

b) $P(\text{Good Rsk} / \text{No accidt})$ we need to
find

$$P(\text{accidt}) = 0.27$$

$$P(\text{no accidt}) = 1 - P(\text{accidt}) = \underline{\underline{0.73}}$$

$$P(\text{Good Rider} / \text{no accidt}) = \frac{P(1 - P(\text{accidt} / \text{Good Rider})) \cdot P(\text{Good Rider})}{P(\text{no Accidt})}$$

$$= \frac{(1 - 0.1) \cdot 0.2}{0.73}$$

$$= \underline{\underline{0.24}} \Rightarrow 24\%$$

$$3) P(\text{Bad Risk}) = \frac{5000}{15000} = 0.3$$

$$P(\text{Average Risk}) = \frac{4000}{15000} = 0.26$$

$$P(\text{Fair Risk}) = \frac{3000}{15000} = 0.2$$

$$P(\text{Good Risk}) = \frac{3000}{15000} = 0.2$$

$$P(A / \text{Bad Risk}) = \frac{2000}{5000} = 0.4$$

$$P(A / \text{Average Risk}) = \frac{1200}{4000} = 0.3$$

$$P(A / \text{Fair Risk}) = \frac{600}{3000} = 0.2$$

$$P(A / \text{Good Risk}) = \frac{300}{3000} = 0.1$$

a)

$$P(\text{Next Person met with Accident})$$

$$\Rightarrow 0.3 \times 0.4 + 0.26 \times 0.3 + 0.2 \times 0.2 + 0.2 \times 0.1$$

$$= \underline{\underline{0.27}}$$

$$b) P(\text{Good Risk} / \text{not Accident}) =$$

$$\left(= \frac{P(\text{Good Risk and Not Accident})}{1 - 0.27} \right)$$

$$\left(= \frac{(1 - (0.2)(0.1))}{(1 - 0.27)} \right)$$

$$\left(= \right)$$

PTD

$$\Rightarrow {}^{100}C_9 = {}^{100}C_{11}$$

because

type A (9 = 0.1) = 0.9 mg	>	which is not over-dose	- ①
type B (11 = 0.1) = 1.1 mg			

$$\Rightarrow {}^{100}C_{10} = {}^{100}C_{10}$$

type A = (10 = 0.1) = 1 mg	>	which is not over-dose	- ②
type B (10 = 0.1) = 1 mg			

$$\Rightarrow {}^{100}C_{11} = {}^{100}C_9$$

type 11 = 0.1 = 1.1 mg	>	which is not over-dose	- ③
type 9 = 0.9 = 0.9 mg			

$$\therefore \frac{{}^{100}C_9 + {}^{100}C_{11} + {}^{100}C_{11} + {}^{100}C_9 + {}^{100}C_{10} + {}^{100}C_{10}}{200} = {}^{100}C_{20}$$

1) a) There are 4 right & 3 up ways to go to the ATM,

So,

$$4+3 \quad {}^7C_4 \quad \text{ie}$$

$$= \underline{\underline{{}^7C_4}} = 35 \text{ paths}$$

UUUUUUUU

b) To skip the canteen, we need

$$\frac{{}^7C_4 - ({}^4C_2 + {}^3C_2)}{\text{total}}$$

2U & 2R → To canteen

2R & 1P → To ATM

$$= 35 - [16]$$

$$= \underline{\underline{19 \text{ ways/paths}}}$$

piece of

→ Each ^{piece of} tablet corresponds to 0.1 mg, So the

Sample Space = { $A_{11}, A_{12}, \dots, A_{10}, \dots, A_{21}, \dots$

$$\text{likelihood} = \frac{1}{200} \quad {}^{20}C_{20}$$

So to avoid overdose,

Given condition

$$0.9 \text{ mg} \leq \text{Safe dosage} \leq 1.1 \text{ mg}$$

of Inta =
Event,

No of ways in which he has to pick the tablet without overdose