



# TOLANI COLLEGE OF COMMERCE (AUTONOMOUS)

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**Department of B.Sc. (Information Technology)** 

## **CERTIFICATE**

This is to certify that Mr. / Ms.	bearing Roll
No have completed the practicals in the Course of	in
accordance with the syllabus of B.Sc. (Information Technology) Pro	gramme of Semester
as prescribed by the Tolani College of Commerce (Autonomous) in	the academic year 2024-
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Internal Examiner  External Examiner	Programme Coordinator

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#### Q 1) Write a program to implement depth first search algorithm.

```
class Graph:
  def init (self):
    self.graph = {}
  def add edge(self, node, neighbor):
    if node not in self.graph:
       self.graph[node] = []
    if neighbor not in self.graph:
       self.graph[neighbor] = []
    self.graph[node].append(neighbor)
    self.graph[neighbor].append(node) # For undirected graph
  def dfs(self, start):
    visited = set()
    self. dfs util(start, visited)
  def dfs util(self, node, visited):
    visited.add(node)
    print(node) # You can replace this with any action you want to perform on the node
    for neighbor in self.graph[node]:
       if neighbor not in visited:
         self. dfs util(neighbor, visited)
g = Graph()
g.add edge('A', 'B')
g.add_edge('A', 'C')
g.add edge('B', 'D')
g.add edge('B', 'E')
g.add_edge('C', 'F')
g.add_edge('E', 'F')
start node = 'A'
g.dfs(start_node)
Output :-
Α
В
D
Ε
F
```

```
Q 2) Write a program to implement breadth first search algorithm.
def breadth_first_search(graph, start):
  visited = set()
  queue = [start]
  visited.add(start)
  while queue:
    node = queue.pop(0)
    print(node) # You can replace this with any action you want to perform on the node
    for neighbor in graph[node]:
      if neighbor not in visited:
         visited.add(neighbor)
         queue.append(neighbor)
  return visited
graph = {
  'A': ['B', 'C'],
  'B': ['A', 'D', 'E'],
  'C': ['A', 'F'],
  'D': ['B'],
  'E': ['B', 'F'],
  'F': ['C', 'E']
start node = 'A'
visited_nodes = breadth_first_search(graph, start_node)
Output:-
Α
В
C
D
Ε
```

```
Q 3) Write a program to simulate 4-Queen / N-Queen problem.
class NQueens:
  def __init__(self, n):
    self.n = n
    self.board = [[0] * n for _ in range(n)]
  def print_board(self):
    for row in self.board:
       print(" ".join("Q" if col else "." for col in row))
    print()
  def is_safe(self, row, col):
    # Check this row on left side
    for i in range(col):
       if self.board[row][i]:
         return False
    for i, j in zip(range(row, -1, -1), range(col, -1, -1)):
       if self.board[i][j]:
         return False
    for i, j in zip(range(row, self.n, 1), range(col, -1, -1)):
       if self.board[i][j]:
         return False
    return True
  def solve n queens util(self, col):
    if col >= self.n:
       return True
    for i in range(self.n):
       if self.is safe(i, col):
         self.board[i][col] = 1
         if self.solve_n_queens_util(col + 1):
            return True
         self.board[i][col] = 0 # Backtrack
    return False
  def solve(self):
    if not self.solve_n_queens_util(0):
       print("Solution does not exist")
       return False
    self.print board()
    return True
```

```
n = 4
n_queens = NQueens(n)
n_queens.solve()

Output:-
...Q.
Q...
...Q.
...Q.
```

```
Q 4) Write a program to solve tower of Hanoi problem.
class TowerOfHanoi:
  def __init__(self, n):
    self.n = n
  def solve(self):
    self. move disks(self.n, 'A', 'B', 'C')
  def _move_disks(self, n, source, auxiliary, destination):
    if n == 1:
      self. print move(1, source, destination)
      return
    self. move disks(n - 1, source, destination, auxiliary)
    self. print move(n, source, destination)
    self. move disks(n - 1, auxiliary, source, destination)
  def _print_move(self, disk, source, destination):
    print(f"Move disk {disk} from {source} to {destination}")
if name == " main ":
  n = 3
  hanoi = TowerOfHanoi(n)
  hanoi.solve()
Output:-
Move disk 1 from A to C
Move disk 2 from A to B
Move disk 1 from C to B
Move disk 3 from A to C
Move disk 1 from B to A
Move disk 2 from B to C
Move disk 1 from A to C
```

```
Q 5) Write a program to implement alpha beta search.
MAX = float('inf')
MIN = float('-inf')
def minmax(depth, nodeIndex, maximizingPlayer, values, alpha, beta):
  if depth == 3:
    return values[nodeIndex]
  if maximizingPlayer:
    best = MIN
    for i in range(2): # Assuming binary tree with two children
