Dataset: Haberman's Survival Data

Link: https://www.kaggle.com/gilsousa/habermans-survival-data-set (https://www.kaggle.com/gilsousa/habermans-survival-data-set (https://www.kaggle.com/gilsousa/habermans-survival-data-set (https://www.kaggle.com/gilsousa/habermans-survival-data-set)

Relevant Information: The dataset contains cases from a study that was conducted between 1958 and 1970 at the University of Chicago's Billings Hospital on the survival of patients who had undergone surgery for breast cancer.

Objective: Classify as to which patient survived for more than 5 years and who died within 5 years.

Attribute Information:

- 1) Age Age of patient at time of operation
- 2) Year Patient's year of operation
- 3) Axl_nodes Number of positive axillary nodes detected
- 4) Survival Survival status (class attribute) 1 = the patient survived 5 years or longer, 2 = the patient died within 5 year

```
In [31]: #Importing the necessary libraries
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
```

In [32]: #Reading the data
df = pd.read_csv("haberman.csv", names=["Age","Year","Axl_nodes","Survival"])

In [33]: df.head()

Out[33]:

	Age	Year	AxI_nodes	Survival
0	30	64	1	1
1	30	62	3	1
2	30	65	0	1
3	31	59	2	1
4	31	65	4	1

In [34]: df.shape

Out[34]: (306, 4)

```
In [35]: df.info()
```

dtypes: int64(4)
memory usage: 9.6 KB

In [36]: df.describe()

Out[36]:

	Age	Year	AxI_nodes	Survival
count	306.000000	306.000000	306.000000	306.000000
mean	52.457516	62.852941	4.026144	1.264706
std	10.803452	3.249405	7.189654	0.441899
min	30.000000	58.000000	0.000000	1.000000
25%	44.000000	60.000000	0.000000	1.000000
50%	52.000000	63.000000	1.000000	1.000000
75%	60.750000	65.750000	4.000000	2.000000
max	83.000000	69.000000	52.000000	2.000000

Observation

1) It can be seen that youngsters and children of the age group 0 to 29 are not present in dataset and may be less likely prone to cancer.

```
In [37]: df["Survival"].value_counts()
```

Out[37]: 1 225 2 81

Name: Survival, dtype: int64

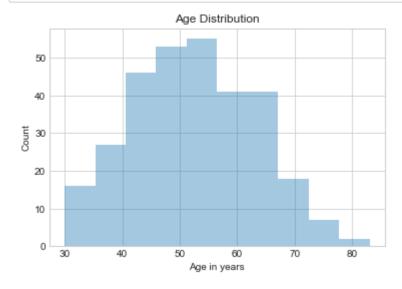
Observation

1) Seeing the Survival Value counts(), it can be said that Survival column is imbalanced.

UNI-VARIATE ANALYSIS

```
In [38]: #EDA of Age

sns.set_style("whitegrid")
sns.distplot(a = df["Age"], bins = 10, kde = False)
plt.xlabel("Age in years")
plt.ylabel("Count")
plt.title("Age Distribution")
plt.show()
```

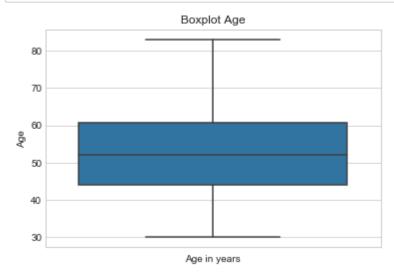


```
In [39]: #Age Boxplot

sns.set_style("whitegrid")
sns.boxplot(x = "Age",data = df, orient = "v")
plt.xlabel("Age in years")
plt.title("Boxplot Age")
plt.show()

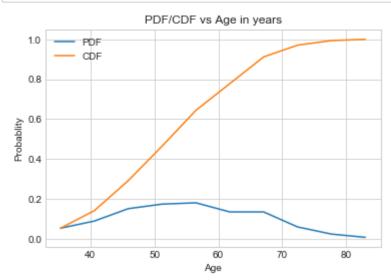
age_middle = len(df[(df["Age"]>=40) &(df["Age"]<=60)])/len(df["Age"])
age_young = len(df[(df["Age"]>=0) &(df["Age"]<=39)])/len(df["Age"])
age_old = len(df[df["Age"]>=61])/len(df["Age"])

print("Percentage of people in age group of 0 to 39 are:", age_young*100,"%" )
print("Percentage of people in age group of 40 to 60 are:", age_middle*100,"%" )
print("Percentage of people in age group greater than 60 are:", age_old*100,
"%" )
```



