# **HW11**

#### 12.2

Consider the bank database of Figure 12.13, where the primary keys are underlined, and the following SQL query:

```
select T.branch_name
from branch T, branch S
where T.assets > S.assets and S.branch_city = "Brooklyn"
```

Write an efficient relational-algebra expression that is equivalent to this query. Justify your choice.

Answer:

Query:

```
\Pi_{T.branch\_name}((\Pi_{branch\_name\_assets}(\rho_T(branch))) \bowtie_{T.assets} > S.assets
(\Pi_{assets}(\sigma_{(branch\_city='Brooklyn')}(\rho_S(branch)))))
```

This expression performs the theta join on the smallest amount of data possible. It does this by restricting the right hand side operand of the join to only those branches in Brooklyn, and also eliminating the unneeded attributes from both the operands.

### 12.3[b]

If  $r_1$  is the outer relation, we need  $\lceil 800/(M-2) \times 1500 + 800 \rceil$  disk accesses, and  $2\lceil 800/(M-2) \rceil$  disk search.

If  $r_2$  is the outer relation, we need  $\lceil 1500/(M-2) \times 800 + 1500 \rceil$  disk accesses, and  $2\lceil 1500/(M-2) \rceil$  disk search.

#### 12.10

```
a. The number of blocks in the main memory buffer available for sorting(M) is (40\times 10^6)/(4\times 10^3)=10^4. The number of blocks containing records of the given relation (b_r) is (40\times 10^9)/(4\times 10^3)=10^7. Then the cost of sorting the relation is: (Number of Disk Seeks\times Disk Seek Cost)+(Number of Block Transfers\times Block Transfer Time). Here Disk seek cost is 5\times 10^{-3} seconds and block transfer time is 10^{-4} seconds (4\times 10^3)/(40\times 10^6). The number of block transfers is independent of b_b and is equal to 25\times 10^6.
```

- Case 1:  $b_b = 1$ Using the equation in Section 12.4, the number of disk seeks is  $5002 \times 10^3$ . Therefore the cost of sorting the relation is:  $(5002 \times 10^3) \times (5 \times 10^{-3}) + (25 \times 10^6) \times (10^{-4}) = 25 \times 10^3 + 2500 = 27500$  seconds.
- Case 2:  $b_b = 100$ The number of disk seeks is:  $52 \times 10^3$ . Therefore the cost of sorting the relation is:  $(52 \times 10^3) \times (5 \times 10^{-3}) + (25 \times 10^6) \times (10^{-4}) = 260 + 2500 = 2760$  seconds.

b.  $\lceil \log_{M-1}(b_r/M) \rceil$ . This is independent of  $b_b$ . Substituting the values above, we get  $\lceil \log_{10^4-1}(10^7/10^4) \rceil$  witch evaluates to 1.

# c. Flash storage:

- Case 1:  $b_b = 1$ The number of disk seeks is:  $5002 \times 10^3$ . Therefore the cost of sorting the relation is:  $(5002 \times 10^3) \times (1 \times 10^{-6}) + (25 \times 10^6) \times (10^{-4}) = 5.002 + 2500 2506$  seconds.
- Case 2:  $b_b = 100$ The number of disk seeks is:  $52 \times 10^3$ . Therefore the cost of sorting the relation is:  $(52 \times 10^3) \times (1 \times 10^{-6}) + (25 \times 10^6) \times (10^{-4}) = 0.052 + 2500$ , which is approx = 2500 seconds.

## 12.16

- a. Using pipelining, output from the sorting operation on r is written to a buffer B. When B is full, the merge-join processes tuples from B, joining them with tuples from s until B is empty. At this point, the sorting operation is resumed and B is refilled. This process continues until the merge-join is complete.
- b. If the sort–merge operations are run in parallel and memory is shared equally between the two, each operation will have only M/2 frames for its memory buffer. This may increase the number of runs required to merge the data.