      val = minmax(depth + 1, nodeIndex * 2 + i, False, values, alpha, beta)
      best = max(best, val)
      alpha = max(alpha, best)
      if beta <= alpha:
         break
    return best
  else:
    best = MAX
    for i in range(2): # Assuming binary tree with two children
      val = minmax(depth + 1, nodeIndex * 2 + i, True, values, alpha, beta)
      best = min(best, val)
      beta = min(beta, best)
      if beta <= alpha:
         break
    return best
if name == " main ":
  values = [3, 5, 6, 9, 1, 2, 0, -1]
  print("The optimal value is:", minmax(0, 0, True, values, MIN, MAX))
Output:-
The optimal value is: 5
```

```
Q 6) Write a program for Hill climbing problem.
def hill_climbing_min_cost(cost):
  n = len(cost)
  if n == 0:
     return 0
  if n== 1:
     return cost[0]
  cost from start = [float('inf')] * n
  cost\_from\_start[0] = cost[0]
  cost\_from\_start[1] = cost[1]
  i = 0
  while i < n:
     if i + 1 < n:
       cost\_from\_start[i+1] = min(cost\_from\_start[i+1], cost\_from\_start[i] + cost[i+1])
     if i + 2 < n:
       cost\_from\_start[i+2] = min(cost\_from\_start[i+2], cost\_from\_start[i] + cost[i+2])
     i += 1
  return min(cost_from_start[n-1],cost_from_start[n-2])
cost = [10, 15, 20]
print(hill_climbing_min_cost(cost))
Output:-
15
```

```
Q 7) Write a program to implement A* algorithm.
import heapq
class PuzzleNode:
  def __init__(self, state, parent=None, move=None, depth=0):
     self.state = state
     self.parent = parent
     self.move = move
     self.depth = depth
     self.cost = 0 \# g(n)
     self.heuristic = 0 # h(n)
     self.total = 0 \# f(n) = g(n) + h(n)
  def lt (self, other):
     return self.total < other.total
def goal_state(size):
  return tuple(tuple((i * size + j + 1) % (size * size) for j in range(size)) for i in range(size))
goal = goal state(3)
start_state = ((7, 2, 4),
         (5, 0, 6),
         (8, 3, 1)
def manhattan_heuristic(state, goal):
  size = len(state)
  distance = 0
  for i in range(size):
     for j in range(size):
       if state[i][j] != 0:
          x, y = divmod(state[i][j] - 1, size)
          distance += abs(i - x) + abs(i - y)
  return distance
def get neighbors(node):
  neighbors = []
  size = len(node.state)
  x, y = [(ix, iy) \text{ for } ix, \text{ row in enumerate(node.state) for } iy, i \text{ in enumerate(row) if } i == 0][0]
  directions = {'Up': (x - 1, y), 'Down': (x + 1, y), 'Left': (x, y - 1), 'Right': (x, y + 1)}
  for move, (new_x, new_y) in directions.items():
     if 0 \le \text{new } x < \text{size} and 0 \le \text{new } y < \text{size}:
       new_state = [list(row) for row in node.state]
       new_state[x][y], new_state[new_x][new_y] = new_state[new_x][new_y], new_state[x][y]
       neighbors.append(PuzzleNode(tuple(tuple(row) for row in new_state), node, move,
node.depth + 1)
  return neighbors
def reconstruct_puzzle_path(node):
```

```
path = []
  while node:
     path.append((node.move, node.state))
     node = node.parent
  return path[::-1]
def astar_puzzle(start, goal):
  open_list = []
  closed\_set = set()
  start_node = PuzzleNode(start)
  goal_node = goal
  start node.heuristic = manhattan heuristic(start, goal node)
  start node.total = start node.heuristic
  heapq.heappush(open_list, start_node)
  while open_list:
     current_node = heapq.heappop(open_list)
     if current_node.state == goal_node:
       return reconstruct puzzle path(current node)
     closed_set.add(current_node.state)
     for neighbor in get_neighbors(current_node):
       if neighbor.state in closed set:
          continue
       neighbor.cost = current\_node.depth + 1
       neighbor.heuristic = manhattan_heuristic(neighbor.state, goal_node)
       neighbor.total = neighbor.cost + neighbor.heuristic
       heapq.heappush(open_list, neighbor)
  return None # No solution found
solution = astar_puzzle(start_state, goal)
for move, state in solution:
  print(f"Move: {move}")
  for row in state:
     print(row)
  print()
Output:-
Move: None
(7, 2, 4)
(5, 0, 6)
(8, 3, 1)
Move: Down
(7, 2, 4)
(5, 3, 6)
(8, 0, 1)
Move: Right
(7, 2, 4)
```

```
(5, 3, 6)
(8, 1, 0)
Move: Up
(7, 2, 4)
(5, 3, 0)
(8, 1, 6)
Move: Left
(7, 2, 4)
(5, 0, 3)
(8, 1, 6)
Move: Left
(7, 2, 4)
(0, 5, 3)
(8, 1, 6)
Move: Up
(0, 2, 4)
(7, 5, 3)
(8, 1, 6)
Move: Right
(2, 0, 4)
(7, 5, 3)
(8, 1, 6)
Move: Right
(2, 4, 0)
(7, 5, 3)
(8, 1, 6)
Move: Down
(2, 4, 3)
(7, 5, 0)
(8, 1, 6)
Move: Left
(2, 4, 3)
(7, 0, 5)
(8, 1, 6)
Move: Down
(2, 4, 3)
(7, 1, 5)
(8, 0, 6)
Move: Left
(2, 4, 3)
(7, 1, 5)
(0, 8, 6)
Move: Up
(2, 4, 3)
(0, 1, 5)
```

