

# A Simple Beamer Template for WP Carey School Affiliated Researchers

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# A Brief Summary

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We show **surprising** result.

# Why This is Important

New Idea + Bunch of Old Ideas



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New Findings

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Our Paper

Extant Work

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New Findings

## Our Paper

1. Finding 1

## Extant Work

1. Contradicts Paper 1

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New Findings

## Our Paper

1. Finding 1
2. Finding 2

## Extant Work

1. Contradicts Paper 1
2. Adds to Paper 2 and Paper 3



# Introduction

# Resources

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Example: Airline itinerary.

# Model

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- ▶ Market Clears at all  $\omega$ .

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# Assumptions on Environment

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1. Assumption One.

## Interpretation/Implications

1. Practice 1.

# Assumptions on Environment

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2. Assumption Two.

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## An Example

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## Corollary (An Example)

*Consider the example **ex1**.*

# Implications

# Thank You!

Paper available at [harishguda.me/research](http://harishguda.me/research).