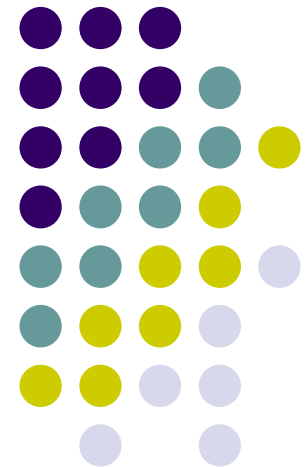


# Integer Division



# Manual Division



$$\begin{array}{r} 21 \\ 13 \overline{) 274} \\ \underline{26} \\ 14 \\ \underline{13} \\ 1 \end{array}$$

$$\begin{array}{r} 10101 \\ 1101 \overline{) 100010010} \\ \underline{1101} \\ 10000 \\ \underline{1101} \\ 1110 \\ \underline{1101} \\ 1 \end{array}$$

Figure 6.20. Longhand division examples.



# Longhand Division Steps

- Position the divisor appropriately with respect to the dividend and performs a subtraction.
- If the remainder is zero or positive, a quotient bit of 1 is determined, the remainder is extended by another bit of the dividend, the divisor is repositioned, and another subtraction is performed.
- If the remainder is negative, a quotient bit of 0 is determined, the dividend is restored by adding back the divisor, and the divisor is repositioned for another subtraction.

# Circuit Arrangement

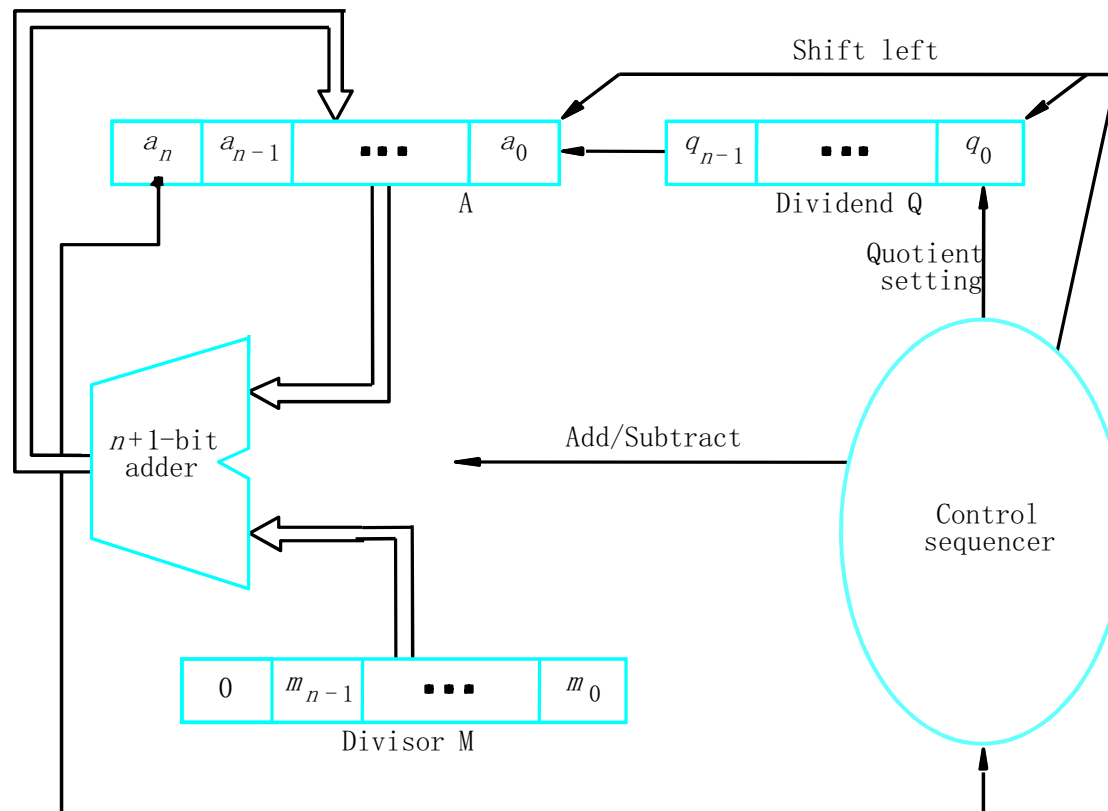
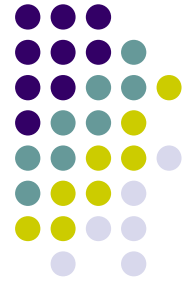
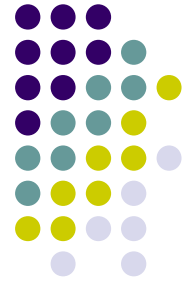


Figure 6.21. Circuit arrangement for binary division.