7, 8, 6)	
Move: Right 2, 4, 3) 1, 0, 5) 7, 8, 6)	
Move: Up 2, 0, 3) 1, 4, 5) 7, 8, 6)	
Move: Left 0, 2, 3) 1, 4, 5) 7, 8, 6)	
Move: Down 1, 2, 3) 0, 4, 5) 7, 8, 6)	
Move: Right 1, 2, 3) 4, 0, 5) 7, 8, 6)	
Move: Right 1, 2, 3) 4, 5, 0) 7, 8, 6)	
Move: Down 1, 2, 3) 4, 5, 6) 7, 8, 0)	

```
Q 8) Write a program to implement AO* algorithm.
class Node:
  def __init__(self, name, is_goal=False):
     self.name = name
     self.is_goal = is_goal
     self.successors = []
     self.cost = float('inf')
     self.best successor = None
     self.visited = False
  def add successor(self, successor, relation='OR', cost=1):
     self.successors.append((successor, relation, cost))
class AOStarAlgorithm:
  def __init__(self):
     self.nodes = \{\}
  def add_node(self, name, is_goal=False):
     node = Node(name, is_goal)
     self.nodes[name] = node
  def add_edge(self, from_node, to_node, relation='OR', cost=1):
     self.nodes[from_node].add_successor(self.nodes[to_node], relation, cost)
  def search(self, start_node)
     node = self.nodes[start_node]
     self.ao_star_util(node)
  def ao_star_util(self, node):
     if node.is_goal:
       node.cost = 0
       return node.cost
     if node.visited:
       return node.cost
     node.visited = True
     min cost = float('inf')
     best successor = None
     for successor, relation, cost in node.successors:
       if relation == 'OR':
          current cost = self.ao star util(successor) + cost
          if current_cost < min_cost:
            min_cost = current_cost
            best_successor = (successor, relation)
       elif relation == 'AND':
          current\_cost = cost
          for and_successor, _, and_cost in successor.successors:
```

```
current_cost += self.ao_star_util(and_successor)
         if current_cost < min_cost:
            min cost = current cost
            best successor = (successor, relation)
    node.cost = min\_cost
    node.best_successor = best_successor
    return node.cost
  def print_solution(self, node_name):
    node = self.nodes[node_name]
    if node.is_goal:
       print(f"Goal node: {node.name}")
       return
    if node.best successor:
       print(f"Node: {node.name} -> Successor: {node.best_successor[0].name} via
{node.best_successor[1]} relation")
       self.print_solution(node.best_successor[0].name)
if __name__ == "__main__":
  ao_star = AOStarAlgorithm()
 ao_star.add_node('A')
  ao star.add node('B', is goal=True)
  ao_star.add_node('C')
  ao star.add node('D', is goal=True)
 ao_star.add_edge('A', 'B', 'OR', 4)
  ao_star.add_edge('A', 'C', 'OR', 2)
  ao_star.add_edge('C', 'D', 'OR', 1)
 ao_star.search('A')
  ao_star.print_solution('A')
Output:-
Node: A -> Successor: C via OR relation
Node: C -> Successor: D via OR relation
Goal node: D
```