Percentage of people in age group of 0 to 39 are: 13.071895424836603 % Percentage of people in age group of 40 to 60 are: 61.76470588235294 % Percentage of people in age group greater than 60 are: 25.163398692810457 %

```
#PDF
In [40]:
         #Calculating PDF of Age Feature
         count, bin edges = np.histogram(a = df["Age"], bins =10)
         pdf = count/sum(count)
         #Calculating CDF
         a = 0
         cdf = []
         for i in count:
             a = a+i
             cdf.append(a)
         z = cdf/sum(count)
         plt.plot(bin_edges[1:],pdf)
         plt.plot(bin edges[1:],z)
         plt.xlabel("Age")
         plt.ylabel("Probablity")
         plt.title("PDF/CDF vs Age in years")
         legend = ["PDF","CDF"]
         plt.legend(legend)
         plt.show()
```



- 1) The Major chunk of people (around 62%) who are prone to cancer belongs to middle age group(40 to 60 years).
- 2) Even in CDF we can see that 80 percentile of people have an age of 62 or less.

```
In [ ]:
```

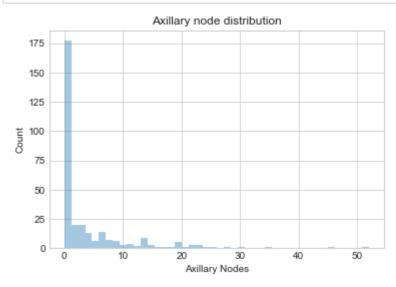
```
In [41]: #EDA of Axillary Nodes

sns.distplot(df["Axl_nodes"], kde = False)
plt.xlabel("Axillary Nodes")
plt.ylabel("Count")
plt.title("Axillary node distribution")
plt.show()

count_0 = len(df[df["Axl_nodes"]==0]["Axl_nodes"])
count_1 = len(df[df["Axl_nodes"]==1]["Axl_nodes"])
count_2 = len(df[df["Axl_nodes"]==2]["Axl_nodes"])

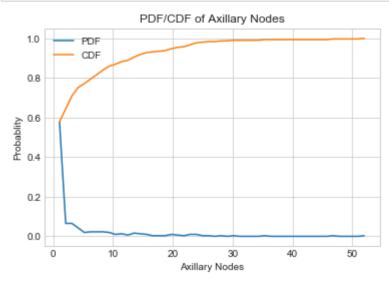
tot = len(df)

print("Percentage of Axillary Node between 0 to 2: ",((count_0+count_1+count_2))/tot)*100,"%")
```



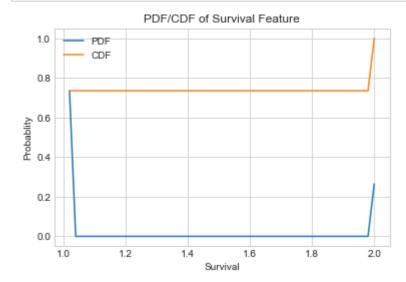
Percentage of Axillary Node between 0 to 2: 64.37908496732027 %

```
#PDF
In [42]:
         #Calculating PDF of Axillary Node
         count, bin edges = np.histogram(a = df["Axl nodes"], bins =50)
         pdf = count/sum(count)
         #Calculating CDF
         a = 0
         cdf = []
         for i in count:
             a = a+i
             cdf.append(a)
         z = cdf/sum(count)
         plt.plot(bin_edges[1:],pdf)
         plt.plot(bin edges[1:],z)
         plt.xlabel("Axillary Nodes")
         plt.ylabel("Probablity")
         plt.title("PDF/CDF of Axillary Nodes")
         legend = ["PDF","CDF"]
         plt.legend(legend)
         plt.show()
```

