

# A Simple Beamer Template for WP Carey School Affiliated Researchers

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- ▶ A new idea: **Idea 1.**

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- ▶ We show **surprising** result.

# Agenda

1 Introduction

2 Model

3 Results

4 Managerial Implications

- ▶ Customers buy **bundles of resources** in combination.

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  - ▶ Example: Airline itinerary.

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Market Clears at all  $\omega$ :  $\mathbf{K}f_{\omega}(\kappa) = \mathbf{D}g_{\omega}(\delta)$ .

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## Possible Misinterpretation

This is not to be misunderstood with  $\delta < 0 \implies \Delta > 0$ .

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# Thank You.

Paper available at [harishguda.me/research](http://harishguda.me/research).