Roll No:- 37

```
Q 9) Write a program to solve water jug problem.
from collections import deque
def is_measurable(m, n, d):
  if d % gcd(m, n) != 0:
     return False
  return d \le max(m, n)
def gcd(a, b):
  while b:
     a, b = b, a \% b
  return a
def water_jug_solver(m, n, d):
  if not is_measurable(m, n, d):
     print("It is not possible to measure the desired amount.")
     return
  visited = set()
  queue = deque([(0, 0)])
  parent = \{ \}
  while queue:
     jug1, jug2 = queue.popleft()
     if jug1 == d or jug2 == d:
       print_solution(jug1, jug2, parent)
       return
     if (jug1, jug2) in visited:
       continue
     visited.add((jug1, jug2))
     if (m, jug2) not in visited:
       queue.append((m, jug2))
       parent[(m, jug2)] = (jug1, jug2)
     if (jug1, n) not in visited:
       queue.append((jug1, n))
       parent[(jug1, n)] = (jug1, jug2)
     if (0, jug2) not in visited:
       queue.append((0, jug2))
       parent[(0, jug2)] = (jug1, jug2)
     if (jug1, 0) not in visited:
       queue.append((jug1, 0))
       parent[(jug1, 0)] = (jug1, jug2)
```

```
pour_to_jug2 = min(jug1, n - jug2)
     new_jug1 = jug1 - pour_to_jug2
     new_jug2 = jug2 + pour_to_jug2
     if (new_jug1, new_jug2) not in visited:
       queue.append((new_jug1, new_jug2))
       parent[(new_jug1, new_jug2)] = (jug1, jug2)
     pour_to_jug1 = min(jug2, m - jug1)
     new_jug1 = jug1 + pour_to_jug1
     new_jug2 = jug2 - pour_to_jug1
     if (new_jug1, new_jug2) not in visited:
       queue.append((new_jug1, new_jug2))
       parent[(new_jug1, new_jug2)] = (jug1, jug2)
  print("It is not possible to measure the desired amount.")
def print_solution(jug1, jug2, parent):
  path = []
  state = (jug1, jug2)
  while state in parent:
     path.append(state)
     state = parent[state]
  path.append((0, 0))
  path.reverse()
  for i, step in enumerate(path):
     print(f"Step {i}: Jug1 = {step[0]} liters, Jug2 = {step[1]} liters")
if name == " main ":
  m = 5
  n = 3
  d = 4
  water_jug_solver(m, n, d)
Output:-
Step 0: Jug1 = 0 liters, Jug2 = 0 liters
Step 1: Jug1 = 5 liters, Jug2 = 0 liters
Step 2: Jug1 = 2 liters, Jug2 = 3 liters
Step 3: Jug1 = 2 liters, Jug2 = 0 liters
Step 4: Jug1 = 0 liters, Jug2 = 2 liters
Step 5: Jug1 = 5 liters, Jug2 = 2 liters
Step 6: Jug1 = 4 liters, Jug2 = 3 liters
```

```
Q 10) Design the simulation of tic – tac – toe game using min-max algorithm.
import math
HUMAN = 'O'
AI = 'X'
def print_board(board):
  for row in board:
    print("|".join(row))
    print("-" * 5)
def is_moves_left(board):
  for row in board:
    if ' 'in row:
       return True
  return False
def evaluate(board):
  for row in board:
    if row[0] == row[1] == row[2]:
       if row[0] == AI:
         return 10
       elif row[0] == HUMAN:
         return -10
  for col in range(3):
    if board[0][col] == board[1][col] == board[2][col]:
       if board[0][col] == AI:
         return 10
       elif board[0][col] == HUMAN:
         return -10
  if board[0][0] == board[1][1] == board[2][2]:
    if board[0][0] == AI:
       return 10
    elif board[0][0] == HUMAN:
       return -10
  if board[0][2] == board[1][1] == board[2][0]:
    if board[0][2] == AI:
       return 10
    elif board[0][2] == HUMAN:
       return -10
  return 0
def minimax(board, depth, is_max):
  score = evaluate(board)
  if score == 10:
    return score - depth
  if score == -10:
    return score + depth
  if not is_moves_left(board):
    return 0
```

```
if is max:
     best = -math.inf
     for i in range(3):
       for i in range(3):
          if board[i][i] == ' ':
             board[i][j] = AI
            best = max(best, minimax(board, depth + 1, not is\_max))
            board[i][j] = '_'
     return best
  else:
     best = math.inf
     for i in range(3):
       for j in range(3):
          if board[i][j] == '_':
             board[i][j] = HUMAN
            best = min(best, minimax(board, depth + 1, not is_max))
            board[i][j] = ' '
     return best
def find_best_move(board):
  best_val = -math.inf
  best_move = (-1, -1)
  for i in range(3):
     for j in range(3):
       if board[i][j] == '_':
          board[i][j] = AI
          move_val = minimax(board, 0, False)
          board[i][j] = '_'
          if move_val > best_val:
            best_move = (i, j)
            best_val = move_val
  return best_move
def play_game():
  board = [
    ['_', '_', '_'],
['_', '_', '_'],
['_', '_', '_']
  print("Initial board:")
  print_board(board)
  while is moves left(board) and evaluate(board) == 0:
     num = int(input("Enter position (1-9) to place your 'O': ")) - 1
     row = num // 3
     col = num \% 3
     if board[row][col] == '_':
       board[row][col] = HUMAN
       print("\nBoard after Human's move:")
       print_board(board)
     else:
       print("Invalid move! Try again.")
```

```
continue
   if evaluate(board) != 0 or not is_moves_left(board):
     break
========"""
   print("\nAI is making a move...")
   best_move = find_best_move(board)
   board[best\_move[0]][best\_move[1]] = AI
   print("\nBoard after AI's move:")
   print_board(board)
========"")
 score = evaluate(board)
 if score == 10:
   print("AI wins!")
 elif score == -10:
   print("Human wins!")
 else:
   print("It's a draw!")
if __name__ == "__main__":
 play_game()
Output:-
Initial board:
Enter position (1-9) to place your 'O': 5
Board after Human's move:
| | <sub>-</sub>
|\mathbf{O}|
AI is making a move...
Board after AI's move:
X \mid \cdot \mid_{-}
|O|
```

