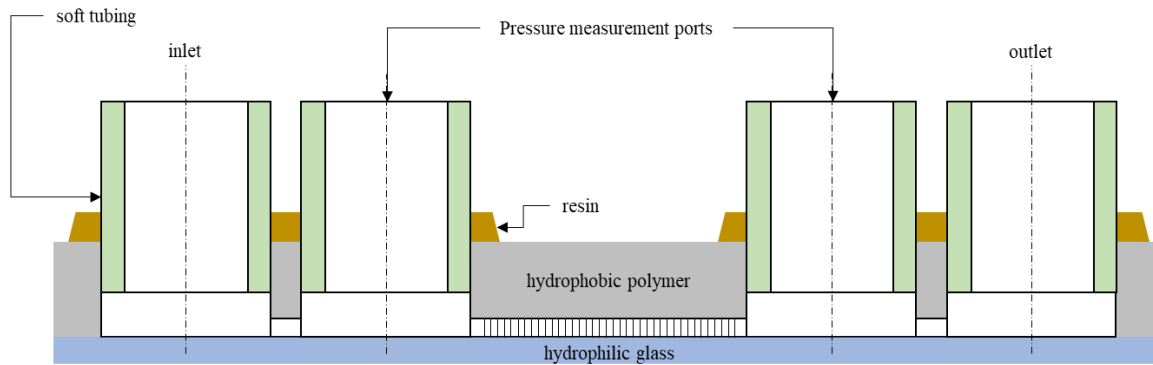


**Evaporator test section**

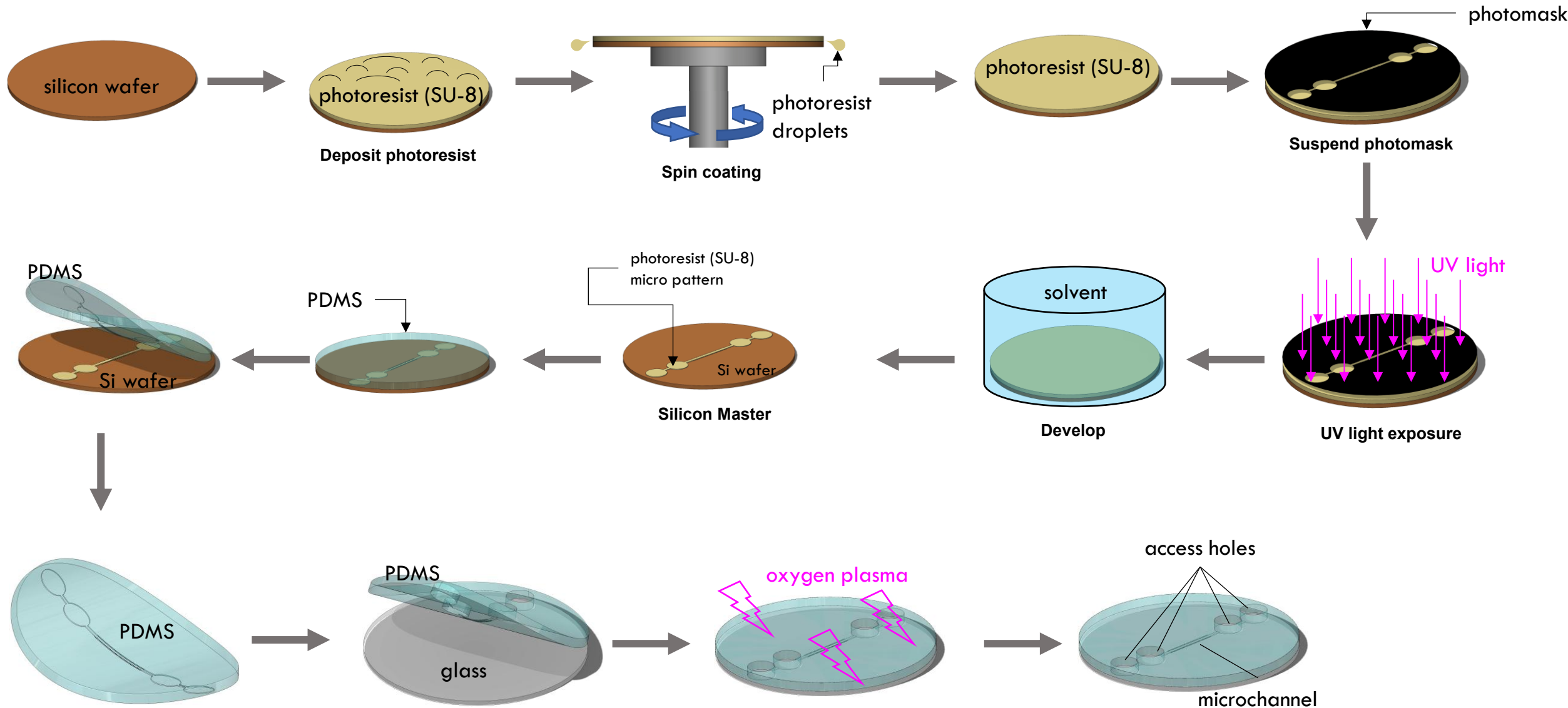
# Microchannel Flow Lubrication Enhancement



- Microchannel geometry: width 5  $\mu\text{m}$ , height 30  $\mu\text{m}$ , pitch 25  $\mu\text{m}$ 
  - Clear meniscus: the surface pattern on side wall allows the easy observation of the shape of the meniscus.
  - Max stability: flow can stay in Cassie state without wetting transition to the Wenzel state.
  - Results verification: verify the measured velocity profile with Byun et al.(2008)



# Soft-lithography Process Schematics





# Solution for Cerebral Palsy Patients to Eat Independently