# Restoring Division

- Shift A and Q left one binary position
- Subtract M from A, and place the answer back in A
- If the sign of A is 1, set  $q_0$  to 0 and add M back to A (restore A); otherwise, set  $q_0$  to 1
- Repeat these steps  $n$  times

# Examples

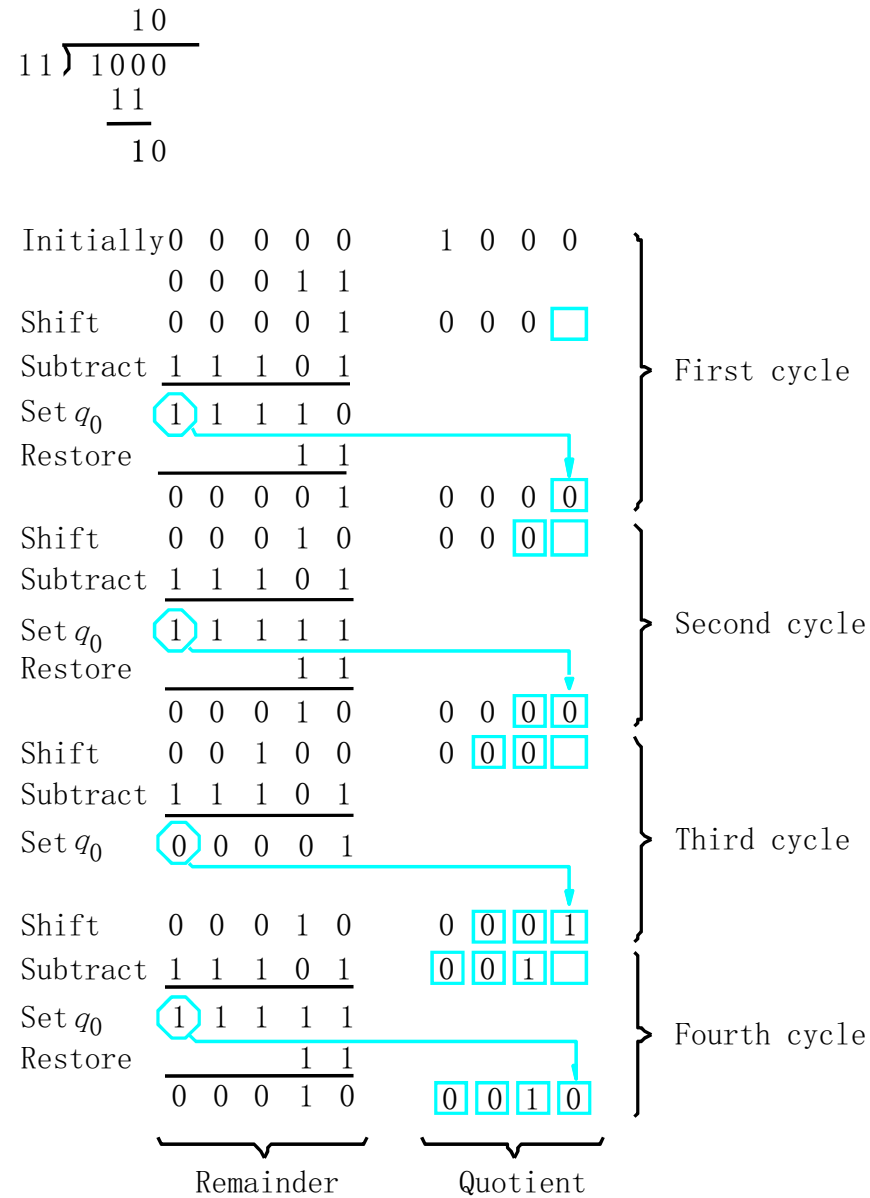
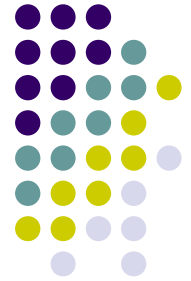


Figure 6.22. A restoring-division example.