Enter position (1-9) to place your 'O': 3
Board after Human's move: X   O
  O
<sup></sup> 
AI is making a move
Board after AI's move:
X   O 
X
<sup></sup>
Enter position (1-9) to place your 'O': 4
Board after Human's move: XI IO
O O
X   _ 
AI is making a move
Board after AI's move: XI IO
O O X
<sup> </sup>   X
Enter position (1-9) to place your 'O': 2
Board after Human's move: X O O
O O X
X

#### T.Y.B.Sc.IT SEM

#### ARTIFICIAL INTELLIGENCE

**PRACTICAL** 

AI is making a move
Board after AI's move: X O O
  X X _ 
=======================================
Enter position (1-9) to place your 'O': 9
Board after Human's move: X O O
 O O X
  X X O
It's a draw!

```
Q 11) Write a program to solve Missionaries and Cannibals problem.
from collections import deque
def is_valid_state(missionaries, cannibals):
  if missionaries < 0 or cannibals < 0 or missionaries > 3 or cannibals > 3:
     return False
  if missionaries > 0 and missionaries < cannibals:
     return False
  if (3 - missionaries) > 0 and (3 - missionaries) < (3 - cannibals):
     return False
  return True
def generate successors(state):
  successors = []
  m, c, boat = state
  moves = [(1, 0), (2, 0), (0, 1), (0, 2), (1, 1)]
  if boat == 1:
     for move in moves:
       new_m, new_c = m - move[0], c - move[1]
       if is valid state(new m, new c):
          successors.append((new_m, new_c, 0))
  else:
     for move in moves:
       new_m, new_c = m + move[0], c + move[1]
       if is_valid_state(new_m, new_c):
          successors.append((new_m, new_c, 1))
  return successors
def missionaries_and_cannibals():
  start state = (3, 3, 1)
  goal state = (0, 0, 0)
  queue = deque([(start state, [])])
  visited = set()
  while queue:
     state, path = queue.popleft()
     if state in visited:
       continue
     visited.add(state)
     if state == goal_state:
       return path + [state]
     for successor in generate_successors(state):
       queue.append((successor, path + [state]))
```

```
return None
def print_solution(solution):
  if not solution:
     print("No solution found.")
     return
  print("Solution path:")
  for step in solution:
     m, c, b = step
     boat_position = "Left" if b == 1 else "Right"
     print(f"Missionaries: {m}, Cannibals: {c}, Boat: {boat_position}")
if __name__ == "__main__":
  solution = missionaries and cannibals()
  print_solution(solution)
Output:-
Solution path:
Missionaries: 3, Cannibals: 3, Boat: Left
Missionaries: 3, Cannibals: 1, Boat: Right
Missionaries: 3, Cannibals: 2, Boat: Left
Missionaries: 3, Cannibals: 0, Boat: Right
Missionaries: 3, Cannibals: 1, Boat: Left
Missionaries: 1, Cannibals: 1, Boat: Right
Missionaries: 2, Cannibals: 2, Boat: Left
Missionaries: 0, Cannibals: 2, Boat: Right
Missionaries: 0, Cannibals: 3, Boat: Left
Missionaries: 0, Cannibals: 1, Boat: Right
Missionaries: 1, Cannibals: 1, Boat: Left
Missionaries: 0, Cannibals: 0, Boat: Right
```