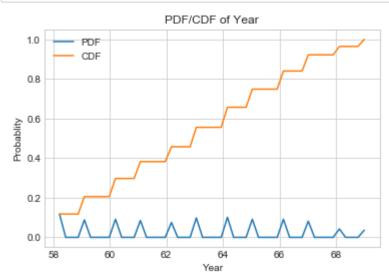


- 1) More than 60 percent of the Axillary nodes are between 0 and 2.
- 2) PDF for Axillary nodes is highly left skewed/Negatively skewed, which means most of the Axillary Nodes lie between 0 to 10.

```
In [43]:
         #PDF
         #Calculating PDF of Survival
         count, bin edges = np.histogram(a = df["Survival"], bins =50)
         pdf = count/sum(count)
         #Calculating CDF
         a = 0
         cdf = []
         for i in count:
             a = a+i
             cdf.append(a)
         z = cdf/sum(count)
         plt.plot(bin_edges[1:],pdf)
         plt.plot(bin_edges[1:],z)
         plt.xlabel("Survival")
         plt.ylabel("Probablity")
         plt.title("PDF/CDF of Survival Feature")
         legend = ["PDF","CDF"]
         plt.legend(legend)
         plt.show()
```



```
#PDF
In [44]:
         #Calculating PDF of Year
         count, bin edges = np.histogram(a = df["Year"], bins =50)
         pdf = count/sum(count)
         #Calculating CDF
         a = 0
         cdf = []
         for i in count:
             a = a+i
             cdf.append(a)
         z = cdf/sum(count)
         plt.plot(bin_edges[1:],pdf)
         plt.plot(bin_edges[1:],z)
         plt.xlabel("Year")
         plt.ylabel("Probablity")
         plt.title("PDF/CDF of Year")
         legend = ["PDF","CDF"]
         plt.legend(legend)
         plt.show()
```



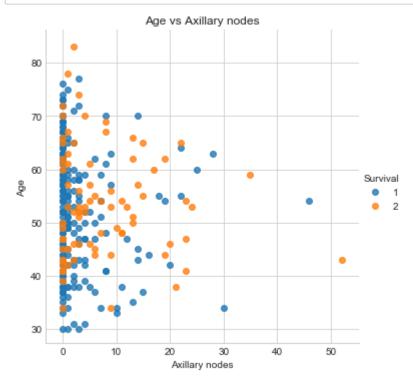
1) It can be seen that the number of cancer cases for all years mentioned have been almost constant except for year 1968.

BI-Variate Analysis

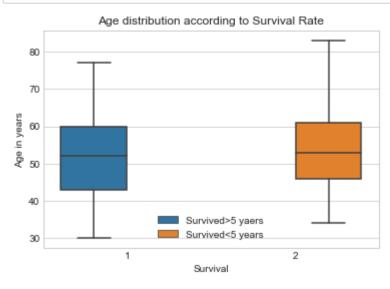
```
In [45]: #Age vs Axillary Node

ax = sns.lmplot(x ="Axl_nodes", y ="Age",data = df,fit_reg = False,hue ="Survival")
    plt.xlabel("Axillary nodes")
    plt.ylabel("Age")
    plt.title("Age vs Axillary nodes")

#handles, Labels = ax.get_legend_handles_labels()
    #plt.legend(handles, ["Survived>5 years", "Survived<5 years"])
    plt.show()</pre>
```



```
In [46]: ax = sns.boxplot(data = df, x="Survival", y="Age", hue = "Survival")
   plt.xlabel("Survival")
   plt.ylabel("Age in years")
   plt.title("Age distribution according to Survival Rate")
   handles, labels = ax.get_legend_handles_labels()
   plt.legend(handles,["Survived>5 yaers","Survived<5 years"])
   plt.show()</pre>
```



1) Age cannot be considered a major factor for Survival in this case because many people of similar ages have survived as well as died due to the disease.

In [47]: #Pairplot ax = sns.pairplot(data = df, hue = "Survival", vars = ["Age","Year","Axl_node plt.title("Pairplot") plt.show() 80 70 50 40 30 Pairplot 68 66 62 2 60 58

1) Age seems to be normally distributed.

