

EC8395 Communication Engineering

Unit-1-Information Theory and Coding

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Session Objectives

- To understand about source coding techniques-

Algorithm-3-Lempel-Ziv algorithm (LZ).

- Solving problems related to source coding techniques-

Lempel-Ziv algorithm (LZ).



Session Outcomes

- At the end of the session, students will be able to
 - Understand Lempel-Ziv algorithm (LZ).
 - To understand the difference between Shannon Fano Huffman coding and LZ algorithm

Lempel-Ziv algorithm (LZ)

- Shannon Fano and Huffman coding requires the symbol probabilities well in advance. But most real life application do not have the symbol probability in advance.
- Also Huffman coding is optimal for DM source (i.e. Occurrence of one symbol does not alter the probability of subsequent symbols.
- LZ algorithm can compress transmission of English text by about 50% whereas the Huffman code compresses by only 43%.



Encoding or Compression

Encode or compress the string “ABBCBCABA” using the LZ algorithm.

| Position | Content | Output |
|----------|---------|--------|
| 1 | A | (0,A) |
| 2 | B | (0,B) |
| 3 | BC | (2,C) |
| 4 | BCA | (3,A) |
| 5 | BA | (2,A) |

Number of bits transmitted:

Uncompressed string: ABBCBCABA

Number of bits = total number of characters X 8

=9X8=72 bits



- Compressed string:

(0,A) (0,B) (2,C) (3,A) (2,A)

Code word index 1 2 3 4 5

- Each code word consists of an integer and a character. The character is represented by 8 bits.
- The number of bits “n” required to represent the integer part of the code word with index “i” is given by

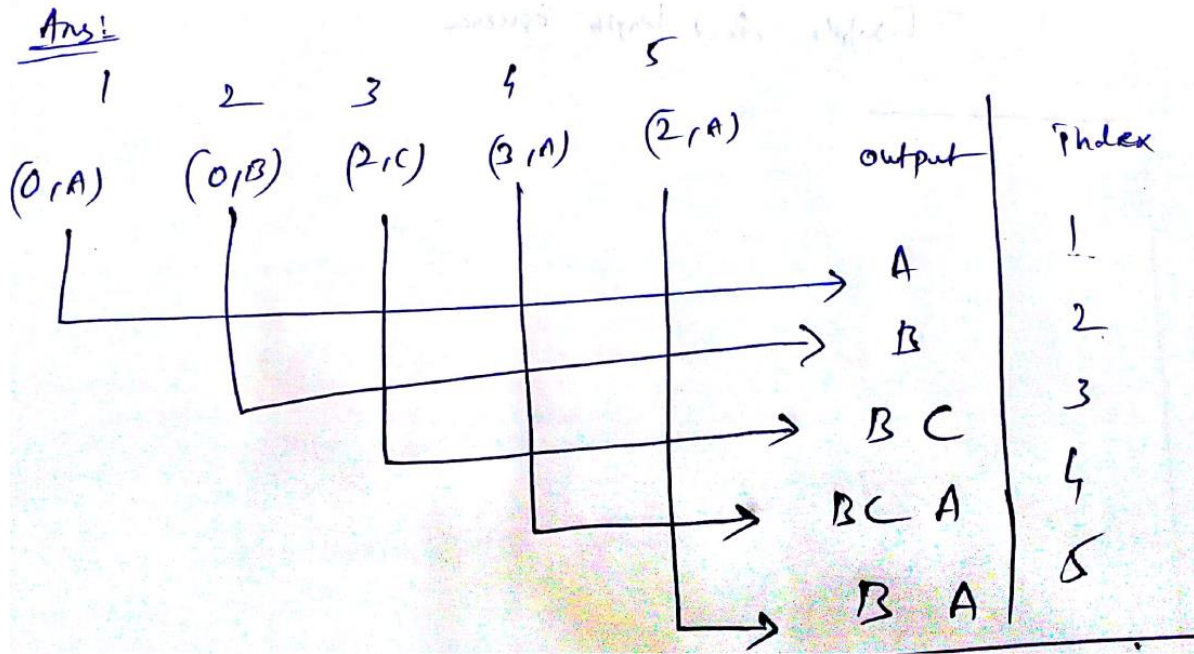
$$n = \begin{cases} 1 & \text{if } i = 1 \\ \lceil \log_2 i \rceil & \text{if } i > 1 \end{cases}$$



Therefore (0,A) (0,B) (2,C) (3,A) (2,A)
Code word index 1 2 3 4 5
Number of bits =
 $(1+8)+(1+8)+(2+8)+(2+8)+(3+8) = 49$ bits.

Decompression or Decoding

- 1. Decode or decompress the sequence (0,A) (0,B) (2,C) (3,A) (2,A)



- 1. Encode the following string using LZ algorithm.

101011011010101011