## O 12) Write a program to solve Missionaries and Cannibals problem. import heapq def print\_board(board): for row in board: print(" ".join(str(cell) for cell in row)) print() def manhattan distance(board, goal): distance = 0for i in range(3): for j in range(3): if board[i][j] == 0: continue x, y = divmod(goal.index(board[i][j]), 3)distance += abs(x - i) + abs(y - j) return distance def is\_solved(board, goal): return board == goal def generate\_successors(board): successors = [] for i in range(3): for j in range(3): if board[i][j] == 0: x, y = i, jbreak moves = [(-1, 0), (1, 0), (0, -1), (0, 1)]for move in moves: $new_x$ , $new_y = x + move[0]$ , y + move[1]if $0 \le \text{new } x < 3 \text{ and } 0 \le \text{new } y < 3$ : new\_board = [row[:] for row in board] new board[x][y], new board[new x][new y] = new board[new x][new y], new\_board[x][y] successors.append(new\_board) return successors def a\_star(start, goal): priority\_queue = [] heapq.heappush(priority\_queue, (0, start, [])) visited = set()while priority\_queue: \_, current\_board, path = heapq.heappop(priority\_queue) if is solved(current board, goal): return path + [current\_board]

```
board_tuple = tuple(tuple(row) for row in current_board)
    if board tuple in visited:
       continue
    visited.add(board_tuple)
    for successor in generate_successors(current_board):
       new_path = path + [current_board]
       priority = len(new_path) + manhattan_distance(successor, sum(goal, []))
       heapq.heappush(priority_queue, (priority, successor, new_path))
  return None
def solve_puzzle(start_board, goal_board):
  print("Initial board:")
  print board(start board)
  print("Goal board:")
  print_board(goal_board)
  solution = a_star(start_board, goal_board)
  if solution:
    print("Solution found in {} moves!".format(len(solution) - 1))
    for step, board in enumerate(solution):
       print(f"Step {step}:")
       print_board(board)
  else:
    print("No solution found.")
if __name__ == "__main__":
  start_board = [
    [4, 5, 7],
    [8, 1, 2],
    [3, 6, 0]
  goal_board = [
    [1, 2, 3],
    [4, 5, 6],
    [7, 8, 0]
  ]
  solve_puzzle(start_board, goal_board)
```

```
Output:-
Initial board:
4 5 7
8 1 2
3 6 0
Goal board:
1 2 3
4 5 6
7 8 0
Solution found in 22 moves!
Sten 0:
4 5 7
8 1 2
3 6 0
Sten 1:
4 5 7
8 1 0
3 6 2
Sten 2:
4 5 0
8 1 7
3 6 2
Sten 3:
4 0 5
8 1 7
3 6 2
Sten 4:
4 1 5
8 0 7
3 6 2
Sten 5:
4 1 5
8 7 0
3 6 2
Step 6:
4 1 5
8 7 2
3 6 0
Sten 7:
4 1 5
8 7 2
3 0 6
Sten 8:
4 1 5
8 0 2
3 7 6
Sten 9:
4 1 5
0 8 2
3 7 6
Sten 10:
4 1 5
3 8 2
0 7 6
Sten 11:
4 1 5
3 8 2
7 0 6
Sten 12:
4 1 5
3 0 2
7 8 6
Sten 13:
4 1 5
0 3 2
```

```
7 8 6

Sten 14:
0 1 5
7 8 6

Sten 15:
1 0 5
4 3 2
7 8 6

Sten 16:
1 3 5
4 2 0
7 8 6

Sten 17:
1 3 5
4 2 0
7 8 6

Sten 18:
1 3 0
4 2 5
7 8 6

Sten 19:
1 0 3
4 2 5
7 8 6

Sten 20:
1 2 3
4 2 5
7 8 6

Sten 20:
1 2 3
4 5 6
7 8 6

Sten 21:
2 3
4 5 0
7 8 6

Sten 22:
1 2 3
4 5 6
7 8 6
```

```
Q 13) Write a program to shuffle Deck of cards.
import random
suits = ['Hearts', 'Diamonds', 'Clubs', 'Spades']
ranks = ['2', '3', '4', '5', '6', '7', '8', '9', '10', 'Jack', 'Queen', 'King', 'Ace']
deck = [f'{rank} of {suit}' for suit in suits for rank in ranks]
def shuffle deck(deck):
  random.shuffle(deck)
  return deck
def deal cards(deck, num cards):
  if num cards <= len(deck):
    dealt_cards = deck[:num_cards]
    deck = deck[num cards:]
    return dealt_cards, deck
  else:
    print("Not enough cards left in the deck!")
    return [], deck
def main():
  print("Original deck:")
  print(deck)
  print("\nShuffling deck...\n")
  shuffled_deck = shuffle_deck(deck[:])
  print("Shuffled deck:")
  print(shuffled_deck)
  num_cards_to_deal = 5
  dealt cards, remaining deck = deal cards(shuffled deck, num cards to deal)
  print(f"\nDealt {num cards to deal} cards:")
  print(dealt cards)
  print(f"\nRemaining cards in the deck ({len(remaining_deck)} cards left):")
  print(remaining deck)
if __name__ == "__main__":
  main()
Output:-
Original deck:
```

['2 of Hearts', '3 of Hearts', '4 of Hearts', '5 of Hearts', '6 of Hearts', '7 of Hearts', '8 of Hearts', '9 of Hearts', '10 of Hearts', 'Jack of Hearts', 'Queen of Hearts', 'King of Hearts', 'Ace of Hearts', '2 of Diamonds', '3 of Diamonds', '4 of Diamonds', '5 of Diamonds', '6 of Diamonds', '7 of Diamonds', '8 of Diamonds', '9 of Diamonds', '10 of Diamonds', 'Jack of Diamonds', 'Queen of Diamonds', 'King of Diamonds', 'Ace of Diamonds', '2 of Clubs', '3 of Clubs', '4 of Clubs', '5 of Clubs', '6 of Clubs', '7 of Clubs', '8 of Clubs', '9 of Clubs', '10 of Clubs', 'Jack of Clubs', 'Queen of Clubs', 'King of Clubs', 'Ace of Clubs', '2 of Spades', '3 of Spades', '4 of Spades', '5 of Spades', '6 of Spades', '7 of Spades', '8 of Spades', '9 of Spades', '10 of Spades', 'Jack of Spades', 'Queen of Spades', 'King of Spades', 'Ace of Spades']

Shuffling deck...