# Nonrestoring Division

- Avoid the need for restoring  $A$  after an unsuccessful subtraction.
- Any idea?
- Step 1: (Repeat  $n$  times)
  - If the sign of  $A$  is 0, shift  $A$  and  $Q$  left one bit position and subtract  $M$  from  $A$ ; otherwise, shift  $A$  and  $Q$  left and add  $M$  to  $A$ .
  - Now, if the sign of  $A$  is 0, set  $q_0$  to 1; otherwise, set  $q_0$  to 0.
- Step2: If the sign of  $A$  is 1, add  $M$  to  $A$

# Examples

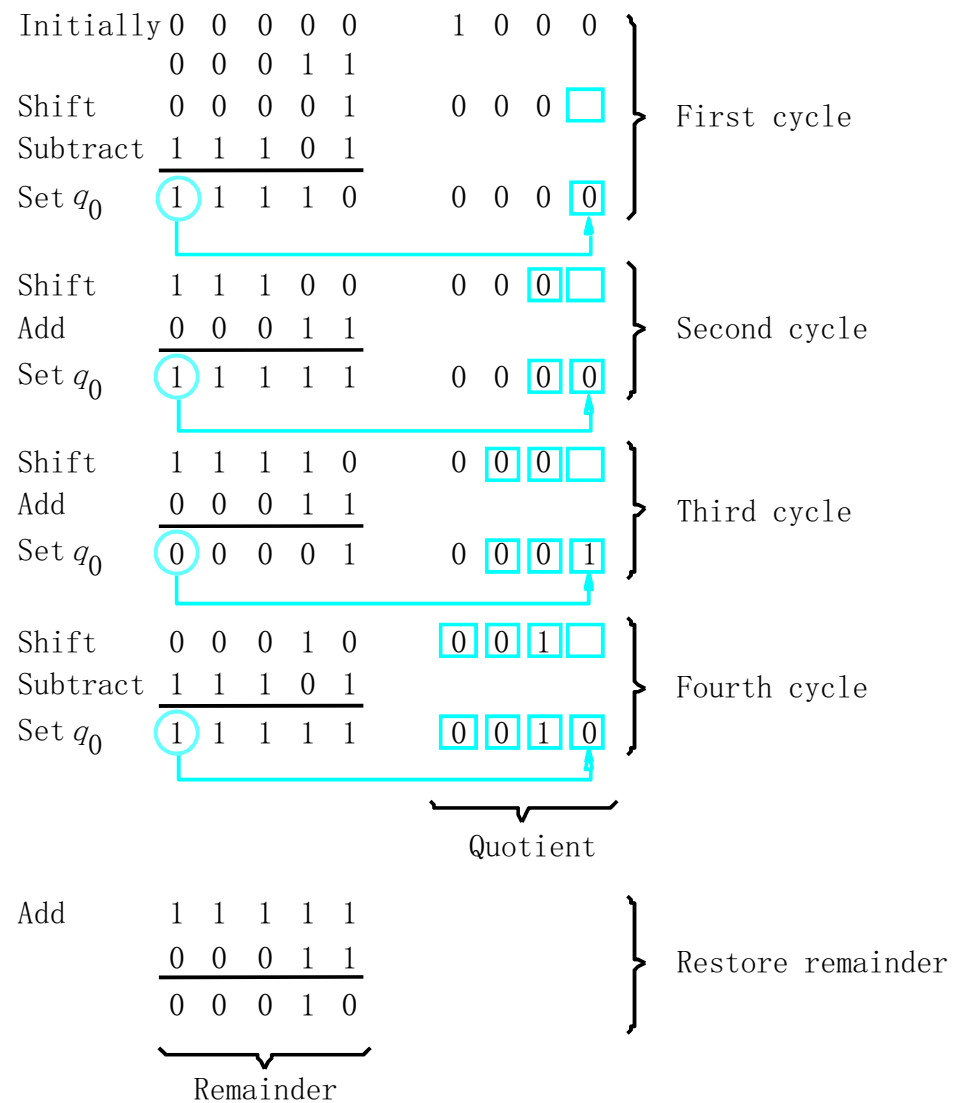


Figure 6.23. A nonrestoring-division example.