50 40

20 Avi_nodes

2) For most of the people, the Axillary node seems to be in range of 0 to 10.

60

Age

80

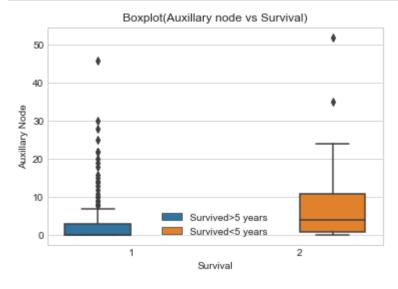
60

65

Year

20 Axl_nodes

```
In [48]:
         #Boxplot - Auxillary Node vs Survival
         ax = sns.boxplot(data = df, x="Survival", y="Axl nodes", hue="Survival")
         plt.title("Boxplot(Auxillary node vs Survival)")
         plt.xlabel("Survival")
         plt.ylabel("Auxillary Node")
         handles, labels = ax.get_legend_handles_labels()
         plt.legend(handles, ["Survived>5 years", "Survived<5 years"])</pre>
         plt.show()
         count 0 = len(df[(df["Survival"]==1) & (df["Axl nodes"]==0)])
         count_1 = len(df[(df["Survival"]==1) & (df["Axl_nodes"]==1)])
         count 2 = len(df[(df["Survival"]==1) & (df["Axl nodes"]==2)])
         count 3 = len(df[(df["Survival"]==1) & (df["Axl nodes"]==3)])
         tot = len(df[df["Survival"]==1])
         print("Percentage of People who Survived more than 5 years with Auxillary node
         s between 0 and 3:", ((count 0+count 1+count 2+count 3)/tot)*100,"%")
         count = []
         for i in range(0,12):
             count.append(len(df[(df["Survival"]==2) & (df["Axl_nodes"]==i)]))
         tot = len(df[df["Survival"]==2])
         print("Percentage of people who could not survive more than 5 years with an Au
         xillary node between 3 and 11:",(sum(count)/tot)*100,"%")
```



Percentage of people who could not survive more than 5 years with an Auxillar y node between 3 and 11: 75.30864197530865 %

- 1) About 79 percent of people who survived for more than 5 years had an Axillary node between 0 and 3.
- 2) 75 percent of people who could not survive for more than 5 years had Axillary node ranging from 3 to 11.
- 3) Many outliers can be seen in the survival plot whose axillary node ranges from 7 to 32.

```
In [49]: #Correlation Table

df.corr(method = "spearman")
```

Out[49]:

	Age	Year	AxI_nodes	Survival
Age	1.000000	0.091069	-0.097691	0.055914
Year	0.091069	1.000000	-0.036146	-0.007536
AxI_nodes	-0.097691	-0.036146	1.000000	0.327081
Survival	0.055914	-0.007536	0.327081	1.000000

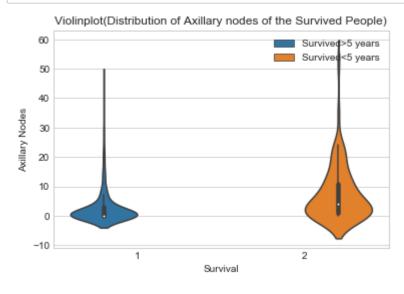
Observation:

1) Looking at the correlationship of features with eachother, it can be said that "Axillary nodes" and "Survival" are most related.

```
df[df["Survival"]==1]["Axl nodes"].describe()
In [50]:
Out[50]: count
                   225.000000
                     2.791111
         mean
         std
                     5.870318
                     0.000000
         min
         25%
                     0.000000
         50%
                     0.000000
         75%
                     3.000000
         max
                    46.000000
         Name: Axl_nodes, dtype: float64
In [51]:
         df[df["Survival"]==2]["Axl_nodes"].describe()
Out[51]: count
                   81.000000
         mean
                    7.456790
         std
                    9.185654
         min
                    0.000000
         25%
                    1.000000
         50%
                    4.000000
         75%
                   11.000000
                   52.000000
         max
         Name: Axl_nodes, dtype: float64
```