#### Shuffled deck:

['Ace of Clubs', '8 of Spades', '6 of Diamonds', 'Queen of Hearts', '5 of Spades', 'King of Hearts', '7 of Clubs', '6 of Clubs', 'Queen of Spades', 'Jack of Hearts', '7 of Diamonds', '8 of Diamonds', '9 of Clubs', 'Ace of Hearts', 'Queen of Clubs', '6 of Hearts', '5 of Hearts', '6 of Spades', '2 of Spades', 'Jack of Diamonds', '9 of Spades', '2 of Clubs', '10 of Hearts', '7 of Spades', '3 of Diamonds', '2 of Hearts', '10 of Diamonds', '3 of Spades', '5 of Diamonds', '5 of Clubs', '4 of Spades', '2 of Diamonds', 'King of Clubs', '8 of Hearts', '9 of Hearts', '10 of Clubs', 'Ace of Diamonds', 'Ace of Spades', '4 of Hearts', 'King of Spades', '7 of Hearts', '4 of Clubs', '3 of Clubs', 'King of Diamonds', '9 of Diamonds', '10 of Spades', '4 of Diamonds', 'Jack of Spades', 'Queen of Diamonds', '8 of Clubs', 'Jack of Clubs']

#### Dealt 5 cards:

['Ace of Clubs', '8 of Spades', '6 of Diamonds', 'Queen of Hearts', '5 of Spades']

Remaining cards in the deck (47 cards left):

['King of Hearts', '7 of Clubs', '6 of Clubs', 'Queen of Spades', 'Jack of Hearts', '7 of Diamonds', '8 of Diamonds', '9 of Clubs', 'Ace of Hearts', 'Queen of Clubs', '6 of Hearts', '5 of Hearts', '6 of Spades', '2 of Spades', 'Jack of Diamonds', '9 of Spades', '2 of Clubs', '10 of Hearts', '7 of Spades', '3 of Diamonds', '2 of Hearts', '10 of Diamonds', '3 of Spades', '5 of Diamonds', '5 of Clubs', '4 of Spades', '2 of Diamonds', 'King of Clubs', '8 of Hearts', '3 of Hearts', '9 of Hearts', '10 of Clubs', 'Ace of Diamonds', 'Ace of Spades', '4 of Hearts', 'King of Spades', '7 of Hearts', '4 of Clubs', '3 of Clubs', 'King of Diamonds', '9 of Diamonds', '10 of Spades', '4 of Diamonds', 'Jack of Spades', 'Queen of Diamonds', '8 of Clubs', 'Jack of Clubs']

## Q 14) Solve traveling salesman problem using artificial intelligence technique.

```
import random
import numpy as np
distance_matrix = np.array([[0, 20, 42, 35],
                  [20, 0, 30, 34],
                  [42, 30, 0, 12],
                  [35, 34, 12, 0]])
def calculate_distance(tour):
  total\_distance = sum(distance\_matrix[tour[i], tour[i + 1]]  for i in range(len(tour) - 1))
  total_distance += distance_matrix[tour[-1], tour[0]]
  return total distance
def create_random_tour(num_cities):
  tour = list(range(num cities))
  random.shuffle(tour)
  return tour
def mutate(tour):
  a, b = random.sample(range(len(tour)), 2)
  tour[a], tour[b] = tour[b], tour[a]
def crossover(parent1, parent2):
  start, end = sorted(random.sample(range(len(parent1)), 2))
  child = [None] * len(parent1)
  child[start:end] = parent1[start:end]
  current_pos = end % len(parent1)
  for city in parent2:
     if city not in child:
       child[current_pos] = city
       current_pos = (current_pos + 1) % len(parent1)
  return child
def genetic_algorithm(num_cities, population_size, generations):
  population = [create_random_tour(num_cities) for _ in range(population_size)]
  for in range(generations):
     population = sorted(population, key=calculate_distance)
     next_generation = population[:2]
     while len(next generation) < population size:
       parent1, parent2 = random.choices(population[:population_size // 2], k=2)
       child = crossover(parent1, parent2)
       if random.random() < 0.1:
          mutate(child)
       next generation.append(child)
     population = next_generation
```

best\_tour = min(population, key=calculate\_distance)
return best\_tour, calculate\_distance(best\_tour)

best\_tour, best\_distance = genetic\_algorithm(num\_cities=4, population\_size=100, generations=1000)

print(f"Best Tour: {best\_tour}, Distance: {best\_distance}")

#### **Output:-**

Best Tour: [0, 1, 2, 3], Distance: 97

```
Q 15) Solve the block of World problem.
from collections import deque
class State:
  def __init__(self, stacks):
     self.stacks = stacks
  def __str__(self):
     return str(self.stacks)
  def is_goal(self, goal):
     return self.stacks == goal.stacks
  def get_possible_moves(self):
     moves = []
     for i, stack in enumerate(self.stacks):
       if stack:
          top\_block = stack[-1]
         for j, other_stack in enumerate(self.stacks):
            if i != j:
               new_stacks = [s[:] for s in self.stacks]
               new_stacks[i] = new_stacks[i][:-1]
              new_stacks[j].append(top_block)
               moves.append((State(new_stacks), f'Move {top_block} from stack {i} to stack {j}'))
     return moves
def bfs(initial_state, goal_state):
  queue = deque([(initial_state, [])])
  visited
Output:-
Solution found: [['C', 'A'], [], ['B', 'D']]
Actions taken:
Move A from stack 0 to stack 1
Move D from stack 2 to stack 1
Move B from stack 0 to stack 2
Move D from stack 1 to stack 2
Move A from stack 1 to stack 2
Move C from stack 1 to stack 0
Move A from stack 2 to stack 0
```

```
Q 16) Solve constraint satisfaction problem.
def is_safe(board, row, col, n):
  for i in range(col):
     if board[row][i] == 1:
       return False
  for i, j in zip(range(row, -1, -1), range(col, -1, -1)):
     if board[i][j] == 1:
       return False
  for i, j in zip(range(row, n), range(col, -1, -1)):
     if board[i][j] == 1:
       return False
  return True
def solve_n_queens(board, col, n):
  if col >= n:
     return True
  for i in range(n):
     if is_safe(board, i, col, n):
       board[i][col] = 1
       if solve_n_queens(board, col + 1, n):
          return True
       board[i][col] = 0
  return False
def print_board(board, n):
  for i in range(n):
     for j in range(n):
       print("Q" if board[i][j] == 1 else ".", end=" ")
     print()
def solve_n_queens_problem(n):
  board = [[0] * n for _ in range(n)]
  if solve_n_queens(board, 0, n):
     print("Solution:")
     print_board(board, n)
  else:
     print("No solution exists.")
solve_n_queens_problem(6)
Output:-
```

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## Q 17) Derive the expressions based on Associative law.

```
def associative_addition(a, b, c):
  left_associative = (a + b) + c
  right_associative = a + (b + c)
  print(f"Left associative (a + b) + c: {left_associative}")
  print(f''Right associative a + (b + c): \{right\_associative\}'')
  return left_associative == right_associative
def associative multiplication(a, b, c):
  left associative = (a * b) * c
  right associative = a * (b * c)
  print(f"Left associative (a * b) * c: {left_associative}")
  print(f"Right associative a * (b * c): {right associative}")
  return left_associative == right_associative
a, b, c = 5, 6, 7
print("Addition is associative:", associative_addition(a, b, c))
print("Multiplication is associative:", associative_multiplication(a, b, c))
Output:-
Left associative (a + b) + c: 18
Right associative a + (b + c): 18
```

Left associative (a + b) + c: 18 Right associative a + (b + c): 18 Addition is associative: True Left associative (a \* b) \* c: 210 Right associative a \* (b \* c): 210 Multiplication is associative: True

#### Q 18) Derive the expressions based on Distributive law.

```
def distributive_multiplication_addition(a, b, c):
    left_side = a * (b + c)
    right_side = (a * b) + (a * c)

print(f"Left side a * (b + c): {left_side}")
print(f"Right side (a * b) + (a * c): {right_side}")
return left_side == right_side

def distributive_multiplication_subtraction(a, b, c):
    left_side = a * (b - c)
    right_side = (a * b) - (a * c)

print(f"Left side a * (b - c): {left_side}")
print(f"Right side (a * b) - (a * c): {right_side}")
return left_side == right_side

a, b, c = 8, 6, 3

print("Multiplication over Addition is distributive:", distributive_multiplication_addition(a, b, c))
print("Multiplication over Subtraction is distributive:", distributive_multiplication_subtraction(a, b, c))
```

#### **Output:-**

c))

```
Left side a * (b + c): 72

Right side (a * b) + (a * c): 72

Multiplication over Addition is distributive: True

Left side a * (b - c): 24

Right side (a * b) - (a * c): 24

Multiplication over Subtraction is distributive: True
```

```
Q 19) Write a program to derive the predicate.
class Predicate:
  def __init__(self, subject, predicate):
     self.subject = subject
     self.predicate = predicate
  def __str__(self):
     return f"{self.subject} is {self.predicate}"
def derive_predicate(p1, p2):
  if p1.predicate == p2.subject:
     return Predicate(p1.subject, p2.predicate)
  return None
p1 = Predicate("Sachin", "batsman")
p2 = Predicate("batsman", "cricketer")
print(f"Premise 1: {p1}")
print(f"Premise 2: {p2}")
derived_predicate = derive_predicate(p1, p2)
if derived_predicate:
  print(f"Conclusion: {derived_predicate}")
else:
  print("No valid conclusion can be derived.")
Output:-
Premise 1: Sachin is batsman
Premise 2: batsman is cricketer
Conclusion: Sachin is cricketer
```