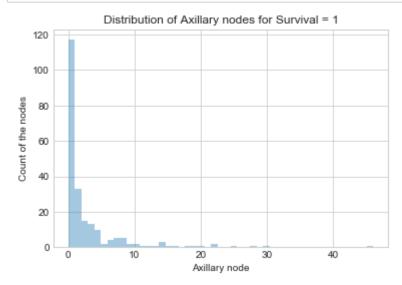
```
In [52]: #EDA Violinplot

ax = sns.violinplot(x = "Survival", y= "Axl_nodes", hue= "Survival", data = df
)
    plt.xlabel("Survival")
    plt.ylabel("Axillary Nodes")
    plt.title("Violinplot(Distribution of Axillary nodes of the Survived People)")
    handles, lables = ax.get_legend_handles_labels()
    plt.legend(handles, ["Survived>5 years", "Survived<5 years"])
    plt.show()</pre>
```



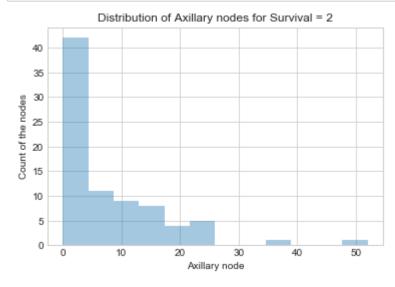
```
In [53]: #EDA Count of Axillary node for Survival = 1

sns.distplot(df[df["Survival"]==1]["Axl_nodes"], kde = False)
plt.xlabel("Axillary node")
plt.ylabel("Count of the nodes")
plt.title("Distribution of Axillary nodes for Survival = 1")
plt.show()
```



1) It can be seen that the graph is highly left skewed and can be seen that there are a lot of outliers.

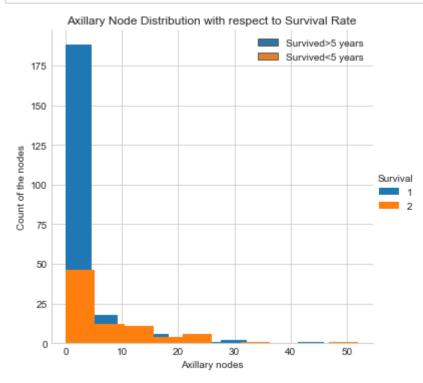
```
In [54]: sns.distplot(df[df["Survival"]==2]["Axl_nodes"], kde = False)
    plt.xlabel("Axillary node")
    plt.ylabel("Count of the nodes")
    plt.title("Distribution of Axillary nodes for Survival = 2")
    plt.show()
```



Observation

1) It can be seen that the count of Axillary node is less left skewed for people who survived for < 5 years. It also has less number of outliers.

```
In [56]: sns.FacetGrid(df, hue="Survival", size=5).map(plt.hist, "Axl_nodes").add_legen
d();
plt.xlabel("Axillary nodes")
plt.ylabel("Count of the nodes")
plt.title("Axillary Node Distribution with respect to Survival Rate")
handles, lables = ax.get_legend_handles_labels()
plt.legend(handles, ["Survived>5 years", "Survived<5 years"])
plt.show();</pre>
```



1) People having Axillary node between 0-5 and survived for < 5 years are less than 1/3 rd population of people who survived, as seen in the graph.

In []:	

Conclusion:

- 1) Young people and children are less prone to Cancer.
- 2) The label column (Survival) is highly imbalanced and hence some measures need to be taken to convert it to a balanced column.
- 3) The major chunk of population are middle aged people(40-60) with 61 % of population. Though Age doesnt play a major part to describe the fact who survived for less than 5 years or greater than 5 years.
- 4) A high correlation can be seen between Axillary Node and Survival Rate, which also makes Axillary Node the best available feature for predicting the Survival Rate.
- 5) Axillary Node feature is also imbalanced with 64% of nodes ranging between 0 and 2.
- 6) People having Axillary node between 0-5 and survived for < 5 years are less than 1/3 rd population of people who survived.

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